

Aho-Corasick Algorithm for Pattern Searching - GeeksforGeeks

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Courses Tutorials Practice Jobs DSA Tutorial Interview Questions Quizzes Must Do Advanced DSA System Design Aptitude Puzzles Interview Corner DSA Python Technical Scripter 2026 Explore DSA Fundamentals Logic Building Problems Analysis of Algorithms Data Structures Array Data Structure String in Data Structure Hashing in Data Structure Linked List Data Structure Stack Data Structure Queue Data Structure Tree Data Structure Graph Data Structure Trie Data Structure Algorithms Searching Algorithms Sorting Algorithms Introduction to Recursion Greedy Algorithms Tutorial Graph Algorithms Dynamic Programming or DP Bitwise Algorithms Advanced Segment Tree Binary Indexed Tree or Fenwick Tree Square Root (Sqrt) Decomposition Algorithm Binary Lifting Geometry Interview Preparation Interview Corner GfG160 Practice Problem GeeksforGeeks Practice - Leading Online Coding Platform Problem of The Day - Develop the Habit of Coding DSA Course 90% Refund Aho-Corasick Algorithm for Pattern Searching Last Updated : 23 Jul, 2025 Given an input text and an array of k words, arr[], find all occurrences of all words in the input text. Let n be the length of text and m be the total number of characters in all words, i.e. $m = \text{length}(\text{arr}[0]) + \text{length}(\text{arr}[1]) + \dots + \text{length}(\text{arr}[k-1])$. Here k is total numbers of input words. Example: Input: text = "ahishers" arr[] = {"he", "she", "hers", "his"}

Output: Word his appears from 1 to 3 Word he appears from 4 to 5 Word she appears from 3 to 5 Word hers appears from 4 to 7 If we use a linear time searching algorithm like KMP , then we need to one by one search all words in text[]. This gives us total time complexity as $O(n + \text{length}(\text{word}[0])) + O(n + \text{length}(\text{word}[1])) + O(n + \text{length}(\text{word}[2])) + \dots + O(n + \text{length}(\text{word}[k-1]))$. This time complexity can be written as $O(n*k + m)$. Aho-Corasick Algorithm finds all words in $O(n + m + z)$ time where z is total number of occurrences of words in text. The Aho-Corasick string matching algorithm formed the basis of the original Unix command fgrep. Preprocessing : Build an automaton of all words in arr[] The automaton has mainly three functions: Go To : This function simply follows edges of Trie of all words in arr[]. It is represented as 2D array g[][] where we store next state for current state and character.

Failure : This function stores all edges that are followed when current character doesn't have edge in Trie. It is represented as 1D array f[] where we store next state for current state.

Output : Stores indexes of all words that end at current state. It is represented as 1D array o[] where we store indexes of all matching words as a bitmap for current state. Matching : Traverse the given text over built automaton to find all matching words. Preprocessing: We first Build a Trie (or Keyword Tree) of all words. Trie This part fills entries in goto g[][] and output o[]. Next we extend Trie into an automaton to support linear time matching. This part fills entries in failure f[] and output o[]. Go to : We build Trie . And for all characters which don't have an edge at root, we add an edge back to root. Failure : For a state s, we find the longest proper suffix which is a proper prefix of some pattern. This is done using Breadth First Traversal of Trie. Output : For a state s, indexes of all words ending at s are stored. These indexes are stored as bitwise map (by doing bitwise OR of values). This is also computing using Breadth First Traversal with Failure. Below is the implementation of Aho-Corasick Algorithm C++ // C++ program for implementation of Aho Corasick algorithm // for string matching using namespace std ; #include <bits/stdc++.h> // Max number of states in the matching machine. // Should be equal to the sum of the length of all keywords. const int MAXS = 500 ; // Maximum number of