

**INDIAN INSTITUTE OF TECHNOLOGY, KHARAGPUR
DEPARTMENT OF INDUSTRIAL AND SYSTEMS ENGINEERING**

OPTIMISATION AND HEURISTIC METHOD LAB (IM39003)

TERM PROJECT

Optimizing Bank Lending Decisions Using Metaheuristics

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Genetic Algorithm

Introduction:

Here we are using genetic algorithm for optimizing the Bank lending decisions. A Genetic Algorithm model that facilitates how banks would make an efficient decision while staying focus on the main objective of bank profit maximization.

Objective:

- To maximize the Profit.

Data:

D	60									
K	0.15									
Loan Size	10	25	4	11	18	3	17	15	9	10
Interest	0.021	0.022	0.021	0.027	0.025	0.026	0.023	0.021	0.028	0.022
Rating	AAA	BB	A	AA	BBB	AAA	BB	AAA	A	A
Loss (λ)	0.0002	0.0058	0.0001	0.0003	0.0024	0.0002	0.0058	0.0002	0.001	0.001

Objective Function: $F_x = \vartheta + \varpi - \beta - \sum_{i=0}^n (\lambda)$

Loan Revenue: $\vartheta = \sum_{i=0}^n (rLL - \lambda)$

Loan Cost: $\mu = \sum_{i=0}^n (L\delta)$

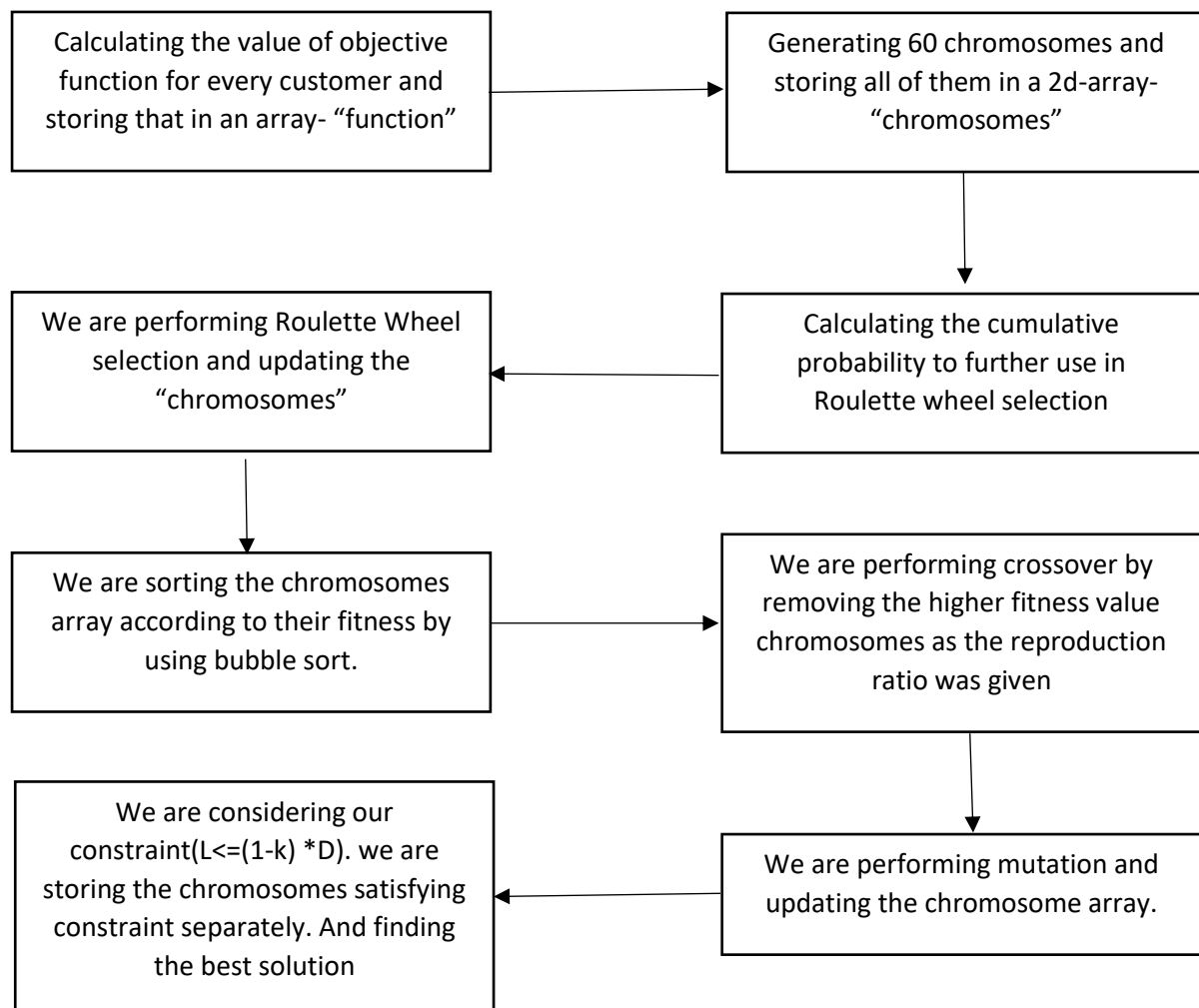
Total transaction cost: $\varpi = \sum_{i=0}^n (rLT)$

