

Arrays - Part II

Course on Data Structure



CS & IT Engineering

Data Structure

Arrays- III



Lecture Number- 03

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Topics

to be covered

1

Arrays



① RM6

$$A[-5..5] [-3..3]$$

$5 - (-5) + 1$ $3 - (-3) + 1$

$w = 2$ bytes, $BA = 1000$

address $(A[i][j])$

$$A[-5..5] [-3..3]$$

↑
'kahan ka har No \Rightarrow 7ele

11x7

→ -5

→ -4

-3

-2

-1

0

1

2

3

4

5

-3 -2 -1 0 1 2 3

→

→

←

$$A[-5..5][-3..3]$$

11x7

-3 -2 -1 0 1 2 3

→ -5

→ -4

-3

-2

-1

0

→ 1

2

3

4

A

Yahan ka har No \Rightarrow 7 ele

① rows already filled

Rows
already
filled

= index -5 to 0

$$= 0 - (-5) + 1 = 6 \text{ rows}$$

with index -5, -4, -3, -2, -1, 0

A₁₁

$$A[-5..5][-3..3]$$

11x7

$$A[A[0][0]]$$

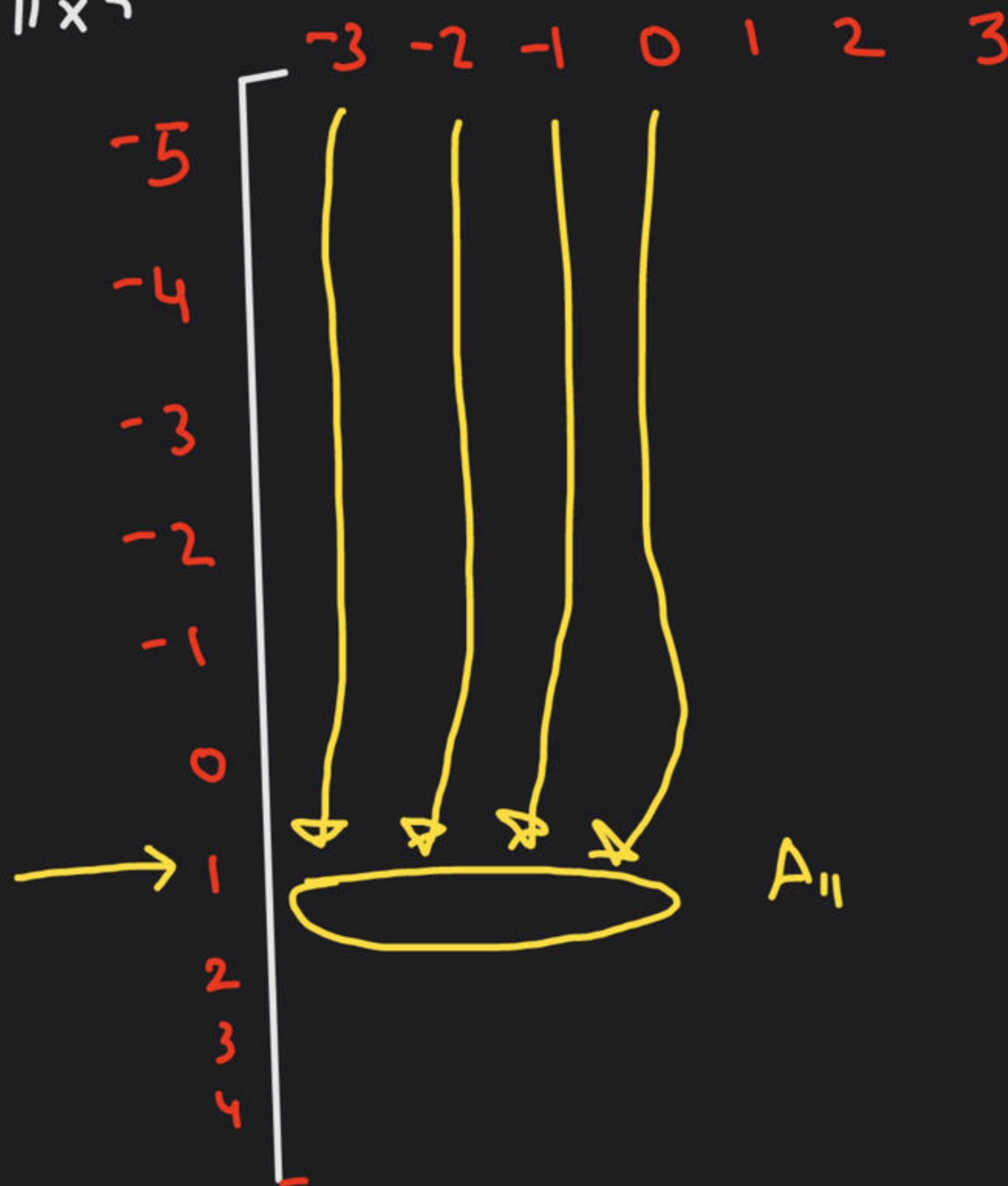
after 6 rows

within row with index 1,

Elem. already filled

$$= \text{col index } -3 \text{ to } 0$$

