Implement SGD for linear regression [M]

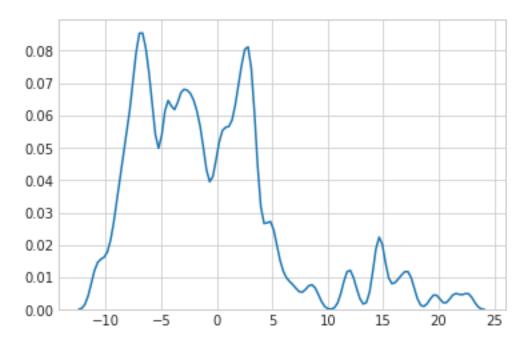
May 30, 2018

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In [127]: import numpy as np
          import pandas as pd
          import pdb
In [596]: class LinearRegression():
              def __init__(self, fit_intercept=True, copy_X=True):
                  self.params = {"fit_intercept" : fit_intercept, "copy_X" : copy_X}
              def fit(self, X, y, n_ite):
                  """Fit model to training data"""
                  n_samples = X.shape[0]
                  n_features = X.shape[1]
                  y=np.reshape(y, (-1,1))
                  self.coef_ = np.zeros((n_features,1), dtype=float)
                  self.intercept_ = 0
                  if self.params['copy_X']:
                      copy_x = np.copy(X)
                  r=.0001
                  batch_size=int(n_samples/100)
                  i = 0
                  while i<n_ite:
                      \#r = float(r0/np.power(3,i))
                      indices=np.random.randint(n_samples, size=batch_size)
                      term1=y[indices]*copy_x[indices]
                      term2=np.dot(copy_x[indices], self.coef_)*copy_x[indices]
                      term3=self.intercept_*copy_x[indices]
                      gradient_w=np.reshape(np.sum(2*(term1-term2-term3), axis=0), (n_features,
                      #pdb.set_trace()
                      coef_prev=self.coef_
                      self.coef_=self.coef_ + r*gradient_w
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term2=np.dot(copy_x[indices], coef_prev)
                      term3=self.intercept_
                      gradient_b=np.sum(2*(term1-term2-term3))/n_samples
                      intercept_prev=self.intercept_
                      self.intercept_=self.intercept_ + r * gradient_b
                      i+=1
                  self.i_=i
                  return self
              def predict(self, X):
                  return np.dot(X, self.coef_)+self.intercept_
              def get_params(self):
                  return self.params
              def score(self, X, y):
                  """Calculate coefficient of determination R^2"""
                  predictions = self.predict(X)
                  u = np.sum((y-predictions)**2)
                  mean=np.mean(y)
                  v=np.sum((y-mean)**2)
                  return 1-float(u/v)
In [437]: from sklearn.datasets import load_boston
          boston = load_boston()
          import pandas as pd
          bos = pd.DataFrame(boston.data)
          bos['PRICE'] = boston.target
          X = bos.drop('PRICE', axis = 1)
          Y = bos['PRICE']
          from sklearn.model_selection import train_test_split
          X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size = 0.33, random_sta
In [615]: lm = LinearRegression()
          lm.fit(X_train, Y_train, 150000)
          Y_pred = lm.predict(X_test)
/home/vishal/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:57: FutureWarning:
  return getattr(obj, method)(*args, **kwds)
```

term1=y[indices]

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In [616]: delta_y = np.array(Y_test) - Y_pred.ravel();
    import seaborn as sns;
    import numpy as np;
    sns.set_style('whitegrid')
    sns.kdeplot(np.array(delta_y), bw=0.5)
    plt.show()
```



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In [617]: lm.score(X_test, np.reshape(Y_test, (-1,1)))
```

/home/vishal/anaconda3/lib/python3.6/site-packages/numpy/core/fromnumeric.py:57: FutureWarning:
 return getattr(obj, method)(*args, **kwds)

Out[617]: 0.49608642392756375

0.1 Conclusion

Most of the errors are distributed around 0. R² score is close to 0.5 which is a good enough value