

System Programming and Compiler Construction



MODULE 5 (3) COMPILERS : ANALYSIS PHASE

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Lexical Analysis

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➤ Specification of tokens

Alphabet

- Any finite set of symbols – Letters, digits and punctuation
- $\{0,1\}$ – binary alphabet

String

String over an alphabet is a finite sequence of symbols drawn from that alphabet.

- “Compiler” is a string of length eight. ($|s| = 8$)
- The empty string, denoted ϵ , is the string of length zero

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➤ Specification of tokens

Terms for parts of String

- A prefix of string s – any string obtained by removing zero or more symbols from the end of s . ex. ban, banana, ϵ are prefixes of banana.
- A suffix of string s – any string obtained by removing zero or more symbols from the beginning of s . ex. ana, banana, ϵ are suffixes of banana
- A substring of s – any string obtained by deleting any prefix and any suffix from s . ex. nan, banana, ϵ are substrings of banana

Lexical Analysis

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➤ Specification of tokens

Terms for parts of String

- The proper prefixes, suffixes and substrings of s are those, prefixes, suffixes and substrings, respectively, of s that are not ϵ or not equal to s itself.
- A subsequence of s – any string formed by deleting zero or more not necessarily consecutive positions of s . ex. baan is a subsequence of banana.

Lexical Analysis

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➤ Specification of tokens

Language

It is any countable set of strings over some fixed alphabet.

Abstract languages like \emptyset , the empty set, or $\{\epsilon\}$, the set containing only the empty string.

The meaning to the string is not the requirement here.

Lexical Analysis

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➤ Specification of tokens

Operations on Languages

In lexical analysis, the most important operations on languages are

Operation	Definition
Union	$L \cup M = \{s \mid s \text{ is in } L \text{ or } s \text{ is in } M\}$
Concatenation	$L . M = \{st \mid s \text{ is in } L \text{ and } t \text{ is in } M\}$
Kleene closure of L	$L^* = L^0 \cup L^1 \cup L^2 \dots$
Positive Closure of L	$L^+ = L^1 \cup L^2 \cup L^3 \dots$

Lexical Analysis

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➤ Specification of tokens

Operations on Languages

Let L be the set of letters $\{A, B, \dots, Z, a, b, \dots, z\}$ and D be the set of digits $\{0, 1, \dots, 9\}$

L and D are the alphabets upper and lower case letters and of digits.

OR L and D are languages, all of whose strings are of length one.

Possible Operations:

1. $L \cup D$ is the set of letters and digits
2. LD is the set of string consisting of one letter followed by one digit
3. L^4 is the set of all four letter string
4. L^* is the set of all strings of letters including empty string ϵ
5. $L(L \cup D)^*$ is the set of all strings of letters and digits beginning with letter
6. D^+ is the set of all strings of one or more digits

Lexical Analysis

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➤ Regular Expressions

Let $\Sigma = \{ a, b \}$

- The regular expression $a|b$ denotes the set $\{a, b\}$
- The regular expression $(a|b)(a|b)$ denotes $\{aa, ab, ba, bb\}$. The set of all strings of a's and b's of length two
- The regular expression a^* denotes set of all strings of zero or more a's.

$$r = \{\epsilon, a, aa, aaa, aaaa, \dots\}$$

- If two regular expressions represents same language then we can say that they are equivalent

Lexical Analysis

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➤ Regular Expressions

Regular expression are used to specify lexeme patterns.

- letter $\rightarrow A|B|.....|Z|a|b|.....|z$
- letter_ $\rightarrow [A-Za-z_]$
- digit $\rightarrow 0|1|2|.....|9$
- digit $\rightarrow [0-9]$
- id $\rightarrow \text{letter_}(\text{letter_} | \text{digit})^*$
- digits $\rightarrow \text{digit}^*(.\text{digits})?(E[+-]? \text{digits})?$
- op $\rightarrow < | > | <= | >= | = | <>$
- ws $\rightarrow (\text{blank}|\text{tab}|\text{newline})^+$