$$= 0 - (-3) + 1 = 4 \text{ elements}$$



After 6 rows

4 elements

A_{11} is stored

Elements already filled before $A[0][1]$

$$- 6 \times 7 + 4 = 46 \text{ elements}$$

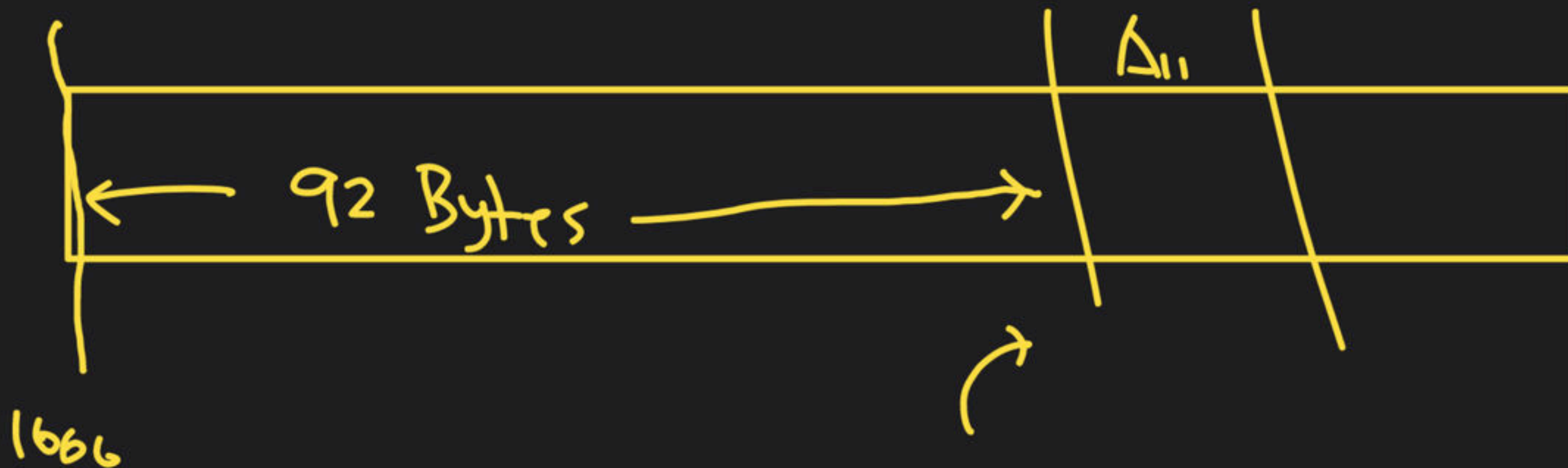
Memory already filled before $A_{11} = 46 \times 2 = 92 \text{ Bytes}$

$\text{add}(A_{11})$

$$= \text{BAH} + 92$$

$$= 1000 + 92$$

$$= 1092$$



1000

② RMO $7 - (-7) + 1 = 15$
 $A[-5..5][-7..7]$

$w = 4$ bytes, $BA = 1000$

$\text{add}(A[1][3])$

a) Every index in this dimension

represent = 15 ele.

row with index -5

| | -7 | -6 | ... | 0 | 1 | 2 | ... | 7 |
|----|----|----|-----|----|---|---|-----|---|
| -5 | ← | | | 15 | | | | → |
| -4 | ← | | | 15 | | | | → |
| -3 | ← | | | 15 | | | | → |
| -2 | ← | | | 15 | | | | → |
| -1 | ← | | | 15 | | | | → |
| 0 | ← | | | 15 | | | | → |
| 1 | | | | | | | | |
| 2 | | | | | | | | |
| 3 | | | | | | | | |
| 4 | | | | | | | | |
| 5 | | | | | | | | |

