

# Module -5

Syntax Directed Translation, Intermediate code generation, Code generation

# Syntax Directed Translation

# Outline

- Syntax Directed Definitions
- Evaluation Orders of SDD's
- Applications of Syntax Directed Translation

# Introduction

- We can associate information with a language construct by attaching attributes to the grammar symbols.
- A syntax directed definition specifies the values of attributes by associating semantic rules with the grammar productions.

Production	Semantic Rule
$E \rightarrow E1 + T$	$E.code = E1.code    T.code    '+'$

- We may alternatively insert the semantic actions inside the grammar  
$$E \rightarrow E1 + T \{ \text{print '+'} \}$$



# Syntax Directed Definitions(SDD)

- A SDD is a context free grammar together with attributes and rules
- Attributes are associated with grammar symbols and rules with productions
- If  $X$  is a symbol and  $a$  is one of its attributes,  $X.a$  denote the value of  $a$  at a particular parse tree node  $X$
- Attributes may be of many kinds: numbers, types, table references, strings, etc.
- Synthesized attributes
  - A synthesized attribute at node  $N$  is defined only in terms of attribute values of children of  $N$  and at  $N$  itself
- Inherited attributes
  - An inherited attribute at node  $N$  is defined only in terms of attribute values at  $N$ 's parent,  $N$  itself and  $N$ 's siblings

# Example of S-attributed SDD

## Production

- 1)  $L \rightarrow E \text{ n}$
- 2)  $E \rightarrow E1 + T$
- 3)  $E \rightarrow T$
- 4)  $T \rightarrow T1 * F$
- 5)  $T \rightarrow F$
- 6)  $F \rightarrow (E)$
- 7)  $F \rightarrow \text{digit}$

## Semantic Rules

- $L.val = E.val$
- $E.val = E1.val + T.val$
- $E.val = T.val$
- $T.val = T1.val * F.val$
- $T.val = F.val$
- $F.val = E.val$
- $F.val = \text{digit.lexval}$

$6+4*3$



# SDD contd...

- An SDD involves only synthesized attributes is called S-attributed; each rule computes an attribute for the non terminal at the head of a production from attributes taken from the body of the production.
- An S-attributed SDD implemented in conjunction with an LR parser.
- A SDD is sometimes called as an attribute grammar. The rules in attribute grammar define the value of an attribute in terms of values of other attributes and constants.

# Evaluating an SDD at the Nodes of Parse Tree

- The rules of an SDD are applied by first constructing a parse tree and then using the rules to evaluate all of the attributes at each of the nodes of the parse tree.
- A parse tree, showing the value(s) of its attribute(s) is called an *annotated parse tree*.
- We must evaluate the val attributes at all of the children of a node before we can evaluate the val attribute at the node itself.
- With synthesized attributes, we can evaluate in any bottom-up order, like postorder traversal of the parse tree



# Evaluation contd...

- Consider nonterminals A and B, with synthesized and inherited attributes A.s and B.i respectively , along with the production and rules

● PRODUCTION	SEMANTIC RULES
$A \rightarrow B$	$A.s = B.i;$ $B.i = A.s + 1$

These rules are circular ; Not possible to evaluate either A.s and B.i at some pair of nodes in a parse tree

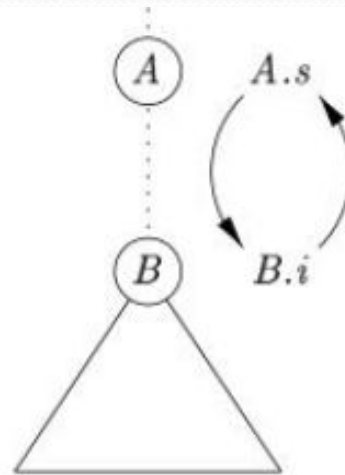


Figure 5.2: The circular dependency of  $A.s$  and  $B.i$  on one another

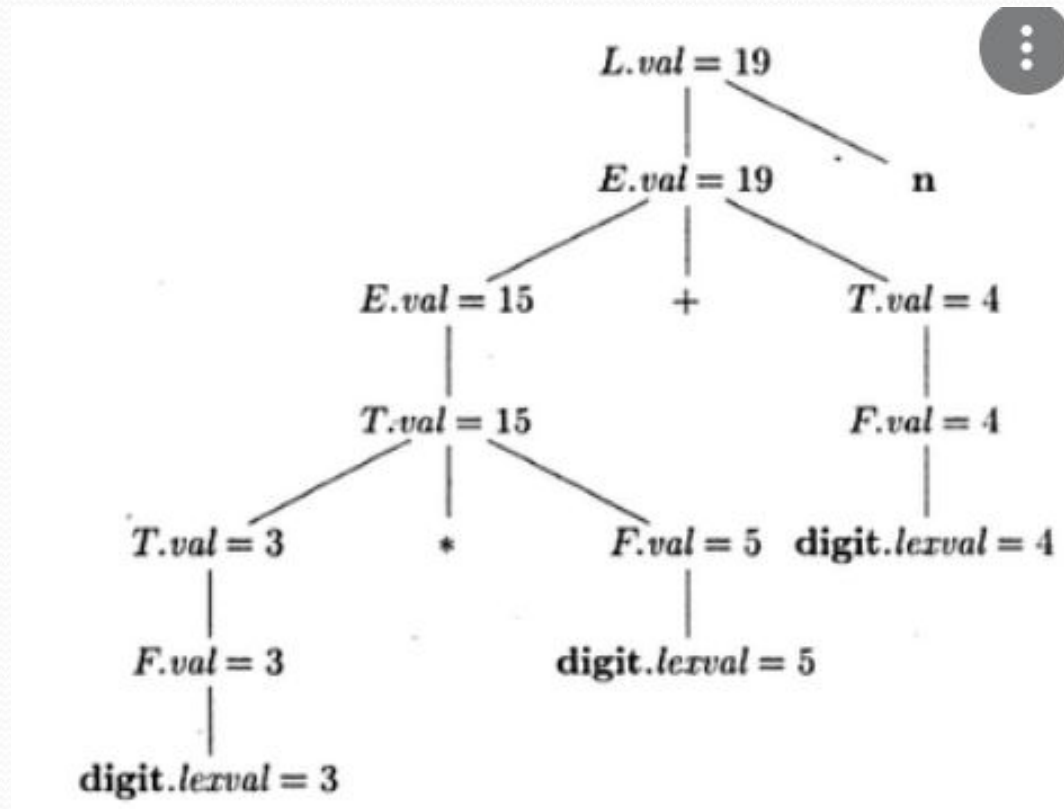
# Annotated parse tree

- The values of lexical are presumed supplied by the lexical analyzer
- Each of the nodes for the nonterminals has attribute val computed in a bottom-up order.
- Inherited attributes are useful when the structure of a parse tree does not “match” the abstract syntax of the source code



$$6+4*3$$

# Annotated parse tree $3*5+4$ n



# Example of mixed attributes

## Production

- 1)  $T \rightarrow FT'$
- 2)  $T' \rightarrow *FT'_1$
- 3)  $T' \rightarrow \varepsilon$
- 1)  $F \rightarrow \text{digit}$