Cost of demand deposit: $\beta = rDD$

Constraint: $L \leq (1-k) * D$

Objective	<ul style="list-style-type: none"> - Determine a bank lending decision that maximizes the bank profit. - Determine a bank lending decision that minimizes the crediting cost.
Raw Fitness	$F_x = \vartheta + \varpi - \beta - \sum_{i=0}^n \lambda$ <ul style="list-style-type: none"> - Population Size (n) = 60 - GA Generations (\mathfrak{N}) = 60 - Crossover ratio = 0.8
Parameters	<ul style="list-style-type: none"> - Mutation ratio = 0.006 - Reproduction ratio(n) = 0.194 - Basic selection method is spanning the weighted roulette wheel selection
Stopping Criteria	<ul style="list-style-type: none"> -The evolution continues until: $F_x(t) = \mathfrak{N}$ where t is the time interval

Flow Chart:



Steps:

Step 1: Imported libraries *numpy, random, math*

Step 2: Declared values for *N, population_size, D, k, insti_cost, rD*

Step 3: Stored the values for *loan size, loan interest rate, loss*

Step 4: Created empty arrays to store the values of *loan_revenue, loan_cost, total_transaction_cost, cost_demand_deposit, function*

Step 5: Got profit value as output for every customer.

Step 6: Generating **60 chromosomes** and storing them in 2d array

Step 7: Calculating the cumulative probability for each chromosome and storing them in array *cum_fit*

Step 8: Applying **roulette wheel selection** and updating the value of chromosomes in array.

Step 9: Sorting array according to their fitness value (from low to high) using **bubble sort**

Step 10: Applying crossover on the rest of chromosomes which do not undergo reproduction.

Step 11: After crossover applying mutation on those chromosomes

Step 12: Eliminating chromosomes which violates the **constraint** ($L \leq (1-k) * D$)

