

## Aptitude - Height & Distance Online Quiz

Following quiz provides Multiple Choice Questions (MCQs) related to **Height & Distance**. You will have to read all the given answers and click over the correct answer. If you are not sure about the answer then you can check the answer using **Show Answer** button. You can use **Next Quiz** button to check new set of questions in the quiz.



**Q 1 - A man observes the elevation of a balloon to be  $45^\circ$  at a point A .He then walks towards the balloon and at a certain place B finds the elevation to be  $60^\circ$ . He further walks in the direction of the balloon and finds it to be directly over him at a height of 450 m. Distance travelled from A to B is**

A -  $300\sqrt{3}$  m

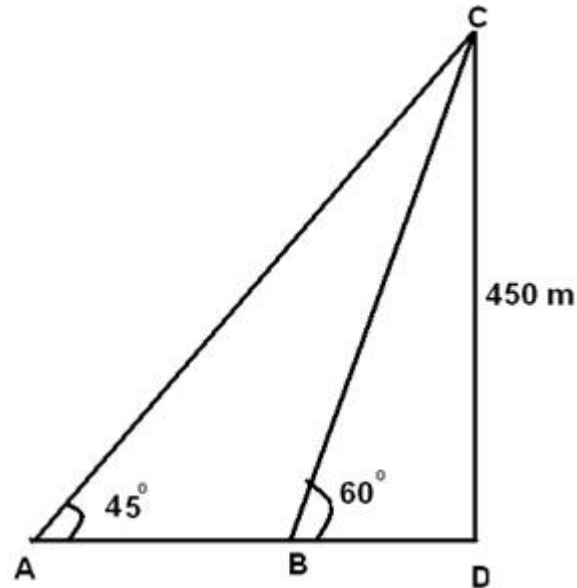
B -  $200\sqrt{3}$  m

C -  $100\sqrt{3}$  m

D -  $450\sqrt{3}$  m

**Answer : A**

**Explanation**



$$450/BD = \tan(60^\circ) \Rightarrow BD = 450/\sqrt{3}$$

$$450/AD = \tan(45^\circ) \Rightarrow AD = 450\sqrt{3}$$

$$AD = BD + AB$$

$$\Rightarrow AB = AD - BD = 450\sqrt{3} - 450/\sqrt{3} = (450 \times 3 - 450)/\sqrt{3} = 300\sqrt{3} \text{ m}$$

Hide Answer

**Q 2 - When the sun's altitude changes from  $45^\circ$  to  $60^\circ$ , the length of the shadow of a tower decreases by 45m. What is the height of the tower?**

A -  $(45\sqrt{3})/(\sqrt{3}-1)$

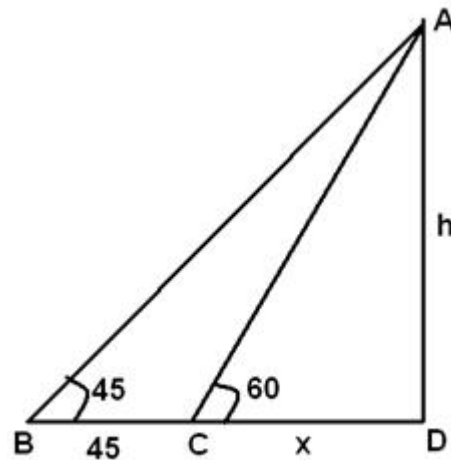
B -  $(45\sqrt{3})/(\sqrt{3}+1)$

C -  $(45+\sqrt{3})/(\sqrt{3}-1)$

D -  $(45-\sqrt{3})/(\sqrt{3}-1)$

**Answer : A**

**Explanation**



Let AD be the tower, BD be the initial shadow and CD be the final shadow.

Given that  $BC = 45$  m,  $\angle ABD = 45^\circ$ ,  $\angle ACD = 60^\circ$ ,

Let  $CD = x$ ,  $AD = h$

From the right  $\triangle CDA$ ,  $\tan 60^\circ = h/x$

From the right  $\triangle BDA$ ,  $\tan 45^\circ = (45+x)/h \Rightarrow h = 45+x$

$$\Rightarrow h = 45 + h/\sqrt{3}$$

$$\Rightarrow h(1 - 1/\sqrt{3}) = 45$$

$$\Rightarrow h = 45 / (1 - 1/\sqrt{3}) = (45\sqrt{3}) / (\sqrt{3} - 1)$$

[Hide Answer](#)

**Q 3 - From the top of mast head of height 210 meters of a ship, a boat is observed at an angle of depression of  $30^\circ$  then the distance between them is**

