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# Rainfall in India: A Time Series Forecasting

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## **ABSTRACT**

Agriculture plays an important role in the Indian economy and has a considerable share in the GDP. Of all the factors that affect the agricultural output in the country, Rainfall is one of the major climatic parameters and is also a major influencing factor for crop production. Crop agriculture practices of a region are normally dependent on the precipitation pattern of that area, especially the 'kharif' (monsoon) crops. The aim of the present study is to analyze rainfall time series over a wide time interval and a wide area, detecting potential trends. To achieve this goal, we have used seasonal rainfall data for a period of 15 years and used the same to gain insights on the rainfall patterns across different regions in the country. The dataset used for the project is extracted from the Open Government Data (OGD) Platform India. The model aims to predict the monthly rainfall for the country using time series analysis techniques. For exploring the dataset, we've used SAS JMP Pro and to perform the time series analysis, we've used SAS E-Miner tools. We have compared the different model's performance based on the R2, AIC & SBC values. Based on our analysis, the SARIMA model configuration (1,0,1) (1,1,1)12 was chosen as the final prediction model.

## INTRODUCTION

The agricultural practices and crop yields of India are heavily dependent on the climatic factors like rainfall. India ranks first among the rainfed agricultural countries of the world in terms of both extent and value of produce however, unlike irrigated agriculture, rain fed farming is usually diverse and risk prone. The monsoon season is the principal rain bearing season and a small variation in the timing and the quantity of monsoon rainfall has the potential to adversely impact the agricultural outcome. A prior knowledge of monsoon behavior can help Indian farmers and policy makers to take advantage of rain water and to minimize crop damage and human hardship during adverse monsoons.

# **OBJECTIVE**

This paper aims to predict monthly rainfall for India over a period of 5 years (2015-2019) obtained through time-series analysis techniques by utilizing 15 years (2000-2014) of rainfall data, extracted from Open Government Data (OGD) Platform India (data.gov.in).

## **DATA PREPARATION**

The original dataset consisted of monthly, annual and quarterly rainfall of the 36 subdivisions in India for a period of 115 years, 1901 – 2015. This data was subset to extract the monthly rainfall of the 36 subdivisions for 15 years from 2000-2014.

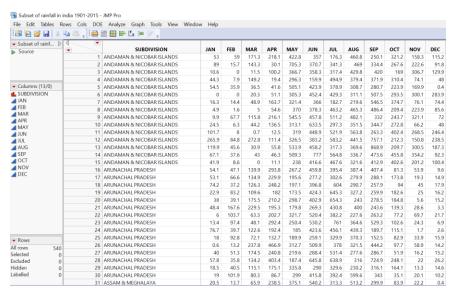


Figure 1. Monthly Rainfall Dataset

To prepare the data for time series analysis, the table was transposed to obtain the monthly rainfall as a time series pattern for each subdivision, with 180 rows indicating the time-series and the subdivisions as columns.

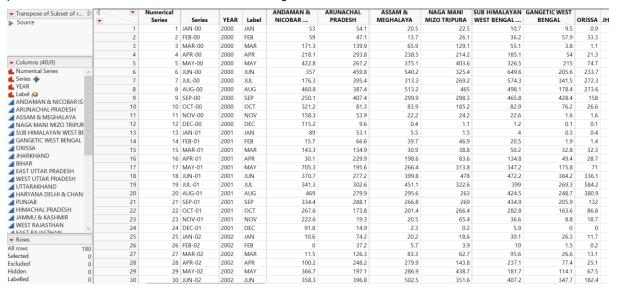


Figure 2. Monthly Rainfall Time Series Dataset

For our graphical visualization, we required a map of India with the region boundaries on JMP Pro. The shape file for India with the region boundaries was not available on any online library or forums. To make this shape file, JMP's 'Custom Map Creator' Add-In was installed and used. To plot out each boundary, a rainfall region map obtained from the Indian Meteorological Department's website was used as an underlying reference to plot the X and Y coordinated and mapping each shape to a region. The generated shape files were then placed in the maps folder in the JMP installer file. By doing so, the map shape file for the Indian Rainfall Region will be generated each time any graph plots involving the 36 regions are involved.

