

Binary Search - GeeksforGeeks

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Courses Tutorials Practice Jobs DSA Tutorial Interview Questions Quizzes Must Do Advanced DSA System Design Aptitude Puzzles Interview Corner DSA Python Technical Scripter 2026 Explore DSA Fundamentals Logic Building Problems Analysis of Algorithms Data Structures Array Data Structure String in Data Structure Hashing in Data Structure Linked List Data Structure Stack Data Structure Queue Data Structure Tree Data Structure Graph Data Structure Trie Data Structure Algorithms Searching Algorithms Sorting Algorithms Introduction to Recursion Greedy Algorithms Tutorial Graph Algorithms Dynamic Programming or DP Bitwise Algorithms Advanced Segment Tree Binary Indexed Tree or Fenwick Tree Square Root (Sqrt) Decomposition Algorithm Binary Lifting Geometry Interview Preparation Interview Corner GfG160 Practice Problem GeeksforGeeks Practice - Leading Online Coding Platform Problem of The Day - Develop the Habit of Coding DSA Course 90% Refund Binary Search Last Updated : 31 Jan, 2026 Binary Search is a searching algorithm that operates on a sorted or monotonic search space, repeatedly dividing it into halves to find a target value or optimal answer in logarithmic time $O(\log N)$. Conditions to apply Binary Search Algorithm in a Data Structure To apply Binary Search algorithm: The data structure must be sorted. Access to any element of the data structure should take constant time. Binary Search Algorithm Below is the step-by-step algorithm for Binary Search: Divide the search space into two halves by finding the middle index "mid". Compare the middle element of the search space with the key . If the key is found at middle element, the process is terminated. If the key is not found at middle element, choose which half will be used as the next search space. -> If the key is smaller than the middle element, then the left side is used for next search. -> If the key is larger than the middle element, then the right side is used for next search. This process is continued until the key is found or the total search space is exhausted. How does Binary Search Algorithm work? To understand the working of binary search, consider the following illustration: Consider an array $arr[] = \{2, 5, 8, 12, 16, 23, 38, 56, 72, 91\}$, and the target = 23 . How to Implement Binary Search? The Binary Search Algorithm can be implemented in the following two ways Iterative Binary Search Algorithm Recursive Binary Search Algorithm Iterative Algorithm: $O(\log n)$ Time and $O(1)$ Space Here we use a while loop to continue the process of comparing the key and splitting the search space in two halves. Try it on GfG Practice C++ #include <iostream> #include <vector> using namespace std ; int binarySearch (vector < int > & arr , int x) { int low = 0 ; int high = arr . size () - 1 ; while (low <= high) { int mid = low + (high - low) / 2 ; // Check if x is present at mid if (arr [mid] == x) return mid ; // If x greater, ignore left half if (arr [mid] < x) low = mid + 1 ; // If x is smaller, ignore right half else high = mid - 1 ; } // If we reach here, then element was not present return -1 ; } int main () { vector < int > arr = { 2 , 3 , 4 , 10 , 40 } ; int x = 10 ; int result = binarySearch (arr , x); if (result == -1) cout << "Element is not present in array" ; else cout << "Element is present at index " << result ; return 0 ; } C #include <stdio.h> int binarySearch (int arr [], int n , int x) { int low = 0 ; int high = n - 1 ; while (low <= high) { int mid = low + (high - low) / 2 ; // Check if x is present at mid if (arr [mid] == x) return mid ; // If x greater, ignore left half if (arr [mid] < x) low = mid + 1 ; // If x is smaller, ignore right half else high = mid - 1 ; } // If we reach here, then element was not present return -1 ; } int main () { int arr [] = { 2 , 3 , 4 , 10 , 40 } ; int x = 10 ; int n = sizeof (arr) / sizeof (arr [0]); int result = binarySearch (arr , n , x); if (result == -1) printf ("Element is not present in array"); else printf ("Element is present at index %d" , result); } Java class GFG { static int binarySearch (int arr [] , int x) { int low = 0 , high = arr . length - 1 ; while (low <= high) { int mid = low + (high - low) / 2 ; // Check if x is present at mid if (arr [mid] == x) return mid ; // If x greater, ignore left half if (arr [mid] < x) low = mid + 1 ; // If x is smaller, ignore right half else high = mid - 1 ; } // If we reach here, then element was not present return -1 ; } public static void main (String args []) { int arr [] = { 2 , 3 , 4 , 10 , 40 } ; int x = 10 ; int result = binarySearch (arr , x); if (result == -1) System . out . println ("Element is not present in array"); else System . out . println ("Element is present at " + "index " + result); } } Python def binarySearch (arr , x): low = 0 high = len (arr) - 1 while low <= high : mid = low + (high - low) // 2 # Check if x is present at mid if arr [mid] == x : return mid # If x is greater, ignore left half elif arr [mid] < x : low = mid + 1 # If x is smaller, ignore right half else : high = mid - 1 # If we reach here, then the element # was not present return -1 if __name__ == '__main__' : arr = [2 , 3 , 4 , 10 , 40] x = 10 result = binarySearch (arr , x) if result != -1 : print ("Element is present at index" , result) else : print ("Element is not present in array")

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) C# using System ; class GFG { static int binarySearch ( int [] arr , int x ) { int low = 0 , high = arr . Length - 1 ; while ( low <= high ) { int mid = low + ( high - low ) / 2 ; // Check if x is present at mid if ( arr [ mid ] == x ) return mid ; // If x greater, ignore left half if ( arr [ mid ] < x ) low = mid + 1 ; // If x is smaller, ignore right half else high = mid - 1 ; } // If we reach here, then element was // not present return - 1 ; } public static void Main () { int [] arr = { 2 , 3 , 4 , 10 , 40 } ; int n = arr . Length ; int x = 10 ; int result = binarySearch ( arr , x ) ; if ( result == - 1 ) Console . WriteLine ( "Element is not present in array" ) ; else Console . WriteLine ( "Element is present at " + "index " + result ) ; } } JavaScript function binarySearch ( arr , x ) { let low = 0 ; let high = arr . length - 1 ; let mid ; while ( high >= low ) { mid = low + Math . floor (( high - low ) / 2 ) ; // If the element is present at the middle // itself if ( arr [ mid ] == x ) return mid ; // If element is smaller than mid, then // it can only be present in left subarray if ( arr [ mid ] > x ) high = mid - 1 ; // Else the element can only be present // in right subarray else low = mid + 1 ; } // We reach here when element is not // present in array return - 1 ; } // Driver Code arr = new Array ( 2 , 3 , 4 , 10 , 40 ) ; x = 10 ; result = binarySearch ( arr , x ) ; if ( result == - 1 ) console . log ( "Element is not present in array" ) else console . log ( "Element is present at index " + result ) ; PHP <?php function binarySearch ( $arr , $x ) { $low = 0 ; $high = sizeof ( $arr ) - 1 ; while ( $low <= $high ) { $mid = $low + ( $high - $low ) / 2 ; // Check if x is present at mid if ( $arr [ $mid ] == $x ) return floor ( $mid ) ; // If x greater, ignore // left half if ( $arr [ $mid ] < $x ) $low = $mid + 1 ; // If x is smaller, // ignore right half else $high = $mid - 1 ; } // If we reach here, then // element was not present return - 1 ; } // Driver Code $arr = array ( 2 , 3 , 4 , 10 , 40 ) ; $x = 10 ; $result = binarySearch ( $arr , $x ) ; if ( $result == - 1 ) echo "Element is not present in array" ; else echo "Element is present at index " , $result ; ?