## Semantic Rules

$T'.inh = F.val$   
 $T.val = T'.syn$   
 $T'_1.inh = T'.inh * F.val$   
 $T'.syn = T'_1.syn$   
 $T'.syn = T'.inh$   
 $F.val = F.val =$   
 $\text{digit.lexval}$

# Annotated parse tree for $3 * 5$

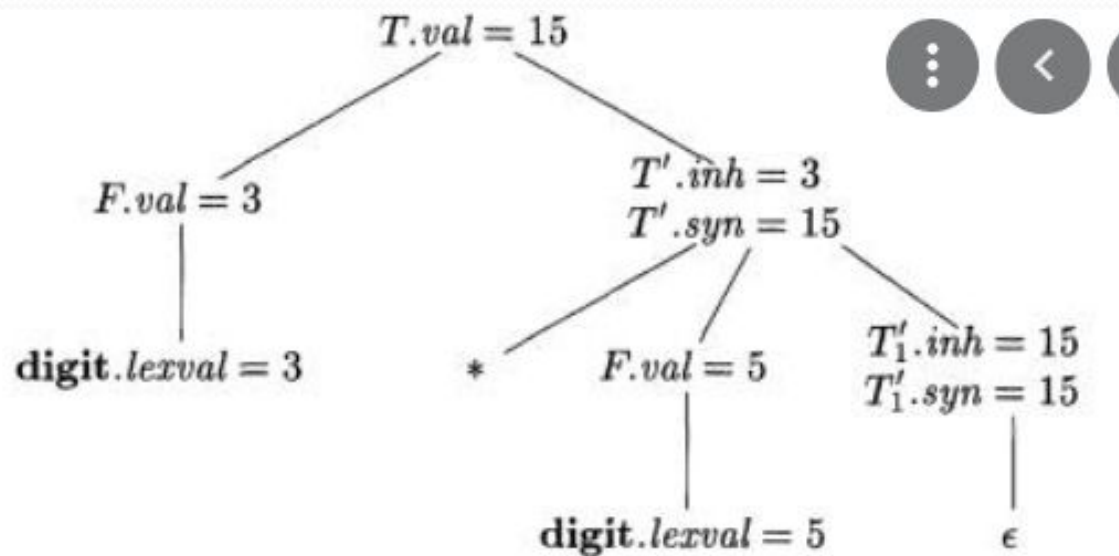


Figure 5.5: Annotated parse tree for  $3 * 5$



# Evaluation orders for SDD's

- A dependency graph is used to determine the order of computation of attributes
- Dependency graph
  - For each parse tree node, the parse tree has a node for each attribute associated with that node
  - If a semantic rule defines the value of synthesized attribute A.b in terms of the value of X.c then the dependency graph has an edge from X.c to A.b
  - If a semantic rule defines the value of inherited attribute B.c in terms of the value of X.a then the dependency graph has an edge from X.c to B.c

# Example

- Consider the following production and rule:

PRODUCTION	SEMANTIC RULE
$E \rightarrow E_1 + T$	$E.val = E_1.val + T.val$

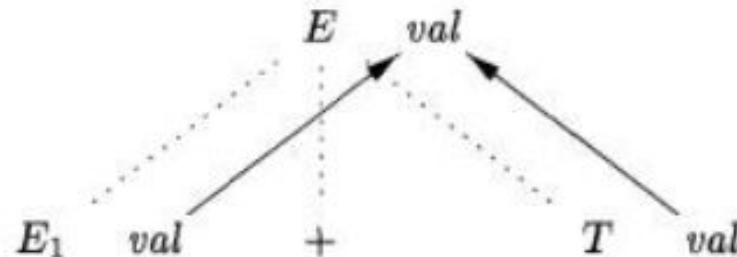
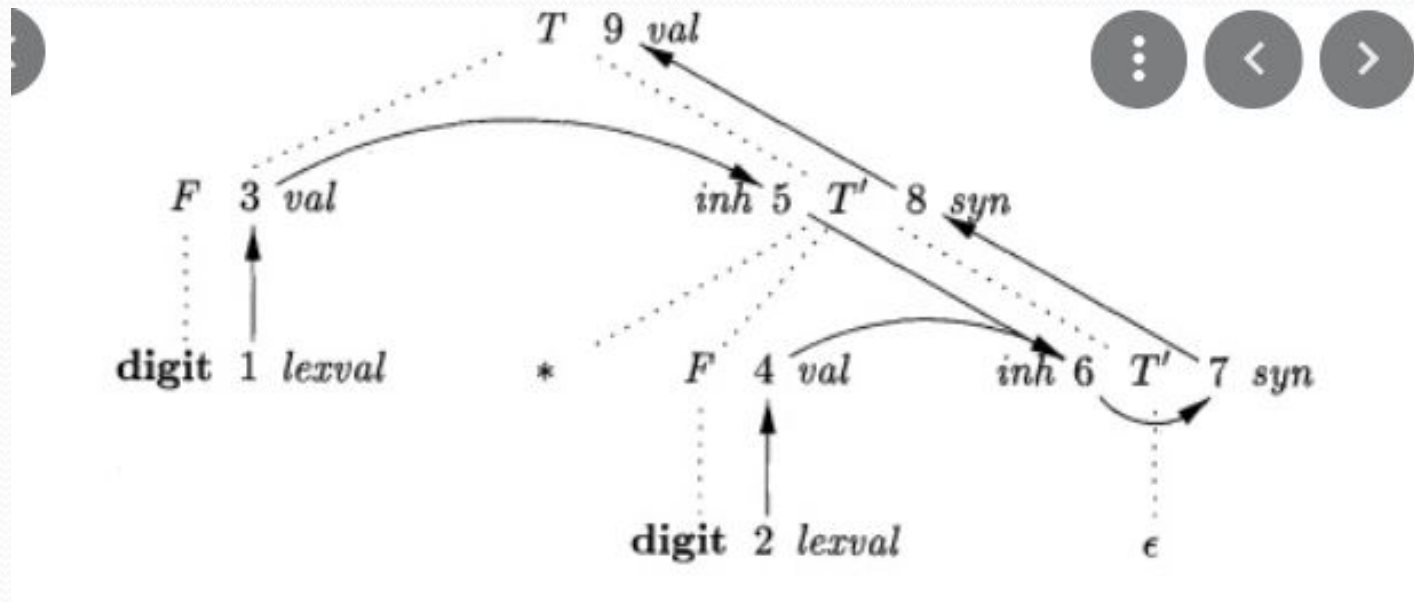