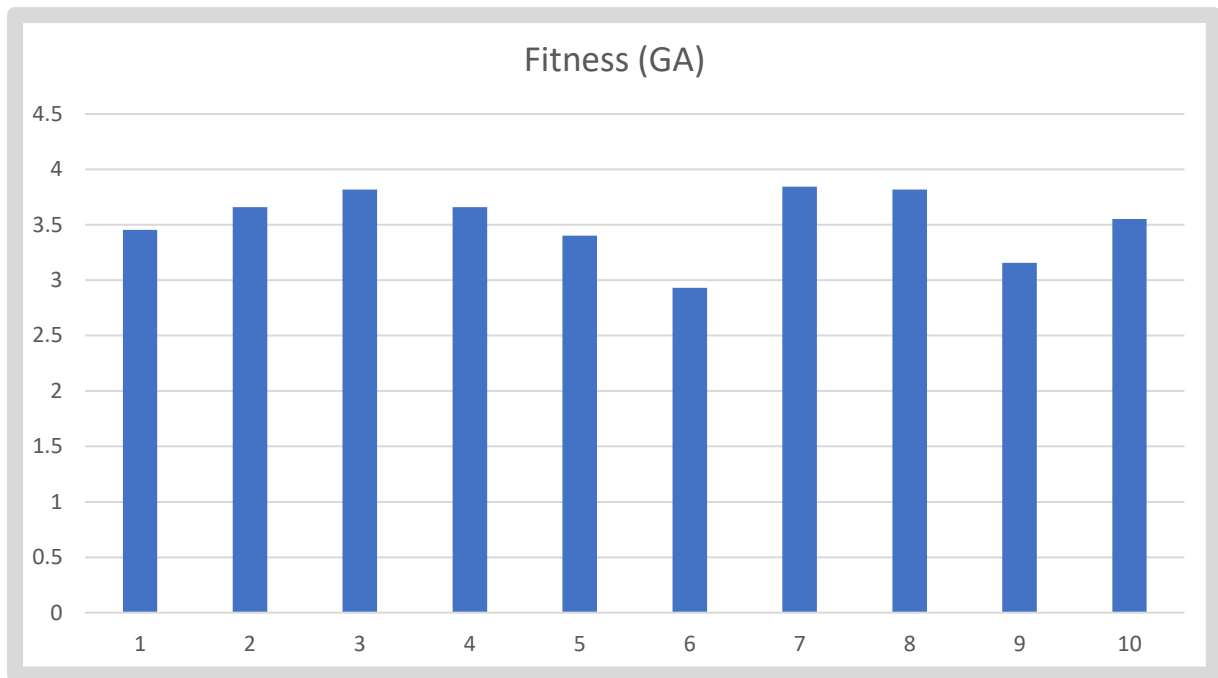
Step 13: Storing the rest of chromosomes in **chromo** and fitness value in **fit**.

Step 14: Getting the maximum fitness value from **fit** and corresponding chromosome from **chromo**

Result and Inference:

Running the code for 10 times and noting the best solution and its fitness.

Chromosomes	Fitness	Loan Size
[0 0 1 1 0 0 1 0 1 1]	3.4546	51
[0 0 1 1 0 1 1 0 1 0]	3.6602	44
[0 0 0 1 1 1 0 0 1 1]	3.8182	51
[1 0 0 1 0 1 1 0 1 0]	3.66	50
[0 0 1 0 0 1 1 0 1 1]	3.4038	43
[0 0 0 0 1 1 0 1 1 0]	2.9324	45
[1 0 1 0 0 1 0 1 1 1]	3.8436	51
[0 0 0 1 1 1 0 0 1 1]	3.8182	51
[0 0 1 0 1 1 0 1 0 1]	3.1572	50
[0 0 1 0 1 1 1 0 1 0]	3.554	51



Best solution obtained so far:

Chromosomes: [1 0 1 0 0 1 0 1 1 1]

Fitness: 3.8436

Simulated Annealing

Introduction:

Here we are using simulated annealing for optimizing the Bank lending decisions. A SA model that facilitates how banks would make an efficient decision while staying focus on the main objective of bank profit maximization.

Objective:

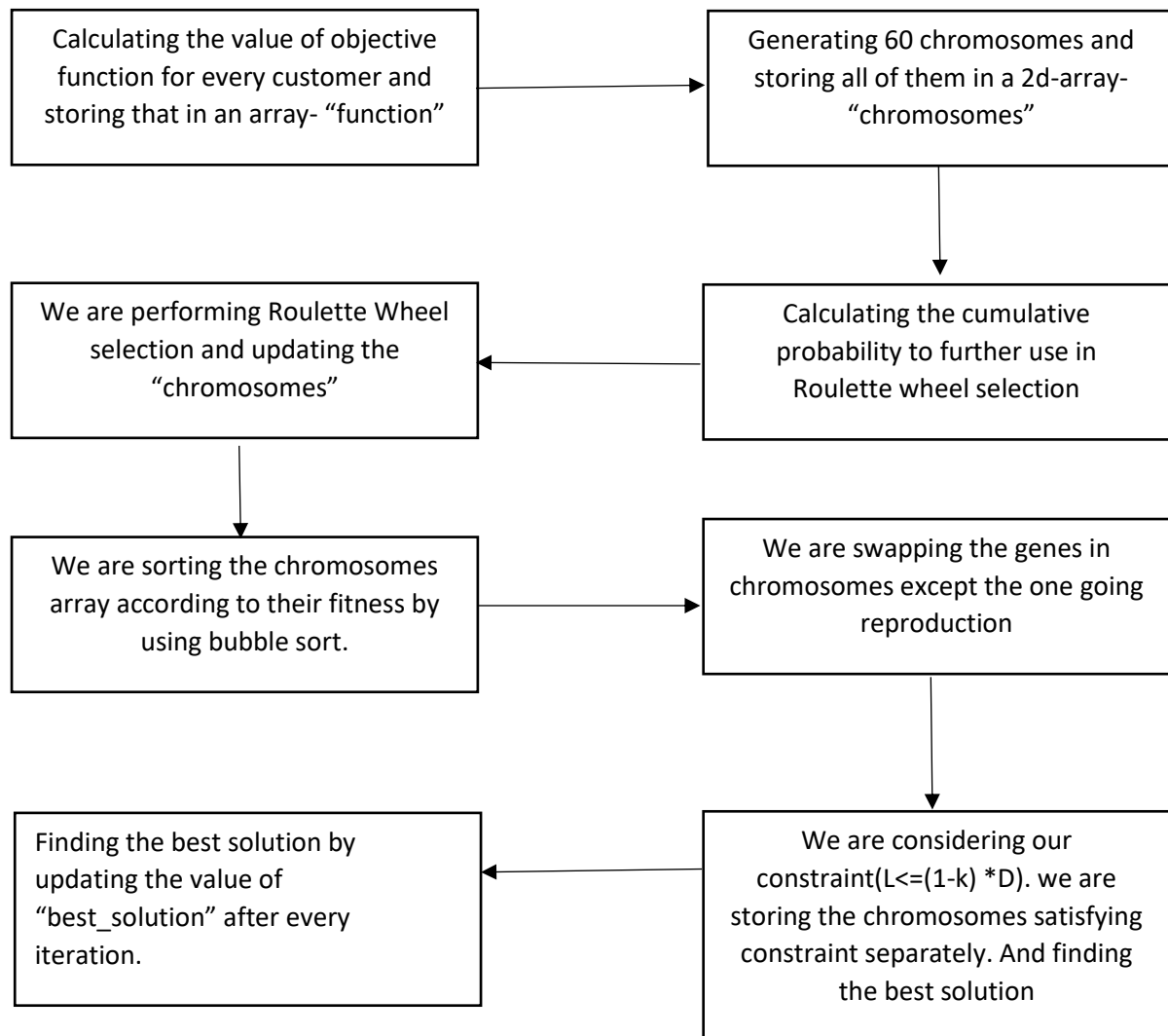
- To maximize the Profit.

Parameters:

Initial Temperature: $T_0 = 300$

Decrease in temperature after every iteration = -5

Flow Chart:



Steps:

Step 1: Imported libraries *numpy*, *random*, *math*

Step 2: Declared values for *N*, *population_size*, *D*, *k*, *insti_cost*, *rD*

Step 3: Stored the values for *loan size*, *loan interest rate*, *loss*

Step 4: Created empty arrays to store the values of *loan_revenue*, *loan_cost*, *total_transaction_cost*, *cost_demand_deposit*, *function*

Step 5: Got profit value as output for every customer.

Step 6: Generating **60 chromosomes** and storing them in 2d array

Step 7: Calculating the cumulative probability for each chromosome and storing them in array *cum_fit*

Step 8: Applying **roulette wheel selection** and updating the value of chromosomes in array.

Step 9: Sorting array according to their fitness value (from low to high) using **bubble sort**

Step 10: Declaring **T0, Tf, n**

Step 11: Swapping the randomly chosen bits and updating array **chromosome**

Step 12: Eliminating chromosomes which violates the **constraint** ($L \leq (1-k) * D$)

Step 13: Storing the rest of chromosomes in **chromo** and fitness value in **fitness**.

