





- \*  $z_{1norm}$ ,  $z_{2norm}$  &  $z_{3norm}$  from previous stage is taken as input. They are stacked as a  $3 \times 512$  matrix that is fed into a Feed Forward NN.
- \* The NN has 2 layers (excluding input layer). The hidden layer has 2048 neurons all with ReLU activation & the output layer has 512 neurons all with Linear activation.
- \* Hidden layer has  $512 \times 2048$  weights & 2048 biases & output layer has  $2048 \times 512$  weights & 512 biases.
- \* The input is of  $3 \times 512$  so the calculation will be -  

$$\text{ReLU}[(3 \times 512) \times (512 \times 2048) + 2048] \quad \text{At hidden layer}$$

$$\Rightarrow \text{ReLU}[(3 \times 2048) + 2048]$$

↳ Resultant matrix
- \* For the output layer the input is of  $3 \times 2048$  dimension, so -  

$$\text{Linear}[(3 \times 2048) \times (2048 \times 512) + 512]$$

$$\Rightarrow \text{Linear}[(3 \times 512) + 512]$$

↳ Resultant matrix
- \* Through these operations we get the orig output of original dimensions of  $3 \times 512$  matrix. This can be broken down into 3 512 dimensional vectors  $\rightarrow y_1, y_2, y_3$
- \* Through the residual/skip connection we add original  $z_{1norm}$ ,  $z_{2norm}$ ,  $z_{3norm}$  to  $y_1, y_2$  &  $y_3$ . The resultant vectors are  $y'_1, y'_2$  &  $y'_3$ .
- \*  $y'_1, y'_2$  &  $y'_3$  are then passed to Layer normalization to normalize the embedding values.
- \* The final output we get are  $y_{1norm}$ ,  $y_{2norm}$  &  $y_{3norm}$ .
- \*  $y_{1norm}$ ,  $y_{2norm}$  &  $y_{3norm}$  are given as input to the next encoder block & the whole process repeats for 6 encoder blocks.
- \* The output of the final encoder block is given as input to the decoder.
- \* The output of the encoder block is  $3 \times 512$  dimensional.