

kurtosis :- [Presence of outliers]

$$k = \frac{1}{n} \sum_{i=1}^n \left( \frac{x_i - \mu}{\sigma} \right)^4$$

It measures the tailedness (or) peakness of data visualization.

Types of kurtosis :-

→ Mesokurtic ( $k=3$ ) :-

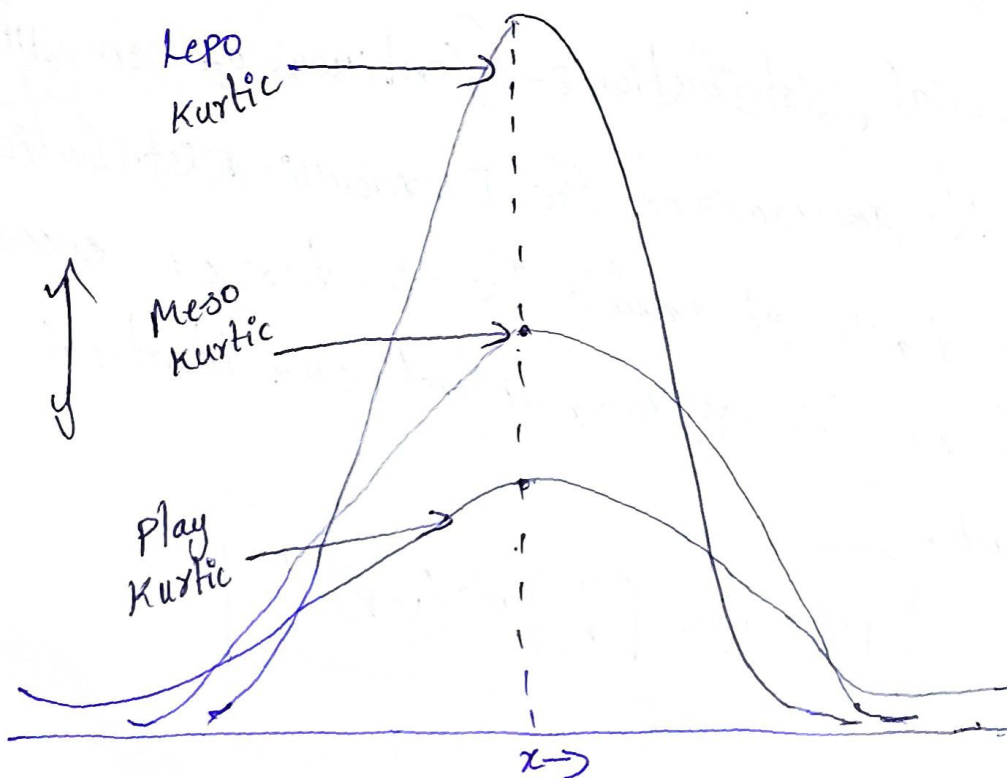
- \* Normal distribution
- \* No outliers
- \* Moderate tail and Peak.

→ Leptokurtic ( $k>3$ ) :-

- \* Heavy tails and sharp peak.
- \* More outliers

→ Platy kurtic ( $k<3$ ) :-

- \* Light tails and flat peak
- \* Fewer Outliers.



## → Bernoulli Distribution:-

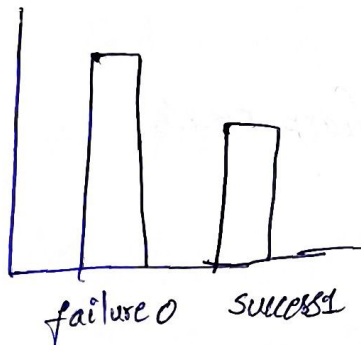
It is the simplest form of a discrete Probability distribution and models a random Experiment with Exactly 2 Outcomes.

→ Success denoted by  $= P$

→ failure denoted by  $= 1-P$

Total Probability is 1.

The range is 0-1.



$$P(T) = \frac{1}{2} = 0.5 \text{ for 1 trail}$$

$$P(H) = \frac{1}{2} = 0.5 \text{ for 1 trail}$$

→ It <sup>purpose</sup> ~~is~~ only <sup>to</sup> do only one trail, can't for many trail:

## → Binomial Distribution:- (Continuous of Bernoulli)

It generalizes the Bernoulli Distribution to multiple trials. It models the number of success in a fixed number of independent and identical Bernoulli trials.

$$P(X=k) = \binom{n}{k} P^k (1-P)^{n-k}$$

$K$  = no of success

$n$  = no of trials

$P$  = Probability of success

$(1-P)$  = Probability of failure

### Poisson Distribution:-

It is used to model the number of events that occur in a fixed time interval (or) space, and occur independently the parameter  $\lambda$  represents the avg number of event in the interval.

$$P(X=K) = \frac{\lambda^K e^{-\lambda}}{K!}$$

$\lambda$  is the avg no of events

$K$  is the no. of [arguments]. occurrences

### \*\* Inferential Statistics:-

#### ⇒ Probability:-

It measures likelihood of an event.