② unacademy RMO $7 - (-7) + 1 = 15$
 $A[-5..5][-7..7]$

$w = 4$ bytes, $BA = 1000$

$\text{add}(A[1][3])$



Rows already filled

index -5 to 0

$0 - (-5) + 1$

$= 6$ rows

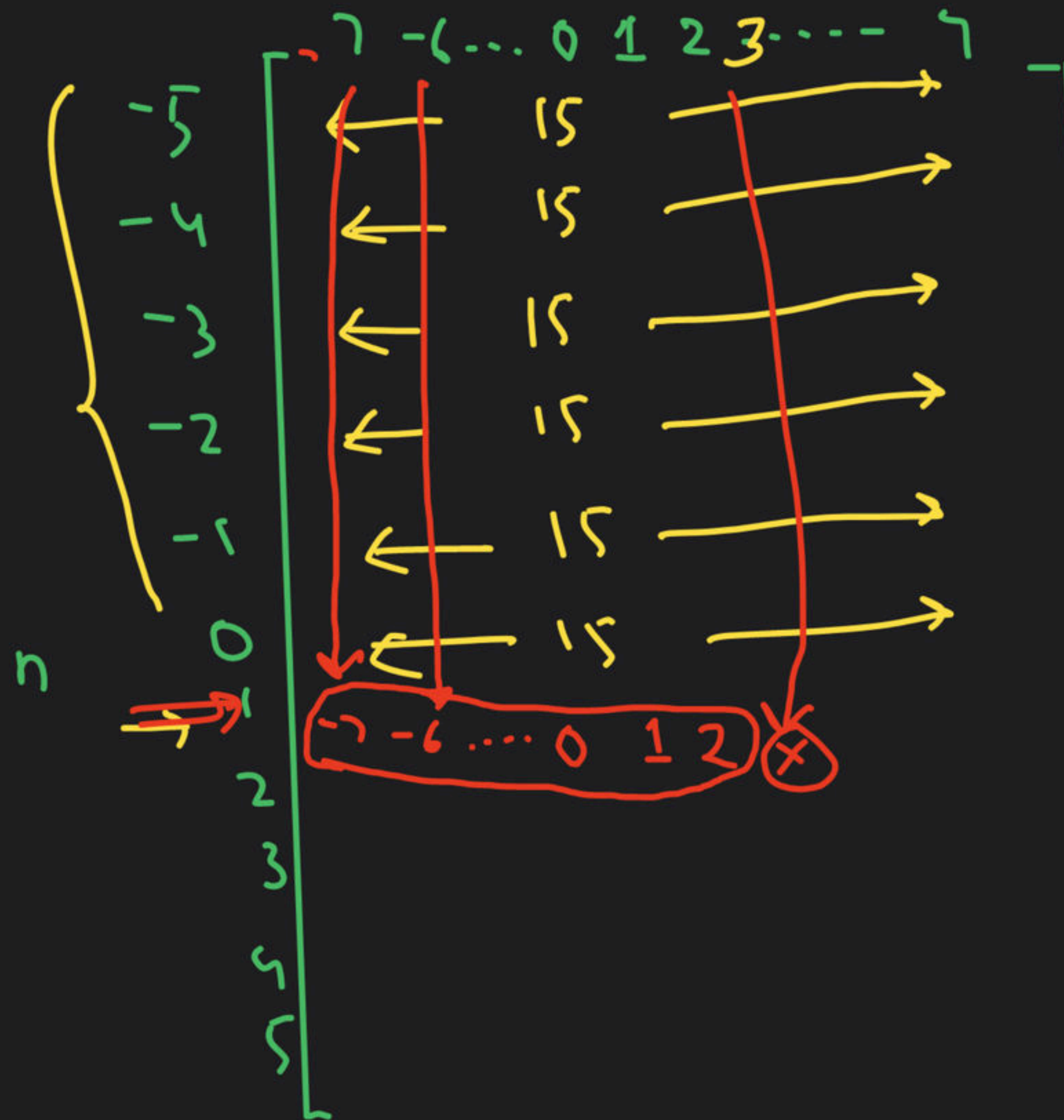
| | -7 | -6 | \dots | 0 | 1 | 2 | \dots | 7 |
|------|--------------|------|---------|------|-----|-----|---------|---------------|
| -5 | \leftarrow | | | 15 | | | | \rightarrow |
| -4 | \leftarrow | | | 15 | | | | \rightarrow |
| -3 | \leftarrow | | | 15 | | | | \rightarrow |
| -2 | \leftarrow | | | 15 | | | | \rightarrow |
| -1 | \leftarrow | | | 15 | | | | \rightarrow |
| 0 | \leftarrow | | | 15 | | | | \rightarrow |
| 1 | | | | | | | | |
| 2 | | | | | | | | |
| 3 | | | | | | | | |
| 4 | | | | | | | | |
| 5 | | | | | | | | |