Figure 5.6:  $E.val$  is synthesized from  $E_1.val$  and  $E_2.val$

# Dependency graph for the annotated parse tree for $3*5$





# Ordering the evaluation of attributes

- If dependency graph has an edge from  $M$  to  $N$  then  $M$  must be evaluated before the attribute of  $N$
- Thus the only allowable orders of evaluation are those sequence of nodes  $N_1, N_2, \dots, N_k$  such that if there is an edge from  $N_i$  to  $N_j$  then  $i < j$
- Such an ordering embeds a directed graph into a linear order and is called a topological sort of the graph
- If there is a cycle in the graph, then there are no topological sorts means no way to evaluate the SDD on this parse tree

# Ordering the evaluation of attributes contd...

- If there are no cycles, then there is always at least one topological sort
- Since there are no cycles, find a node with no edge entering, if there is no such node, proceed from predecessor to predecessor until get the node that already seen, yielding a cycle
- Make this node the first in the topological order, remove it from the dependency graph and repeat the process on the remaining nodes
- Another topological sort is 1,3,5,2,4,6,7,8,9



# S-Attributed definitions

- An SDD is S-attributed if every attribute is synthesized
- We can have a post-order traversal of parse-tree to evaluate attributes in S-attributed definitions

```
postorder(N) {  
    for (each child C of N, from the left) postorder(C);  
    evaluate the attributes associated with node N;  
}
```

- S-Attributed definitions can be implemented during bottom-up parsing without the need to explicitly create parse trees



# L-Attributed definitions

- A SDD is L-Attributed if the edges in dependency graph goes from Left to Right but not from Right to Left.
- More precisely, each attribute must be either
  - Synthesized
  - Inherited, but if there is a production  $A \rightarrow X_1 X_2 \dots X_n$  and there is an inherited attribute  $X_i.a$  computed by a rule associated with this production, then the rule may use only :
    - Inherited attributes associated with the head  $A$
    - Either inherited or synthesized attributes associated with the occurrences of symbols  $X_1, X_2, \dots, X_{i-1}$  located to the left of  $X_i$
    - Inherited or synthesized attributes associated with this occurrence of  $X_i$  itself, but in such a way that there is no cycle in the graph formed by the attributes of this  $X_i$

# Example

- PRODUCTION

$T \rightarrow FT'$

$T' \rightarrow *FT'1$

- SEMANTIC RULE

$T'.inh = F.val$

$T'1.inh = T'.inh * F.val$

- The first rule defines the inherited attribute  $T'.inh$  using only  $F.val$  and  $F$  appears to the left of  $T'$  in the production body as required
- The second rule defines  $T'.inh$  using the inherited attribute  $T'.inh$  associated with the head and  $F.val$ , where  $F$  appears to the left of  $T'1$  in the production body.



# Example

- Any SDD containing the following production and rules cannot be L-attributed:

- PRODUCTION                      SEMANTIC RULE

$A \rightarrow B C$                        $A.s = B.b;$   
 $B.i = f(C.c, A.s)$

- The first rule  $A.s = B.b$ , is a legitimate rule in either as S-attributed or L-attributed SDD. It defines a synthesized attribute  $A.s$  in terms of an attribute at a child
- The second rule defines an inherited  $B.i$ , so the entire SDD cannot be S-attributed.
- The SDD cannot be L-attributed, because the attribute  $C.c$  is used to help define  $B.i$ , and  $C$  is to the right of  $B$  in the production body.



# Semantic Rules with Controlled Side Effects

- Attribute grammars have no side effects and allow any evaluation order consistent with the dependency graph.
- Translation schemes impose left-to-right evaluation and allow semantic actions to contain any program fragment
- Controlling the side effects in SDD's in following the ways

# Ways to control side effects

- Permit incidental side effects that do not constrain attribute evaluation.
- Permit the side effects when attribute evaluation based on any topological sort of the dependency graph produces a correct translation, where correct depends on the application
- Constrain the allowable evaluation orders, so that the same translation is produced for any allowable order.
- The constraints can be as implicit edges added to the dependency graph



# Example

- The rule  $L.val = E.val$  saves the result in the synthesized attribute
- Consider: PRODUCTION SEMANTIC RULE
  - 1)  $L \rightarrow E \ n \quad \text{print}(E.val)$
- Example
- A simple declaration  $D$  consisting of a basic type  $T$  followed by a list  $L$  of identifiers  $T$  can be *int* or *float*
- This SDD does not check whether an identifier is declared more than once



# SDD for simple type declarations

PRODUCTION	SEMANTIC RULES
1) $D \rightarrow T L$	$L.inh = T.type$
2) $T \rightarrow \mathbf{int}$	$T.type = \text{integer}$
3) $T \rightarrow \mathbf{float}$	$T.type = \text{float}$
4) $L \rightarrow L_1, \mathbf{id}$	$L_1.inh = L.inh$ $addType(\mathbf{id}.entry, L.inh)$
5) $L \rightarrow \mathbf{id}$	$addType(\mathbf{id}.entry, L.inh)$

