

# Diffusion Curvature

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## Abstract

For a number of years now work has been proceeding in order to bring to perfection the crudely conceived idea of a machine that would not only supply inverse reactive current for use in unilateral phase detractors, but would also be capable of automatically synchronizing cardinal grammeters. Such a machine is the “Turbo-Encabulator.”

## Plain Language Summary

We introduce Diffusion Curvature, a fast, differentiable, noise-robust pointwise curvature for graphs and point clouds.

## 1 Introduction

Recent years have seen a growing appreciation that black-box machine learning methods can understand data better (and, in turn, be better understood) by incorporating geometric information.

## 2 Data & Methods

Source: [Article Notebook](#)

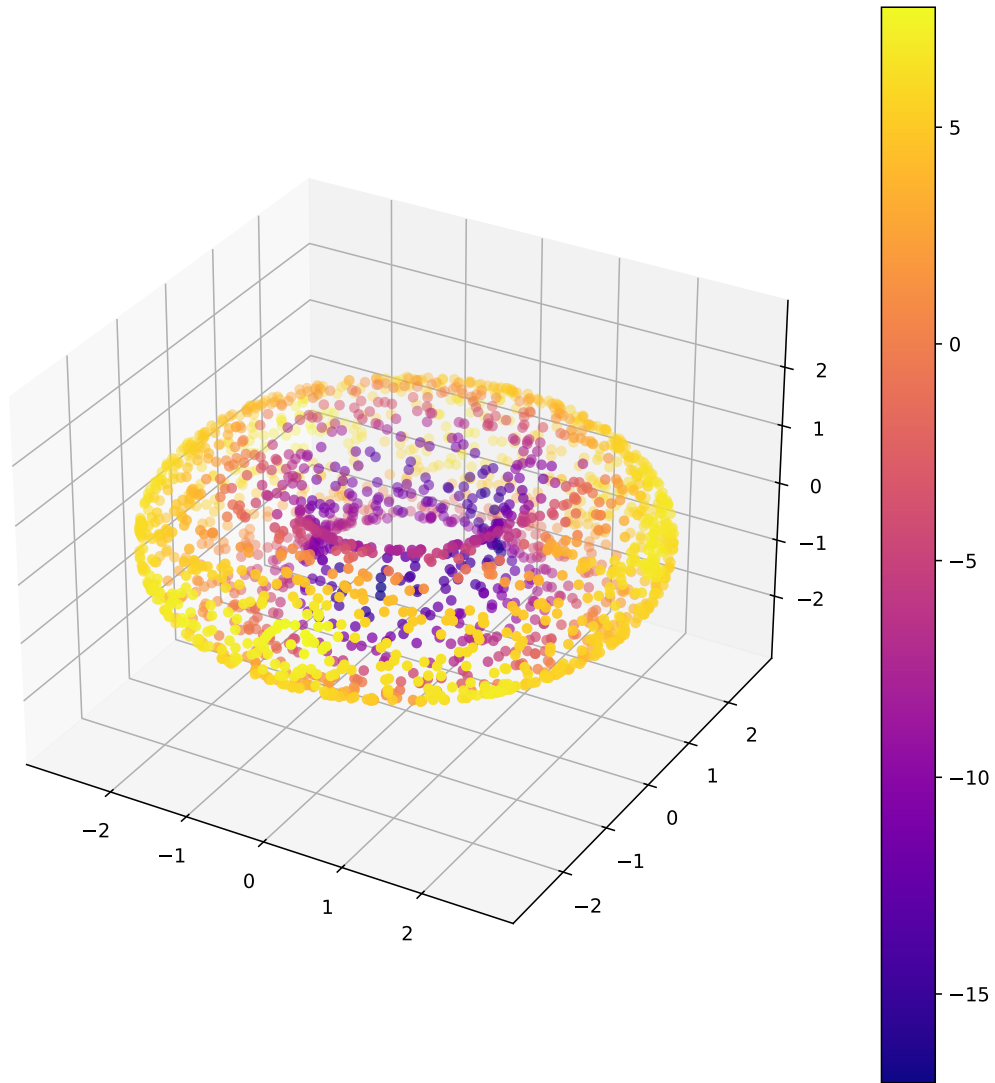


Figure 1: Diffusion Curvature vs Gaussian Curvature of the Torus

24 Source: [Article Notebook](#)

25 **3 Conclusion**  
 26 **References**

27 Source: [Article Notebook](#)