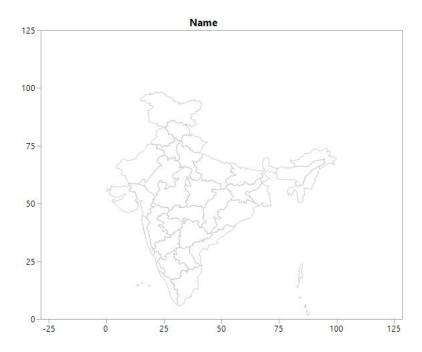


Figure 3. Shape File of India Consisting of the 36 Rainfall Sub-Divisions

#### **METHODOLOGY**

# TIME SERIES CLUSTERING

#### **Introduction to Time Series Clustering:**

Time series clustering is to partition time series data into groups based on similarity or distance, so that time series in the same cluster are similar. Clustering time-series data has been used in diverse scientific areas to discover patterns which empower data analysts to extract valuable information from complex and massive datasets. In case of huge datasets, using supervised classification solutions is almost impossible, while clustering can solve this problem using un-supervised approaches. Hierarchical clustering, unlike k-means, is a deterministic algorithm, so we can't reuse the experimental methodology from the previous section exactly, however, we can do something very similar.

#### MODEL BUILDING

In this case, we have 36 regions for 180 weeks. Creating 36 predictive forecast models for 36 regions is redundant and time consuming. To ease the process of modelling, we employ clustering techniques to identify regions that share similar characteristics with respect to the amount of rainfall it receives in a period of 12 months. From here, we build forecasting models for the resulting clusters.

For our clustering, we will use SAS Enterprise Miner. We will be using a data set containing monthly rainfall data for the 36 regions for a period of 15 years (2000 - 2014). The data file is in a .csv format, so we will be using the File Import node. We import the .csv file into SAS EM.



Figure 4. SAS EM File Import Node

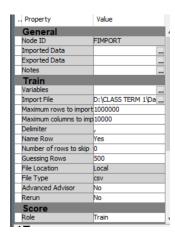


Figure 5. SAS EM File Import Options Panel

Now that we have the file imported on SAS EM, we can explore the variables using the metadata node. Using this node, we can explore and define the variable roles.

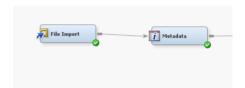


Figure 6. SAS EM Metadata Node

We Keep all the region columns as input. We exclude the Month and Year columns from our clustering by setting them to 'Rejected'. We set the series column to 'Time ID' role. We run this node to apply the new changes.

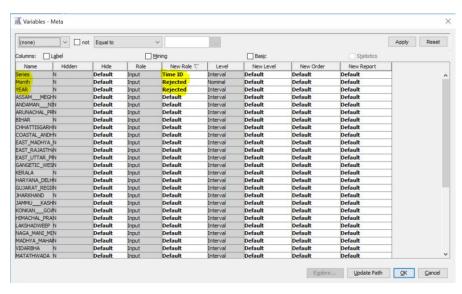


Figure 7. SAS EM Metadata Variables Selection

Next, we use the TS Data Preparation Node to set the differencing settings. This is done since we have seasonal time series data. We run the node after we set the differencing values.



Figure 8. SAS EM TS Data Preparation Node

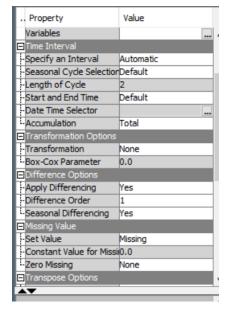


Figure 9. SAS EM TS Data Preparation Options Panel

Now we use the TS Similarity node. This node is responsible for the clustering.

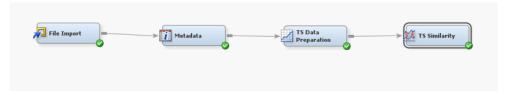


Figure 10. SAS EM TS Similarity Node

Since we are dealing with Time series clustering, we set the Hierarchical clustering option to default. We also have the option to set the number of clusters. The minimum number of clusters for any clustering process is 3. On setting the number of clusters to 3, we obtained three clusters that were not significantly different and separated. On selecting the number of clusters as 5, the 5th cluster had only 2 regions. Due to these problems, we rejected these clusters.