Eg:- Dice =  $\{1, 2, 3, 4, 5, 6\}$

$$P(x) = \frac{\text{No of favourable outcomes}}{\text{total no of outcomes}}$$

$$P(3) = \frac{1}{6}$$

$$P(2, 4, 5) = ? \quad P(2) + P(4) + P(5)$$

$$= \frac{1}{6} + \frac{1}{6} + \frac{1}{6} = \frac{3}{6} = \frac{1}{2} = 0.5$$



→ If we toss the 2 coins at a time

$\{HH, HT, TH, TT\}$

① what is the probability of getting only 1H?

$$P(H) = \frac{2}{4} = 1/2$$

② Both Tails?

$$P(T) = 1/4$$

→ There are 2 types:-

→ There are 2 rules in probability.

\* Addition Rule :- OR

\* Multiplication Rule :- AND

Addition Rule (OR):-

1) Mutual Exclusive Events

2) Non Mutual Exclusive Event

→ There is no chance to getting <sup>different</sup> multiple Events at <sup>same</sup> a time → Mutual Exclusive. Exg:- coins, dice

→ There is a chance for getting <sup>different</sup> multiple Events at <sup>same</sup> a time → Non mutual Exclusive Event

Eg:- Cards.

→ Diamonds	-13	<sup>K</sup> <sub>10</sub>
→ clubs	-13	
→ Hearts	-13	
→ Spades	-13	

Ex:- If you toss the coin what is the probability of landing on heads (or) tails.

$$\boxed{P(A \text{ or } B) = P(A) + P(B)} \quad \text{for (ME)}$$

$$P(H \text{ or } T) = P(H) + P(T)$$

$$= \frac{1}{2} + \frac{1}{2} = 1$$

Ex: - Picking the cards from the deck of cards. what is the probability of getting Jack (or) heart?

$$\boxed{P(J \text{ or } H) = P(J) + P(H) - P(J \cap H)}$$

$$= \frac{4}{52} + \frac{13}{52} - \frac{1}{52}$$

$$= \frac{16}{52}$$

$$= 0.31$$

H	K
D	Q
S	J
C	A
	...
	16
	12
	32
	10
	48
	4
	16
	52
	100

$$\boxed{P(A \text{ and } B) = P(A) + P(B) - P(A \cap B)} \quad \text{for NME}$$

Multiplication Rule:

→ Independent Event

→ Dependent Event

Independent Event:

Here all the values have the same priority after n numbers trials also.

(or)

1 Event depend on another Event.

Ex: 1<sup>st</sup> toss the coin.

$$P(H) = \frac{1}{2}$$

7<sup>th</sup> time toss the coin.

$$P(H) = \frac{1}{2}$$

Ex:- What is the probability of dice rolling and getting a 5 and then 4?

$$P(A \text{ and } B) = P(A) * P(B)$$

$$P(5 \text{ and } 4) = P(5) * P(4)$$

$$= \frac{1}{6} * \frac{1}{6}$$

$$= \frac{\cancel{1}^1}{\cancel{36}^{18}} = 0.027$$

$$= \frac{0.027}{100} = 2.7\% \text{ in percentage}$$

→ Dependent Event

Present Event is depend on the previous event.

Ex:-

for 1st time

$$P(O) = \frac{3}{7} = 0.43$$

for 2nd time

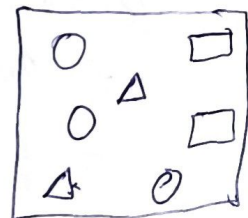
$$P(\Delta) = \frac{2}{6} = 0.3$$

for 3rd time

$$P(\square) = \frac{2}{5} = 0.5$$

for 4th time

$$P(O) = \frac{2}{4} = 0.5$$



$$T = 7$$

→ From a deck cards what is the probability of getting a king and then 8?

$$P(A^k \text{ and } B^8) = P(A) * P(B|A)$$