

$$f(k, i)$$

losi problemu do podproblemu

$f(j, i)$
dla j poprzedniego

zadanie patyly do problemu i

wynik:

$$f(k, n-1)$$

$$f(0, i) = 0$$

$$f(1, i) = \sum_{p=0}^i A[p]$$

$$f(2, i)$$

max

$$\min \left\{ f(1, j), \sum_{l=j+1}^i A[l] \right\}$$

$$f(j, i)$$

max

min

$$f(j-1, p)$$

$$\sum_{l=p+1}^i A[l]$$

$$p = 1 \dots i-1$$

$$p = j-1$$

$$p = j-1$$

$$p = j-1$$

$$p = j-1$$

$$p = j-1$$

$$f(j, i) =$$

$$f(m, n)$$



$$f(j-1, i-1)$$

$$[f(j-1, i-1), A[i]]$$

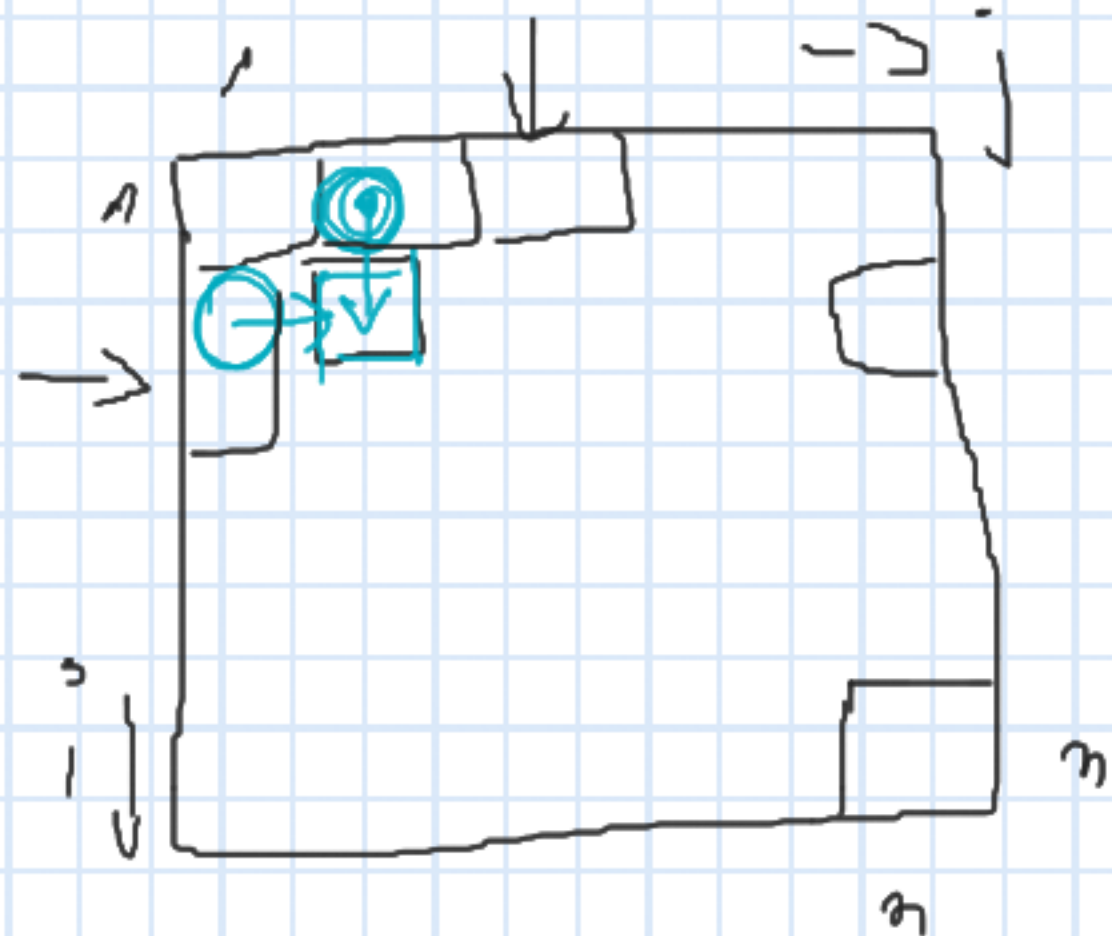
p=1

p=2

min

max

A:



$$f(i, j) = \min(f(i-1, j), f(i, j-1)) + A[i][j]$$

$$i = 1$$

$$f(i, j) = f(i, j-1) + A[i][j]$$

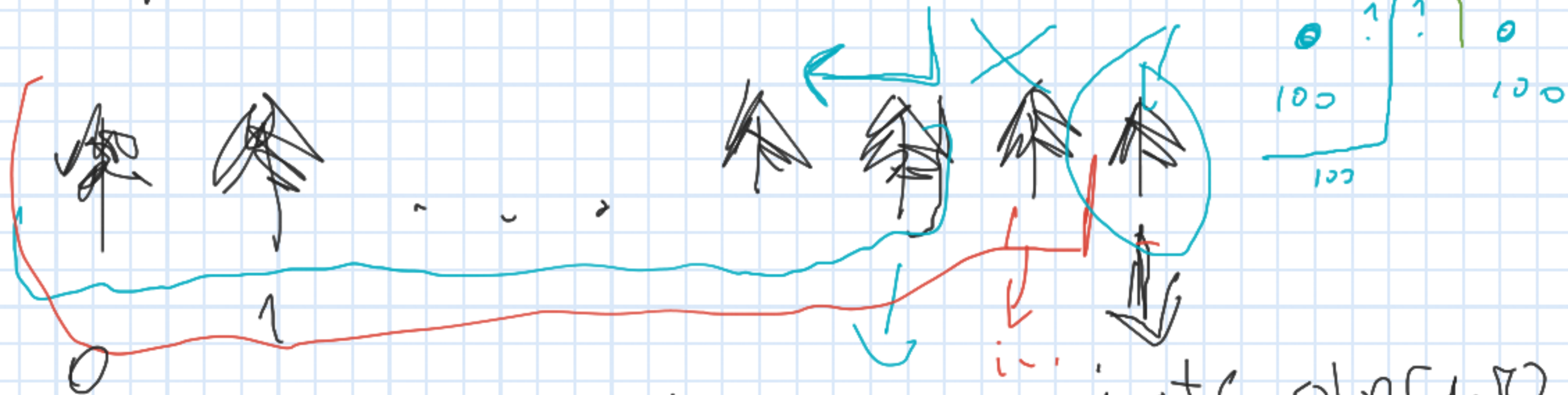
$$j = 1$$

$$f(i, j) = f(i-1, j) + A[i][j]$$

$$\text{Wym. 1: } f(m, n)$$

$g(i)$ - max. zysk do i-tego drzewa

$$g(i) = \max \left(\underbrace{g(i-2) + 2y[i]}_{\text{zysk}[i]}, \underbrace{g(i-1)}_{\text{zysk}[i-1]} \right)$$



$$g(1) = \max \{ y[0], y[1] \}$$

$i-2$

i -te drzewo
(tu jedyne)

A: 2 2 1 0 0

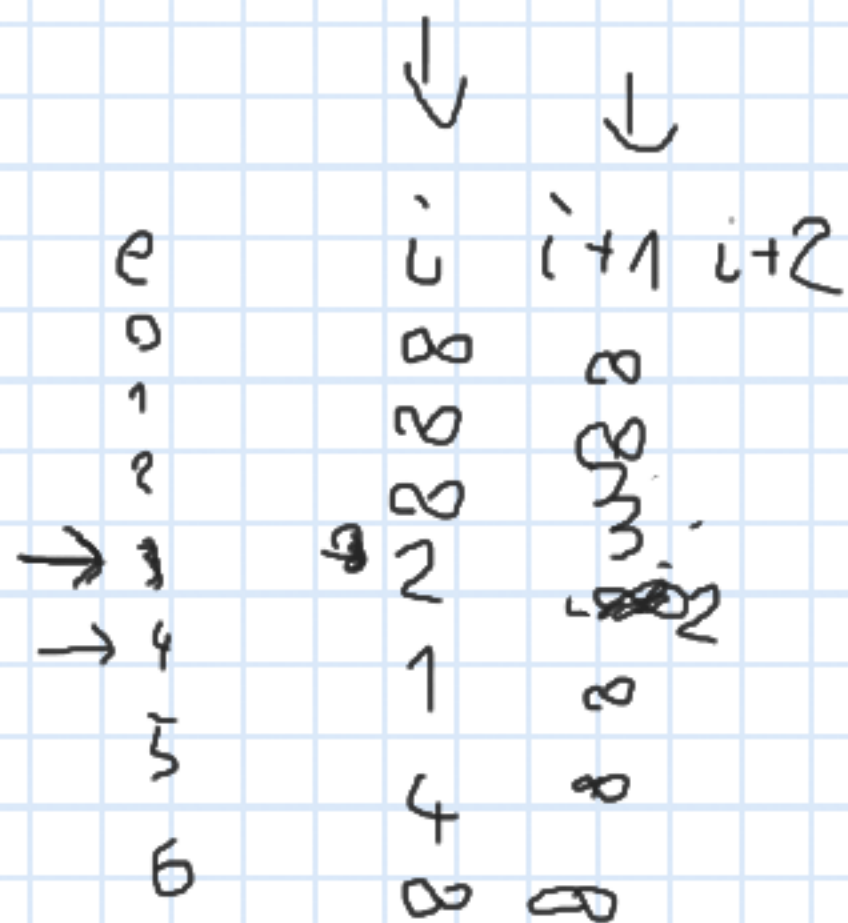
$f(i, e)$ - minimal. l. skoków żeby dotrzeć na pole i
mając e energii

$$f(0, x) = \begin{cases} \infty, & x \neq A[0] \\ 0, & x == A[0] \end{cases}$$

$$f(i, e) = \min_{x:} \{ f(i-x, e+x - A[i]) \} + 1$$

~~x~~ i $i-x$
 ~~x~~ e

P



$$f(i, w, h) = \max_{0 \leq l \leq w \leq h}$$

$$f(i, w, h) = \max \left\{ f(i-1, w, h), f(i-1, w - W[i], h - H[i]) + D[i] \right\}$$

$$f(0, \dots)$$