

Area and Volume Formula

Area

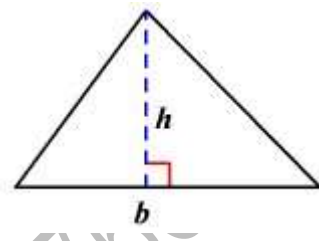
Triangle

Area of any Triangle = $\frac{1}{2} \times \text{base} \times \text{height}$ sq. unit

Area of triangle with sides a , b and c is $\sqrt{s(s-a)(s-b)(s-c)}$

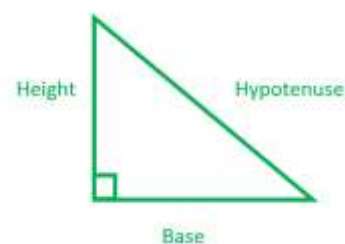
Where $s = \frac{a+b+c}{2}$

Perimeter of any Triangle = sum of the length of three sides



Right angle Triangle

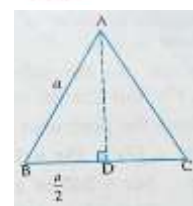
Area = $\frac{1}{2} \times \text{Base} \times \text{Height}$ sq. unit



Equilateral Triangle

Height = $\frac{\sqrt{3}}{2} a$ unit

Area = $\frac{\sqrt{3}}{4} a^2$ unit



Isosceles Triangle

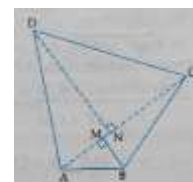
Height = $\frac{\sqrt{4a^2 - b^2}}{2}$ unit

Area = $\frac{1}{2} b \frac{\sqrt{4a^2 - b^2}}{2}$ sq. unit

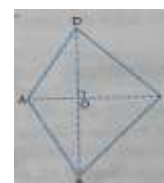


Quadrilateral

Area of any quadrilateral = $\frac{1}{2} \times \text{One Diagonal} \times \text{Sum of lengths of perpendiculars drawn on it from the remaining two vertices.}$



Area of a quadrilateral when diagonals of a quadrilateral intersect at right angles
 = $\frac{1}{2} \times \text{Product of diagonals}$



Square

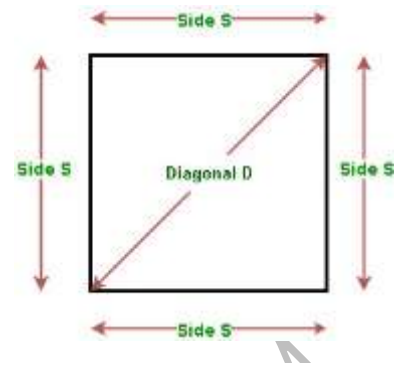
If,

Sides are s

Area = s^2 square unit

Perimeter = $4s$ unit

Length of the diagonal = $\sqrt{2}s$ unit



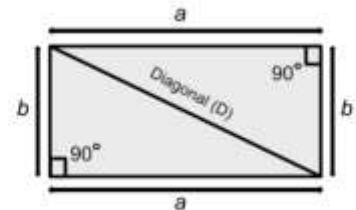
Rectangle

Length = a and Breadth = b

Area = ab square unit

Perimeter = $2(a+b)$ unit

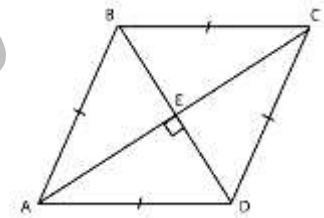
Length of the diagonal = $\sqrt{a^2 + b^2}$



Rhombus

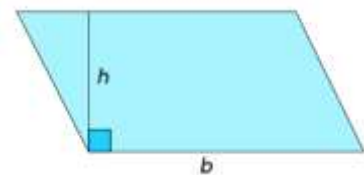
Area = $\frac{1}{2}$ X product of diagonals

Perimeter = $4 \times$ side



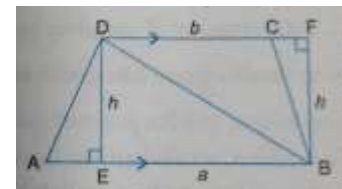
Parallelogram

Area = Base \times Height



Trapezium

Area = $\frac{1}{2}$ of (Sum of parallel sides) \times (distance between them)



Circle

If,

r denotes the radius of the circle.

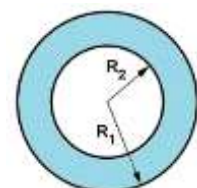
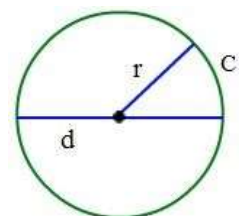
d indicates the diameter of the circle.

c indicates circumference of the circle.