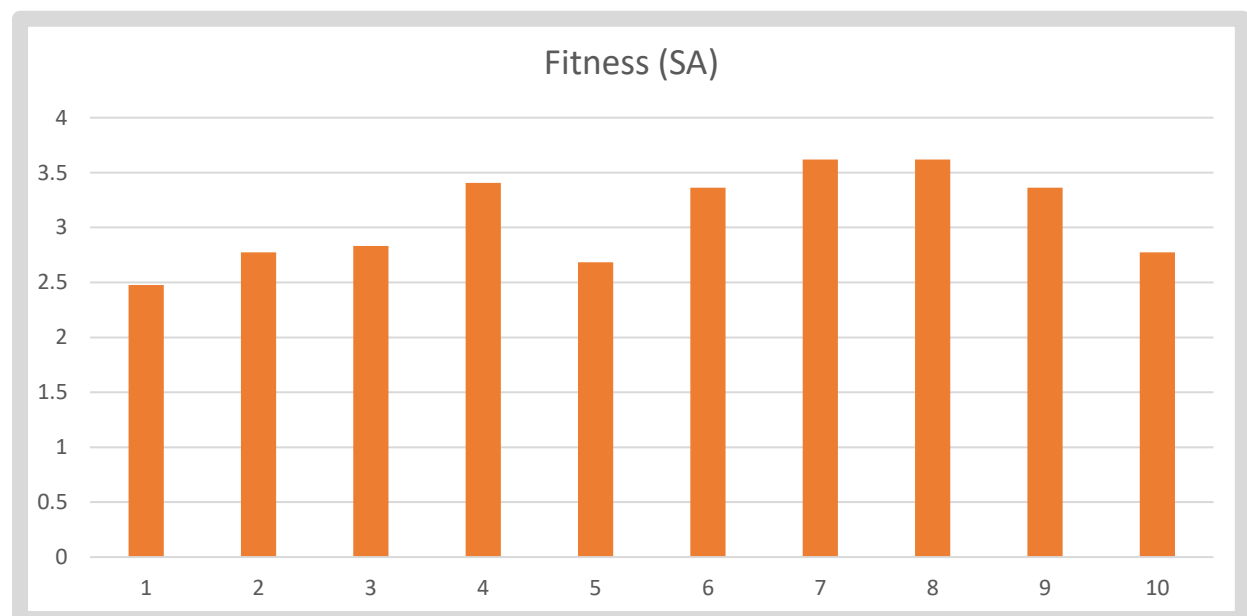
Step 14: declaring **best_solution** and applying simulated annealing and updating the value of best solution accordingly.

Step 15: Printing the value of best solution and respective chromosome.

Result and Inference:

Running the code for 10 times and noting the best solution and its fitness.

Chromosomes	Fitness	Loan Size
[0 0 1 1 0 0 0 1 0 1]	2.4778	40
[0 0 0 1 0 1 1 1 0 0]	2.774	46
[0 0 1 1 0 0 0 0 1 1]	2.8332	34
[1 0 1 1 0 0 1 0 1 0]	3.4052	51
[1 0 0 1 0 1 0 1 0 0]	2.6832	39
[0 0 1 1 0 0 0 1 1 1]	3.3638	51
[0 0 0 1 0 1 0 1 1 1]	3.6186	48
[0 0 0 1 0 1 0 1 1 1]	3.6186	48
[0 0 1 1 0 0 0 1 1 1]	3.3638	49
[0 0 0 1 0 1 1 1 0 0]	2.774	46



Best solution obtained so far:

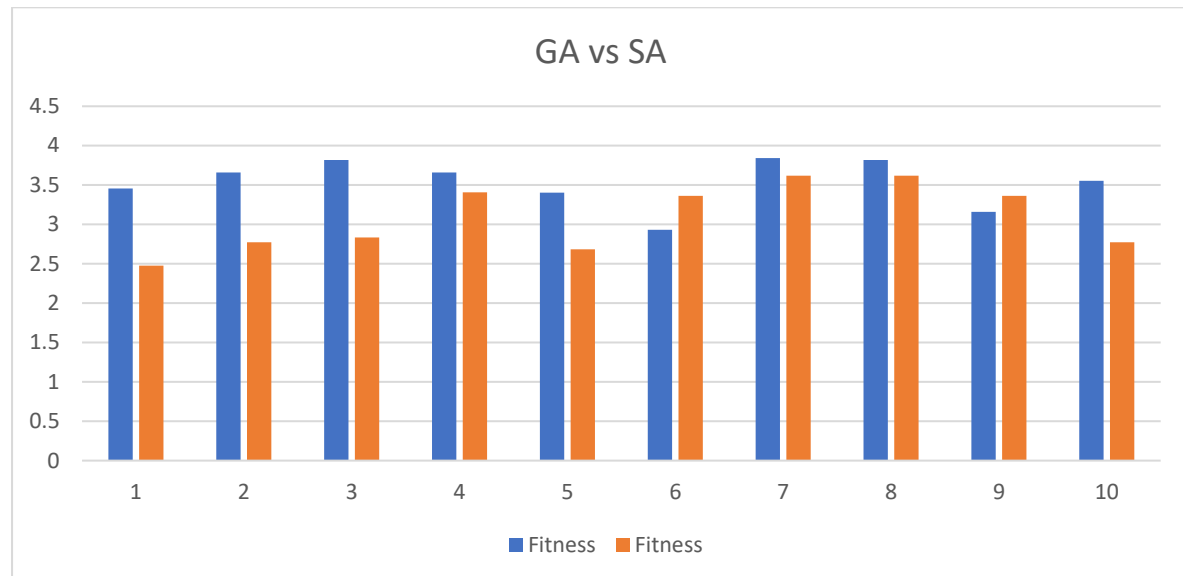
Chromosomes: [0 0 0 1 0 1 0 1 1 1]