A_{13}
 within row with index 1
 ele already filled before A_{13}

$$= \text{cal'index } -7 \text{ to } 2$$

$$= 2 - (-7) + 1$$

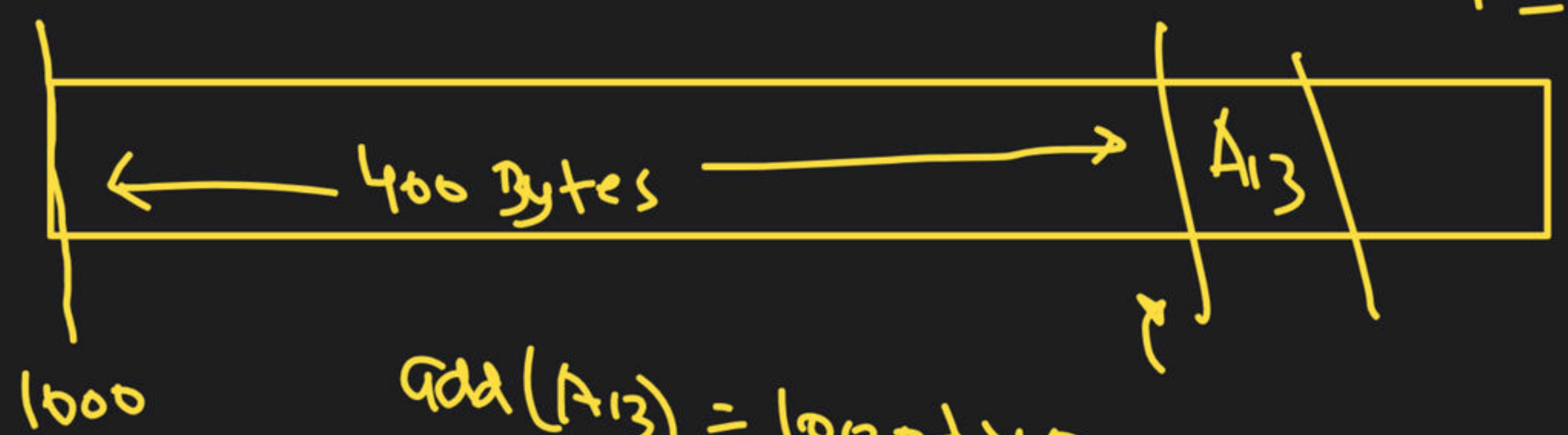
$$= 10 \text{ elements}$$



After 6 rows & 10 elements, A_{13} is stored

Total ele. already filled before $A_{13} = 6 \times 15 + 10$
 $= 90 + 10 = 100 \text{ ele.}$

