

Problem E: Class Schedule

At Fred Hacker's school, there are $T \times C$ classes, divided into C categories of T classes each. The day begins with all the category 1 classes being taught simultaneously. These all end at the same time, and then all the category 2 classes are taught, etc. Fred has to take exactly one class in each category. His goal is to choose the set of classes that will minimize the amount of ``energy" required to carry out his daily schedule.

The energy requirement of a schedule is the sum of the energy requirement of the classes themselves, and energy consumed by moving from one class to the next through the schedule.

More specifically, taking the j th class in the i th category uses E_{ij} units of energy. The rooms where classes take place are located at integer positions (ranging from 0 to L) along a single hallway. The j th class in the i th category is located at position P_{ij} . Fred starts the day at position 0, moves from class to class, according to his chosen schedule, and finally exits at location L . Moving a distance d uses d units of energy.

Input Specification

The first line of the input is $Z \leq 20$ the number of test cases. This is followed by Z test cases. Each test case begins with three space-separated integers: C , T , and L . Each of the following $C \times T$ lines gives, respectively, the location and energy consumption of a class. The first T lines represent the classes of category 1, the next T lines represent the classes of category 2, and so on. No two classes in the same category will have the same location.

Bounds

$1 \leq C \leq 25$
 $1 \leq T \leq 1000$
 $1 \leq L \leq 1,000,000$
 $1 \leq E_{ij} \leq 1,000,000$
 $0 \leq P_{ij} \leq L$

Sample Input

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1
3 2 5
2 1
3 1
4 1
1 3
1 4
3 2
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Explanation of Sample Input

Fred must take 3 classes every day, and for each he has 2 choices. The hall has length 5. His first possible class is located at position 2 and will take 1 unit of energy each day, etc.

Output Specification

For each input instance, the output will be a single integer on a line by itself which is the minimum possible energy of a schedule satisfying the constraints.

Output for Sample Input

11

Explanation of Sample Output

Here is one way to obtain the minimum energy:
Go to the class at location 2. Energy used: 3
Next, go to the class at location 4. Energy used: 6
Then go to the class at location 3. Energy used: 9
Finally, leave the school at location 5. Energy used: 11

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