

Time Series Forecasting Assignment

1. There is an increasing trend in item 1 sales and a decreasing trend in item 2 sales. Seasonality can be observed in both the series.

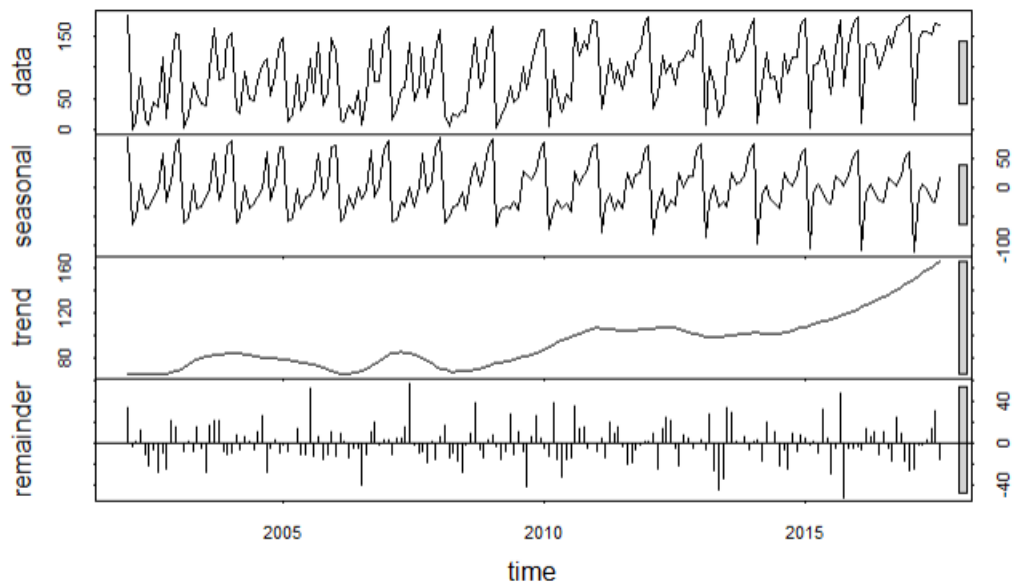


Figure 1: Item 1 Sales Decomposition