characters in input alphabet const int MAXC = 26 ; // OUTPUT FUNCTION IS IMPLEMENTED USING out[] // Bit i in this mask is one if the word with index i // appears when the machine enters this state. int out [MAXS] ; // FAILURE FUNCTION IS IMPLEMENTED USING f[] int f [MAXS] ; // GOTO FUNCTION (OR TRIE) IS IMPLEMENTED USING g[][] int g [MAXS][MAXC] ; // Builds the string matching machine. // arr - array of words. The index of each keyword is important: // "out[state] & (1 << i)" is > 0 if we just found word[i] // in the text. // Returns the number of states that the built machine has. // States are numbered 0 up to the return value - 1, inclusive. int buildMatchingMachine (string arr [], int k) { // Initialize all values in

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output function as 0. memset( out , 0 , sizeof out ); // Initialize all values in goto function as -1. memset( g , -1 , sizeof g ); // Initially, we just have the 0 state int states = 1 ; // Construct values for goto function, i.e., fill g[][] // This is same as building a Trie for arr[] for ( int i = 0 ; i < k ; ++ i ) { const string & word = arr [ i ]; int currentState = 0 ; // Insert all characters of current word in arr[] for ( int j = 0 ; j < word . size () ; ++ j ) { int ch = word [ j ] - 'a' ; // Allocate a new node (create a new state) if a // node for ch doesn't exist. if ( g [ currentState ][ ch ] == -1 ) g [ currentState ][ ch ] = states ++ ; currentState = g [ currentState ][ ch ]; } // Add current word in output function out [ currentState ] |= ( 1 << i ); } // For all characters which don't have an edge from // root (or state 0) in Trie, add a goto edge to state // 0 itself for ( int ch = 0 ; ch < MAXC ; ++ ch ) if ( g [ 0 ][ ch ] == -1 ) g [ 0 ][ ch ] = 0 ; // Now, let's build the failure function // Initialize values in fail function memset( f , -1 , sizeof f ); // Failure function is computed in breadth first order // using a queue queue < int > q ; // Iterate over every possible input for ( int ch = 0 ; ch < MAXC ; ++ ch ) { // All nodes of depth 1 have failure function value // as 0. For example, in above diagram we move to 0 // from states 1 and 3. if ( g [ 0 ][ ch ] != 0 ) { f [ g [ 0 ][ ch ] ] = 0 ; q . push ( g [ 0 ][ ch ]); } } // Now queue has states 1 and 3 while ( q . size ()) { // Remove the front state from queue int state = q . front (); q . pop (); // For the removed state, find failure function for // all those characters for which goto function is // not defined. for ( int ch = 0 ; ch <= MAXC ; ++ ch ) { // If goto function is defined for character 'ch' // and 'state' if ( g [ state ][ ch ] != -1 ) { // Find failure state of removed state int failure = f [ state ]; // Find the deepest node labeled by proper // suffix of string from root to current // state. while ( g [ failure ][ ch ] == -1 ) failure = f [ failure ]; failure = g [ failure ][ ch ]; f [ g [ state ][ ch ] ] = failure ; // Merge output values out [ g [ state ][ ch ] ] |= out [ failure ]; // Insert the next level node (of Trie) in Queue q . push ( g [ state ][ ch ]); } } } return states ; } // Returns the next state the machine will transition to using goto // and failure functions. // currentState - The current state of the machine. Must be between // 0 and the number of states - 1, inclusive. // nextInput - The next character that enters into the machine. int findNextState ( int currentState , char nextInput ) { int answer = currentState ; int ch = nextInput - 'a' ; // If goto is not defined, use failure function while ( g [ answer ][ ch ] == -1 ) answer = f [ answer ]; return g [ answer ][ ch ]; } // This function finds all occurrences of all array words // in text. void searchWords ( string arr [] , int k , string text ) { // Preprocess patterns. // Build machine with goto, failure and output functions buildMatchingMachine ( arr , k ); // Initialize current state int currentState = 0 ; // Traverse the text through the built machine to find // all occurrences of words in arr[] for ( int i = 0 ; i < text . size () ; ++ i ) { currentState = findNextState ( currentState , text [ i ]); // If match not found, move to next state if ( out [ currentState ] == 0 ) continue ; // Match found, print all matching words of arr[] // using output function. for ( int j = 0 ; j < k ; ++ j ) { if ( out [ currentState ] & ( 1 << j )) { cout << "Word " << arr [ j ] << " appears from " << i - arr [ j ]. size () + 1 << " to " << i << endl ; } } } // Driver program to test above int main () { string arr [] = { "he" , "she" , "hers" , "his" }; string text = "ahishers" ; int k = sizeof ( arr ) / sizeof ( arr [ 0 ]); searchWords ( arr , k , text ); return 0 ; } Java // Java program for implementation of // Aho Corasick algorithm for String // matching import java.util.* ; class GFG { // Max number of states in the matching // machine. Should be equal to the sum // of the length of all keywords. static int MAXS = 500 ; // Maximum number of characters // in input alphabet static int MAXC = 26 ; // OUTPUT FUNCTION IS IMPLEMENTED USING out[] // Bit i in this mask is one if the word with // index i appears when the machine enters // this state. static int [] out = new int [ MAXS ] ; // FAILURE FUNCTION IS IMPLEMENTED USING f[] static int [] f = new int [ MAXS ] ; // GOTO FUNCTION (OR TRIE) IS // IMPLEMENTED USING g[][] static int [][] g = new int [ MAXS ][ MAXC ] ; // Builds the String matching machine. // arr - array of words. The index of each keyword is important: // "out[state] & (1 << i)" is > 0 if we just found word[i] // in the text. // Returns the number of states that the built machine has. // States are numbered 0 up to the return value - 1, inclusive. static int buildMatchingMachine ( String arr [] , int k ) { // Initialize all values in output function as 0. Arrays . fill ( out , 0 ); // Initialize all values in goto function as -1. for ( int i = 0 ; i < MAXS ; i ++ ) Arrays . fill ( g [ i ] , -1 ); // Initially, we just have the 0 state int states = 1 ; // Convalues for goto function, i.e., fill g[][] // This is same as building a Trie for arr[] for ( int i = 0 ; i < k ; ++ i ) { String word = arr [ i ]; int currentState = 0 ; // Insert all characters of current // word in arr[] for ( int j = 0 ; j < word . length () ; ++ j ) { int ch = word . charAt ( j ) - 'a' ; // Allocate a new node (create a new state) // if a node for ch doesn't exist. if ( g [ currentState ][ ch ] == -1 ) g [ currentState ][ ch ] = states ++ ; currentState = g [ currentState ][ ch ]; } // Add current word in output function out [ currentState ] |= ( 1 << i ); } // For all characters which don't have // an edge from root (or state 0) in Trie, add a goto edge to state 0 itself for ( int ch = 0 ; ch < MAXC ; ++ ch ) if ( g [ 0 ][ ch ] == -1 ) g [ 0 ][ ch ] = 0 ; // Now, let's build the failure function // Initialize values in fail function Arrays . fill ( f , -1 ); // Failure function is computed in // breadth first order // using a queue Queue < Integer > q = new LinkedList <> (); // Iterate over every possible input for ( int ch = 0 ; ch < MAXC ; ++ ch ) { // All nodes of

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depth 1 have failure // function value as 0. For example, // in above diagram we move to 0 // from states
1 and 3. if ( g [ 0 ][ ch ] != 0 ) { f [ g [ 0 ][ ch ] ] = 0 ; q . add ( g [ 0 ][ ch ] ); } } // Now queue has states 1
and 3 while ( ! q . isEmpty () ) { // Remove the front state from queue int state = q . peek (); q . remove ();
// For the removed state, find failure // function for all those characters // for which goto function is // not
defined. for ( int ch = 0 ; ch < MAXC ; ++ ch ) { // If goto function is defined for // character 'ch' and 'state'
if ( g [ state ][ ch ] != - 1 ) { // Find failure state of removed state int failure = f [ state ] ; // Find the
deepest node labeled by proper // suffix of String from root to current // state. while ( g [ failure ][ ch ] ==
- 1 ) failure = f [ failure ] ; failure = g [ failure ][ ch ] ; f [ g [ state ][ ch ] ] = failure ; // Merge output values