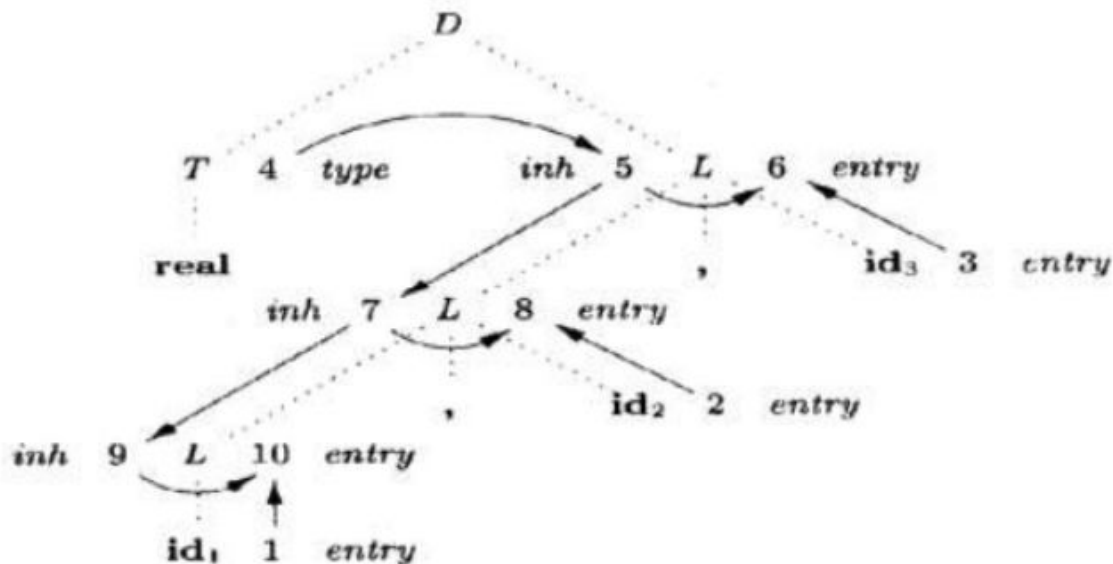
# Example

- Production 1 has nonterminal D represents a declaration which consists of type T followed by a list L of identifiers. T has one attribute, T.type- the type in declaration D. Nonterminal L also has one attribute as inherited attribute .
- Production 2 and 3 each evaluate the synthesized attribute T. type as integer or float. This type is passed to the attribute L.inh in the rule for production 1.
- Production 4 passes L.inh down the parse tree. The value L1.inh is computed at a parse tree node by copying the value of L.inh from the parent of that node; the parent corresponds to the head of the production.

# Example

- Production 4 and 5 also a rule in which function `addType` is called with arguments:
  - `id.entry`, a lexical value that points to a symbol-table object, and
  - `L.inh`, the type being assigned to every identifier on the list

A dependency graph for the input string  
**float id1 , id 2, id3**





# Application of Syntax Directed Translation

- Type checking and intermediate code generation (chapter 6)
- Construction of syntax trees
  - Leaf nodes:  $\text{Leaf}(\text{op}, \text{val})$
  - Interior node:  $\text{Node}(\text{op}, c_1, c_2, \dots, c_k)$
- Example:

Production	Semantic Rules
1) $E \rightarrow E_1 + T$	$E.\text{node} = \text{new node}('+', E_1.\text{node}, T.\text{node})$
2) $E \rightarrow E_1 - T$	$E.\text{node} = \text{new node}('-', E_1.\text{node}, T.\text{node})$
3) $E \rightarrow T$	$E.\text{node} = T.\text{node}$
4) $T \rightarrow (E)$	$T.\text{node} = E.\text{node}$
5) $T \rightarrow \text{id}$	$T.\text{node} = \text{new Leaf}(\text{id}, \text{id.entry})$
6) $T \rightarrow \text{num}$	$T.\text{node} = \text{new Leaf}(\text{num}, \text{num.val})$

## Example- Syntax tree for $a-4+c$

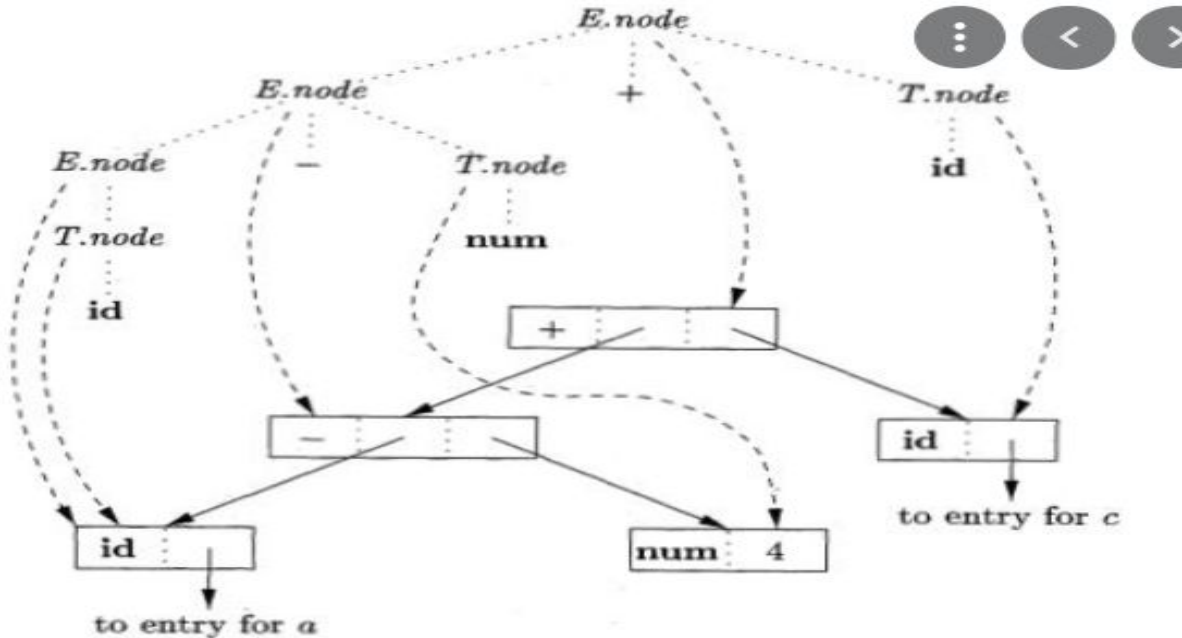


Figure 5.11: Syntax tree for  $a - 4 + c$

- ```

1)  p1 = new Leaf(id, entry-a);
2)  p2 = new Leaf(num, 4);
3)  p3 = new Node('−', p1, p2);
4)  p4 = new Leaf(id, entry-c);
5)  p5 = new Node('+', p3, p4);