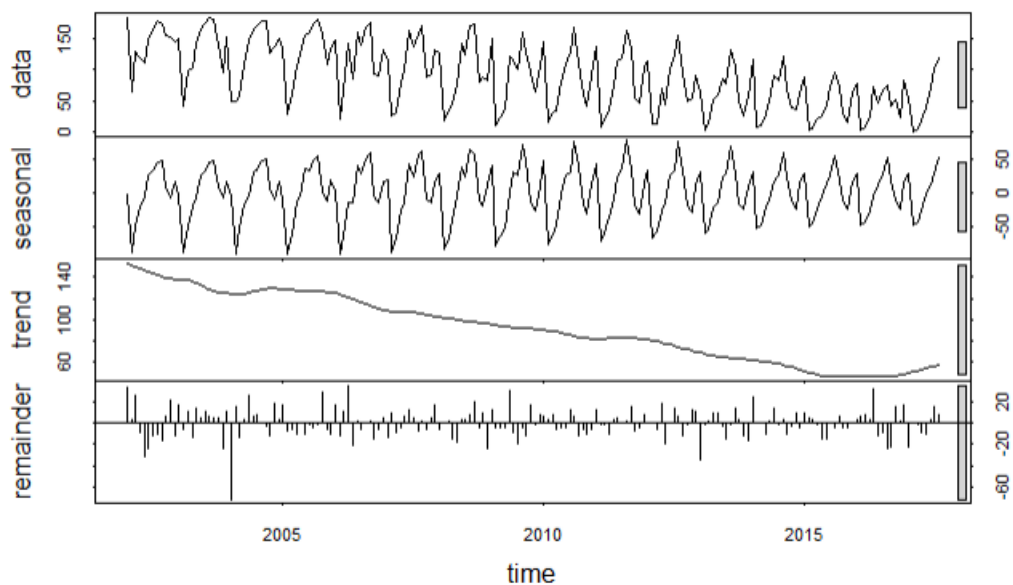


Figure 2: Item 2 Sales Decomposition

2. Monthly plots:

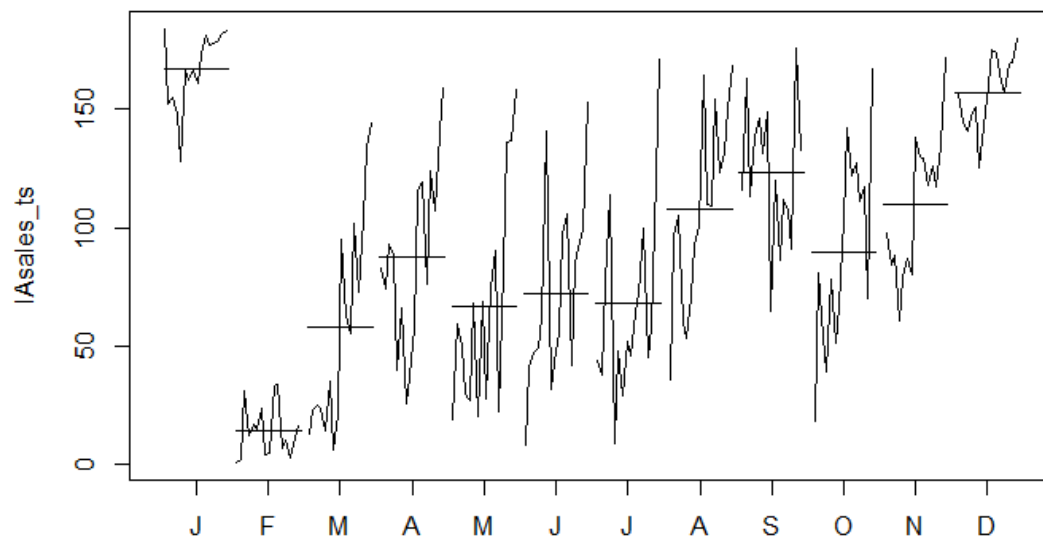


Figure 3: Monthly Plot for Item 1

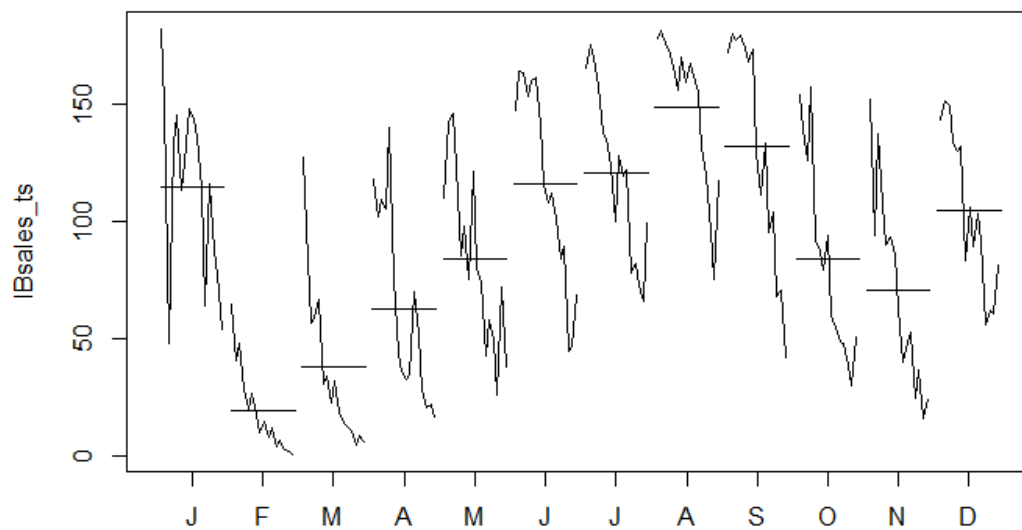


Figure 4: Monthly Plot for Item 2

Deseasonalized sales:

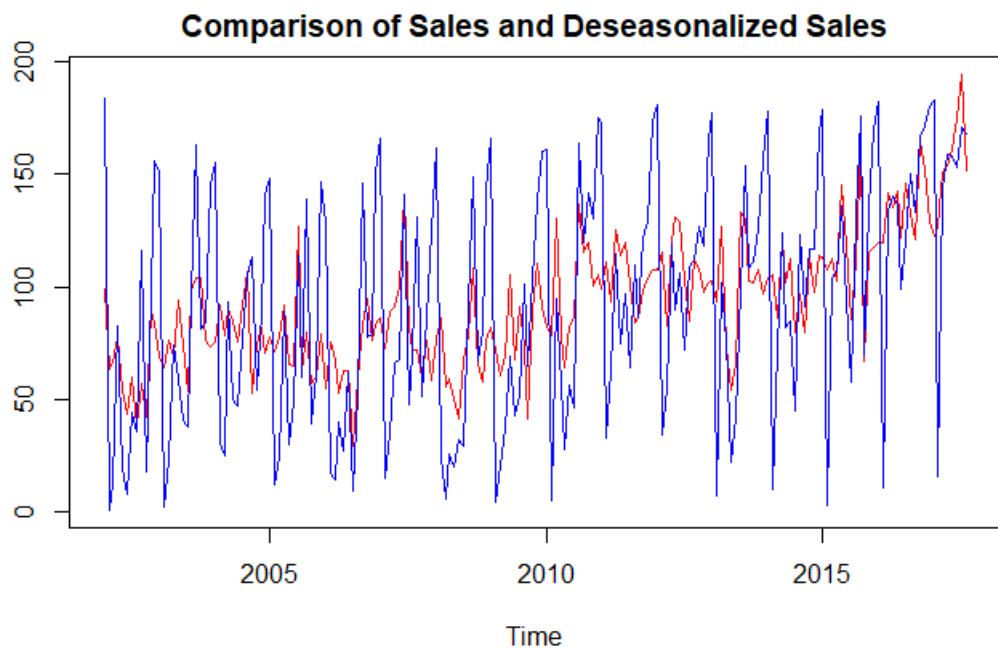


Figure 5: Comparison of Sales and Deseasonlised Sales for Item 1

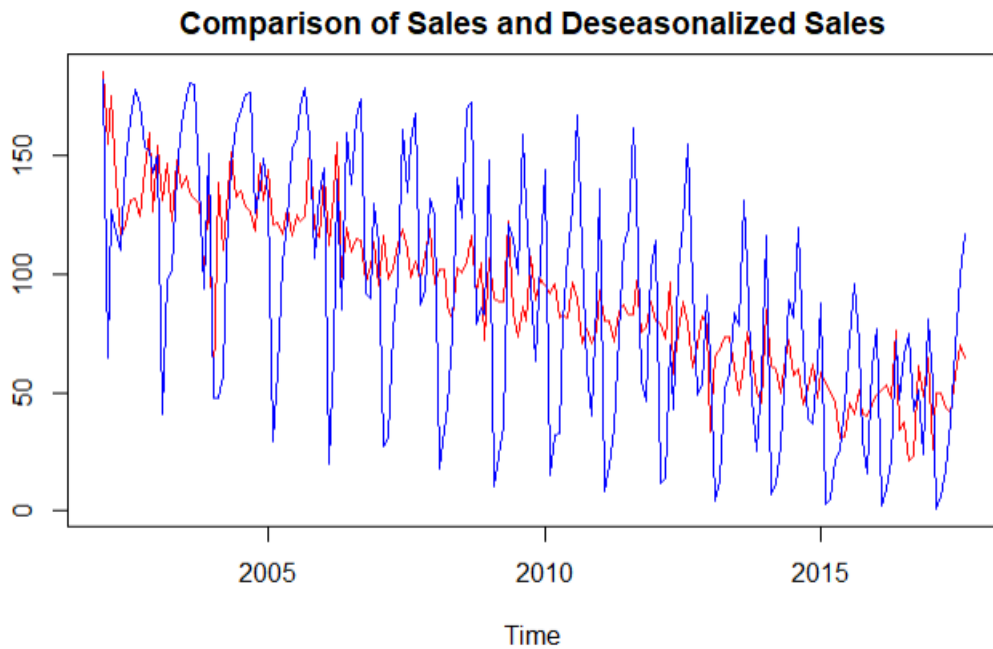


Figure 6: Comparison of Sales and Deseasonalised Sales for Item

3. Additive seasonality is observed in Item 1 sales,
Multiplicative seasonality can be observed in Item 2 sales.

Item 1 is more of a winter product, there are higher sales recorded during winter season months than of summer season months with highest sales being recorded in January, December.

The sales of item 2 increases from February to August and then maintains a decreasing pace which shows the product is clearly a summer product with the peak sales value recorded in August and least value recorded in February.