> Output Element is present at index 3 Recursive Algorithm: O(log n) Time and O(Log n) Space Create a recursive function and compare the mid of the search space with the key. And based on the result either return the index where the key is found or call the recursive function for the next search space. C++ #include <iostream> #include <vector> using namespace std ; // A recursive binary search function. It returns // location of x in given array arr[low..high] is present, // otherwise -1 int binarySearch ( vector < int > & arr , int low , int high , int x ) { if ( high >= low ) { int mid = low + ( high - low ) / 2 ; // If the element is present at the middle // itself if ( arr [ mid ] == x ) return mid ; // If element is smaller than mid, then // it can only be present in left subarray if ( arr [ mid ] > x ) return binarySearch ( arr , low , mid - 1 , x ) ; // Else the element can only be present // in right subarray return binarySearch ( arr , mid + 1 , high , x ) ; } return -1 ; } int main () { vector < int > arr = { 2 , 3 , 4 , 10 , 40 } ; int query = 10 ; int n = arr . size () ; int result = binarySearch ( arr , 0 , n - 1 , query ) ; if ( result == -1 ) cout << "Element is not present in array" ; else cout << "Element is present at index " << result ; return 0 ; } C #include <stdio.h> // A recursive binary search function. It returns // location of x in given array arr[low..high] is present, // otherwise -1 int binarySearch ( int arr [] , int low , int high , int x ) { if ( high >= low ) { int mid = low + ( high - low ) / 2 ; // If the element is present at the middle // itself if ( arr [ mid ] == x ) return mid ; // If element is smaller than mid, then // it can only be present in left subarray if ( arr [ mid ] > x ) return binarySearch ( arr , low , mid - 1 , x ) ; // Else the element can only be present // in right subarray return binarySearch ( arr , mid + 1 , high , x ) ; } // We reach here when element is not // present in array return -1 ; } int main () { int arr [] = { 2 , 3 , 4 , 10 , 40 } ; int n = sizeof ( arr ) / sizeof ( arr [ 0 ] ) ; int x = 10 ; int result = binarySearch ( arr , 0 , n - 1 , x ) ; if ( result == -1 ) printf ( "Element is not present in array" ) ; else printf ( "Element is present at index %d" , result ) ; return 0 ; } Java class GFG { // A recursive binary search function. It returns // location of x in given array arr[low..high] is present, // otherwise -1 static int binarySearch ( int arr [] , int low , int high , int x ) { if ( high >= low ) { int mid = low + ( high - low ) / 2 ; // If the element is present at the // middle itself if ( arr [ mid ] == x ) return mid ; // If element is smaller than mid, then // it can only be present in left subarray if ( arr [ mid ] > x ) return binarySearch ( arr , low , mid - 1 , x ) ; // Else the element can only be present // in right subarray return binarySearch ( arr , mid + 1 , high , x ) ; } // We reach here when element is not present // in array return -1 ; } public static void main ( String args [] ) { int arr [] = { 2 , 3 , 4 , 10 , 40 } ; int n = arr . length ; int x = 10 ; int result = binarySearch ( arr , 0 , n - 1 , x ) ; if ( result == -1 ) System . out . println ( "Element is not present in array" ) ; else System . out . println ( "Element is present at index " + result ) ; } } Python # A recursive binary search function. It returns # location of x in given array arr[low..high] is present, # otherwise -1 def binarySearch ( arr , low , high , x ): # Check base case if high >= low : mid = low + ( high - low ) // 2 # If element is present at the middle itself if arr [ mid ] == x : return mid # If element is smaller than mid, then it # can only be present in left subarray elif arr [ mid ] > x : return binarySearch ( arr , low , mid - 1 , x ) # Else the element can only be present # in right subarray else : return binarySearch ( arr , mid + 1 , high , x ) # Element is not present in the array else : return - 1 if __name__ == '__main__' : arr = [ 2 , 3 , 4 , 10 , 40 ] x = 10 result = binarySearch ( arr , 0 , len ( arr ) - 1 , x ) if result != - 1 : print ( "Element is present at index" , result ) else : print ( "Element is