```

Figure 5.12: Steps in the construction of the syntax tree for  $a - 4 + c$

# Syntax tree for L-attributed definition – Top down parsing

| Production                 | Semantic Rules                                                         |
|----------------------------|------------------------------------------------------------------------|
| 1) $E \rightarrow TE'$     | $E.node = E'.syn$<br>$E'.inh = T.node$                                 |
| 2) $E' \rightarrow + TE1'$ | $E1'.inh = \text{new node}('+', E'.inh, T.node)$<br>$E'.syn = E1'.syn$ |
| 3) $E' \rightarrow -TE1'$  | $E1'.inh = \text{new node}('-', E'.inh, T.node)$<br>$E'.syn = E1'.syn$ |
| 4) $E' \rightarrow \in$    | $E'.syn = E'.inh$                                                      |
| 5) $T \rightarrow (E)$     | $T.node = E.node$                                                      |
| 6) $T \rightarrow id$      | $T.node = \text{new Leaf}(id, id.entry)$                               |
| 7) $T \rightarrow num$     | $T.node = \text{new Leaf}(num, num.val)$                               |



# Dependency graph for $a-4+c$

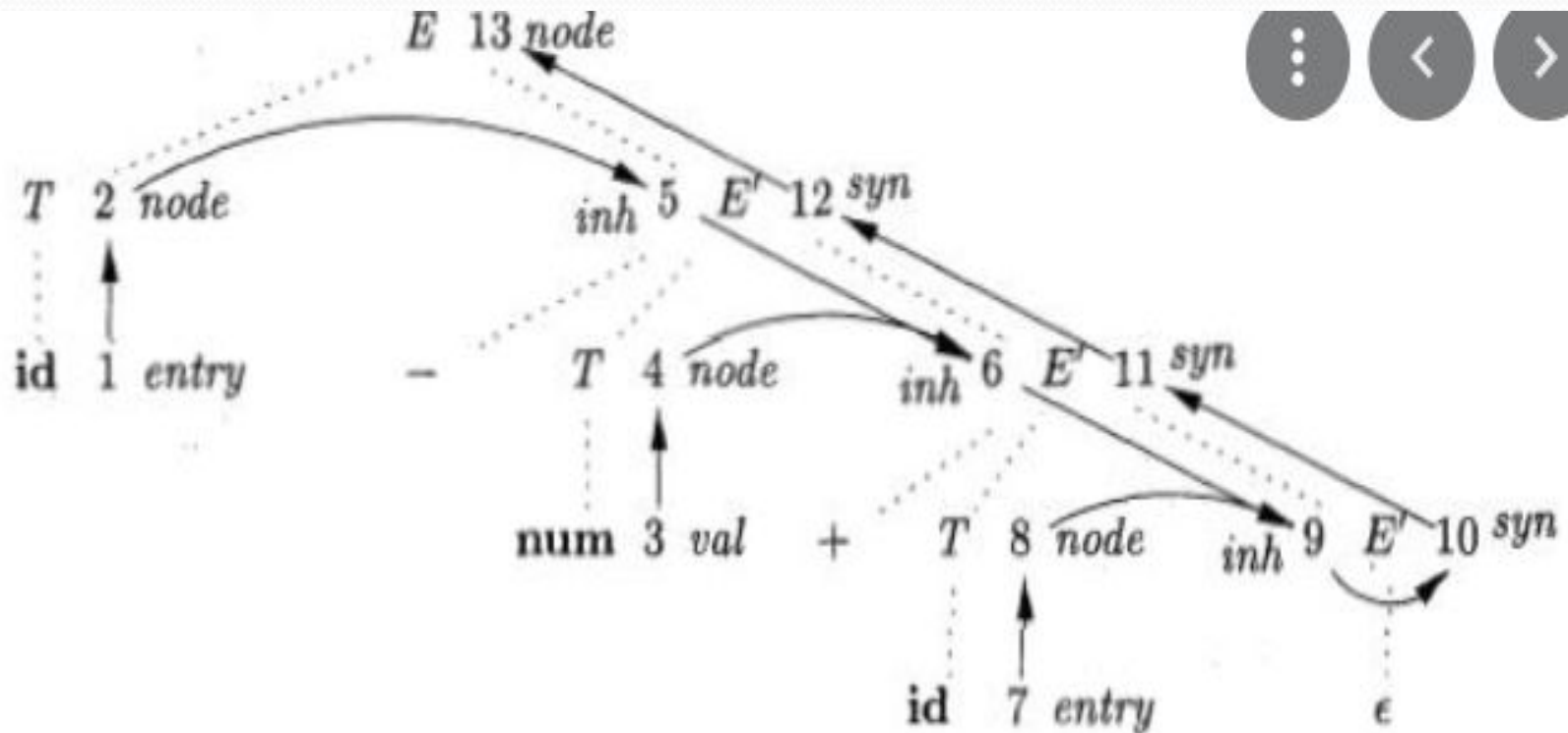


Figure 5.14: Dependency graph for  $a - 4 + c$ , with the SDD of Fig. 5.13

# The structure of a Type

- Inherited attributes are useful when the structure of the parse tree differs from the abstract syntax input; attributes can then be carry information from one part of the parse tree to another.
- Example shows how a mismatch in structure can be due to the design of the language and not due to constraints imposed by the parsing method
- The nonterminals B and T have a synthesized attribute t representing a type. The nonterminal C has two attributes: an inherited attribute b pass a basic type down the tree and the synthesized t attributes accumulate the result

# T generates a basic type or an array Type

| PRODUCTION                       | SEMANTIC RULES                                               |
|----------------------------------|--------------------------------------------------------------|
| $T \rightarrow B C$              | $T.t = C.t$<br>$C.b = B.t$                                   |
| $B \rightarrow \text{int}$       | $B.t = \text{integer}$                                       |
| $B \rightarrow \text{float}$     | $B.t = \text{float}$                                         |
| $C \rightarrow [\text{num}] C_1$ | $C.t = \text{array}(\text{num.val}, C_1.t)$<br>$C_1.b = C.b$ |
| $C \rightarrow \epsilon$         | $C.t = C.b$                                                  |