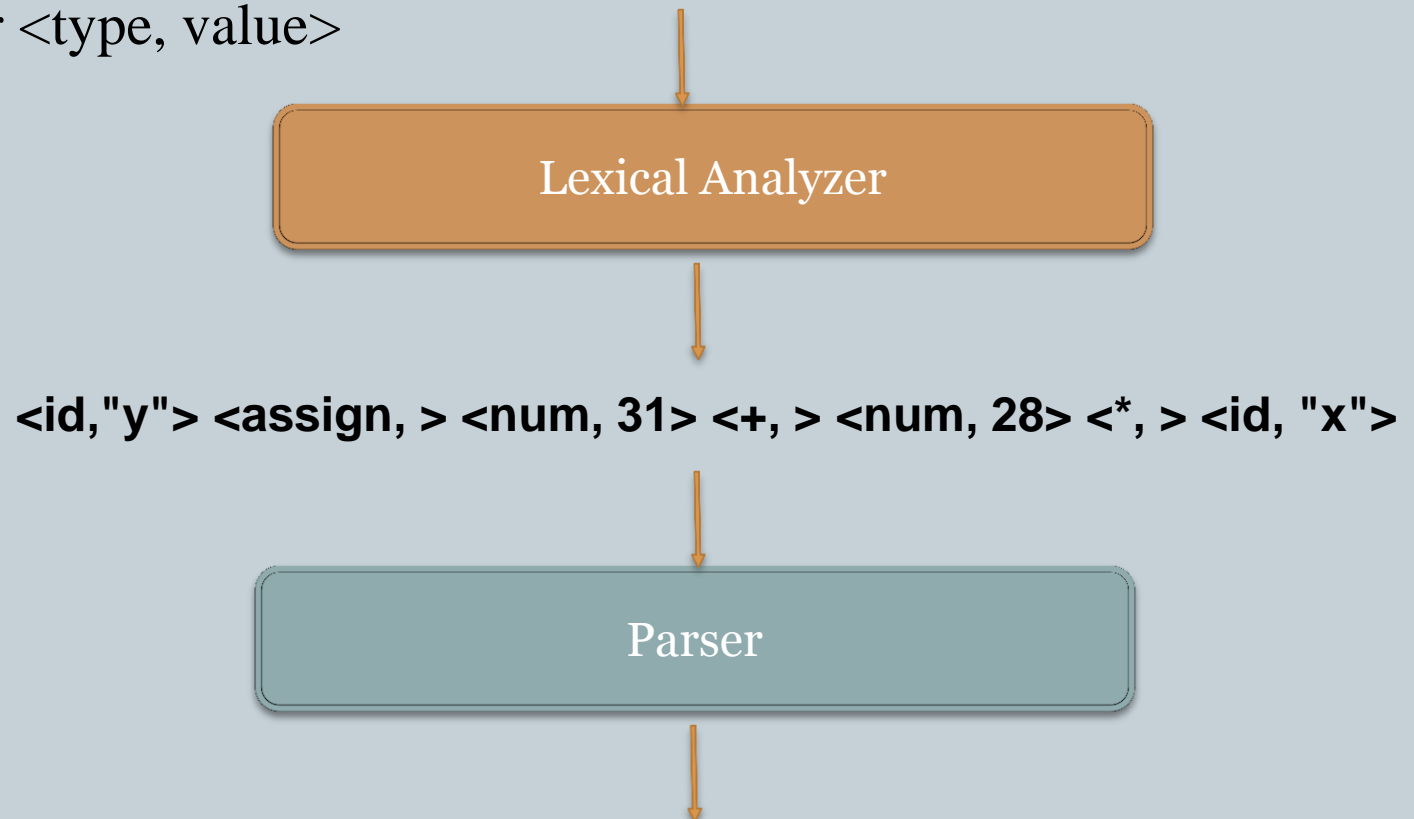
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➤ Recognition of Tokens

$y = 31 + 28 * x$

Token is a pair <type, value>



Lexical Analysis

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➤ Recognition of Tokens

A Grammar for branching statement

stmt \rightarrow **if** expr **then** stmt

| if expr **then** stmt **else** stmt

| ϵ

expr \rightarrow term **relop** term

| term

term \rightarrow **id**

| **number**

Lexical Analysis

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➤ Pattern of Tokens

Token	Pattern
digit	[0–9]
digits	digit+
number	digits (.digits) ? (E [+–] ? digits)?
letter	[A-Za-z]
id	letter (letter digit)*
if	if
then	then
else	else
relop	< <= > >= = <>

Lexical Analysis

Lexemes	Token Name	Attribute Value
Any ws	--	--
if	if	--
else	else	--
then	then	--
id	id	Pointer to table entry
num	num	Pointer to table entry
<	relop	LT
<=	relop	LE
=	relop	EQ
<>	relop	NE
>	relop	GT
>=	relop	GE