Fitness: 3.6186

Comparison:

Orange- Fitness SA

Blue- Fitness GA



From here we can clearly see that *Genetic Algorithm* is giving better result than *Simulated Annealing*.

Genetic Algorithm & Simulated Annealing

Introduction:

Here we are using genetic algorithm and simulated annealing for optimizing the Bank lending decisions. A GA & SA model that facilitates how banks would make an efficient decision while staying focus on the main objective of bank profit maximization.

Objective:

- To maximize the Profit.

Parameters:

Initial Temperature: $T_0 = 300$

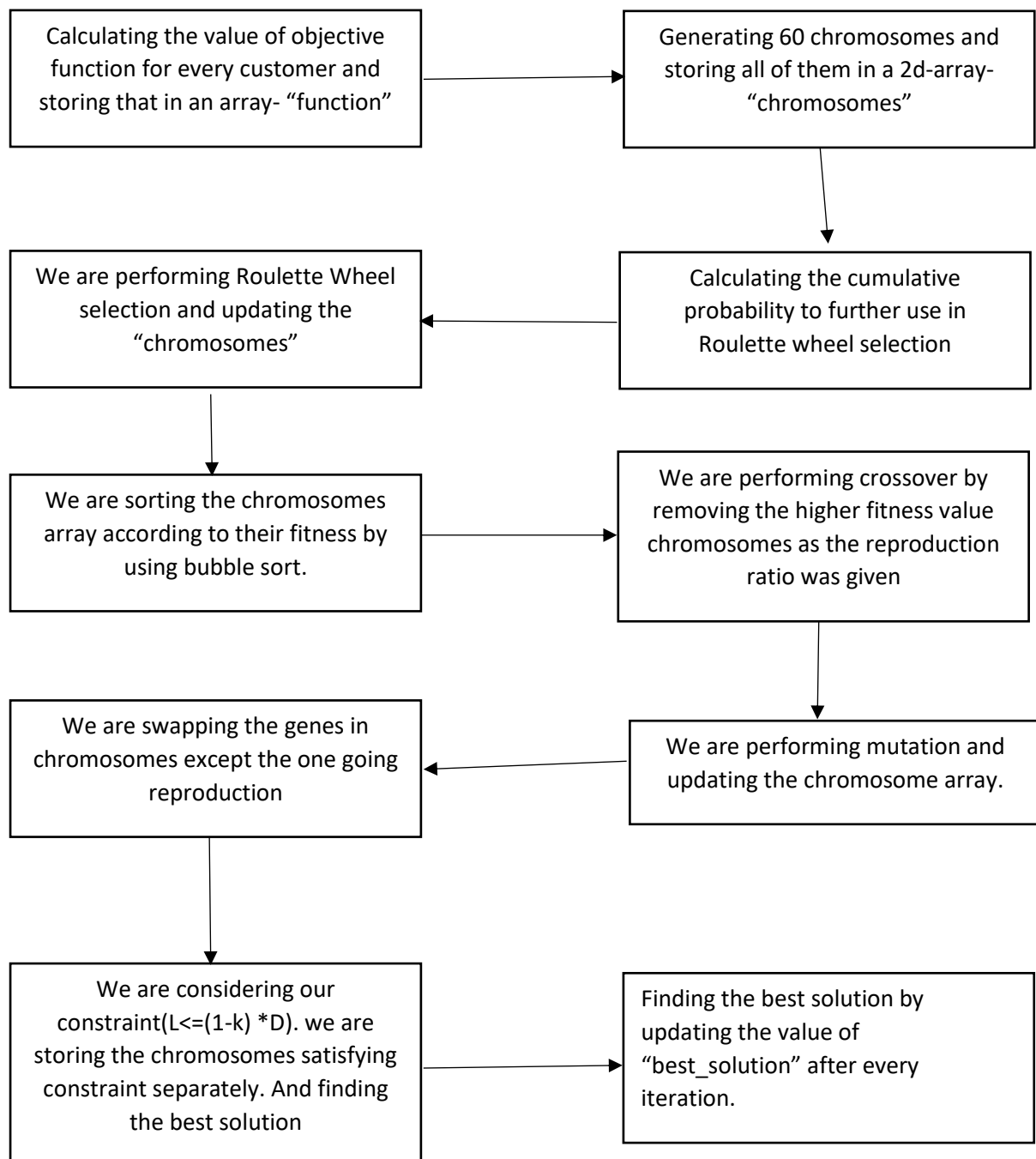
Decrease in temperature after every iteration = -5