Memory already filled before $A_{13} = 100 \times 4 = 400 \text{ Bytes}$



$\text{add}(A_{13}) = 1000 + 400$
 $= 1400$

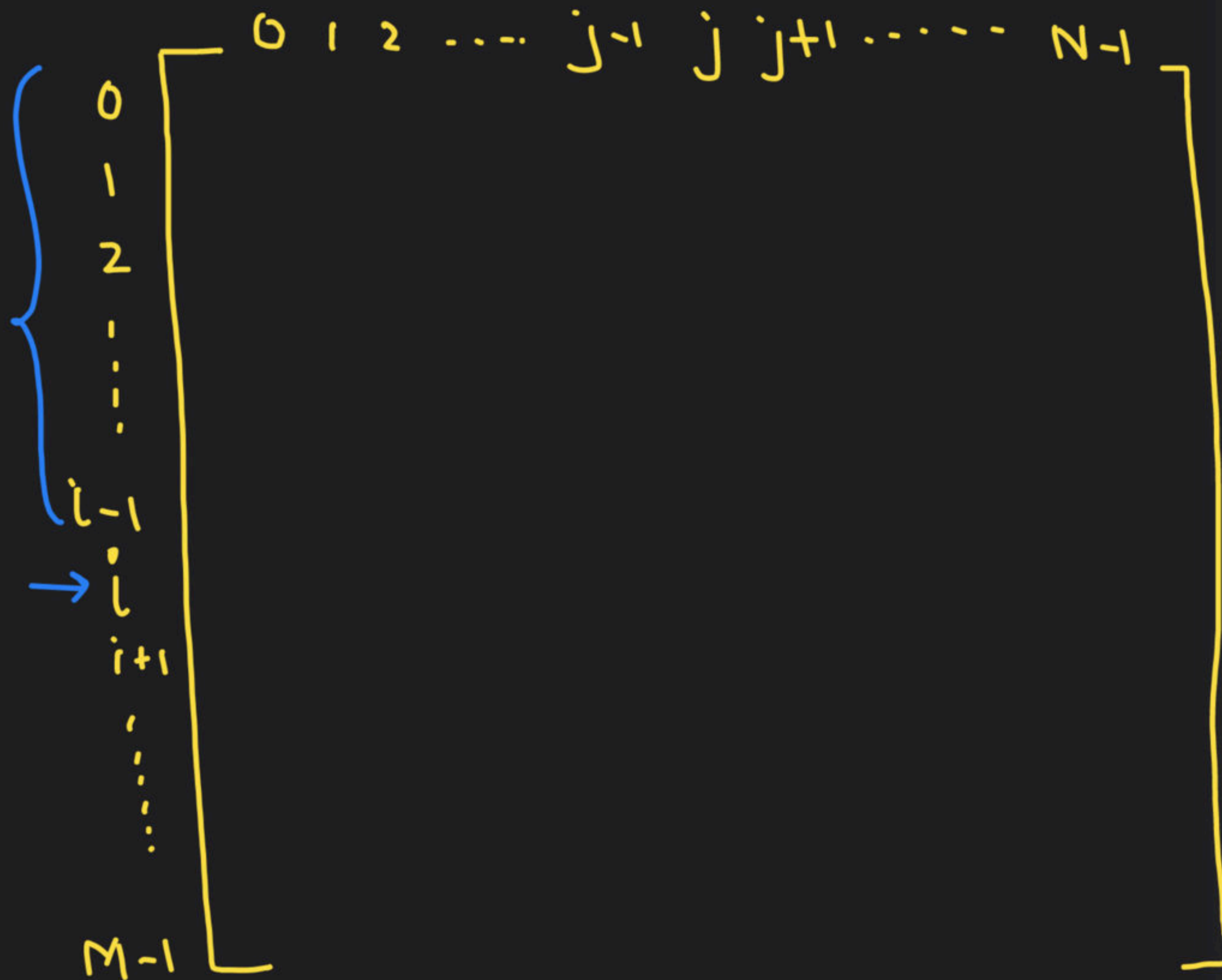
$A[M][N]$
 $\text{add}(A_{ij})$


rows already filled
before row with
index i

= index 0 to $i-1$

= $i-1-0+1$

= i rows



$A[M][N]$

$add(A_{ij})$

$\rightarrow 0 \text{ to } j-1$

rows already filled
before row with
index i

= index $0 \text{ to } i-1$

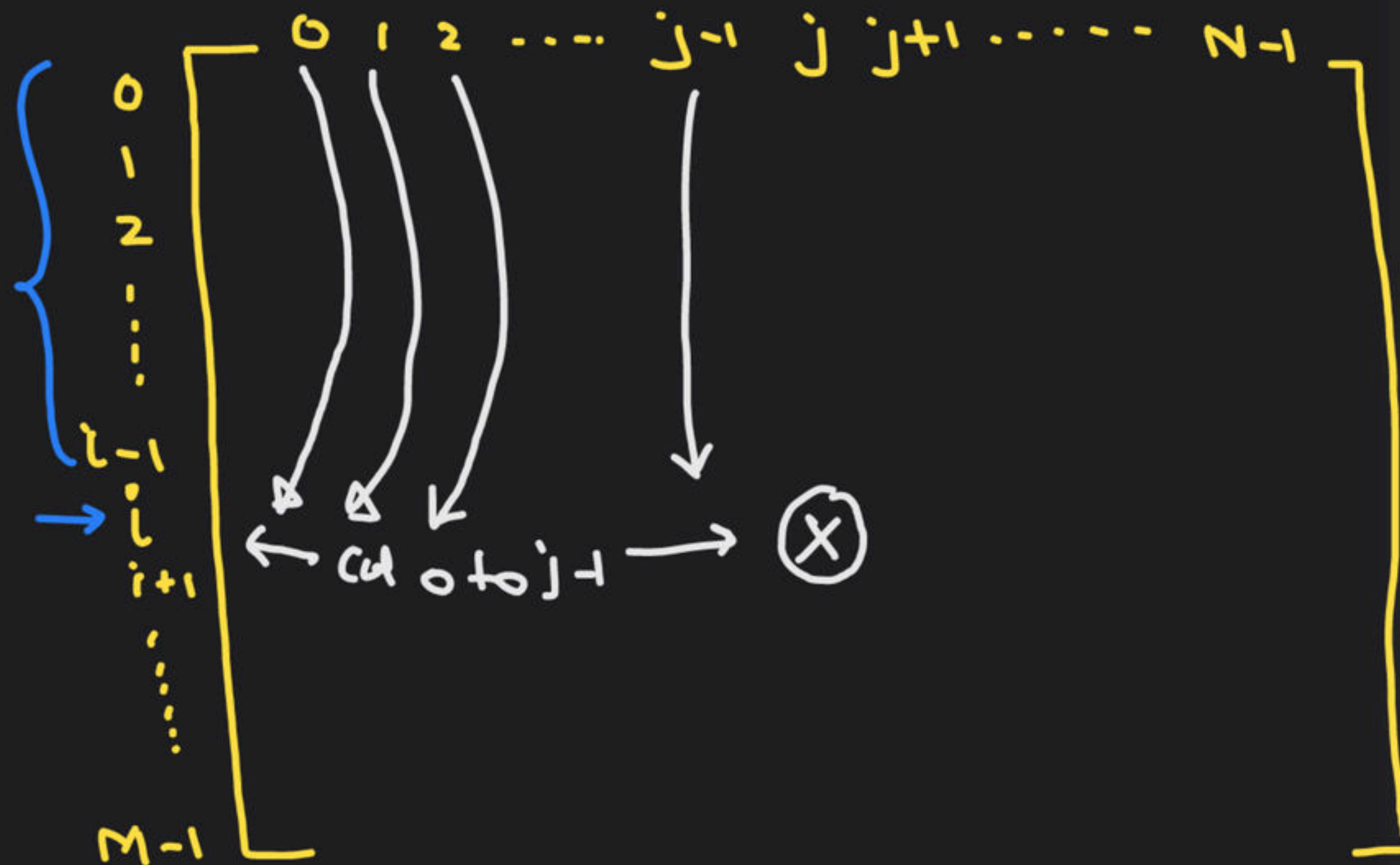
= $i-1-0+1$

= i rows

within row
with index i ,
elements
already filled
before A_{ij}

= col index $0 \text{ to } j-1$

= $j-1-0+1 = j$ elements



After i rows & j elements A_{ij} is stored.

Total ele. already filled before A_{ij} ,