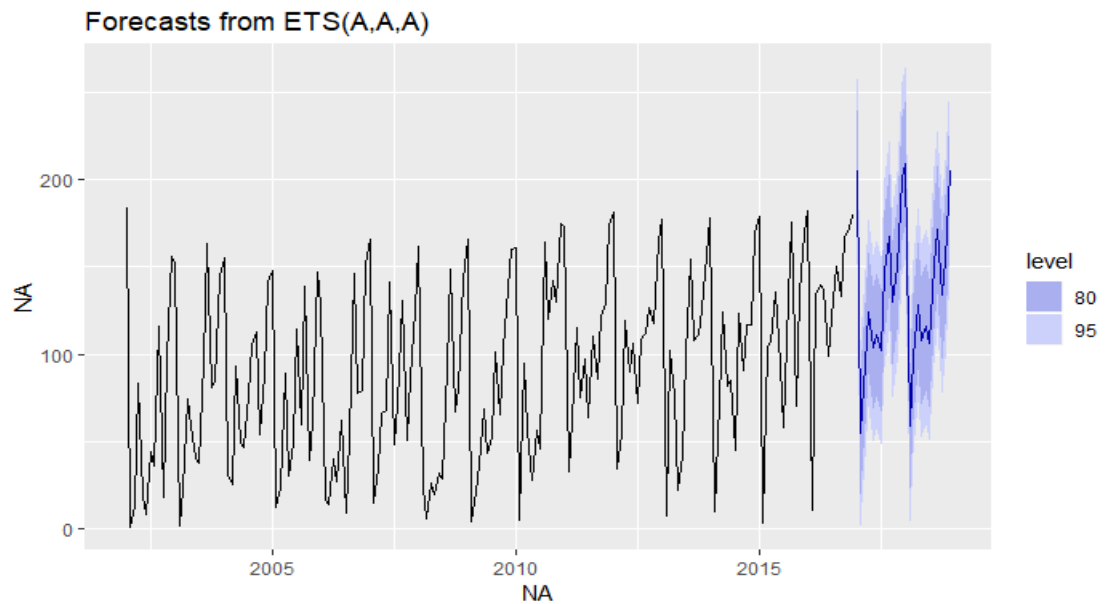


Figure 7: Forecast of Test Set for Item 1

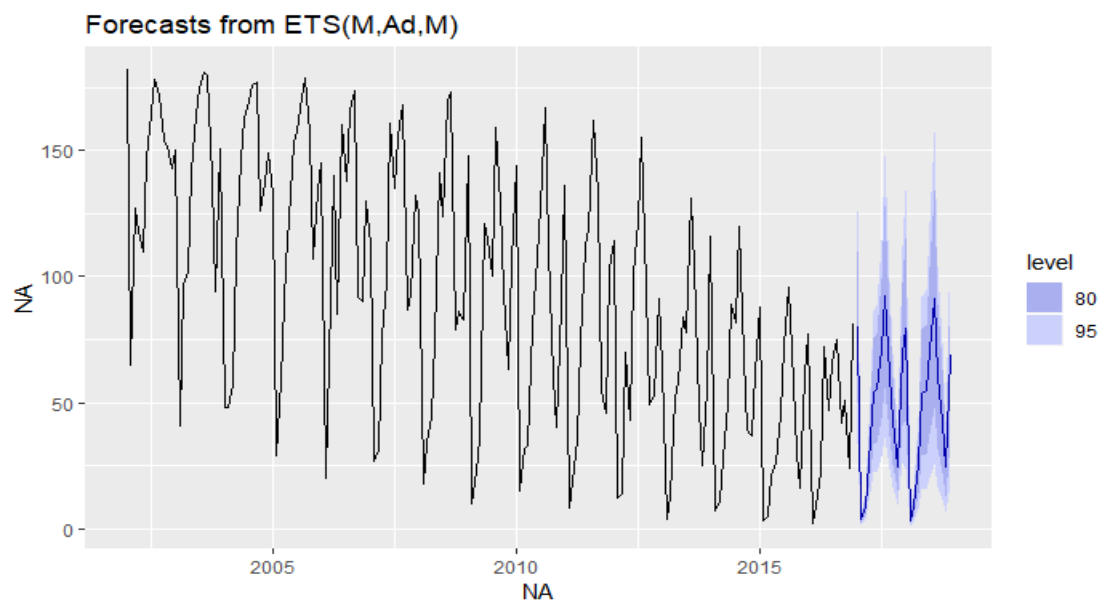


Figure 8: Forecast of Test Set for Item 2

Forecast Accuracy:

	ME	RMSE	MAE	MPE	MAPE	MASE	ACF1
Training set	0.1001014	25.77796	20.24581	-24.01145	56.04113	0.8219663	-0.02486932
Test set	26.2676784	44.15409	41.51524	-10.37814	53.19542	1.6854908	0.29356677
	Theil's U						
Training set	NA						
Test set	0.3964163						

Figure 9: Item 1 Time Series Forecast Accuracy

	ME	RMSE	MAE	MPE	MAPE	MASE	ACF1
Training set	-0.999768	24.12504	17.02732	-11.58267	25.57457	1.0083153	0.2022400
Test set	1.094757	18.07824	15.39459	-47.33290	64.49260	0.9116287	0.4142697
	Theil's U						
Training set	NA						
Test set	0.6428301						

Figure 10: Item 2 Time Series Forecast Accuracy

Series: IAsales.dif.train
ARIMA(0,0,1)(1,1,1)[12]

Coefficients:

	ma1	sar1	smal
	-0.8854	-0.0249	-0.6688
s.e.	0.0458	0.1226	0.1046

sigma^2 estimated as 766.5: log likelihood=-794.74
AIC=1597.49 AICc=1597.74 BIC=1609.96

	ME	RMSE	MAE	MPE	MAPE	MASE	ACF1
Training set	1.061426	26.5007	19.26445	-Inf	Inf	0.6134942	0.03169806
Test set	146.167746	151.3319	146.16775	218.1729	218.1729	4.6548462	-0.20342102
	Theil's U						
Training set	NA						
Test set	0.5419984						

Figure 11: Item 1 ARIMA Forecast Accuracy

Series: IBsales.dif.train
ARIMA(1,0,0)(1,1,0)[12] with drift

Coefficients:

	ar1	sar1	drift
	-0.5791	-0.3993	0.0247
s.e.	0.0636	0.0719	0.0735

sigma^2 estimated as 615.8: log likelihood=-773
AIC=1554.01 AICc=1554.26 BIC=1566.48

	ME	RMSE	MAE	MPE	MAPE	MASE	ACF1
Training set	-0.06603631	23.75220	17.69930	Inf	Inf	0.7378389	-0.1746747
Test set	47.84785390	60.49213	47.84785	968.7517	968.7517	1.9946559	0.3702697
	Theil's U						
Training set	NA						
Test set	0.9293303						

Figure 12: Item 2 ARIMA Forecast Accuracy

```
Smoothing parameters:
alpha = 0.0416
beta  = 1e-04
gamma = 1e-04
phi   = 0.9564
```

Figure 13: Smoothing Parameters for Item 1

```
Smoothing parameters:
alpha = 0.1202
beta  = 1e-04
gamma = 0.3937
phi   = 0.98
```

Figure 14: Smoothing Parameters for Item 2

4. Both the series are stationary series.

H0: Time Series is non-stationary,

Ha: Time Series is stationary.

p-value smaller than printed p-value
Augmented Dickey-Fuller Test

```
data: IAsales.train
Dickey-Fuller = -8.9056, Lag order = 5, p-value = 0.01
alternative hypothesis: stationary
```

p-value smaller than printed p-value
Augmented Dickey-Fuller Test

```
data: IBsales.train
Dickey-Fuller = -10.779, Lag order = 5, p-value = 0.01
alternative hypothesis: stationary
```