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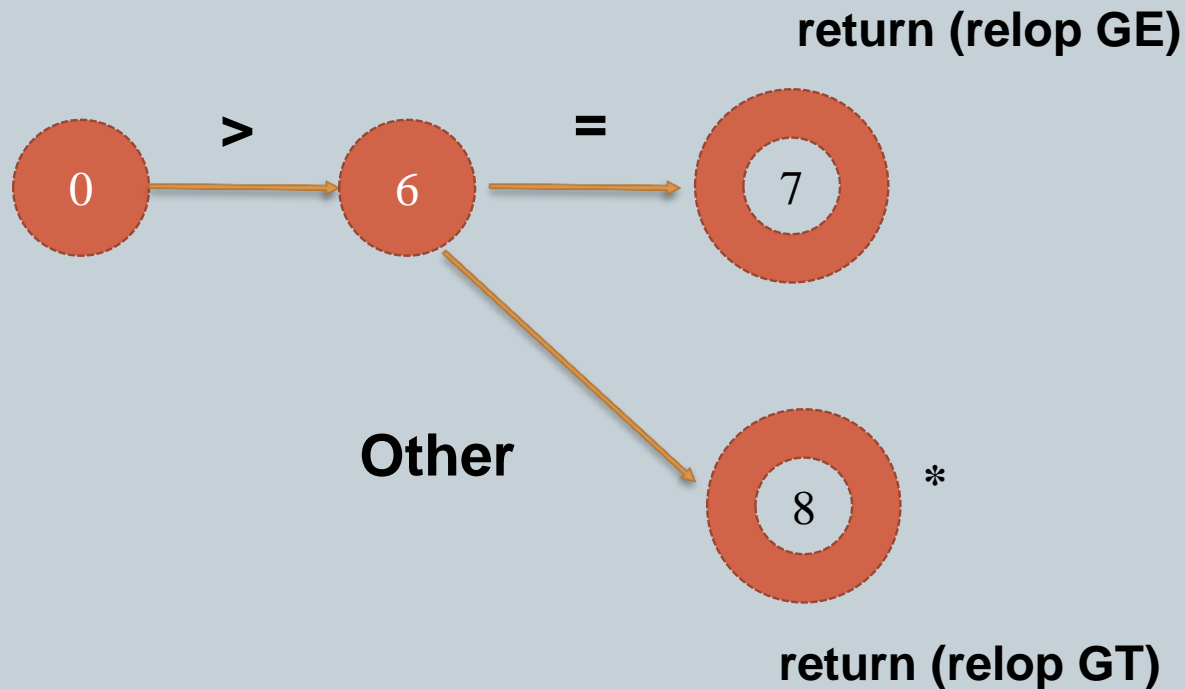
➤ Transition Diagrams

- We convert patterns into stylized flowcharts, called "transition diagrams"
- Transition diagrams have a collection of nodes or circles, called states
- Each state represents a condition that could occur during the process of scanning the input looking for a lexeme that matches one of several patterns
- Edges are directed from one state of the transition diagram to another
- Each edge is labeled by a symbol or set of symbols

