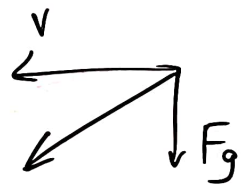
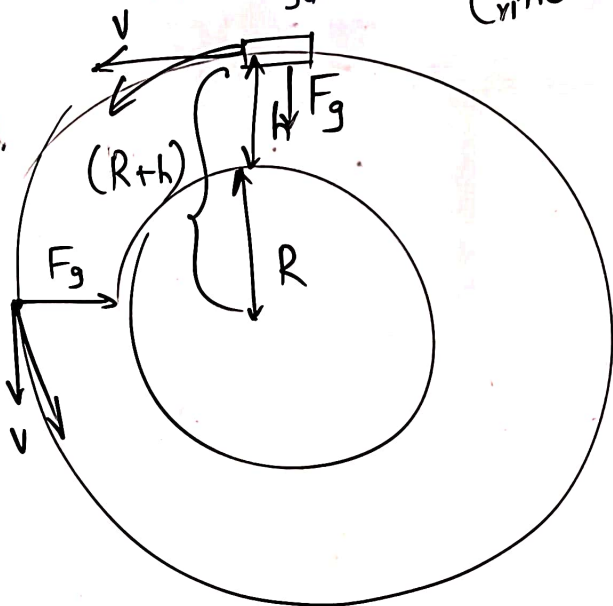


Orbits of Artificial  
Satellite. Critical Velocity ( $V_c$ )



Centripetal Force = Gravitational Force.  
 $F_c = F_g$

$$\frac{mv_c^2}{(R+h)} = \frac{GMm}{(R+h)^2}$$

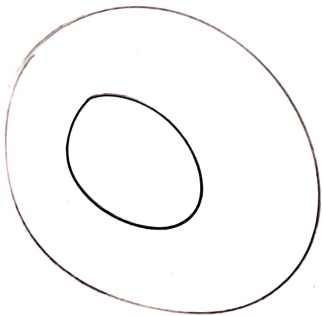
$$V_c^2 = \frac{GM}{(R+h)}$$

$$V_c = \sqrt{\frac{GM}{R+h}}$$

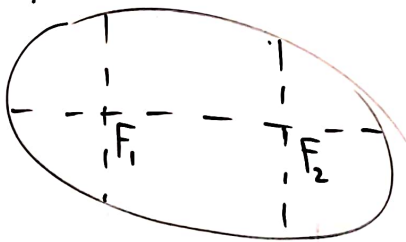
## Types of Orbits

### Based on Shape

① Circular

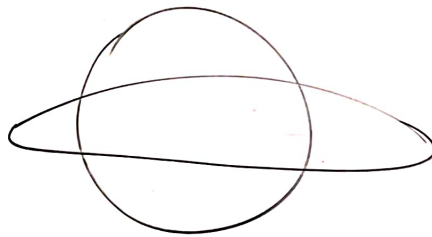


② Elliptical

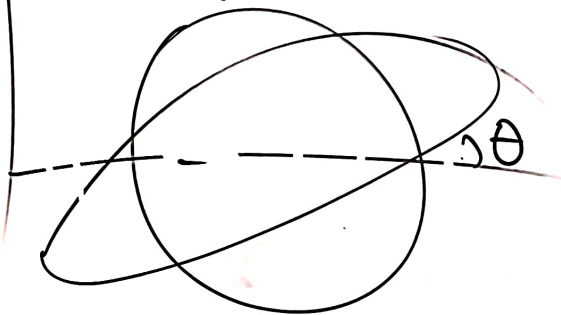


### Based on Alignment

① Parallel to Equator



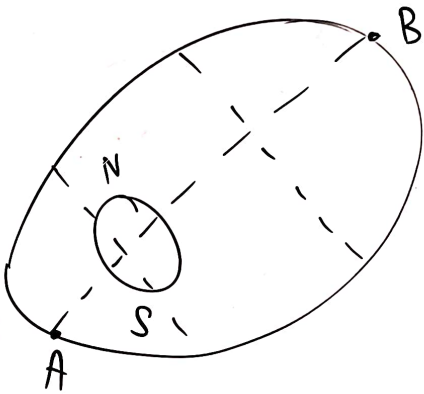
② At an angle to equator



### Type of Orbits

① Low Earth Orbit ( $h = 180 \text{ km to } 2000 \text{ km}$ )  
( $T = 90 \text{ mins}$ )

② Medium Earth Orbit ( $h = 2000 \text{ km to } 35,780 \text{ km}$ )  
( $T = 2 \text{ to } 24 \text{ hrs}$ )



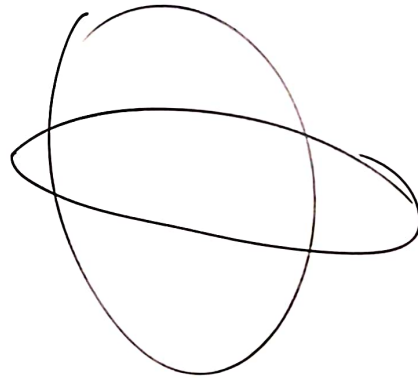
Type of Orbits  
③ High Earth Orbit ( $h > 35780 \text{ km}$ )  
( $T \approx 24 \text{ hrs}$ )

Geosynchronous

$T = 24 \text{ hrs}$

Geostationary

$T = 24 \text{ hrs}$



$$35,780 \text{ km}$$

Escape velocity ( $v_{esc}$ )

$$v_c = \sqrt{\frac{2GM}{R}}$$

$$v_{esc} = 11.18 \text{ km/s}$$

$$\approx 11.2 \text{ km/s}$$