Backpropagation Coursework Report

# Data Pre-processing

To pre-process my data I initially copied all the data into a text file and constructed a python script to determine outliers and missing data, and then convert the raw data into usable lists of floats. Once I had determined which data was missing, I interpolated to replace missing data and outliers which I deemed to be excessive within excel.

I have plotted the raw data into figure 1 below:

Chart

Description automatically generated

Figure

After replacing missing data and interpolating outliers (Fig.2) which I deemed to be excessive, the dataset became much more usable.

Chart, line chart, histogram

Description automatically generated

Figure

I then standardised the data within the range 0.1-0.9 to ensure that data which naturally has a high value doesn’t mask the other data in the set.

Chart, bar chart, histogram

Description automatically generated

Figure

Finally, I split my data into training and test sets. The training data is used to train the model, and the test data is used to test the effectiveness of my implementation.

# Implementation



# Training and Network Selection

## Forward Pass

I started by initialising nested lists containing weights and biases for each neuron in the hidden layer and the output layer. I then worked through the data set, calculating weighted sums for each neuron in the hidden layer by iterating through the nested list of weights, applying each weight associated to the hidden layer to each input, and adding the bias for that hidden neuron to the resulting value. I stored all these values in an array called “weightedSums”. I calculated the activations for these values by applying the sigmoid function to each and stored these in an array called “activations”. I calculated the weighted sum of the output layer by multiplying the activations for each neuron in the hidden layer by the weight applied to that neuron, then applying the bias for the output layer. I calculated the activation for the output layer by passing this value through the sigmoid function.

## Backward Pass

I started by calculating the delta value for the output layer, multiplying the error between the expected output and the output activation by the value given by applying the derivative of the sigmoid function by the output activation. I then calculated the delta values for the hidden layer, iterating through each neuron in the hidden layer, calculating the delta values by multiplying the delta for the hidden layer with the weight of the neuron and the value given by applying the sigmoid derivative function to the activation for the neuron, appending these to a hiddenDelta array.

## Updating Weights and Biases

I updated the weights from hidden to output layer by multiplying the learning rate with the delta of the output layer and the activation of the output layer, and adding this value to the old weight value. I then updated the biases applied to the hidden layer

## Network Selection

# Evaluation

To test my implementation, I used my trained model to predict the predictand for each piece of test data and recorded the mean error of these predictions. The first test which I did was to train my model with 1, 10, 100, 1000 and 10000 epochs. For each number of epochs I trained the algorithm 5 times and selected the best performing set of weights and biases, based on the mean error produced when predicting the test data. The results of this are in the table below:

|  |  |
| --- | --- |
| Number of Epochs | Mean Error |
| 1 | 0.10990237210214156 |
| 10 | 0.1074126243224174 |
| 100 | 0.01621058616022838 |
| 1000 | 0.012702017361175332 |
| 10000 | 0.02018308558401532 |

I repeated this test using one set of weights and biases for each of the epoch cycles to show how the accuracy of the algorithm gradually improves with each increase in the number of epochs:

|  |  |
| --- | --- |
| Number of Epochs | Mean Error |
| 1 | 0.12514793363165122 |
| 10 | 0.11998875209236642 |
| 100 | 0.018120941015058973 |
| 1000 | 0.01261083700607197 |
| 10000 | 0.02427507336911702 |

This test incorporated the “Momentum” method of improvement, with random initial weights and biases for each training sequence:

|  |  |
| --- | --- |
| Number of Epochs | Mean Error |
| 1 | 0.11215667654691147 |
| 10 | 0.09703585631696883 |
| 100 | 0.015540855184784767 |
| 1000 | 0.012704948587189265 |
| 10000 | 0.01958618029325898 |

This test showcases overtraining of my model as training for 10,000 epochs resulted in the model being overtrained and less accurate than training for both 100 and 1000 epochs.

I then repeated this without resetting the initial weights and biases between each training loop, therefore this showcasing the ability of the algorithm to improve with time

# Comparison

To get a benchmark for the performance of my algorithm, I have chosen to compare it to a simple multiple linear regression model, LINEST, in excel.