Crossover Probability = 0.8

Mutation Probability = 0.006

Reproduction Ratio = 0.194

Flow Chart:



Steps:

Step 1: Imported libraries *numpy, random, math*

Step 2: Declared values for *N, population_size, D, k, insti_cost, rD*

Step 3: Stored the values for *loan size, loan interest rate, loss*

Step 4: Created empty arrays to store the values of *loan_revenue, loan_cost, total_transaction_cost, cost_demand_deposit, function*

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Step 12: Declaring *T0, Tf, n*

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Step 14: Eliminating chromosomes which violates the **constraint** ($L \leq (1-k) * D$)

Step 15: Storing the rest of chromosomes in **chromo** and fitness value in **fitness**.

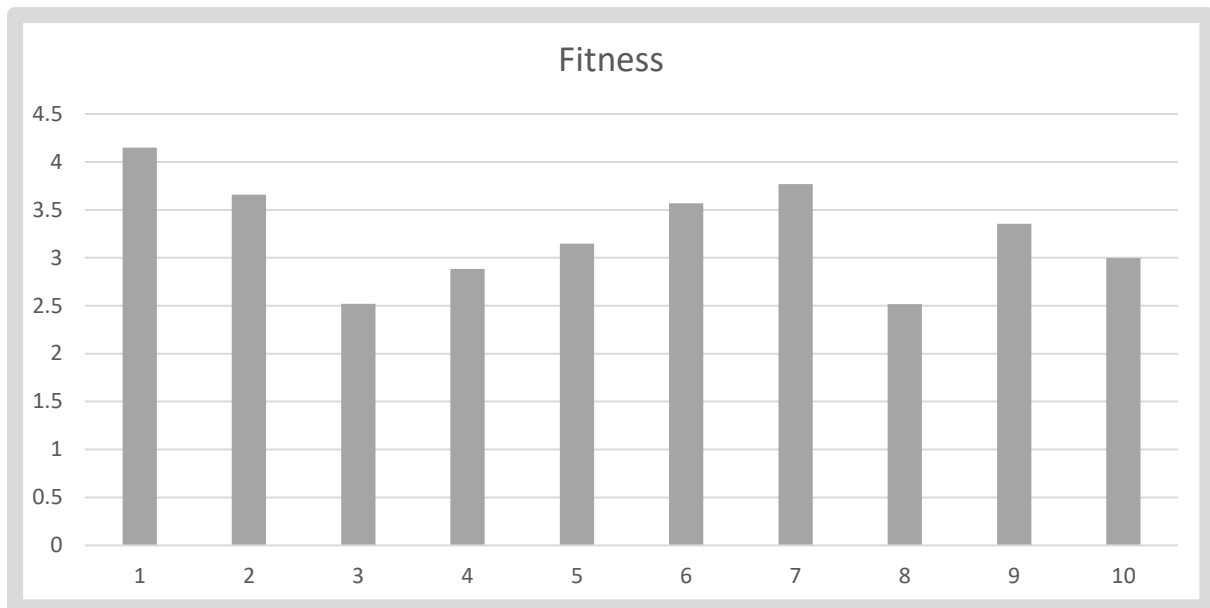
Step 16: declaring **best_solution** and applying simulated annealing and updating the value of best solution accordingly.