out [ g [ state ][ ch ] ] |= out [ failure ] ; // Insert the next level node // (of Trie) in Queue q . add ( g [ state ]
)[ ch ] ); } } return states ; } // Returns the next state the machine will transition to using goto // and
failure functions. // currentState - The current state of the machine. Must be between // 0 and the
number of states - 1, inclusive. // nextInput - The next character that enters into the machine. static int
findNextState ( int currentState , char nextInput ) { int answer = currentState ; int ch = nextInput - 'a' ; // If goto is not defined, use // failure function while ( g [ answer ][ ch ] == - 1 ) answer = f [ answer ] ; return g [ answer ][ ch ] ; } // This function finds all occurrences of // all array words in text. static void
searchWords ( String arr [] , int k , String text ) { // Preprocess patterns. // Build machine with goto,
failure // and output functions buildMatchingMachine ( arr , k ); // Initialize current state int currentState
= 0 ; // Traverse the text through the // built machine to find all // occurrences of words in arr[] for ( int i =
0 ; i < text . length () ; ++ i ) { currentState = findNextState ( currentState , text . charAt ( i )); // If match
not found, move to next state if ( out [ currentState ] == 0 ) continue ; // Match found, print all matching //
words of arr[] // using output function. for ( int j = 0 ; j < k ; ++ j ) { if ( ( out [ currentState ] & ( 1 << j )) > 0
) { System . out . print ( "Word " + arr [ j ] + " appears from " + ( i - arr [ j ]. length () + 1 ) + " to " + i + "\n"
); } } } // Driver code public static void main ( String [] args ) { String arr [] = { "he" , "she" , "hers" , "his"
}; String text = "ahishers" ; int k = arr . length ; searchWords ( arr , k , text ); } } // This code is
contributed by Princi Singh Python3 # Python program for implementation of # Aho-Corasick algorithm
for string matching # defaultdict is used only for storing the final output # We will return a dictionary
where key is the matched word # and value is the list of indexes of matched word from collections
import defaultdict # For simplicity, Arrays and Queues have been implemented using lists. # If you want
to improve performance try using them instead class AhoCorasick : def __init__ ( self , words ): # Max
number of states in the matching machine. # Should be equal to the sum of the length of all keywords.
self . max_states = sum ( [ len ( word ) for word in words ] ) # Maximum number of characters. # Currently supports only alphabets [a,z] self . max_characters = 26 # OUTPUT FUNCTION IS
IMPLEMENTED USING out [] # Bit i in this mask is 1 if the word with # index i appears when the
machine enters this state. # Lets say, a state outputs two words "he" and "she" and # in our provided
words list, he has index 0 and she has index 3 # so value of out[state] for this state will be 1001 # It has
been initialized to all 0. # We have taken one extra state for the root. self . out = [ 0 ] * ( self .
max_states + 1 ) # FAILURE FUNCTION IS IMPLEMENTED USING fail [] # There is one value for
each state + 1 for the root # It has been initialized to all -1 # This will contain the fail state value for each
state self . fail = [ - 1 ] * ( self . max_states + 1 ) # GOTO FUNCTION (OR TRIE) IS IMPLEMENTED
USING goto [][] # Number of rows = max_states + 1 # Number of columns = max_characters i.e 26 in
our case # It has been initialized to all -1. self . goto = [ [ - 1 ] * self . max_characters for _ in range ( self .
max_states + 1 ) ] # Convert all words to lowercase # so that our search is case insensitive for i in
range ( len ( words )): words [ i ] = words [ i ]. lower () # All the words in dictionary which will be used to
create Trie # The index of each keyword is important: # "out[state] & (1 << i)" is > 0 if we just found
word[i] # in the text. self . words = words # Once the Trie has been built, it will contain the number # of
nodes in Trie which is total number of states required <= max_states self . states_count = self .