On setting the number of clusters to 4, we can obtain 4 well defined and distinct clusters.

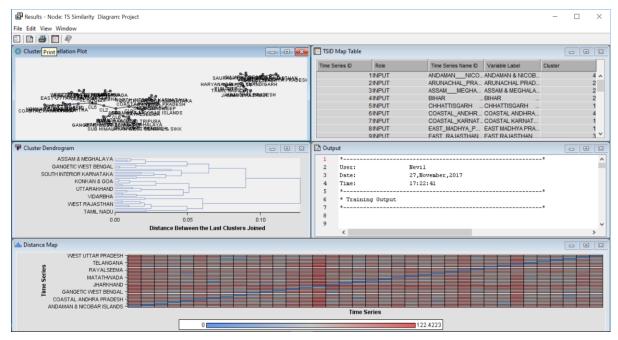


Figure 11. SAS EM TS Similarity Results

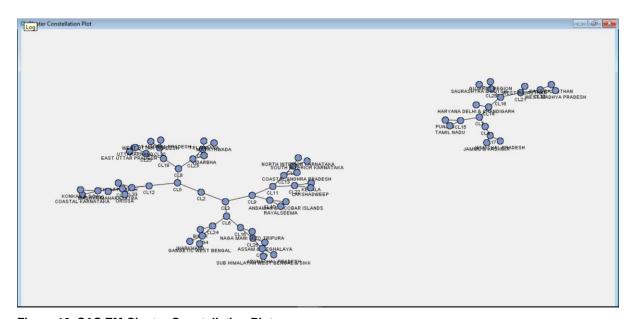


Figure 12. SAS EM Cluster Constellation Plot

# **Cluster Details**

TIME SERIES ID	ROLE	TIME SERIES NAME ID	VARIABLE NAME	CLUSTER
1	INPUT	ANDAMANNICOBAR_ISLANDS ANDAMAN & NICOBAR ISLANDS		4
2	INPUT	ARUNACHAL_PRADESH	ARUNACHAL PRADESH	2
3	INPUT	ASSAMMEGHALAYA	ASSAM & MEGHALAYA	2
4	INPUT	BIHAR	BIHAR	2

5	INPUT	CHHATTISGARH	CHHATTISGARH	1
6	INPUT	COASTAL_ANDHRA_PRADESH	COASTAL ANDHRA PRADESH	4
7	INPUT	COASTAL_KARNATAKA	COASTAL KARNATAKA	1
8	INPUT	EAST_MADHYA_PRADESH	EAST MADHYA PRADESH	1
9	INPUT	EAST_RAJASTHAN	EAST RAJASTHAN	3
10	INPUT	EAST_UTTAR_PRADESH	EAST UTTAR PRADESH	1
11	INPUT	GANGETIC_WEST_BENGAL	GANGETIC WEST BENGAL	2
12	INPUT	GUJARAT_REGION	GUJARAT REGION	3
13	INPUT	HARYANA_DELHICHANDIGARH	HARYANA DELHI & CHANDIGARH	3
14	INPUT	HIMACHAL_PRADESH	HIMACHAL PRADESH	3
15	INPUT	JAMMUKASHMIR	JAMMU & KASHMIR	3
16	INPUT	JHARKHAND	JHARKHAND	2
17	INPUT	KERALA	KERALA	4
18	INPUT	KONKANGOA	KONKAN & GOA	1
19	INPUT	LAKSHADWEEP	LAKSHADWEEP	4
20	INPUT	MADHYA_MAHARASHTRA MADHYA MAHARASHTRA		1
21	INPUT	MATATHWADA	MATATHWADA	1
22	INPUT	NAGA_MANI_MIZO_TRIPURA NAGA MANI MIZO TRIPURA		2
23	INPUT	NORTH_INTERIOR_KARNATAKA	TERIOR_KARNATAKA NORTH INTERIOR KARNATAKA	
24	INPUT	ORISSA	ORISSA	1
25	INPUT	PUNJAB	PUNJAB	3
26	INPUT	RAYALSEEMA	RAYALSEEMA	4
27	INPUT	SAURASHTRAKUTCH	SAURASHTRA & KUTCH	3
28	INPUT	SOUTH_INTERIOR_KARNATAKA	SOUTH INTERIOR KARNATAKA	4
29	INPUT	SUB_HIMALAYAN_WEST_BENGALSIKK	SUB HIMALAYAN WEST BENGAL & SIKK	2
30	INPUT	TAMIL_NADU	TAMIL NADU	3
31	INPUT	TELANGANA	TELANGANA	1
32	INPUT	UTTARAKHAND	UTTARAKHAND	1
33	INPUT	VIDARBHA	VIDARBHA	1
34	INPUT	WEST_MADHYA_PRADESH	WEST MADHYA PRADESH	3
35	INPUT	WEST_RAJASTHAN	WEST RAJASTHAN	3
36	INPUT	WEST_UTTAR_PRADESH	WEST UTTAR PRADESH	1