A -  $210\sqrt{3}$

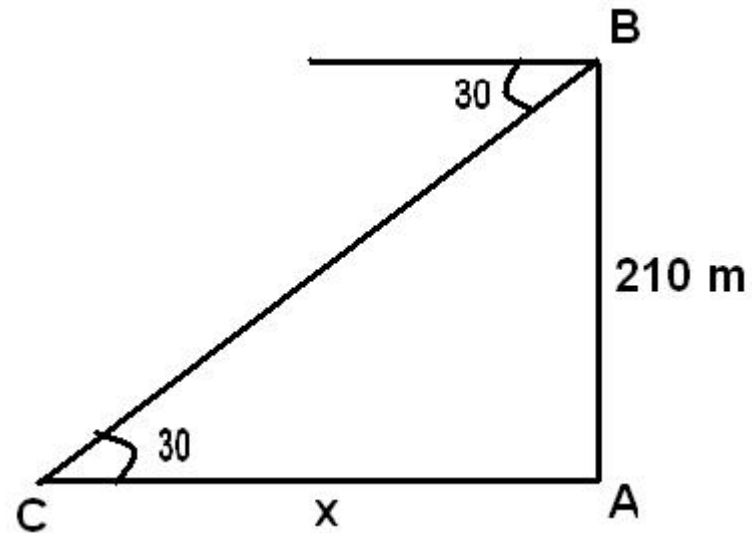
B -  $210/\sqrt{3}$

C -  $70\sqrt{3}$

D -  $105\sqrt{3}$

**Answer : A**

**Explanation**



From the right angled triangle CAB

$$\tan(30) = 210/X$$

$$\Rightarrow X = 210/\tan(30) = 210/(1/\sqrt{3}) = 210\sqrt{3}$$

[Show Answer](#)

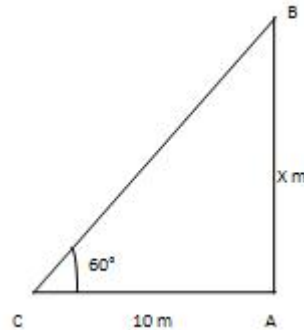
**Q 4 - The shadow of a building is 10 m long when the point of rise of the sun is  $60^\circ$ . Discover the building's stature.**

A - 16.32m

B - 17.32 m

C - 18.32 m

D - 19.32m

**Answer : B****Explanation**

Let AB be the building and AC be its shadow.

Then,  $AC=20\text{m}$  and  $\angle ACB=60^\circ$ . Let  $AB= x \text{ m}$ .

Presently  $AB/AC=\tan 60^\circ=\sqrt{3}\Rightarrow x/10=\sqrt{3}$

$\Rightarrow x=10\sqrt{3}\text{m}= (10*1.732) \text{ m}=17.32\text{m}.$

$\therefore$  Height of the building is 17.32m.

[Hide Answer](#)

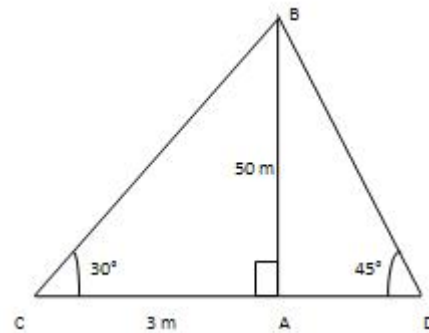
**Q 5 - Two men are inverse sides of a tower. They gauge the edge of the rise of the highest point of the tower as  $30^\circ$  and  $45^\circ$  respectively. On the off chance that the tallness of the tower is 50 m, discover the separation between the two men. (Take  $\sqrt{3}=1.732$ )**

A - 135.5m

**B - 136.5 m**

C - 137.5 m

D - 138.5m

**Answer : B****Explanation**

Let AB be the tower and let C and D be the two's positions men.

At that point  $\angle ACB = 30^\circ$ ,  $\angle ADB = 45^\circ$  and  $AB = 50$  m

$$AC/AB = \cot 30^\circ = \sqrt{3} \Rightarrow AC/50 = \sqrt{3}$$

$$\Rightarrow AC = 50\sqrt{3} \text{ m}$$

$$AD/AB = \cot 45^\circ = 1 \Rightarrow AD/50 = 1$$

$$\Rightarrow AD = 50 \text{ m.}$$

Separation between the two men  $= CD = (AC + AD)$

$$= (50\sqrt{3} + 50) \text{ m} = 50(\sqrt{3} + 1)$$

$$= 50(1.73 + 1) \text{ m} = (50 \times 2.73) \text{ m} = 136.5 \text{ m.}$$

[Hide Answer](#)