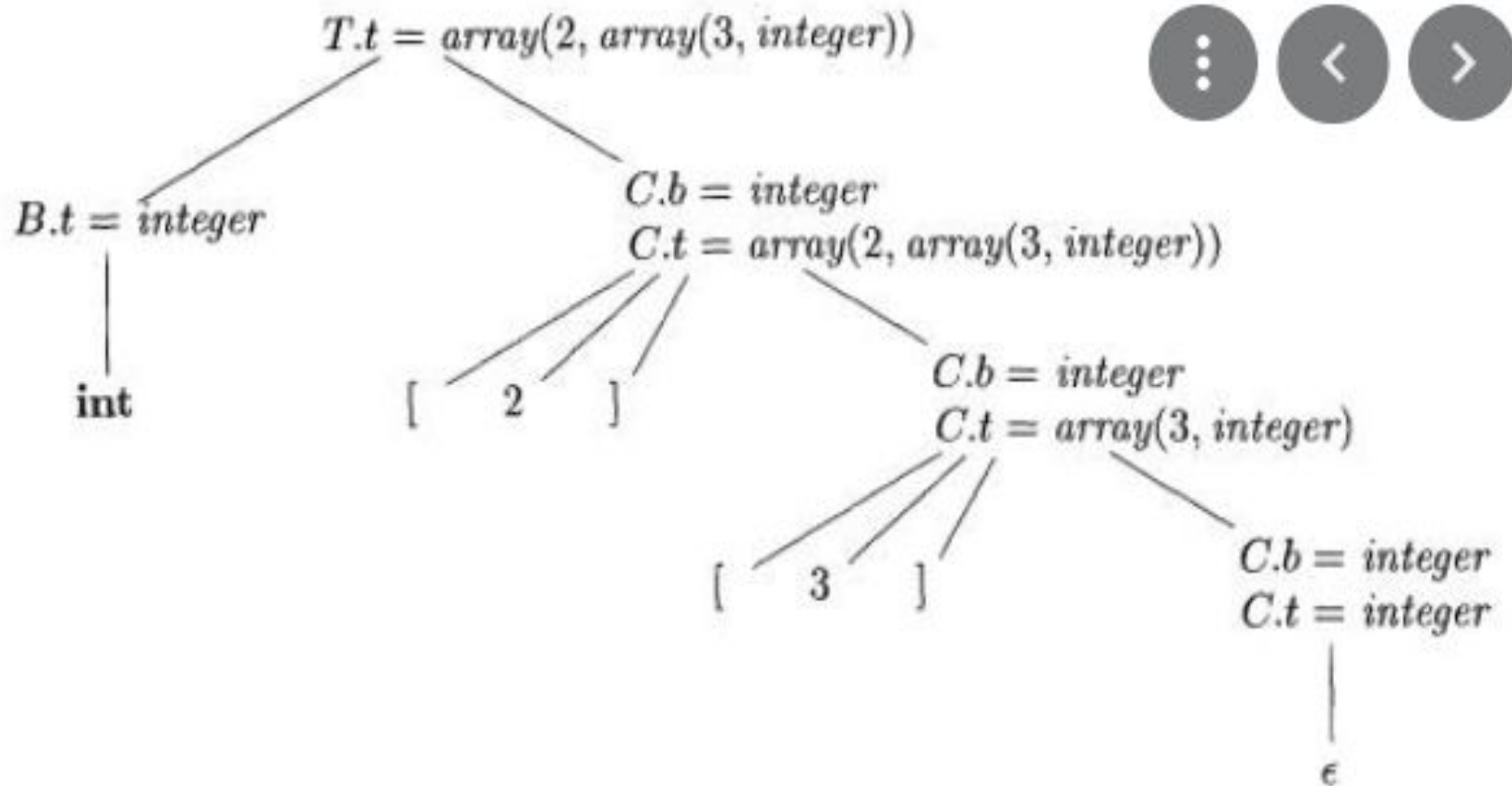
In C, the type `int [2][3]` can be read as, "array of 2 arrays of 3 integers." The corresponding type expression `array(2, array(3, integer))` is represented by the tree as shown below.





# Syntax-directed translation of array types

## Annotated parse tree



# Intermediate Code Generation

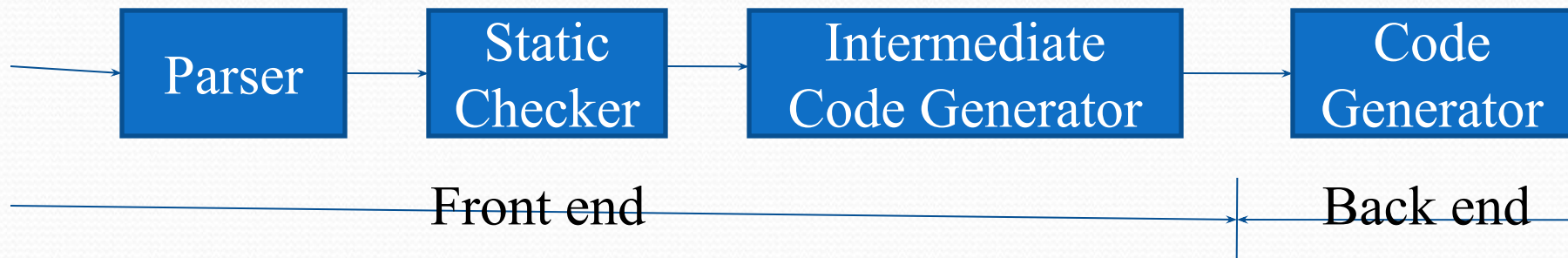
# Outline

- Variants of Syntax Trees
- Three-address code



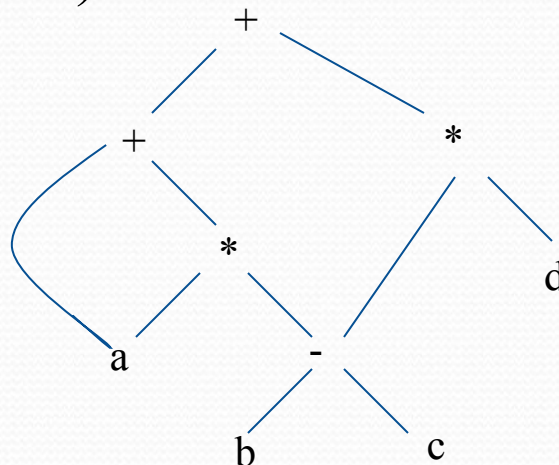
# Introduction

- Intermediate code is the interface between front end and back end in a compiler
- Ideally the details of source language are confined to the front end and the details of target machines to the back end (a  $m*n$  model)
- In this chapter we study intermediate representations, static type checking and intermediate code generation



