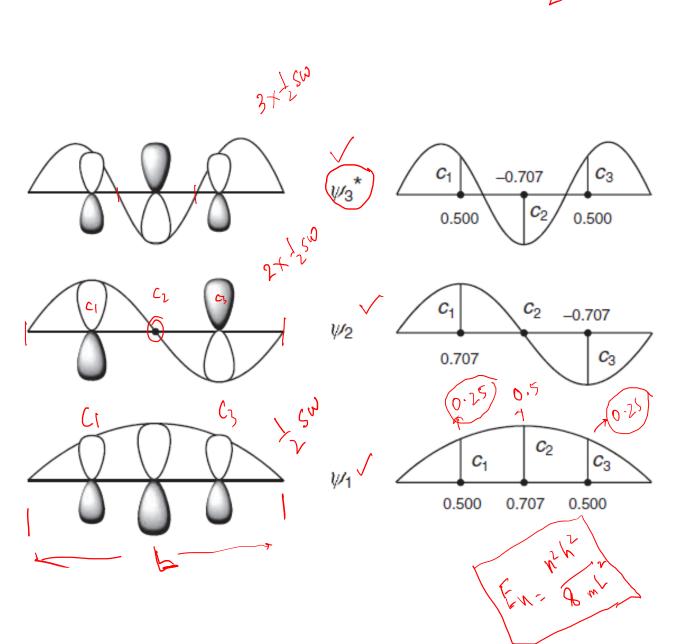
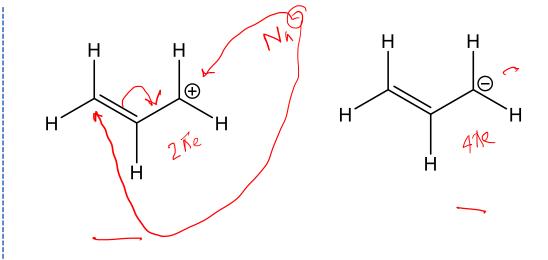
## $\pi$ -Molecular orbitals of allyl cation/anion



- ✓ Both the allyl cation and anion are planar and symmetrical
- √ Two end carbons are same