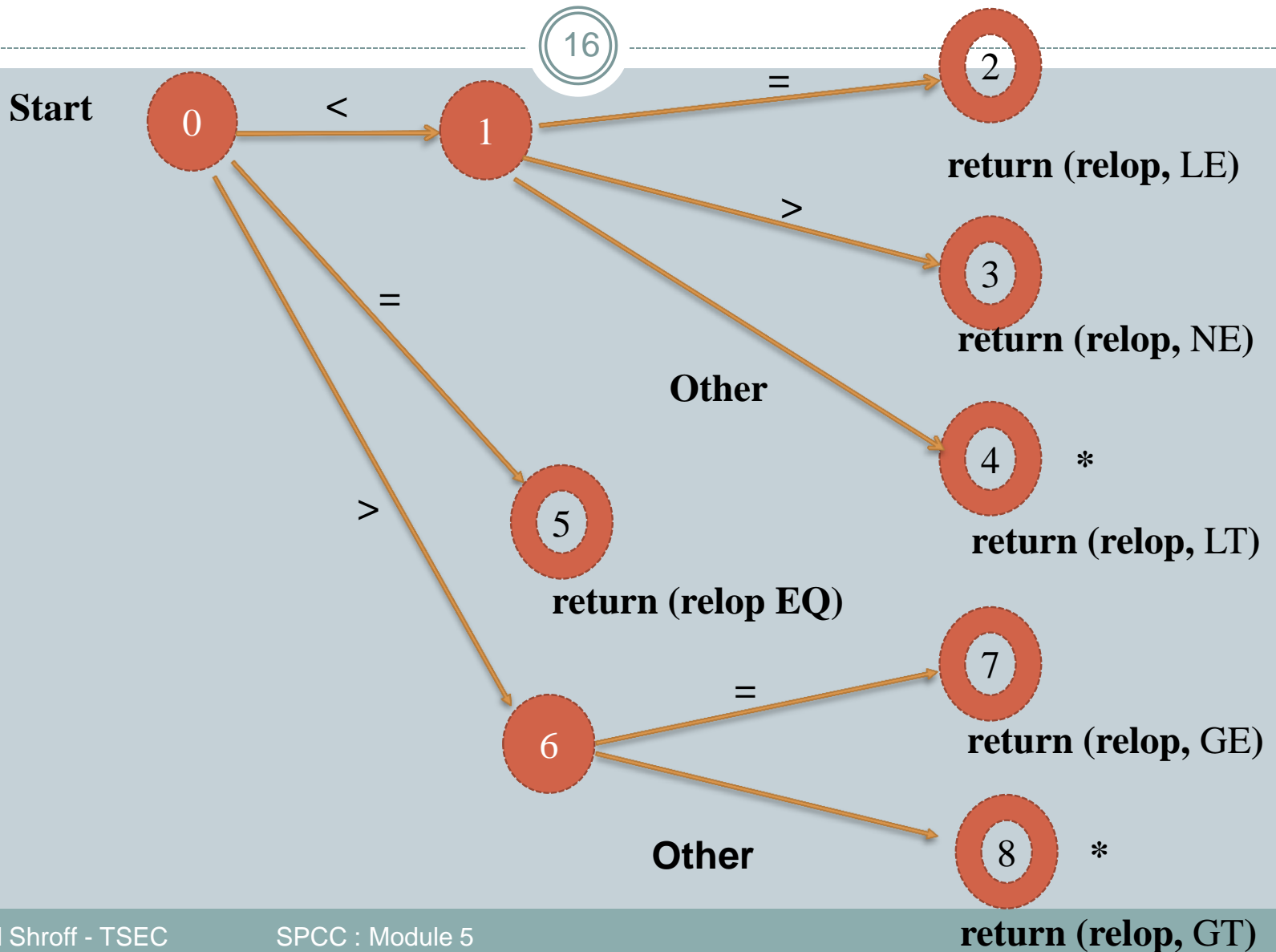
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Transition Diagram for \geq