# Variants of syntax trees

- It is sometimes beneficial to create a Directed Acyclic Graph(DAG) instead of tree for Expressions.
- This way we can easily show the common sub-expressions and then use that knowledge during code generation
- A DAG has leaves as atomic operands and interior nodes as operators
- The difference is that a node N in a DAG has more than one parent of N represents a common sub expression; in syntax tree sub expressions are replicated.
- Example:  $a + a * (b - c) + (b - c) * d$





# SDD for creating DAG's

## Production

- 1)  $E \rightarrow E1 + T$
- 2)  $E \rightarrow E1 - T$
- 3)  $E \rightarrow T$
- 4)  $T \rightarrow (E)$
- 5)  $T \rightarrow id$
- 6)  $T \rightarrow num$

## Semantic Rules

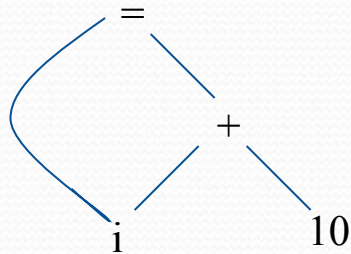
- $E.node = \text{new Node}('+', E1.node, T.node)$   
 $E.node = \text{new Node}('-', E1.node, T.node)$   
 $E.node = T.node$   
 $T.node = E.node$   
 $T.node = \text{new Leaf}(id, id.entry)$   
 $T.node = \text{new Leaf}(num, num.val)$

## Example:

- 1)  $p1 = \text{Leaf}(id, \text{entry-a})$
- 2)  $p2 = \text{Leaf}(id, \text{entry-a}) = p1$
- 3)  $p3 = \text{Leaf}(id, \text{entry-b})$
- 4)  $p4 = \text{Leaf}(id, \text{entry-c})$
- 5)  $p5 = \text{Node}('-', p3, p4)$
- 6)  $p6 = \text{Node}('*', p1, p5)$
- 7)  $p7 = \text{Node}('+', p1, p6)$
- 8)  $p8 = \text{Leaf}(id, \text{entry-b}) = p3$
- 9)  $p9 = \text{Leaf}(id, \text{entry-c}) = p4$
- 10)  $p10 = \text{Node}('-', p3, p4) = p5$
- 11)  $p11 = \text{Leaf}(id, \text{entry-d})$
- 12)  $p12 = \text{Node}('*', p5, p11)$
- 13)  $p13 = \text{Node}('+', p7, p12)$



# Value-number method for constructing DAG's



|     |    |   |                |
|-----|----|---|----------------|
| id  |    |   | To entry for i |
| num | 10 |   |                |
| +   | 1  | 2 |                |
| 3   | 1  | 3 |                |
|     |    |   |                |
|     |    |   |                |

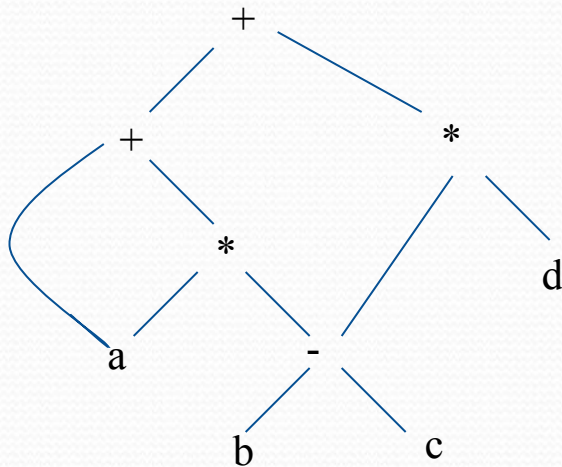
## Algorithm

- Search the array for a node M with label op, left child l and right child r
- If there is such a node, return the value number M
- If not create in the array a new node N with label op, left child l, and right child r and return its value

## We may use a hash table

# Three address code

- In a three address code there is at most one operator at the right side of an instruction
- Example:



$t1 = b - c$   
 $t2 = a * t1$   
 $t3 = a + t2$   
 $t4 = t1 * d$   
 $t5 = t3 + t4$



# Forms of three address instructions

- $x = y \text{ op } z$
- $x = \text{op } y$
- $x = y$
- goto L
- if x goto L and ifFalse x goto L
- if x relop y goto L
- Procedure calls using:
  - param x
  - call p,n
  - $y = \text{call } p,n$
- $x = y[i]$  and  $x[i] = y$
- $x = \&y$  and  $x = *y$  and  $*x = y$



# Example

- do  $i = i + 1$ ; while ( $a[i] < v$ );

```
L:  t1 = i + 1  
    i = t1  
    t2 = i * 8  
    t3 = a[t2]  
    if t3 < v goto L
```

Symbolic labels

```
100:  t1 = i + 1  
101:  i = t1  
102:  t2 = i * 8  
103:  t3 = a[t2]  
104:  if t3 < v goto 100
```

Position numbers

# Data structures for three address codes

- Quadruples
  - Has four fields: op, arg1, arg2 and result
- Triples
  - Temporaries are not used and instead references to instructions are made
- Indirect triples
  - In addition to triples we use a list of pointers to triples



# Example

●  $b * \text{minus } c + b * \text{minus } c$

## Three address code

$t1 = \text{minus } c$

$t2 = b * t1$

$t3 = \text{minus } c$

$t4 = b * t3$

$t5 = t2 + t4$

$a = t5$

## Quadruples

| op    | arg1 | arg2 | result |
|-------|------|------|--------|
| minus | c    |      | t1     |
| *     | b    | t1   | t2     |
| minus | c    |      | t3     |
| *     | b    | t3   | t4     |
| +     | t2   | t4   | t5     |
| =     | t5   |      | a      |