We use this cluster table and select the regions and group them accordingly in JMP Pro to further analyze the

We group the regions as per the clusters in JMP Pro and calculate the monthly average rainfall for the four clusters. Plotting the 4 cluster averages for a period of 12 months, we can analyze and find unique features of each cluster.

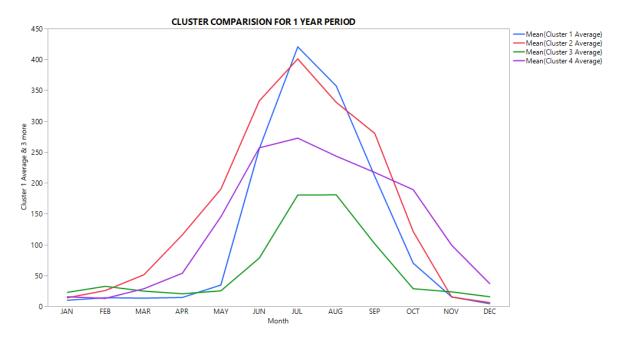


Figure 13. Cluster Comparison

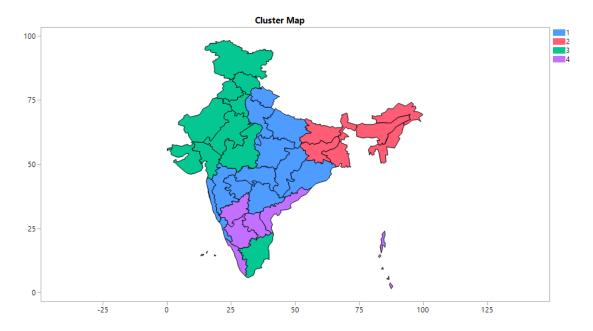


Figure 14. Cluster Map for India

From our analysis, we can identify the following key distinctive characteristics for each cluster:

# **CLUSTER 1**

Covers 12 regions. Central and some northern parts of India Receives moderate rainfall from June to September Maximum rainfall in July

#### **CLUSTER 2**

Covers 7 regions. Eastern parts of India.

Receives high rainfall from May to October.

Moderate winter rains.

#### **CLUSTER 3**

Covers 10 Regions. North, north western regions, and Tamil Nadu

Dry throughout the year with few moderate showers in July and November

Receives least rainfall compared to the other three cluster regions

#### **CLUSTER 4**

Covers 7 regions. Mainly South India and the two island territories

Receives rainfall for more than half a year (May to January)

Highest average rainfall amongst the 4 clusters

Using the data from the 4 cluster averages, we proceed to make a Seasonal Arima forecasting model.

#### TIME SERIES FORECASTING

# **Introduction to Time Series Forecasting:**

A time series analysis often exhibits four main components such as trends, seasonality, cycles and irregular fluctuations. It is represented by the equation:

$$Yt = Tt + St + Ct + It$$

where Yt is the observed time series, Tt is the trend component, St is the seasonal component, Ct is the cyclical component, and It is the irregular component.

For our project we have used the Box-Jenkins methodology which applies ARMA, ARIMA or SARIMA to establish the best fit of a time series historical values to make forecasts. This paper describes the Box-Jenkins time series Seasonal ARIMA (Auto Regressive Integrated Moving Average) approach for prediction of rainfall on a monthly scale.