$$= (i \times N + j)$$

Memory already filled before $A_{ij} = (i \times N + j) \times w$ Bytes



$$\text{add}(A_{ij}) = BA + (i \times N + j) \omega$$

Ratna Nahi hai



$$15 - (-15) + 1 = 31$$

$A[-20..20][-15..15]$

$w = 2 \text{ Bytes}$ $BA = 1000$

$\text{add}(A[2][2])$

Total ele. already filled before $A_{2,2}$

rows already filled

rows already filled = -20 to 1

$$= 1 - (-20) + 1$$

$$= 22 \text{ rows}$$

$$= 22 \times 31$$

-15 to 5

$$5 - (-15) + 1$$

$\Rightarrow 21 \text{ elem}$

$$= 22 \times 31 + 21$$

$$= 703 \text{ ele.}$$

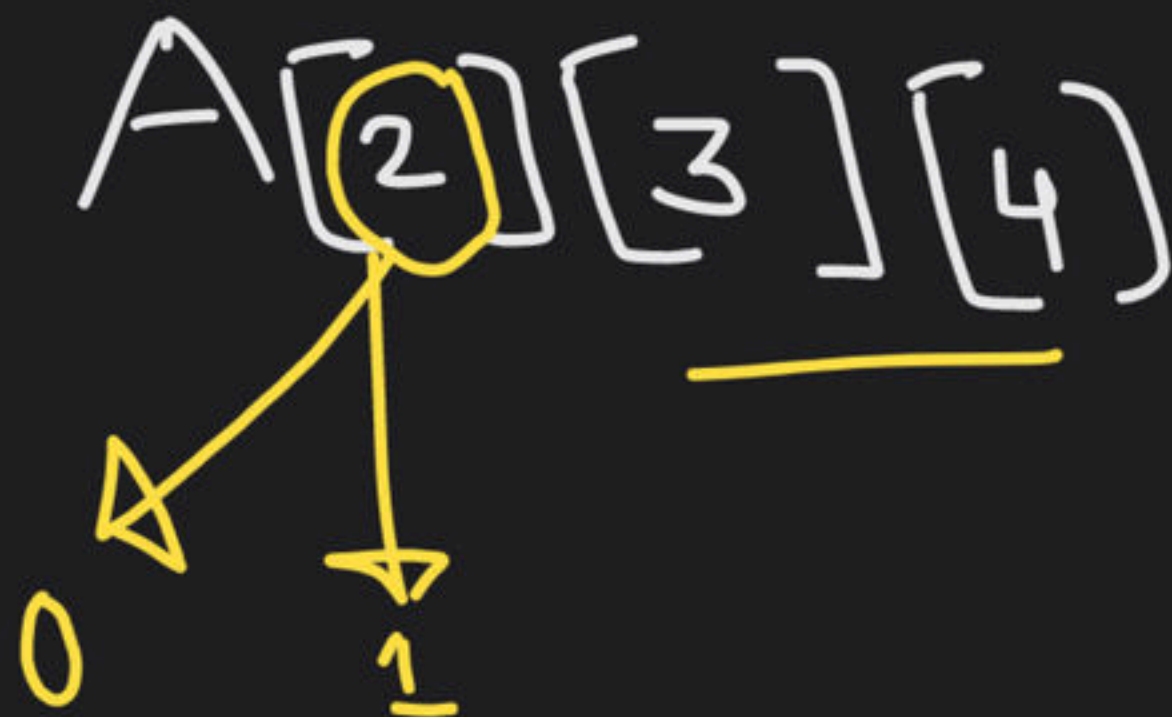
*Memory already filled before $A_{26} = 703 \times 2 = 1406$ Bytes