__build_matching_machine () # Builds the String matching machine. # Returns the number of states
that the built machine has. # States are numbered 0 up to the return value - 1, inclusive. def
__build_matching_machine ( self ): k = len ( self . words ) # Initially, we just have the 0 state states = 1
# Convalues for goto function, i.e., fill goto # This is same as building a Trie for words[] for i in range ( k
): word = self . words [ i ] current_state = 0 # Process all the characters of the current word for character
in word : ch = ord ( character ) - 97 # Ascii value of 'a' = 97 # Allocate a new node (create a new state) #
if a node for ch doesn't exist. if self . goto [ current_state ][ ch ] == - 1 : self . goto [ current_state ][ ch ] =
states states += 1 current_state = self . goto [ current_state ][ ch ] # Add current word in output function
self . out [ current_state ] |= ( 1 << i ) # For all characters which don't have # an edge from root (or state
0) in Trie, # add a goto edge to state 0 itself for ch in range ( self . max_characters ): if self . goto [ 0 ][
ch ] == - 1 : self . goto [ 0 ][ ch ] = 0 # Failure function is computed in # breadth first order using a queue

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queue = [] # Iterate over every possible input for ch in range ( self . max_characters ): # All nodes of
depth 1 have failure # function value as 0. For example, # in above diagram we move to 0 # from states
1 and 3. if self . goto [ 0 ][ ch ] != 0 : self . fail [ self . goto [ 0 ][ ch ] ] = 0 queue . append ( self . goto [ 0 ][
ch ]) # Now queue has states 1 and 3 while queue : # Remove the front state from queue state = queue
. pop ( 0 ) # For the removed state, find failure # function for all those characters # for which goto
function is not defined. for ch in range ( self . max_characters ): # If goto function is defined for #
character 'ch' and 'state' if self . goto [ state ][ ch ] != - 1 : # Find failure state of removed state failure =
self . fail [ state ] # Find the deepest node labeled by proper # suffix of String from root to current state.
while self . goto [ failure ][ ch ] == - 1 : failure = self . fail [ failure ] failure = self . goto [ failure ][ ch ] self .
fail [ self . goto [ state ][ ch ] ] = failure # Merge output values self . out [ self . goto [ state ][ ch ] ] |= self .
out [ failure ] # Insert the next level node (of Trie) in Queue queue . append ( self . goto [ state ][ ch ])
return states # Returns the next state the machine will transition to using goto # and failure functions. #
current_state - The current state of the machine. Must be between # 0 and the number of states - 1,
inclusive. # next_input - The next character that enters into the machine. def __find_next_state ( self ,
current_state , next_input ): answer = current_state ch = ord ( next_input ) - 97 # Ascii value of 'a' is 97
# If goto is not defined, use # failure function while self . goto [ answer ][ ch ] == - 1 : answer = self . fail [
answer ] return self . goto [ answer ][ ch ] # This function finds all occurrences of all words in text. def
search_words ( self , text ): # Convert the text to lowercase to make search case insensitive text = text .