## Triples

|   | op    | arg1 | arg2 |
|---|-------|------|------|
| 0 | minus | c    |      |
| 1 | *     | b    | (0)  |
| 2 | minus | c    |      |
| 3 | *     | b    | (2)  |
| 4 | +     | (1)  | (3)  |
| 5 | =     | a    | (4)  |

## Indirect Triples

|    | op  |  | op | arg1  | arg2 |
|----|-----|--|----|-------|------|
| 35 | (0) |  | 0  | minus | c    |
| 36 | (1) |  | 1  | *     | b    |
| 37 | (2) |  | 2  | minus | c    |
| 38 | (3) |  | 3  | *     | b    |
| 39 | (4) |  | 4  | +     | (1)  |
| 40 | (5) |  | 5  | =     | a    |



# Static Single-Assignment Form(SSA)

- SSA is an intermediate representation that facilitates certain code optimizations.
- All assignments in SSA are to variables with distinct names;
- Subscripts distinguish each definition of variables  $p$  and  $q$  in the SSA representation
- The source program:  $\text{if( flag) } x=-1; \text{ else } x=1;$
- $y=x*a$
- SSA:  $\text{if( flag) } x1=-1; \text{ else } x2=1;$   
 $x3=\phi(x1,x2)$

## Intermediate program in three-address code and SSA

```
p = a + b
q = p - c
p = q * d
p = e - p
q = p + q
```

(a) Three-address code.

```
p1 = a + b
q1 = p1 - c
p2 = q1 * d
p3 = e - p2
q2 = p3 + q1
```

(b) Static single-assignment form.

# Code Generation



# Outline

- Code Generation Issues
- Target language Issues

# Introduction

- The final phase of a compiler is code generator
- It receives an intermediate representation (IR) with supplementary information in symbol table
- Produces a semantically equivalent target program
- Code generator main tasks:
  - Instruction selection
  - Register allocation and assignment
  - Instruction ordering





# Issues in the Design of Code Generator

- The most important criterion is that it produces correct code
- Input to the code generator
  - IR + Symbol table
  - We assume front end produces low-level IR, i.e. values of names in it can be directly manipulated by the machine instructions.
  - Syntactic and semantic errors have been already detected
- The target program
  - Common target architectures are: RISC, CISC and Stack based machines
  - In this chapter we use a very simple RISC-like computer with addition of some CISC-like addressing modes



# complexity of mapping

- the level of the IR
- the nature of the instruction-set architecture
- the desired quality of the generated code.

$x = y + z$

```
LD  R0, y
ADD  R0, R0, z
ST  x, R0
```

$a = b + c$

$d = a + e$

```
LD  R0, b
ADD  R0, R0, c
ST  a, R0
LD  R0, a
ADD  R0, R0, e
ST  d, R0
```

# Register allocation

- Two subproblems
  - Register allocation: selecting the set of variables that will reside in registers at each point in the program
  - Register assignment: selecting specific register that a variable reside in
- Complications imposed by the hardware architecture
  - Example: register pairs for multiplication and division

$t = a + b$   
 $t = t * c$   
 $T = t / d$

LD R1, a  
A R1, b  
M R0, c  
D R0, d  
ST R1, t

$t = a + b$   
 $t = t * c$   
 $T = t / d$

LD R0, a  
A R0, b  
A R0, c  
SRDA R0, 32  
D R0, d  
ST R1, t

$a = a + 1$

INC a

LD R0, a  
ADD R0, R0, #1  
ST a, R0



# A simple target machine model

- Load operations: LD r,x and LD r1, r2
- Store operations: ST x,r
- Computation operations: OP dst, src1, src2
- Unconditional jumps: BR L
- Conditional jumps: Bcond r, L like BLTZ r, L



# Addressing Modes

- variable name: x
- indexed address: a(r) like LD R1, a(R2) means  
 $R1 = \text{contents}(a + \text{contents}(R2))$
- integer indexed by a register : like LD R1, 100(R2)
- Indirect addressing mode: \*r and \*100(r)
- immediate constant addressing mode: like LD R1, #100

# Example

- $x = y - z$
- LD R1,y      //R1=y
- LD R2,z      //R2=z
- SUB R1,R1,R2    //R1=R1-R2
- ST x, R1      //R1=x

# **b = a [i]**

**LD R1, i            //R1 = i**

**MUL R1, R1, 8        //R1 = R1 \* 8**

**LD R2, a(R1)        //R2=contents(a+contents(R1))**

**ST b, R2            //b = R2**



**$a[j] = c$**

**LD R1, c            //R1 = c**

**LD R2, j            // R2 = j**

**MUL R2, R2, 8        //R2 = R2 \* 8**

**ST a(R2), R1        //contents(a+contents(R2))=R1**

**x = \*p**

**LD R1, p      // R1 = p**

**LD R2, 0(R1)    // R2 = contents(0+contents(R1))**

**ST x, R2      // x = R2**

**\*P = y**

**LD R1, p      // R1 = p**

**LD R2, y      // R2 = y**

**ST 0(R1), R2    // contents(0+contents(R1)) = R2**

# conditional-jump three-address instruction

If  $x < y$  goto L

LD R1, x        // R1 = x

LD R2, y        // R2 = y

SUB R1, R1, R2    // R1 = R1 - R2

BLTZ R1, M    // if R1 < 0 jump to M



# Program and Instruction costs

- Optimizing the program in terms of cost requires
  - Length of compilation time
  - The Size
  - The running time
  - Power consumption of the target program
- Determining the actual cost of compiling and running a program is complex problem.
- Finding an optimal target program for a given source program is undecidable problem and other problems are NP hard

# Cost allocation

- We shall assume each target-language instruction has an associated cost.
- We take cost of one instruction to be one plus the costs associated with the addressing modes of the operands.
- Cost corresponds to the length in words of the instruction.
- Addressing modes involving registers have zero additional cost , involving memory location and constants in them have an additional cost of one



## costs associated with the addressing modes

- LD R0, R1                      cost = 1
- LD R0, M                      cost = 2
- LD R1, \*100(R2)              cost = 3