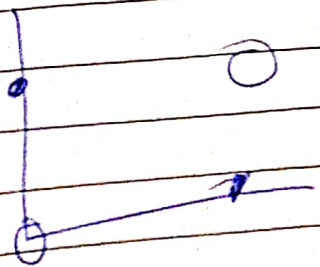


Neural Networks with only linear activations can never learn XOR, how much ever the hidden layers used.

Linear activation outputs $y = mx + c$
where x is input & y is output.
 m is the weight & c is bias.

So suppose we have a neural network, then to progress to the next layers we always have to do $y = mx + c$, i.e. multiply input by a weight. The only way this could become non-linear is if we had a term $(x \times x)$ i.e. (input \times input) which is clearly not possible in this case. And hence all the layers will keep giving a input \times weight term, which stays linear. Hence this cannot be applied to XOR, which is a non-linear problem.



Cannot be linearly separable, we would need 4 inputs for that.

$$\begin{aligned} F(x) &= B(Ax + a) + b \\ &= BAx + Ba + b \\ &= C_1x + C_2 \rightarrow \text{again linear} \end{aligned}$$

4) different components of CNN are :-

i) convolution layer :-

It is used for feature detection/extraction mainly. CNN's use kernel to reduce the input feature size (not in all cases), but mainly to capture important spatial features of the image input. It sometimes uses same kernel again & again ~~for~~ for all inputs since it's not dense & is computationally unresponsive.

ii) Pooling ~~area~~ Layer :-

The main use of pooling layer is to use ~~as~~ a kind of stride ~~to~~ ^{to} progressively reduce the spatial size of the input. This reduces no. of input & parameters to the next layer, which reduces the computations as well. It also downsamples the data.

~~Relu~~ Activation Layer

→ Activation functions are needed to make sense of non-linear inputs. Many activation layers like sigmoid, tanh & ReLU can be used for this purpose.

Dropout layers

Dropout layers are used to drop some neurons randomly during the propagation. This is done to stop overfitting in some instances as the neuron might learn that particular ^{input} features and increase variance.

Fully connected layers

Fully connected layers are used to do the final classification of ^{a class}. They are dense layers and output probabilities of the output classes for each input.

Q5) Assuming 2×2 kernel with stride 1 for first hidden layer.

So input 5×5 can be considered as ^{1st} and next ^{2nd} layer will have ~~4~~ ¹⁶ nodes

1	2	3	4	5
6	7	8	9	10
11	12	13	14	15
16	17	18	19	20
21	22	23	24	25

1	2	3	4
5	6	7	8
9	10	11	12
13	14	15	16

So we have to make following connections

→ Connect $(1, 2, 1, 1)$
 " $(1, 2, 2, 1)$
 " $(1, 2, 3, 1)$
 " $(1, 2, 4, 1)$

So similarly every neuron in 2nd layer will have 4 connections from previous layers

Also

Share $(1, 2, 1, 1, 2, 2)$
 Share $(1, 2, 2, 2, 3, 3)$
 Share $(1, 2, 3, 3, 4, 4)$
 Share $(1, 2, 4, 4, 5, 5)$

Basically wherever the 2×2 kernel coincides with the inputs

code

connect

```

count = 0
for i in range(0, 16):
    connect(C, 1, 2, i)
    connect(C, 1, 2, i+1)
    connect(C, 1, 2, i+5)
    connect(C, 1, 2, i+6)
    if (i % 5 == 0):
        count += 1
    
```

→ increase
→ modular
increase
ie C, n + 1
= (2, 1)

Share

Iterate through 5x5 Matrix = M

```

for i in rows:
    for j in cols:
    
```

```

if (i % 4 == 0):
    add (M[i][j]) to hashMap[a]
    
```

→ a counter = (1, 1)
b " = (1, 1)
c " = (1, 1)
d " = (1, 1)

```

increase a counter by 1
if (i % 4 != 0):
    add (M[i][j]) to " [b]
    
```

hashMap
= [a → C]
[b → C]
[c → C]
[d → C]

```

increase b counter
if (i % 4 == 0):
    add (M[i][j]) to " [c]
    
```

```

increase c counter
if (i % 4 != 0):
    add (M[i][j]) to " [d]
    
```

increase counter

This will create a hash Map of shared connections b/w neurons for that weight.


```

for i in HashMap
  for j in range(len(i-1))
    share(1, 2,
    for k in range(j, len(i))
      share(1, 2, k(0), k(1), j(0), j(1))
    # output pairs
  
```

Now connect 6×4 Matrix to 2×1 output

Matrix
2 row

2 col

1	2	3	4
5	6	7	8
9	10	11	12
13	14	15	16

1
2

connect

for i in 4

for j in 4

connect(2, 3, $i \times 4 + j$, 1)

connect(2, 3, $i \times 4 + j$, 2)

No weights shared here in FC