lower () # Initialize current_state to 0 current_state = 0 # A dictionary to store the result. # Key here is
the found word # Value is a list of all occurrences start index result = defaultdict ( list ) # Traverse the
text through the built machine # to find all occurrences of words for i in range ( len ( text )): current_state =
self . __find_next_state ( current_state , text [ i ]) # If match not found, move to next
state if self . out [ current_state ] == 0 : continue # Match found, store the word in result dictionary for j
in range ( len ( self . words )): if ( self . out [ current_state ] & ( 1 << j )) > 0 : word = self . words [ j ] #
Start index of word is (i-len(word)+1) result [ word ] . append ( i - len ( word ) + 1 ) # Return the final
result dictionary return result # Driver code if __name__ == "__main__" : words = [ "he" , "she" , "hers" ,
"his" ] text = "ahishers" # Create an Object to initialize the Trie aho_chorasick = AhoCorasick ( words )
# Get the result result = aho_chorasick . search_words ( text ) # Print the result for word in result : for i
in result [ word ]: print ( "Word" , word , "appears from" , i , "to" , i + len ( word ) - 1 ) # This code is
contributed by Md Azharuddin C# // C# program for implementation of // Aho Corasick algorithm for
String // matching using System ; using System.Collections.Generic ; class GFG { // Max number of
states in the matching // machine. Should be equal to the sum // of the length of all keywords. static int
MAXS = 500 ; // Maximum number of characters // in input alphabet static int MAXC = 26 ; // OUTPUT
FUNCTION IS IMPLEMENTED USING out[] // Bit i in this mask is one if the word with // index i appears
when the machine enters // this state. static int [] out = new int [ MAXS ]; // FAILURE FUNCTION IS
IMPLEMENTED USING f[] static int [] f = new int [ MAXS ]; // GOTO FUNCTION (OR TRIE) IS //
IMPLEMENTED USING g[,] static int [,] g = new int [ MAXS , MAXC ]; // Builds the String matching
machine. // arr - array of words. The index of each keyword is // important: // "out[state] & (1 << i)" is > 0
if we just // found word[i] in the text. // Returns the number of states that the built machine // has. States
are numbered 0 up to the return value - // 1, inclusive. static int buildMatchingMachine ( String [] arr , int
k ) { // Initialize all values in output function as 0. for ( int i = 0 ; i < out . Length ; i ++ ) outt [ i ] = 0 ; // Initialize all values in goto function as -1. for ( int i = 0 ; i < MAXS ; i ++ ) for ( int j = 0 ; j < MAXC ; j ++ )
g [ i , j ] = - 1 ; // Initially, we just have the 0 state int states = 1 ; // Convalues for goto function, i.e., fill
g[,] // This is same as building a Trie for []arr for ( int i = 0 ; i < k ; ++ i ) { String word = arr [ i ]; int
currentState = 0 ; // Insert all characters of current // word in []arr for ( int j = 0 ; j < word . Length ; ++ j ) {
int ch = word [ j ] - 'a' ; // Allocate a new node (create a new state) // if a node for ch doesn't exist. if ( g [
currentState , ch ] == - 1 ) g [ currentState , ch ] = states ++ ; currentState = g [ currentState , ch ]; } // Add current word in output function outt [ currentState ] |= ( 1 << i ); } // For all characters which don't
have // an edge from root (or state 0) in Trie, // add a goto edge to state 0 itself for ( int ch = 0 ; ch <
MAXC ; ++ ch ) if ( g [ 0 , ch ] == - 1 ) g [ 0 , ch ] = 0 ; // Now, let's build the failure function // Initialize
values in fail function for ( int i = 0 ; i < MAXC ; i ++ ) f [ i ] = 0 ; // Failure function is computed in //
breadth first order // using a queue Queue < int > q = new Queue < int > (); // Iterate over every possible
input for ( int ch = 0 ; ch < MAXC ; ++ ch ) { // All nodes of depth 1 have failure // function value as 0. For
example, // in above diagram we move to 0 // from states 1 and 3. if ( g [ 0 , ch ] != 0 ) { f [ g [ 0 , ch ] ] = 0
; q . Enqueue ( g [ 0 , ch ]); } } // Now queue has states 1 and 3 while ( q . Count != 0 ) { // Remove the