The methodology consists of four stages namely model identification, estimation of model parameters, diagnostic checking for the identified model appropriateness for modelling, and application of the model (i.e. forecasting).

In the Identification stage, tentative values of p, d, q and P, D, Q(Seasonal) were chosen. Coefficients of variables used in model were estimated.

For the estimation of the model, diagnostic checks were made to determine, whether the model selected adequately describes the given time series. Any inadequacies discovered might suggest an alternative form of the model, and whole iterative cycle of identification, estimation and application was repeated until a satisfactory model was obtained.

Once the appropriate model was determined, it was applied to the existing series to predict the rainfall for the next 60 periods, i.e. 5 years.

Since, an average rainfall sequence has 12 cycles of seasonal change on trend, the season series differencing was taken into consideration i.e. while choosing the model parameters, we accounted for the season differencing.

#### **MODEL BUILDING**

Since, the original sequence had one order difference for a period of 12 months of the seasonal difference, the value

d=0, D=1, S=12 was ascertained by observing the ACF (Auto-Correlation Function) and PACF (Partial Auto-Correlation Function).

(See Figure 14 as an example for Cluster 1 Time Series)

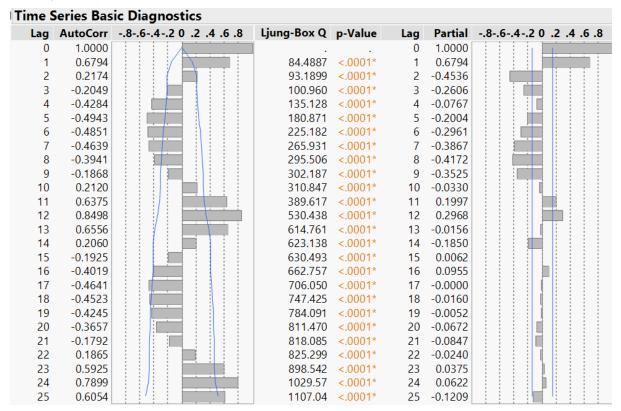


Figure 14. Cluster 1 Time Series

To make an initial guess, we primarily determined q=1 or 2, p=1 or 2. To set orders of the model methods, the minimum AIC (Akaike info criterion) criterion, minimum SBC (Schwarz Bayesian criterion), and the adjusted R squared were used. For this purpose, we respectively verify models SARIMA (1,0,1) (1,1,1)12, SARIMA (1,0,2) (1,1,1)12, SARIMA (2,0,1) (1,1,1)12 by applying the criteria for optimizing the combination.

#### **Cluster 1 Model Comparison:**

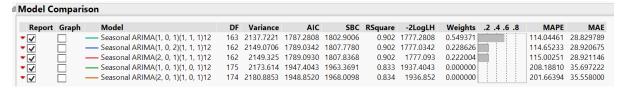


Figure 15. Model Comparison

Based on the AIC and SBC values, the appropriate form of the original time series, SARIMA (2,0,2) (1,1,1)12 was selected as the final prediction model.

Selected Model Parameter Estimates:

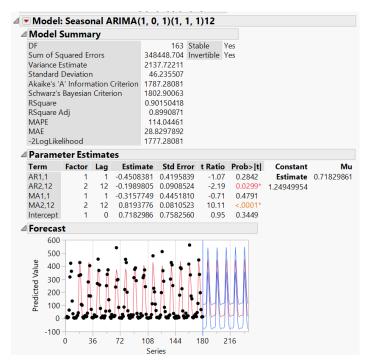


Figure 16. Selected Model Parameter Estimates

The model selected has an R<sup>2</sup> of 0.9 and an Adjusted R<sup>2</sup> of 0.89.

The greater value of the adjusted R-squared represents better model fitting.

For the verification of the model we perform the test for the white-noise, i.e. check the residuals to account for the stability of the model. If the residuals are not a white-noise sequence, it means that we must perform the modelling again to achieve a better model.

On observing the ACF and PACF of the model for Cluster 1 (Figure 17), we can conclude that the residuals are white noise and thus we can apply the selected model for forecasting.