$$add(A_{26}) = 1000 + 1406 = 2406.$$

$A[0]$

$A[1]$



~~$A[2][3][4]$~~

$A[0]$

$A[0][0]$

| | 0 | 1 | 2 | 3 |
|-----------|---|---|---|---|
| A_{000} | | | | |
| A_{001} | | | | |
| A_{002} | | | | |
| A_{003} | | | | |

$A[0][1]$

| | 0 | 1 |
|-----------|---|---|
| A_{010} | | |
| A_{011} | | |

$A[0][2]$

$A[0]$

A

$A[1]$

$A[1]$

| | 0 | 1 | 2 | 3 |
|---|---|---|---|---|
| 0 | | | | |
| 1 | | | | |
| 2 | | | | |

$A[2][3][4]$

Δ
0

Δ
0

| | | | |
|-----|-----|-----|-----|
| 000 | 001 | 002 | 003 |
| 010 | 011 | 012 | 013 |
| 020 | 021 | 022 | 023 |

Δ_1

Δ_0

| | | | | | | | | | | | |
|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|
| <u>q_{000}</u> | <u>q_{001}</u> | <u>q_{002}</u> | <u>q_{003}</u> | <u>q_{010}</u> | <u>q_{011}</u> | <u>q_{012}</u> | <u>q_{013}</u> | <u>q_{020}</u> | <u>q_{021}</u> | <u>q_{022}</u> | <u>q_{023}</u> |
|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|-----------------------------|

$A[2][3][4]$



$A[0]$



$A[1]$



Every index in this $\text{dim} = 3 \times 4$
 Every index in this $\text{dim} = 4$