front state from queue int state = q . Peek (); q . Dequeue (); // For the removed state, find failure //
function for all those characters // for which goto function is // not defined. for ( int ch = 0 ; ch < MAXC ;

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++ ch ) { // If goto function is defined for // character 'ch' and 'state' if ( g [ state , ch ] != - 1 ) { // Find failure state of removed state int failure = f [ state ]; // Find the deepest node labeled by // proper suffix of String from root to // current state. while ( g [ failure , ch ] == - 1 ) failure = f [ failure ]; failure = g [ failure , ch ]; f [ g [ state , ch ]] = failure ; // Merge output values outt [ g [ state , ch ]] |= outt [ failure ]; // Insert the next level node // (of Trie) in Queue q . Enqueue ( g [ state , ch ]); } } } return states ; } // Returns the next state the machine will transition to // using goto and failure functions. currentState - The // current state of the machine. Must be between // 0 and the number of states - 1, // inclusive. // nextInput - The next character that enters into the // machine. static int findNextState ( int currentState , char nextInput ) { int answer = currentState ; int ch = nextInput - 'a' ; // If goto is not defined, use // failure function while ( g [ answer , ch ] == - 1 ) answer = f [ answer ]; return g [ answer , ch ]; } // This function finds all occurrences of // all array words in text. static void searchWords ( String [] arr , int k , String text ) { // Preprocess patterns. // Build machine with goto, failure // and output functions buildMatchingMachine ( arr , k ); // Initialize current state int currentState = 0 ; // Traverse the text through the // built machine to find all // occurrences of words in []arr for ( int i = 0 ; i < text . Length ; ++ i ) { currentState = findNextState ( currentState , text [ i ]); // If match not found, move to next state if ( outt [ currentState ] == 0 ) continue ; // Match found, print all matching // words of []arr // using output function. for ( int j = 0 ; j < k ; ++ j ) { if ( ( outt [ currentState ] & ( 1 << j )) > 0 ) { Console . Write ( "Word " + arr [ j ] + " appears from " + ( i - arr [ j ]. Length + 1 ) + " to " + i + "\n" ); } } } } // Driver code public static void Main ( String [] args ) { String [] arr = { "he" , "she" , "hers" , "his" }; String text = "ahishers" ; int k = arr . Length ; searchWords ( arr , k , text ); } } // This code is contributed by Amit Katiyar JavaScript // Max number of states in the matching machine. // Should be equal to the sum of the length of all keywords. const MAXS = 500 ; // Maximum number of characters in input alphabet const MAXC = 26 ; // OUTPUT FUNCTION IS IMPLEMENTED USING out[] // Bit i in this mask is one if the word with index i // appears when the machine enters this state. const out = new Array ( MAXS ). fill ( 0 ); // FAILURE FUNCTION IS IMPLEMENTED USING f[] const f = new Array ( MAXS ). fill ( - 1 ); // GOTO FUNCTION (OR TRIE) IS IMPLEMENTED USING g[][] let g = new Array ( MAXS ). fill ( null ). map ( () => new Array ( MAXC ). fill ( - 1 )); // Builds the string matching machine. // arr - array of words. The index of each keyword is important: // "out[state] & (1 << i)" is > 0 if we just found word[i] // in the text. // Returns the number of states that the built machine has. // States are numbered 0 up to the return value - 1, inclusive. function buildMatchingMachine ( arr , k ) { // Initialize all values in output function as 0. out . fill ( 0 ); // Initialize all values in goto function as -1. g = new Array ( MAXS ). fill ( null ). map ( () => new Array ( MAXC ). fill ( - 1 )); // Initially, we just have the 0 state let states = 1 ; // Construct values for goto function, i.e., fill g[][] // This is same as building a Trie for arr[] for ( let i = 0 ; i < k ; ++ i ) { const word = arr [ i ]; let currentState = 0 ; // Insert all characters of current word in arr[] for ( let j = 0 ; j < word . length ; ++ j ) { let ch = word . charCodeAt ( j ) - 'a' . charCodeAt ( 0 ); // Allocate a new node (create a new state) if a // node for ch doesn't exist. if ( g [ currentState ][ ch ] == - 1 ) g [ currentState ][ ch ] = states ++ ; currentState = g [ currentState ][ ch ]; } // Add current word in output function out [ currentState ] |= ( 1 << i ); } // For all characters which don't have an edge from // root (or state 0) in Trie, add a goto edge to state // 0 itself for ( let ch = 0 ; ch < MAXC ; ++ ch ) if ( g [ 0 ][ ch ] == - 1 ) g [ 0 ][ ch ] = 0 ; // Now, let's build the failure function // Initialize values in fail function f . fill ( - 1 ); // Failure function is computed in breadth first order // using a queue let q = [] ; // Iterate over every possible input for ( let ch = 0 ; ch < MAXC ; ++ ch ) { // All nodes of depth 1 have failure function value // as 0. For example, in above diagram we move to 0 // from states 1 and 3. if ( g [ 0 ][ ch ] != 0 ) { f [ g [ 0 ][ ch ]] = 0 ; q . push ( g [ 0 ][ ch ]); } } // Now queue has states 1 and 3 while ( q . length ) { // Remove the front state from queue let state = q . shift (); // For the removed state, find failure function for // all those characters for which goto function is // not defined. for ( let ch = 0 ; ch < 26 ; ++ ch ) { // If goto function is defined for character 'ch' // and 'state' if ( g [ state ][ ch ] != - 1 ) { // Find failure state of removed state let failure = f [ state ]; // Find the deepest node labeled by proper // suffix of string from root to current // state. while ( g [ failure ][ ch ] == - 1 ) failure = f [ failure ]; failure = g [ failure ][ ch ]; f [ g [ state ][ ch ]] = failure ; // Merge output values out [ g [ state ][ ch ]] |= out [ failure ]; // Insert the next level node (of Trie) in Queue q . push ( g [ state ][ ch ]); } } } return states ; } // Returns the next state the machine will transition to using goto // and failure functions. // currentState - The current state of the machine. Must be between // 0 and the number of states - 1, inclusive. // nextInput - The next character that enters into the machine. function findNextState ( currentState , nextInput ) { let answer = currentState ; const ch = nextInput . charCodeAt ( 0 ) - 'a' . charCodeAt ( 0 ); // If goto is not defined, use failure function while ( g [ answer ][ ch ] == - 1 ) answer = f [ answer ]; return g [ answer ][ ch ]; } // This function finds all occurrences of all array words // in text. function searchWords ( arr , k , text ) { // Preprocess patterns. // Build machine

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with goto, failure and output functions buildMatchingMachine (arr , k); // Initialize current state let currentState = 0 ; // Traverse the text through the built machine to find // all occurrences of words in arr[] for (let i = 0 ; i < text . length ; ++ i) { currentState = findNextState (currentState , text [i]); // If match not found, move to next state if (out [currentState] === 0) continue ; // Match found, print all matching words of arr[] // using output function. for (let j = 0 ; j < k ; ++ j) { if (out [currentState] & (1 << j)) { console . log ("Word " + arr [j] + " appears from " + (i - arr [j]. length + 1) + " to " + i); } } } // Driver program to test above const arr = ["he" , "she" , "hers" , "his"]; const text = "ahishers" ; const k = arr . length ; searchWords (arr , k , text); Output Word his appears from 1 to 3 Word he appears from 4 to 5 Word she appears from 3 to 5 Word hers appears from 4 to 7 Time Complexity: O(n + l + z), where 'n' is the length of the text, 'l' is the length of keywords, and 'z' is the number of matches. Auxiliary Space: O(l * q), where 'q' is the length of the alphabet since that is the maximum number of children a node can have. Applications: ? Detecting plagiarism ? Text mining ? Bioinformatics ? Intrusion Detection Comment Article Tags: Article Tags: Pattern Searching DSA