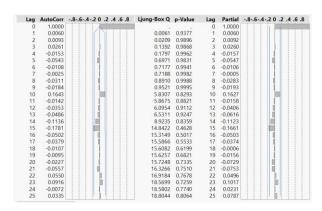


Figure 17. Selected Model Parameter Estimates

## **FORECAST RESULTS**

The following graphs show the forecast results of Actual Vs. the Predicted Rainfall. The predicted results when compared to the actual for the same time period have a good overlap fit, with a few unexpected spikes which can be due to other factors affecting the rainfall patterns:

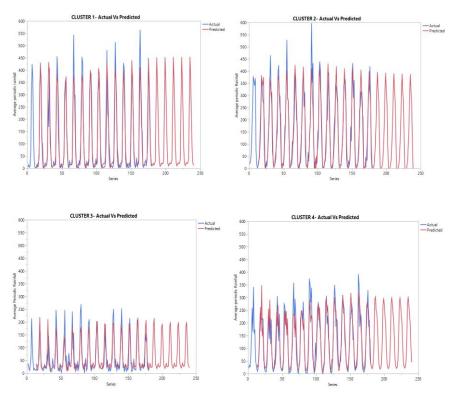


Figure 18. Results Comparison: Actual Vs. Predicted

We had obtained the actual annual rainfall data for 2015, which we had kept aside for our validation. Unfortunately, the 2016 data was not available to us. On comparing the actual and predicted 2015 results, we can see that the rainfall measures for cluster 2, 3 and 4 are quite accurate. Cluster 1 predictions are not as accurate as the other clusters. This is probably due to the historic uneven rainfall patterns observed in the northern parts of Karnataka, and Konkan areas of India.

ANNUAL RAINFALL	CLUSTER 1	CLUSTER 2	CLUSTER 3	CLUSTER 4
ACTUAL 2015	1159.64	1880.56	815.03	1552.94
PREDICTED 2015	1517.43	1761.49	819.72	1687.13
PREDICTED 2016	1487.94	1730.35	790.33	1649.73
PREDICTED 2017	1504.36	1712.91	810.96	1677.79
PREDICTED 2018	1511.43	1695.81	818.25	1687.77
PREDICTED 2019	1520.36	1678.80	829.11	1702.74

Figure 19. Model Results

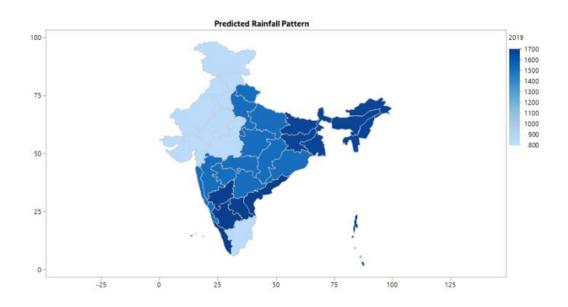


Figure 20. Predicted Rainfall Pattern-2019

The above map shows the predicted rainfall pattern and measures for India, for the year 2019.

#### **SUMMARY & INSIGHTS**

The predicted rainfall for the next 2 years (2018 and 2019) is useful for policy makers and farmers. Some Kharif crops like Rice and Cotton require the right amount of rain water for maximum yield. If we consider the advantages of the forecasting, we can make full use of natural rainfall in the corresponding areas. These would provide a quantitative index and theoretical basis for the region to set a reasonable irrigation system. Apart from farming, monsoons in India influence the Indian Stock Markets. Barring other external factors, our findings can provide us with a rough estimate on how the stock markets will perform in the coming few months.

From our data analysis, we can see an upward trend in rainfall for Cluster Regions 1, 2 and 4 where as there is a dip in the annual rainfall for Cluster Region 3. It is highly possible that this dip is linked to the annual rise in temperature in the northern regions of India.

#### CONCLUSION

With the help of Seasonal Arima modelling we were able to achieve forecasts of the average rainfall for the regions that were clustered based on their Time Series Similarity. This model can be further extended to forecast the average monthly rainfall of the individual subdivisions.

Seasonal ARIMA models can predict minimum and maximum temperature with good accuracy as statistics of models indicate. The accuracy of predictions made for rainfall by seasonal ARIMA model is less because data is abrupt, which increases white noise in the system. Another factor Seasonal ARIMA models cannot account for are natural weather occurrences like cyclones, tropical storms and extended heat waves.

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