RMB

$$BA = 1006$$

$$w = 2 \text{ Bytes}$$

$$A[2][3][4]$$

$$\text{add}(A[1][2][3])$$

Total no. of ele.
already filled

$$= 1 \times 3 \times 4 + 2 \times 4 + 3$$

$$= 23 \text{ ele.}$$

index already filled
= 0 to 2

$$= 2 - 0 + 1 = 3 \text{ ele}$$

index already filled

0 to 0

$$\Rightarrow 0 - 0 + 1$$

$$= 1$$

$$\Rightarrow 1 \times 3 \times 4$$

index already filled

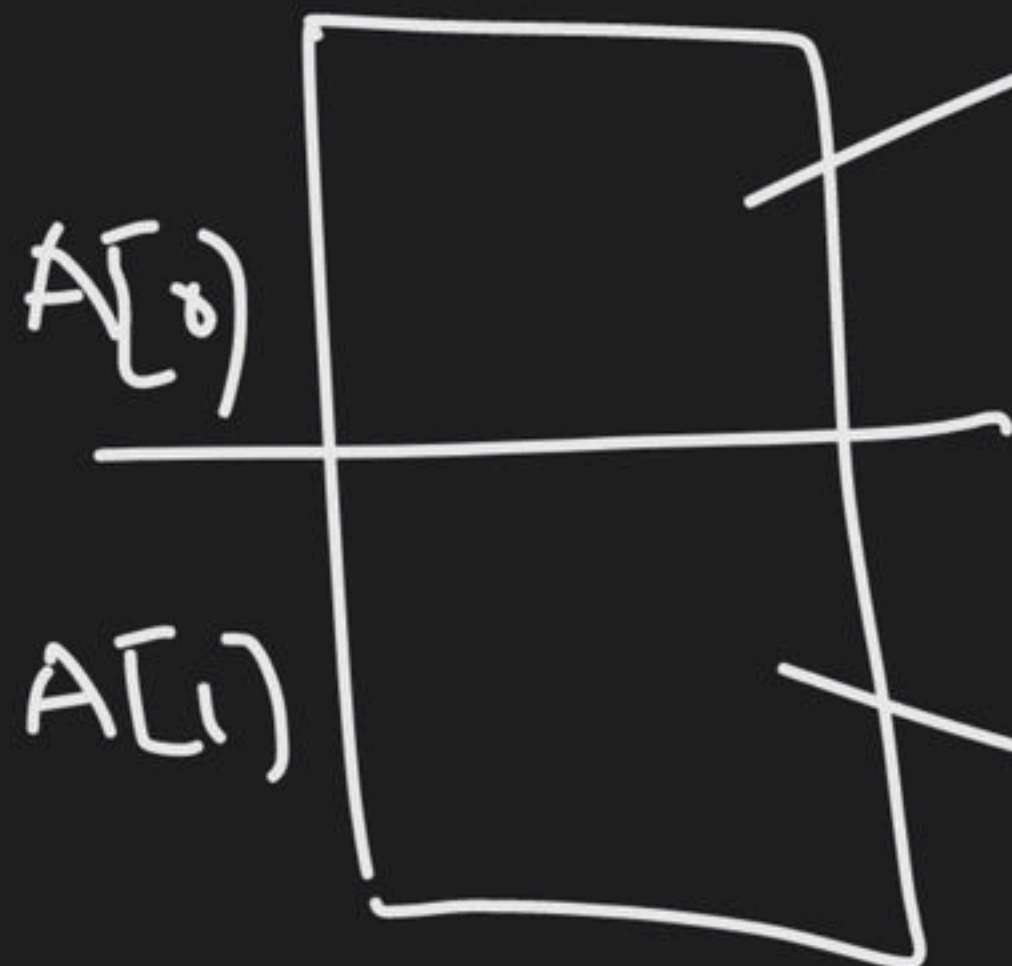
= 0 to 1

$$= 1 - 0 + 1$$

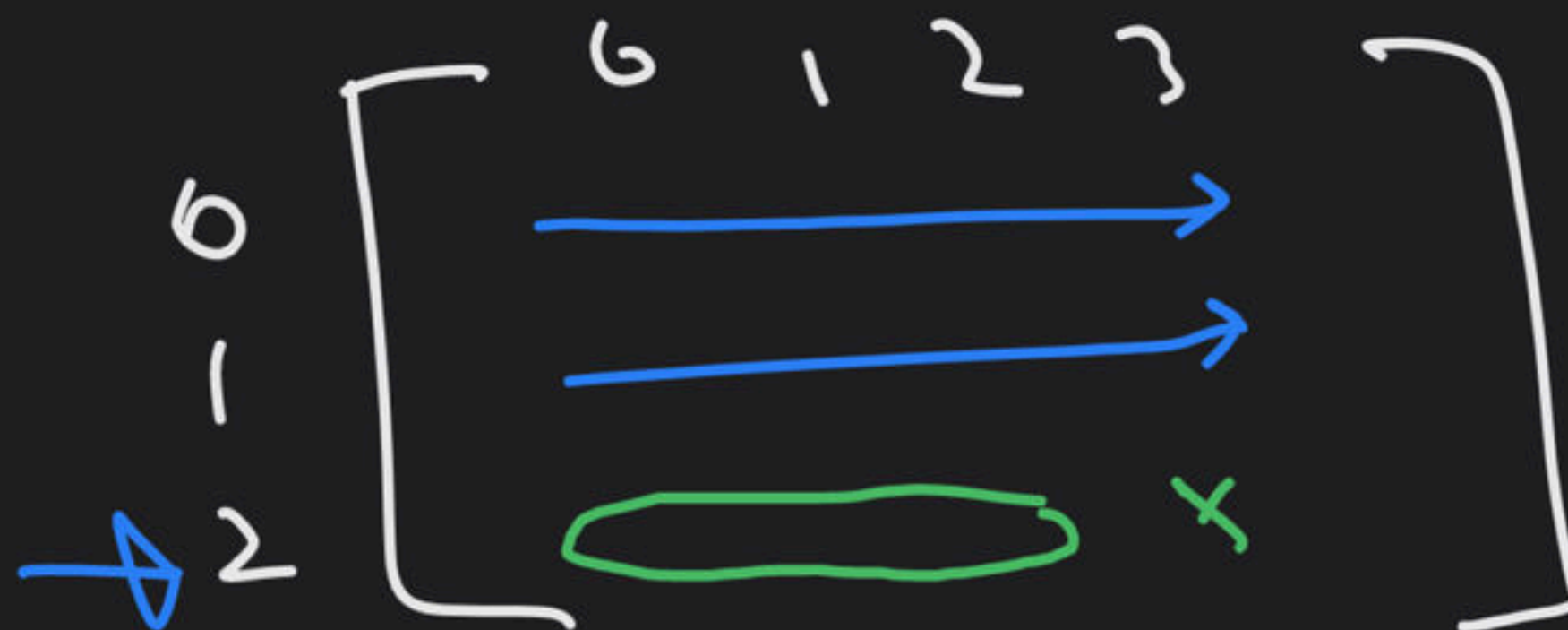
$$= 2$$

$$= 2 \times 4$$

$\rightarrow 1 \times 3 \times 4$



$A[1][2][3]$
↓



2-D




THANK YOU!

Here's to a cracking journey ahead!