



# Creating a min heap out of an Array:-

Ye code ek **array** ko **Min-Heap** me convert karta hai using a bottom-up approach.

Heap ek special **binary tree** hota hai jo array me store kiya ja sakta hai.

Is case me, tu **Min Heap** bana raha hai — jisme **parent node** hamesha **child** se **chhoti** hoti hai.



## Code Breakdown and Explanation



```
int arr[] = {-1,10,2,14,11,1,4};
```

- Tu ek array le raha hai:

Index:	0	1	2	3	4	5	6
Value:	-1	10	2	14	11	1	4

- Note: Index 0 pe **1** rakha gaya hai just as **dummy**, kyunki heap ko 1-based indexing se build karna easy hota hai.



```
int n = sizeof(arr)/sizeof(arr[0]);
```

- Array ke elements ka count nikala ja raha hai → **n = 7** (indexes 0 to 6)



## Heapify Function:

```
void heapify(int i, int arr[], int n)
```

- Purpose:** **arr[i]** ko correct position pe le jao so that heap property maintain ho.
- Yeh function ye check karta hai ki kya parent node (**arr[i]**) apne left ya right child se bada hai.

- Agar bada hai, to swap kar ke neeche bhej deta hai (down-heapify or heapify-down).


## Heap Structure (Binary Tree logic):

Agar index `i` pe koi node hai:

- `left = 2*i`
- `right = 2*i + 1`

Ye tree structure me child pointers batate hain.

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 `for(int i = n/2; i >= 1; i--)`

- **Maqsad:** Last non-leaf node se lekar root tak heapify karna.

Kyun? Kyunki leaf nodes already heap hote hain, unko heapify karne ki zarurat nahi hoti.

## Example:

`n = 7` → nodes at index `1` to `6`

So we run:

- `i = 3`
- `i = 2`
- `i = 1`

Is order me, bottom-up heapify hota hai.

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## Working Example:

Input array: `{10, 2, 14, 11, 1, 4}`

After heapify:

## Heapified Tree (Min-Heap):

```

  1
 / \

```

```

    2   4
   /\  /
  14 11 10

```

Which corresponds to array:

```
arr[] = {-1, 1, 2, 4, 14, 11, 10}
```

← **END** `for(int i = 1; i < n; i++)`

- Ye loop Min-Heap banne ke baad usse print karta hai:

 **Output:**

```
1 2 4 14 11 10
```

## ✓ Final Summary

Part	Explanation
<b>Goal</b>	Given array ko Min-Heap me convert karna
<b>Method</b>	Bottom-up heapify using complete binary tree logic
<b>Heapify</b>	Parent compare with child and swap down if needed
<b>Print</b>	Final array (min-heap) print hota hai

## ◆ Mera `heapify()` Function Recap

```

void heapify(int i,int arr[],int n){
    while(true){
        int left = 2*i;
        int right = 2*i + 1;

```

```

    if (left >= n) break;

    if (right >= n){
        if(arr[i] > arr[left]){
            swap(arr[i], arr[left]);
            i = left;
            continue;
        }
        else break;
    }

    if(arr[left] < arr[right]){
        if(arr[i] > arr[left]){
            swap(arr[i], arr[left]);
            i = left;
        } else break;
    } else {
        if(arr[i] > arr[right]){
            swap(arr[i], arr[right]);
            i = right;
        } else break;
    }
}
}
}

```

## Example Array

```
int arr[] = {-1, 10, 2, 14, 11, 1, 4}; // 1-indexed, n = 7
```

Yani:

Index:	1	2	3	4	5	6
Value:	10	2	14	11	1	4

## Step-by-Step Heapify Call

### ◆ **i = 3** (first call from **for** loop)

- `arr[3] = 14`
- Left = 6 → `arr[6] = 4`
- Right = 7 → out of bounds

### 🎲 **Comparison:**

- Only left child exists.
  - `14 > 4` → Swap
  - New array: `{ -1, 10, 2, 4, 11, 1, 14 }`
  - Continue heapifying at `i = 6` → no children, stop.
- 

### ◆ **i = 2**

- `arr[2] = 2`
- Left = 4 → `arr[4] = 11`
- Right = 5 → `arr[5] = 1`

### 🎲 **Comparison:**

- Left = 11, Right = 1 → right is smaller
  - `2 > 1` → Swap with right
  - New array: `{ -1, 10, 1, 4, 11, 2, 14 }`
  - Continue at `i = 5` → no children, stop
- 

### ◆ **i = 1**

- `arr[1] = 10`
- Left = 2 → `arr[2] = 1`
- Right = 3 → `arr[3] = 4`

## Comparison:

- Left = 1, Right = 4 → left is smaller
- `10 > 1` → Swap
- New array: `{ -1, 1, 10, 4, 11, 2, 14 }`
- Continue at `i = 2`

## At `i = 2`:

- Left = 4 → `arr[4] = 11`
- Right = 5 → `arr[5] = 2`
- Right is smaller (2)
- `10 > 2` → Swap
- Final array: `{ -1, 1, 2, 4, 11, 10, 14 }`

## Final Min-Heap:

```
    1
   /\
  2 4
 /\ \
11 10 14
```

Corresponding array:

```
arr[] = {-1, 1, 2, 4, 11, 10, 14}
```

## Summary of Heapify Behavior:

- `heapify(i)` ensures that **subtree rooted at i** satisfies min-heap.
- It **swaps parent with the smaller child** if needed and continues down.
- Tu har node pe yeh check kar raha hai:

- ✓ Kya left ya right me koi child chhota hai?
- ✓ Agar haan, to swap kar aur neeche check karte jao.

## Initial Array (Before heapify):

Index: 1 2 3 4 5 6 7  
Value: 10 2 14 11 1 4

## Start Heapify (Bottom-Up from $i = n/2$ to 1)

### ◆ Step 1: $i = 3$

- Node =  $arr[3] = 14$
- Left =  $arr[6] = 4$ , Right = out of bounds

#### Comparison:

$14 > 4 \rightarrow$  ✓ Swap

#### New array:

{-1, 10, 2, 4, 11, 1, 14}

#### Tree after $heapify(3)$

```
    10
   /  \
  2    4
 / \  /
11 1 14
```

### ◆ Step 2: $i = 2$

- Node =  $arr[2] = 2$

- Left = `arr[4] = 11` , Right = `arr[5] = 1`

### Comparison:

Right is smaller (1)

`2 > 1` →  Swap

➡ New array:

`{-1, 10, 1, 4, 11, 2, 14}`

 Tree after `heapify(2)`

```

      10
     /  \
    1    4
   / \  /
  11 2 14

```

### ◆ Step 3: `i = 1`


- Node = `arr[1] = 10`
- Left = `arr[2] = 1` , Right = `arr[3] = 4`

### Comparison:

Left is smaller (1)

`10 > 1` →  Swap

➡ Now at `i = 2`

- Node = `10` , Left = `11` , Right = `2`  
Right is smaller → `10 > 2` →  Swap again

➡ Final array:

`{-1, 1, 2, 4, 11, 10, 14}`

 Tree after `heapify(1)`



```

      1
     /\
    2  4
   /\  \
  11 10 14

```

## Final Output:

Array:

```
{-1, 1, 2, 4, 11, 10, 14}
```

Tree form:

```

      1
     /\
    2  4
   /\  \
  11 10 14

```

## Summary Table:

Step	Heapify(i)	Swaps	Tree Root
1	i = 3	14 ↔ 4	10
2	i = 2	2 ↔ 1	10
3	i = 1	10 ↔ 1, then 10 ↔ 2	1