# LeetCode: 238

## **V** Problem Recap

We need an array answer such that:

answer[i]= $\Pi$ j=0j $\neq$ in-1nums[j]answer[i] = \prod\_{\substack{j=0 \\ j \neq i}}^{n-1} nums[j] Constraints:

- **O(n)** time.
- No division operation allowed.
- Prefer O(1) extra space (excluding output array).

# **Your Approach**

#### **Step 1: Initialization**

```
int product = 1; // product of all elements
int p2 = 1; // product of all non-zero elements
int noz = 0; // count zeros
```

#### Step 2: First loop - Calculate products

```
for(int i=0; i<n; i++){
  if(arr[i] == 0) noz++;
  product *= arr[i]; // overall product (includes zeros)
  if(arr[i]!=0) p2 *= arr[i]; // product ignoring zeros
}</pre>
```

- product → full product including zeros.
- p2 → product excluding zeros (useful when zeros exist).
- noz → counts how many zeros are present.

### **Step 3: Handle zeros and division**

```
if(noz>1) p2 = 0; // more than 1 zero → all products are zero

for(int i=0;i<n;i++){
   if(arr[i]!= 0) arr[i] = product / arr[i]; // division step
   else arr[i] = p2;
}</pre>
```

• If there are:

```
    O zeros → use product / arr[i].
    1 zero → only index with zero gets p2, others get o.
    >1 zero → everything is o.
```

## Why is this method logically correct?

Mathematical logic works perfectly:

```
    For nums[i] ≠ 0 ,
        answer[i]=total productnums[i]answer[i] = \frac{\text{total product}}
        {\text{nums[i]}}

    For nums[i] = 0 ,
        answer[i]=product of all non-zero elementsanswer[i] = \text{product of all non-zero elements}
```

- Handles zero cases correctly.
- Runs in **O(n)**.

### X Why is it wrong for this problem?

- 1. Uses Division
  - Problem explicitly says:

You must write an algorithm without using the division operation.

#### 2. Doesn't meet the "Follow-up" constraint

• Extra variables (product, p2, noz) → still O(1) extra space, so that's fine.

• But core violation = usage of division.

## Why Division is Not Allowed?

- **Risk of overflow** if the product of all numbers is huge (although 32-bit limit helps here).
- **Division by zero** problem complicates direct approach.
- Forcing no-division makes the solution algorithmically interesting → requires prefix & suffix products.

# 🔽 Correct Approach (as per constraints)

#### Idea:

For each index i,

answer[i]=

(product of all elements to the left of i)×(product of all elements to the right of i)answer[i] = (\text{product of all elements to the left of i}) \times (\text{product of all elements to the right of i})

 Build prefix product and suffix product arrays, or compute in two passes with constant extra space.

### **Steps**

- 1. Initialize answer array with 1.
- 2. First pass (left to right)  $\rightarrow$  store prefix product:

answer[i]=product of all elements before ianswer[i] = \text{product of all elements before i}

3. **Second pass (right to left)** → multiply by suffix product:

answer[i]\*=product of all elements after ianswer[i] \*= \text{product of all elements after i}

Time: O(n)

**Space:** O(1) extra (if we ignore output array).

# Mathematical Expression for Correct Method

answer[i]= $(\Pi j=0i-1nums[j])\times(\Pi j=i+1n-1nums[j])$ answer[i] =  $\left(\frac{j=0}^{i-1} nums[j]\right)$  \times \left(\prod\_{j=i+1}^{n-1} nums[j] \right)

# 🔽 Explanatory Notes (Summary)

#### Your method:

- Correct mathematically.
- X Violates problem constraint (used division).
- V Handles zeros well.

#### **Required method:**

- Use prefix & suffix multiplication.
- · No division allowed.

♠ Do you want me to create a clean, well-commented solution for the prefix-suffix method, along with a PDF explanatory note comparing both approaches with diagrams and formulas? Or should I just give you the commented code and summary in text format here?