# **LEETCODE 669**



### Problem Summary:

Given a **Binary Search Tree (BST)** and a range [low, high], trim the tree such that all its elements lie within this range.

- The relative structure of nodes that remain must be unchanged.
- Return the **new root** of the trimmed tree.

### **Constraints:**

- 1 ≤ Number of nodes ≤ 10<sup>4</sup>
- $0 \le \text{Node.val} \le 10^4$
- Each node has unique values
- Tree is a valid BST
- $0 \le low \le high \le 10^4$

### Intuition:

Since this is a **Binary Search Tree**, we know:

- Left subtree < root</li>
- Right subtree > root

So we can use this property to:

- Recursively discard nodes not in range [low, high]
- Adjust pointers accordingly

# X Approach:

### We:

- 1. Create a dummy node pointing to the root
- 2. Trim all nodes less than low from the left subtree
- 3. Trim all nodes greater than high from the right subtree
- 4. Recursively repeat for left and right children

### Code Explanation (If-Else Based):

```
class Solution {
public:
  // Helper function to trim the BST recursively
  void trim(TreeNode* root, int lo, int hi) {
     if (root == NULL) return;
     // Prune left child
     while (root → left != NULL) {
       if (root → left → val < lo) {
          // Discard left child and move to its right
          root → left = root → left → right;
       } else if (root → left → val > hi) {
          // Discard left child and move to its left
          root → left = root → left → left;
       } else {
          // Value is in range, stop trimming left
          break;
       }
     }
     // Prune right child
     while (root → right != NULL) {
        if (root → right → val > hi) {
          // Discard right child and move to its left
          root→right = root→right→left;
```

```
} else if (root→right→val < lo) {</pre>
         // Discard right child and move to its right
         root→right = root→right→right;
       } else {
         // Value is in range, stop trimming right
         break;
       }
     }
     // Recursively trim remaining subtrees
     trim(root→left, lo, hi);
    trim(root→right, lo, hi);
  }
  // Main function
  TreeNode* trimBST(TreeNode* root, int lo, int hi) {
     // Dummy node to simplify root adjustments
     TreeNode* dummy = new TreeNode(INT_MAX);
     dummy→left = root;
     // Start trimming from dummy node
     trim(dummy, lo, hi);
    // Return the updated root
     return dummy→left;
  }
};
```

# **Q** Key Observations:

- while loops are used instead of recursion to avoid going too deep unnecessarily
- Dummy node ensures root-level pruning without special cases
- The final root may change, so dummy helps retain pointer easily

# Example:

### Input:

```
Tree: 3
/\
0 4
\
2
/\
1
low = 1, high = 3
```

### Output:

```
Tree: 3
/
2
/
1
```

# Time & Space Complexity:

Complexity	Explanation
Time	O(n) — We may visit all nodes once
Space	O(h) — Due to recursion stack ( h = height of tree)

# Verdict:

- Efficient approach using in-place pointer adjustments
- No need to recreate tree
- Suitable for large trees (up to 10<sup>4</sup> nodes)

# LeetCode 669 – Trim a Binary Search Tree (Hinglish)

### Q Problem Samajh:

Tujhe ek **Binary Search Tree (BST)** diya gaya hai aur do values w aur high di gayi hain.

Tera kaam hai tree ko aise **trim** karna ki sirf wahi nodes bache jinka value war aur high ke beech ho, i.e., [low, high] range mein ho.

- Tree ka **relative structure** same rehna chahiye.
- Final tree ka root change bhi ho sakta hai.
- Return karna hai new root.

### BST Property Ka Use:

- Left subtree → values chhoti hoti hain root se
- Right subtree → values badi hoti hain root se

Is property ka use karke hum unwanted nodes ko hata sakte hain.

## Approach (If-Else Based):

### **✓** Step by Step:

- 1. Ek **dummy node** banate hain jiska left pointer root ko point karta hai (taaki root bhi agar out of range ho toh handle ho jaaye).
- 2. Left subtree ko trim karte hain:
  - Jab tak root→left exist karta hai:
    - Agar left ka value low se chhota hai → root→left = root→left → right
    - Agar left ka value high se bada hai → root→left = root→left > left
    - Agar value range mein ho → break

- 3. Right subtree ke liye bhi same logic lagate hain:
  - Jab tak root→right exist karta hai:
    - Agar value high se bada hai → root→right = root→right → left
    - Agar value low se chhota hai → root→right = root→right→right
    - Agar value range mein ho → break
- 4. Fir recursively left aur right ko trim karte hain.

### Code (C++ – If-Else Explanation Style):

```
class Solution {
public:
  void trim(TreeNode* root, int lo, int hi) {
     if (root == NULL) return;
     // LEFT ko trim karna
     while (root → left != NULL) {
        if (root → left → val < lo) {
          // left value chhoti hai, uska right bacha sakta hai
           root → left = root → left → right;
        } else if (root → left → val > hi) {
           // left value badi hai, uska left hi valid ho sakta hai
           root → left = root → left → left;
        } else {
           break; // value range mein hai
        }
     }
     // RIGHT ko trim karna
     while (root → right != NULL) {
        if (root→right→val > hi) {
           root→right = root→right→left;
        } else if (root→right→val < lo) {</pre>
           root \rightarrow right = root \rightarrow right \rightarrow right;
```

```
} else {
    break;
}

// Ab bach gaya subtree, usko recursively trim karo
    trim(root > left, lo, hi);
    trim(root > right, lo, hi);
}

TreeNode* trimBST(TreeNode* root, int lo, int hi) {
    TreeNode* dummy = new TreeNode(INT_MAX); // dummy node banayi
    dummy > left = root;

    trim(dummy, lo, hi); // dummy se trim start kiya
    return dummy > left; // actual trimmed root return kiya
}

};
```

# Example:

### Input:

```
Tree = 3
/\
0 4
\
2
/\
1

low = 1, high = 3
```

### **Output:**

```
Trimmed Tree = 3
/
2
/
1
```

# Time & Space Complexity:

Complexity	Explanation
Time	O(n) – Saare nodes ko ek baar visit kar sakte ho
Space	O(h) – h = tree ka height (recursive stack)

# 🔑 Highlights:

- Dummy node se root handling simple ho jata hai.
- While loops se efficient pointer shifting hoti hai.
- Naaya tree banane ki zarurat nahi padti in-place trimming hoti hai.