Figure 15: Stationarity Test for Item 1 & Item 2

5. Clearly, Time Series is a better process than Auto Regression for the given sales series.

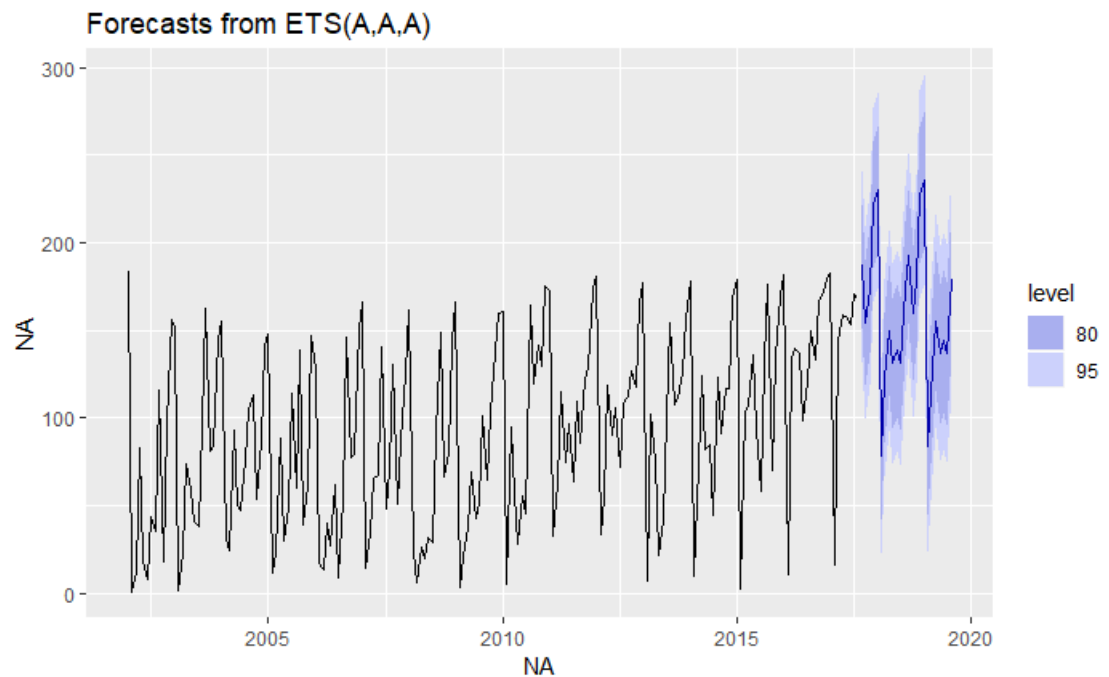


Figure 16: Future Forecast of Item 1

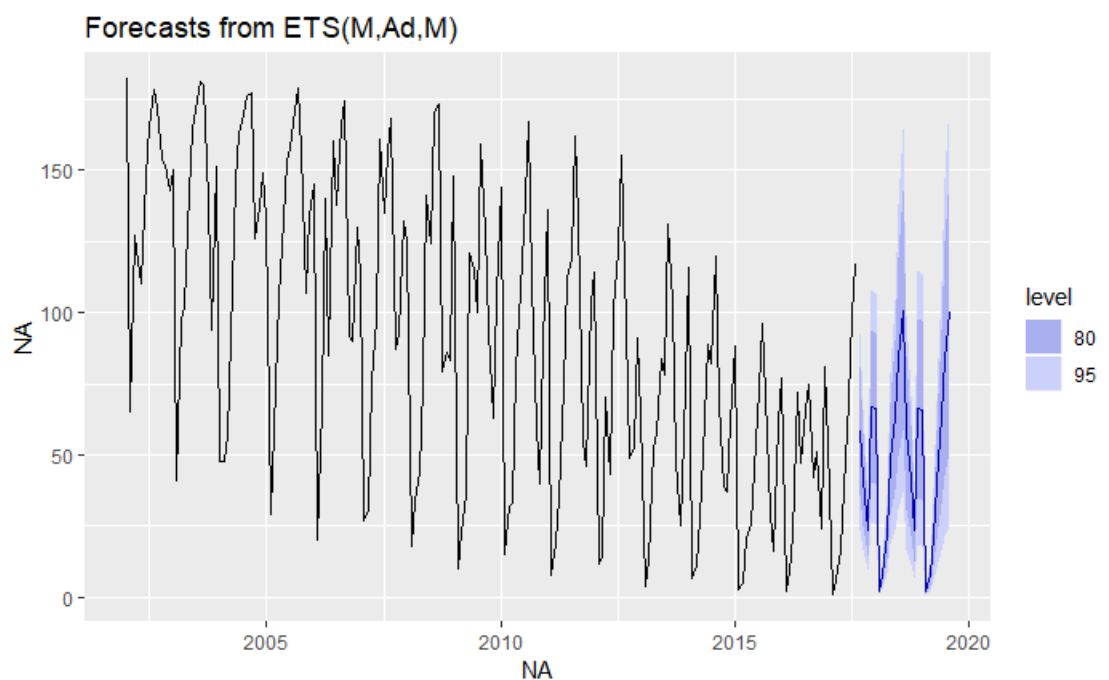


Figure 17: Future Forecast of Item 2