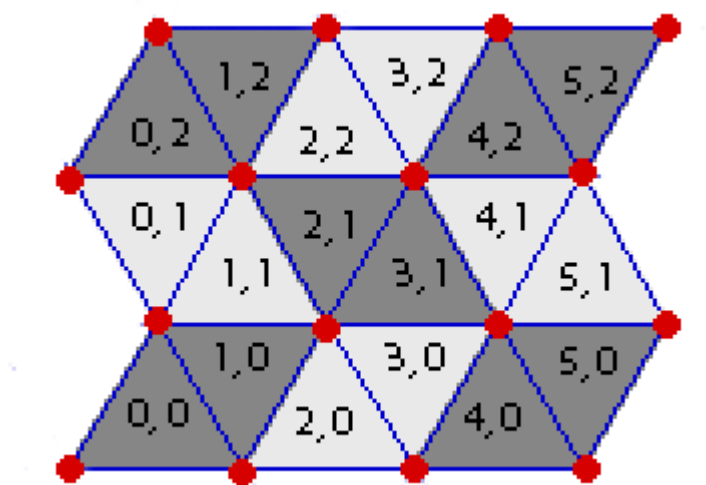


Problem A: Rhombinoes



In the game of *Rhombinoes*, you have a board made up entirely of equilateral triangles (see the image), some of which are "*live*" and some are "*dead*". Your goal is to place down as many rhombinoes ("rhombus"-shaped pieces) as possible on the board. Each rhombino should exactly cover two "adjacent" *live* triangles that have a common side, and no two rhombinoes can use the same triangle.

Given the description of the *live* and *dead* triangles of a Rhombino board, what is the maximum number of rhombinoes you can simultaneously place down on the board?

Description of Board

Each triangle in the board has a pair of coordinates (x, y) . The bottom-left triangle has coordinates $(0, 0)$ and will always be a triangle with its tip pointed upward. For any given triangle with coordinates (x, y) , the triangle adjacent to it on its right-side (if any) has coordinates $(x+1, y)$, and the triangle adjacent to it on its top-side (if any) has coordinates $(x, y+1)$. Left-side and bottom-side adjacency are defined similarly.

Each board has a width W and a height H . A board with width W and height H is the board which consists of all triangles with coordinates (x, y) such that $0 \leq x < W$ and $0 \leq y < H$. For example, the game board in the image has width 6 and height 3.

(See the image for clarification.)

Input Description

The first line of input contains three space-separated integers W , H , and K .

W is the width of the board, H is the height, and K is the number of dead triangles on the board ($1 \leq W \leq 100$, $1 \leq H \leq 100$, $1 \leq K \leq W*H \leq 1000$).

Exactly K lines will follow. Each such line will contain a pair of space-separated integers x and y ($0 \leq x < W$, $0 \leq y < H$), indicating that the triangle with coordinates (x,y) is a *dead* triangle. All other triangles are *live*.

Output Description

Output a line containing a single integer, the maximum number of rhombinoes you can simultaneously place down on the board.

Sample Input

```
6 3 4
1 1
2 2
4 1
3 0
```

Output for Sample Input

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Explanation of Sample Input

This is the board in the image, with cells $(1, 1)$, $(2, 2)$, $(4, 1)$, and $(3, 0)$ dead.

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