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not present in array") C# using System ; class GFG { // Returns index of x if it is present in // arr[low..high], else return -1 static int binarySearch (int [] arr , int low , int high , int x) { if (high >= low) { int mid = low + (high - low) / 2 ; // If the element is present at the // middle itself if (arr [mid] == x) return mid ; // If element is smaller than mid, then // it can only be present in left subarray if (arr [mid] > x) return binarySearch (arr , low , mid - 1 , x); // Else the element can only be present // in right subarray return binarySearch (arr , mid + 1 , high , x); } // We reach here when element is not present // in array return - 1 ; } public static void Main () { int [] arr = { 2 , 3 , 4 , 10 , 40 }; int n = arr . Length ; int x = 10 ; int result = binarySearch (arr , 0 , n - 1 , x); if (result == - 1) Console . WriteLine ("Element is not present in array"); else Console . WriteLine ("Element is present at index " + result); } } JavaScript // A recursive binary search function. It returns // location of x in given array arr[low..high] is present, // otherwise -1 function binarySearch (arr , low , high , x) { if (high >= low) { let mid = low + Math . floor ((high - low) / 2); // If the element is present at the middle // itself if (arr [mid] == x) return mid ; // If element is smaller than mid, then // it can only be present in left subarray if (arr [mid] > x) return binarySearch (arr , low , mid - 1 , x); // Else the element can only be present // in right subarray return binarySearch (arr , mid + 1 , high , x); } // We reach here when element is not // present in array return - 1 ; } // Driver Code let arr = [2 , 3 , 4 , 10 , 40]; let x = 10 ; let n = arr . length let result = binarySearch (arr , 0 , n - 1 , x); if (result == - 1) console . log ("Element is not present in array"); else console . log ("Element is present at index " + result); PHP <?php // A recursive binary search function. It returns // location of x in given array arr[low..high] is present, // otherwise -1 function binarySearch (\$arr , \$low , \$high , \$x) { if (\$high >= \$low) { \$mid = ceil (\$low + (\$high - \$low) / 2); // If the element is present // at the middle itself if (\$arr [\$mid] == \$x) return floor (\$mid); // If element is smaller than // mid, then it can only be // present in left subarray if (\$arr [\$mid] > \$x) return binarySearch (\$arr , \$low , \$mid - 1 , \$x); // Else the element can only // be present in right subarray return binarySearch (\$arr , \$mid + 1 , \$high , \$x); } // We reach here when element // is not present in array return - 1 ; } \$arr = array (2 , 3 , 4 , 10 , 40); \$n = count (\$arr); \$x = 10 ; \$result = binarySearch (\$arr , 0 , \$n - 1 , \$x); if (\$result == - 1) echo "Element is not present in array" ; else echo "Element is present at index " , \$result ; ?> Output Element is present at index 3 Complexity Analysis Time Complexity: -> Best Case: O(1) -> Average Case: O(log N) -> Worst Case: O(log N) Auxiliary Space: O(1), If the recursive call stack is considered then the auxiliary space will be O(log N). Please refer Time and Space Complexity Analysis of Binary Search for more details. Binary Search Visualizer Applications Searching in sorted arrays Finding first/last occurrence or closest match in a sorted array Database indexing — Used in B-trees and similar structures for fast data lookup. Debugging in version control — Tools like git bisect use binary search to isolate faulty commits. Network routing & IP lookup — Efficiently find routing entries in tables sorted by address ranges. File systems & libraries — Fast search through sorted directories or symbol tables. Gaming/graphics — Collision detection or ray tracing using sorted spatial data. Machine learning tuning — Efficient hyperparameter search (e.g., learning rate, thresholds). Optimization problems & competitive programming — Solve boundary-value challenges by narrowing search space. Advanced data structures — Binary search trees, self-balancing BSTs, and fractional cascading rely on search logic. Problems Square Root of Integer First and Last Positions in a sorted array Count 1's in a sorted binary array Unbounded Binary Search Minimum in a sorted rotated array Search in a sorted rotated array Aggressive Cows Related Links Top Binary Search Interview Questions Searching Coding Practice Comment Article Tags: Article Tags: Divide and Conquer Searching DSA Oracle Qualcomm SAP Labs Binary Search Infosys TCS Wipro Accenture DSA Tutorials + 8 More