Diameter of Circle = $D = 2 \times r$

Circumference of a Circle = $C = 2 \times \pi \times r$

Area = $A = \pi \times r^2$



Circular Ring

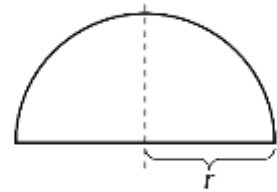
Area = $\pi \times (r_2^2 - r_1^2)$



Semicircle

$$\text{Perimeter} = (\pi + 2)r$$

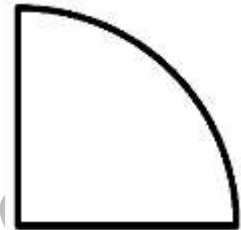
$$\text{Area} = \frac{1}{2} \pi r^2$$



Quarter Circle

$$\text{Perimeter} = (\pi/2 + 2)r$$

$$\text{Area} = \frac{1}{4} \pi r^2$$



Volume

Cuboid

If, l= Length

b= breadth

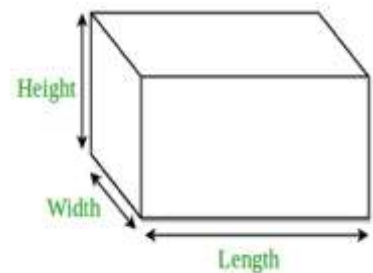
h= height

Surface area: $2(lb + bh + lh)$ sq unit

Lateral Surface Area: $2(l + b) \times h$ sq unit

Volume: $l \times b \times h$ cu unit

Length of Diagonal: $\sqrt{l^2 + b^2 + h^2}$ unit



Cube:

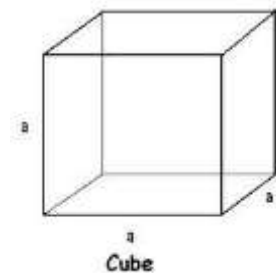
If the sides of a cube is 'a' then

Total Surface Area: $6a^2$ sq unit

Lateral Surface Area: $4a^2$ sq unit

Volume: a^3 cubic unit

Length of Diagonal: $\sqrt{3}a$ unit



Solid Cylinder

If,

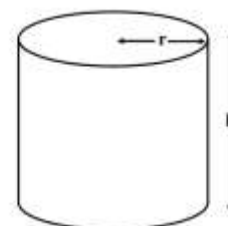
r= radius

h= height of solid cylinder

Curved Surface Area: $2\pi rh$

Total Surface Area: $2\pi r(r + h)$

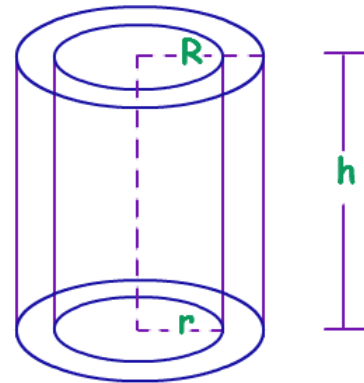
Volume: $\pi r^2 h$



Hollow Cylinder

If,
R= Outer Radius
r= Internal Radius
h= height of cylinder

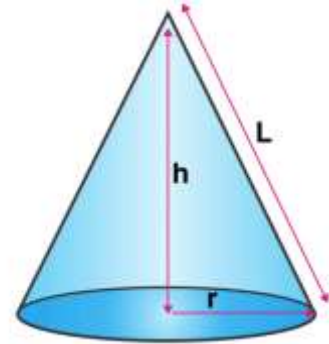
Thickness of Cylinder: $R-r$
Area of Cross Section: $\pi (R^2 - r^2)$
External Curved Surface Area: $2 \pi R h$
Internal Curved Surface Area: $2 \pi r h$
Total Surface Area: $2 \pi (R h + r h + R^2 - r^2)$
Volume: $\pi (R^2 - r^2) h$



Hollow Cone

If,
r= Radius of the base of a cone
h= height of the cone
l= slant height of a cone

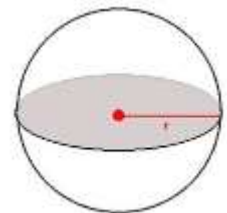
Slant height: $\sqrt{r^2 + h^2}$
Total Surface Area: $\pi r l$
Volume: $\frac{1}{3} \pi r^2 h$



Sphere:

If
r= Radius of sphere

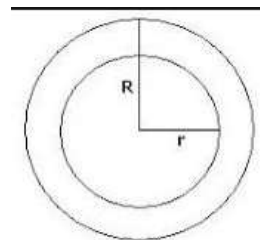
Volume: $\frac{4}{3} \pi r^3$



Spherical Shell

If,
R= Outer Radius
r= Internal Radius

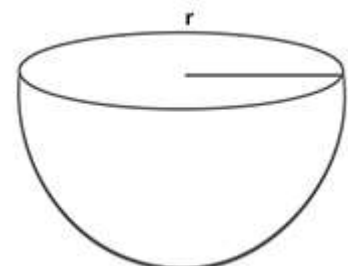
Thickness of the shell: $(R - r)$
Volume of the shell: $\frac{4}{3} \pi (R^3 - r^3)$



Hemisphere

If
r= Radius of hemisphere

Curved Surface Area: $2 \pi r^2$
Total Surface Area: $3 \pi r^2$
Volume: $\frac{2}{3} \pi r^3$



Hemispherical Shell

If

R = Outer Radius

r = Internal Radius

Thickness of the shell: $(R - r)$

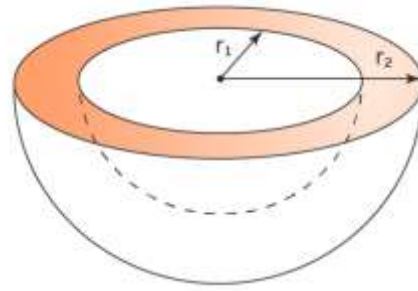
Area of Base: $\pi (R^2 - r^2)$

External Curved Surface Area: $2 \pi R^2 h$

Internal Curved Surface Area: $2 \pi r^2 h$

Total Surface Area: $\pi (3R^2 + r^2)$

Volume: $\frac{2}{3} \pi (R^3 - r^3)$



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