**Q 6 - The point of height of a tower from a separation 50 m from its foot is 30. The tower's tallness is:**

A -  $50\sqrt{3}$ m

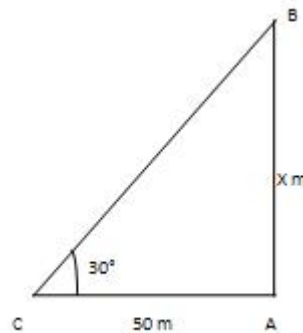
B -  $50/\sqrt{3}$ m

C -  $23\sqrt{3}$ m

D -  $100\text{m}/\sqrt{3}$

**Answer : B**

**Explanation**



Let AB be the tower and AC be the even line such that  $AC=50$  m and  $\angle ACB=30^\circ$ .

$$AB/AC = \tan 30^\circ = 1/\sqrt{3}$$

$$\Rightarrow x/50 = 1/\sqrt{3}$$

$$> x = 50 \times 1/\sqrt{3} = 50/\sqrt{3} \text{ m.}$$

$\therefore$  Height of the tower =  $50/\sqrt{3}$  m.



**Q 7 - From The highest point of a bluff 90 m high, the edges of Misery of the top and base of a tower are seen to be  $30^\circ$  and  $60^\circ$ . What is the tower's tallness is?**

A - 30 m

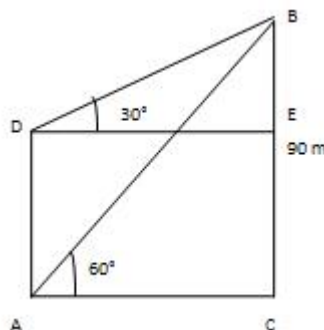
B - 45 m

C - 60 m

D - 75 m

**Answer : C**

**Explanation**



Let AB be the precipice and CD be the tower. Draw  $DE \parallel CA$ .

Then,  $\angle BDE = 30^\circ$ ,  $\angle BCA = 60^\circ$  and  $AB = 90\text{m}$ .

From right  $\triangle CAB$ , we have

$$CA/AB = \cos 60^\circ = 1/\sqrt{3} \Rightarrow CA/90 = 1/\sqrt{3}$$

$$\Rightarrow CA = (90 \times 1/\sqrt{3} \times \sqrt{3}/\sqrt{3})$$

$$= 30 \sqrt{3} \text{ m.}$$

$$\therefore DE = CE = 30/\sqrt{3} \text{ m.}$$

From right  $\triangle DEB$ , we have

$$BE/DE = \tan 30^\circ = 1/\sqrt{3} \Rightarrow BE/30 \sqrt{3} = 1/\sqrt{3}$$

$$\Rightarrow BE = (30 \sqrt{3} \times 1/\sqrt{3}) = 30 \text{ m.}$$

$$\therefore CD = AE = (AB - BE) = (90 - 30) \text{ m} = 60 \text{ m.}$$

Hence, the tower's stature is 60m.

[Show Answer](#)

**Q 8 - On the level plane, there is a vertical tower with a flagpole on its top. At a point 9m far from the tower, the angles of rise of the top and Base of the flagpole are  $60^\circ$  and  $30^\circ$  respectively. The flagpole's tallness is:**

A -  $6 \sqrt{3} \text{ m}$

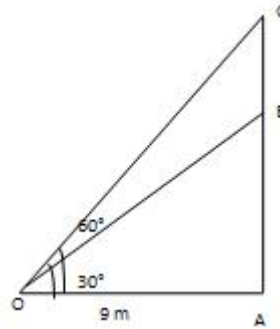
B -  $5 \sqrt{3} \text{ m}$

C -  $6 \sqrt{2} \text{ m}$

D - 4m

**Answer : A**

**Explanation**



Let AB be the tower and BC be the flag pole and let O be the point of observation.

Then,  $OA = 9\text{m}$ ,  $\angle AOB = 30^\circ$  and  $\angle AOC = 60^\circ$

$$\frac{AB}{OA} = \tan 30^\circ = \frac{1}{\sqrt{3}} \Rightarrow \frac{AB}{9} = \frac{1}{\sqrt{3}}$$

$$\Rightarrow AB = \left(9 \times \frac{1}{\sqrt{3}}\right) = 3\sqrt{3}\text{m.}$$

$$\frac{AC}{OA} = \tan 60^\circ = \sqrt{3} \Rightarrow \frac{AC}{9} = \sqrt{3} \Rightarrow AC = 9\sqrt{3}\text{m.}$$

$$\therefore BC = (AC - AB) = (9\sqrt{3} - 3\sqrt{3})\text{m} = 6\sqrt{3}\text{m.}$$

$\therefore$  Height of the flagpole is  $6\sqrt{3}\text{m}$ .

Hide Answer