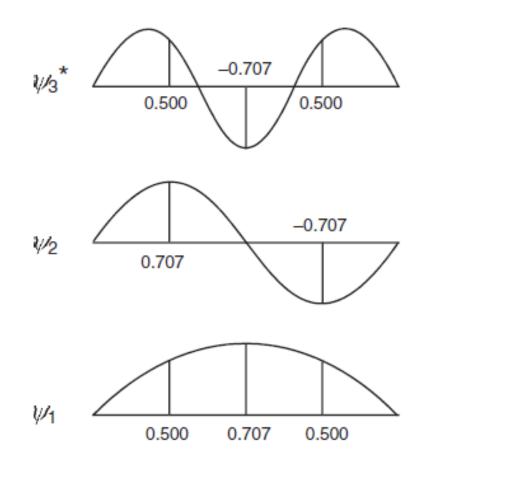
2017



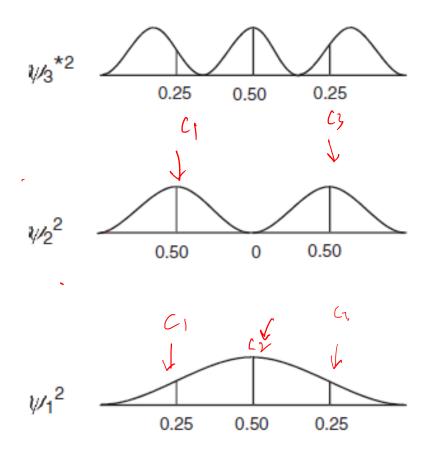


- Homo

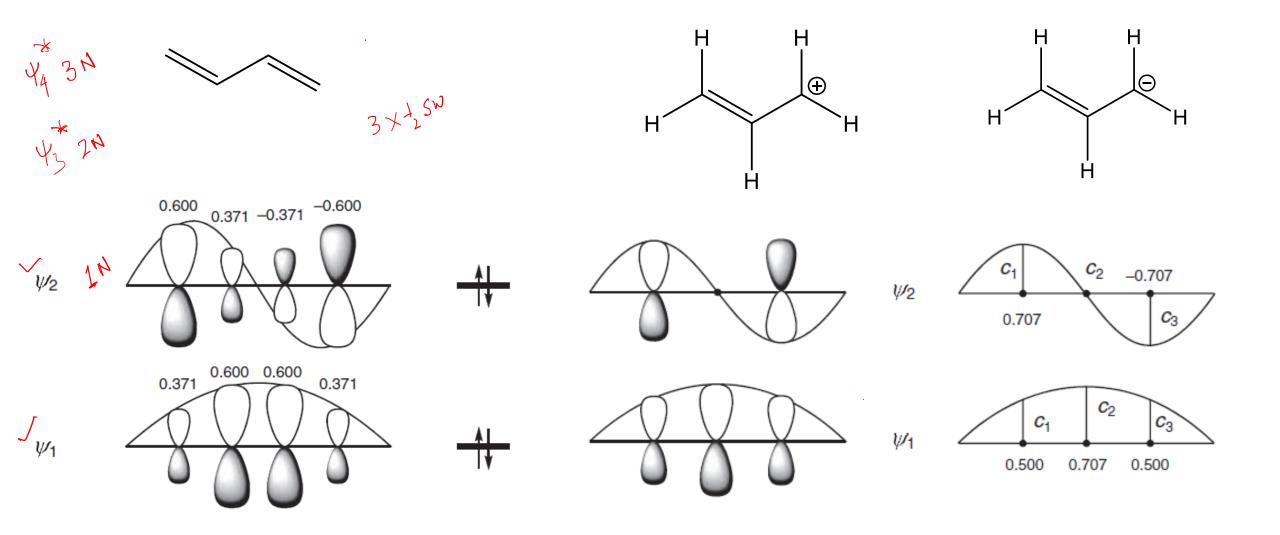
The CHOMO!



(a) Wave functions



(b) Electron populations for one electron

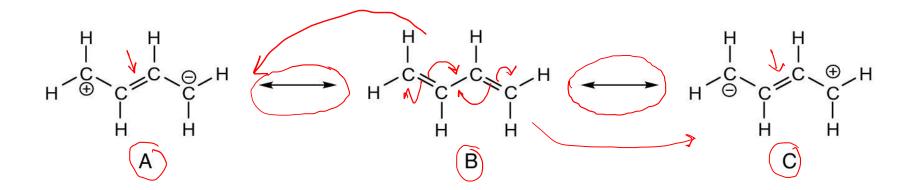


MO approach can explain: a) partial double bond character in the C2-C3 bond in butadiene b) the equivalence of C1 and C3 carbons in allyl cation and anion

How do we explain these observations from hybridization approach (localized bonding)?

$$A \longrightarrow B$$

## **Resonance Structures**



- Resonance: More than one possible Lewis structures for a molecule
- > A, B and C are resonance structures; they don't exist in reality
- Butadiene is a combination of all the resonating structures-Resonance Hybrid

## Formal Charge

Formal charge: (Number of valence electrons in the neutral atom) – (number of valence electrons around the atom in molecule)



(Number of valence electrons in the neutral atom) –  $\frac{1}{2}$  (number of electrons in covalent bonds)

- (number of electrons in lone pairs)

1. Calculate the formal charges on each atom in each structure.

H. K. W.

2. Which are resonance structures?

A) 
$$H - C = N = 0$$
:

 $C = 4 - \frac{1}{2} \times 6 - 2 = -1$ 
 $N = 5 - \frac{1}{2} \times 8 = +1$ 
 $O = 6 - \frac{1}{2} \times 4 - 4 = 0$ 
 $C = 4 - \frac{1}{2} \times 9 = 0$ 
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