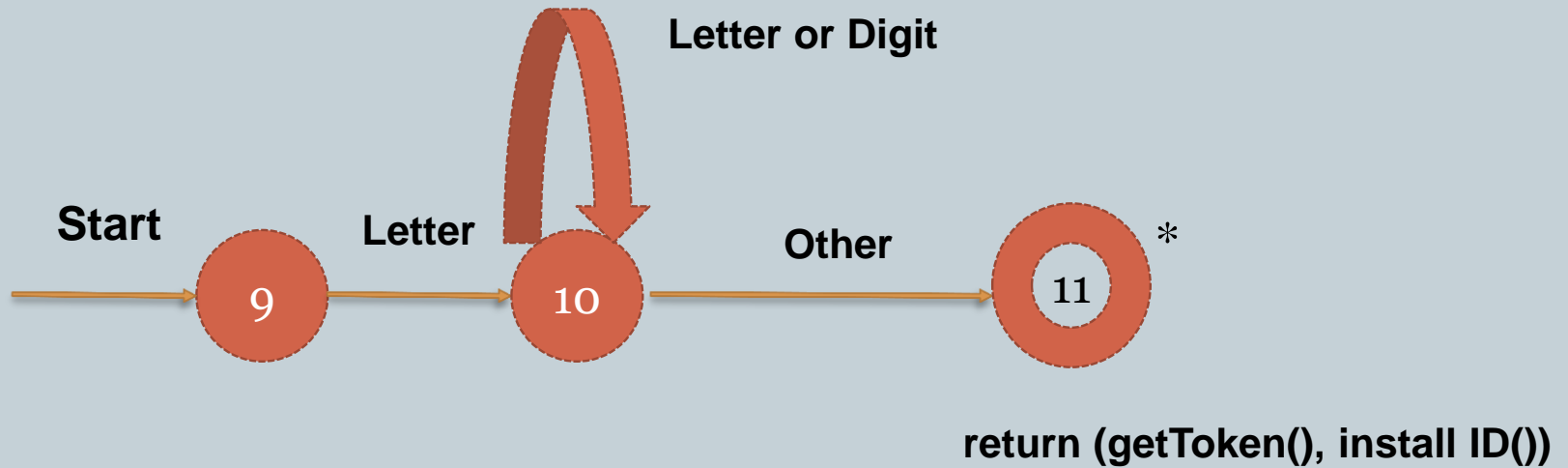
Transition Diagram for **relop**



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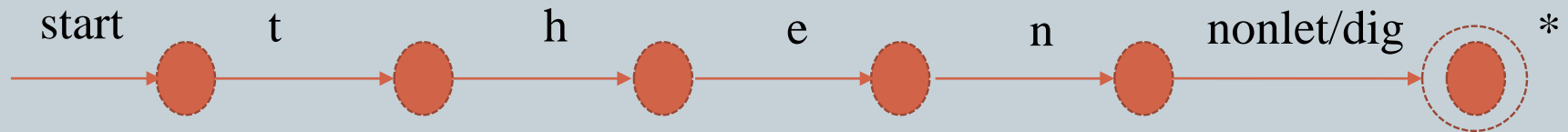
➤ Transition Diagram for identifiers and keywords



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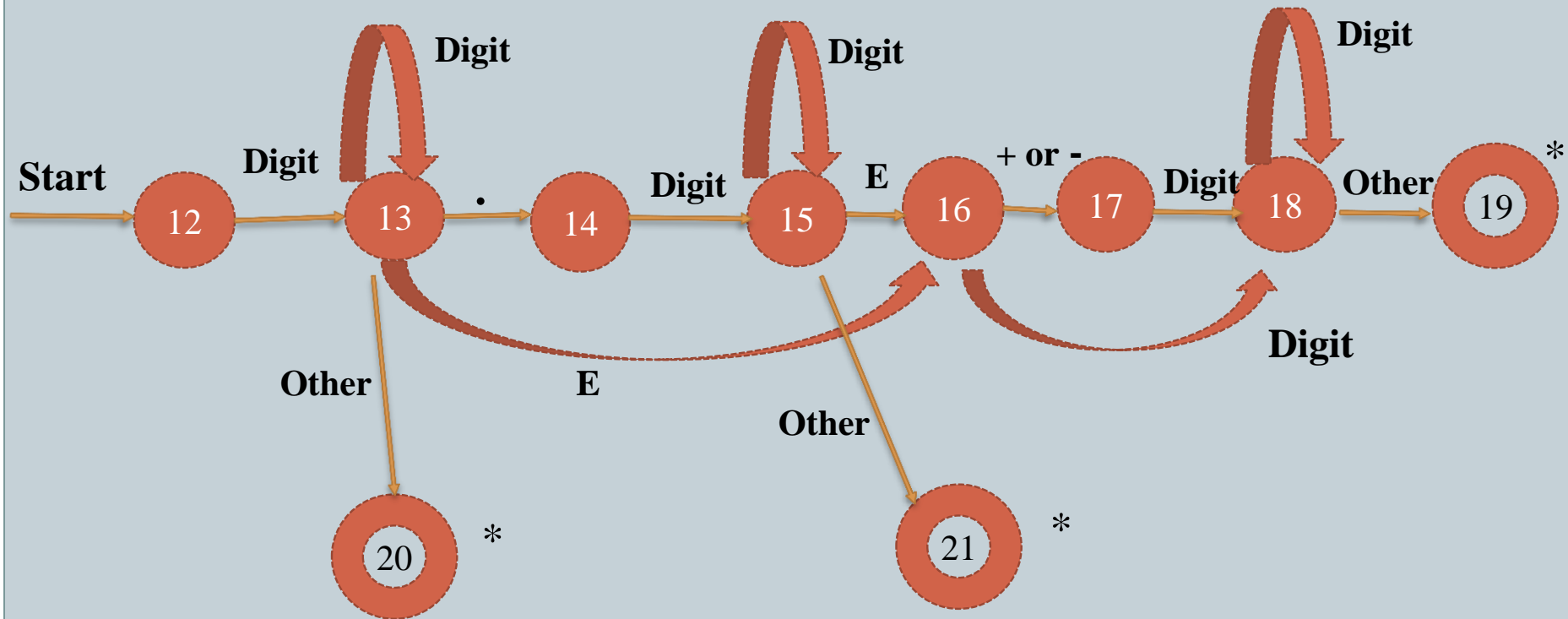
➤ Hypothetical Transition Diagram for keyword 'then'



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➤ Transition Diagram for unsigned number



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➤ Transition Diagram for White Spaces