Step 17: Printing the value of best solution and respective chromosome.

Result and Inference:

Running the code for 10 times and noting the best solution and its fitness.

Chromosomes	Fitness	Loan Size
[1 0 1 1 0 1 0 0 1 1]	4.1494	47
[1 0 0 1 0 1 1 0 1 0]	3.66	50
[0 0 1 1 0 0 1 1 0 0]	2.5192	47
[1 0 0 1 1 1 0 0 0 0]	2.8828	42
[1 0 1 0 0 0 1 0 1 1]	3.1488	50
[0 0 1 1 0 1 0 1 1 0]	3.5694	42
[0 0 1 1 1 1 0 0 1 0]	3.769	45
[0 1 1 1 0 0 0 0 0 1]	2.5176	50
[0 0 1 0 0 1 1 1 1 0]	3.3544	48
[1 0 1 0 0 1 1 1 0 0]	2.999	49



Best solution obtained so far:

Chromosomes: [1 0 1 1 0 1 0 0 1 1]

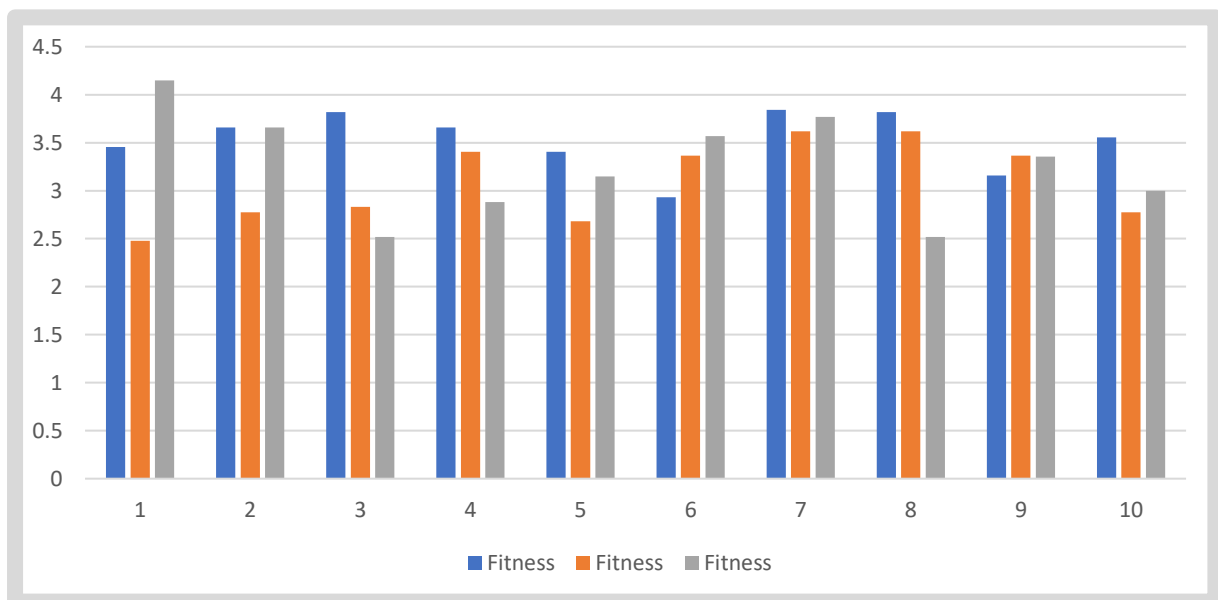
Fitness: 4.1494

Comparison:

Orange- Fitness SA

Blue- Fitness GA

Grey- Fitness GA & SA



Average fitness GA = 3.53022

Average fitness SA = 3.09122

Average fitness GA & SA = 3.25696

From here we can say using GA & SA gives better than SA but not than GA.

GA \geq GA & SA \geq SA