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CSCI 331 Section 1

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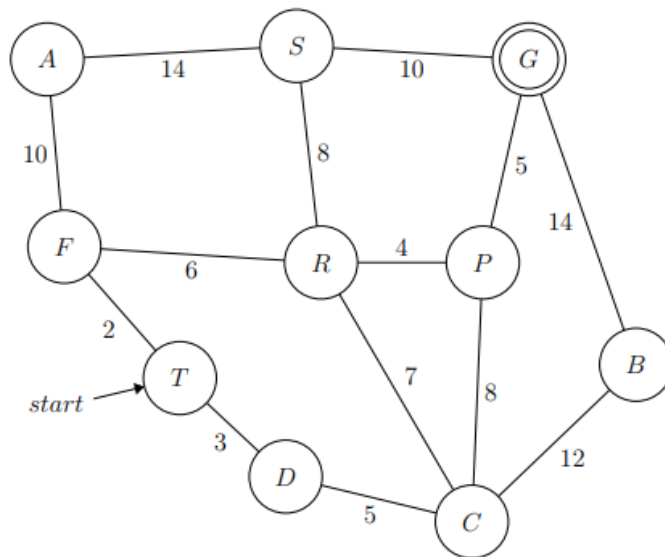
### Homework 3

1) Trace the operation of

$h\_SLD : A = 20; B = 10; C = 12$

$D = 13; F = 25; P = 4$

$R = 10; S = 8; T = 22$



a) Greedy Best First Search

| Path    | Node | Neighboring Nodes  |
|---------|------|--|
| -       | T    | F: $h(F) = 25$   <b>D: <math>h(D) = 13</math></b>                                  |
| T       | D    | T: $h(T) = 22$   <b>C: <math>h(C) = 12</math></b>                                  |
| T, D    | C    | D: $h(D) = 13$   R: $h(R) = 10$   <b>P: <math>h(P) = 4</math></b>   B: $h(B) = 10$ |
| T, D, C | P    | <b>G: <math>h(G) = 0</math></b>   R: $h(R) = 10$   C: $h(C) = 12$                  |

Chosen Path: T, D, C, P, G

- b) *A\** to the problem of getting from node T to node G below using the heuristic of straight-line distance. Show the sequence of nodes that the algorithms will consider and the  $f$ ,  $g$ , and  $h$  values for each node. For paths that would result in loops, only show the repeated node, do not expand its children.

| Path    | Node | Neighboring Nodes   |
|---------|------|---|
| -       | T    | F: $h(F) = 25$ ; $g(F) = 2$ ; $f(F) = 27$<br><b>D: <math>h(D) = 13</math>; <math>g(D) = 3</math>; <math>f(D) = 16</math></b>  |
| T       | D    | T: $h(T) = 22$ ; $g(T) = 6$ ; $f(T) = 28$<br><b>C: <math>h(C) = 12</math>; <math>g(C) = 8</math>; <math>f(C) = 20</math></b>  |
| T, D    | C    | D: $h(D) = 13$ ; $g(D) = 13$ ; $f(D) = 26$<br>R: $h(R) = 10$ ; $g(R) = 15$ ; $f(R) = 25$<br><b>P: <math>h(P) = 4</math>; <math>g(P) = 16</math>; <math>f(P) = 20</math></b><br>B: $h(B) = 10$ ; $g(B) = 20$ ; $f(B) = 30$ |
| T, D, C | P    | <b>G: <math>h(G) = 0</math>; <math>g(G) = 21</math>; <math>f(G) = 21</math></b><br>R: $h(R) = 10$ ; $g(R) = 20$ ; $f(R) = 30$<br>C: $h(C) = 12$ ; $g(C) = 24$ ; $f(C) = 36$   |

Chosen Path: T, D, C, P, G

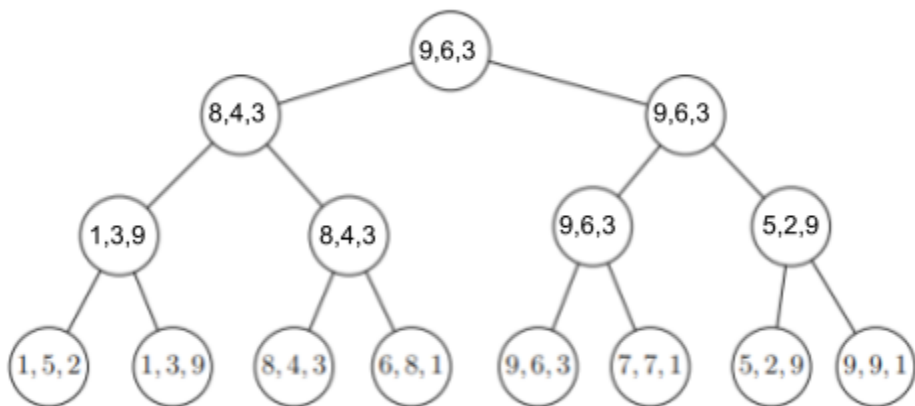
- c) *You may have noted that A\* seems to return a sub-optimal path. Why is that?*

$A^*$  returns a suboptimal path because the heuristic is too heavily considered. The most optimal path would be T, F, R, P, G. There are cases in which  $h(n)$  of one neighboring node is significantly larger than the other which then causes  $f(n)$  of each neighboring node to be incorrect. For example, if we start from node T. The neighboring nodes are node F and node D;  $h(F) = 25$  and  $h(D) = 13$  while  $g(F) = 2$  and  $g(D) = 3$ . This algorithm would choose node D even though node F has the lower cost to get to the goal.

2) Describe Hill-climbing search. What are some of its limitations?

The Hill-climbing search traverses through the nodes and uses a heuristic in order to choose a path closer to achieving its goal. Some limitations include not being able to undo a move once you go down a path, always choosing the closer node even if a further away node would closer achieve the goal, and that you can be stuck at local maxima.

3) Look at Figure 5.4 on Page 166 of the R&N book



a) Fill in the above 3 player minimax search tree.

b) If you had encountered a tie in one of the comparisons for part (a), explain a reasonable approach for dealing with this.

If you had encountered a tie, a reasonable approach is to set a rule that must always be followed. A player would choose the option that would have the lowest total of the other points. For example, if player A had to choose between (2, 9, 9) and (2,1,1), they would choose (2,1,1) because it would give the other players a minimal value. If we also consider a case like (3, 4, 5) and (3, 5, 4) in which the other points add up equally, player A can choose the smaller second number for player B.

4) Create and fill in a Minimax search tree for a 9 token game of Nim. Assume that MAX makes the first move. Fill in the utility value for each node generated.

Each node has a utility of 1 if its border is solid and 0 if its border is dashed.

Rows 1, 3, 5, 7 are MAX, and Rows 2, 4, 6, 8 are MIN.

