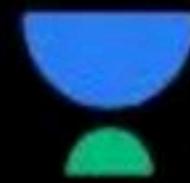




Stack & Queue - Part VI

Course on Data Structure



CS & IT Engineering

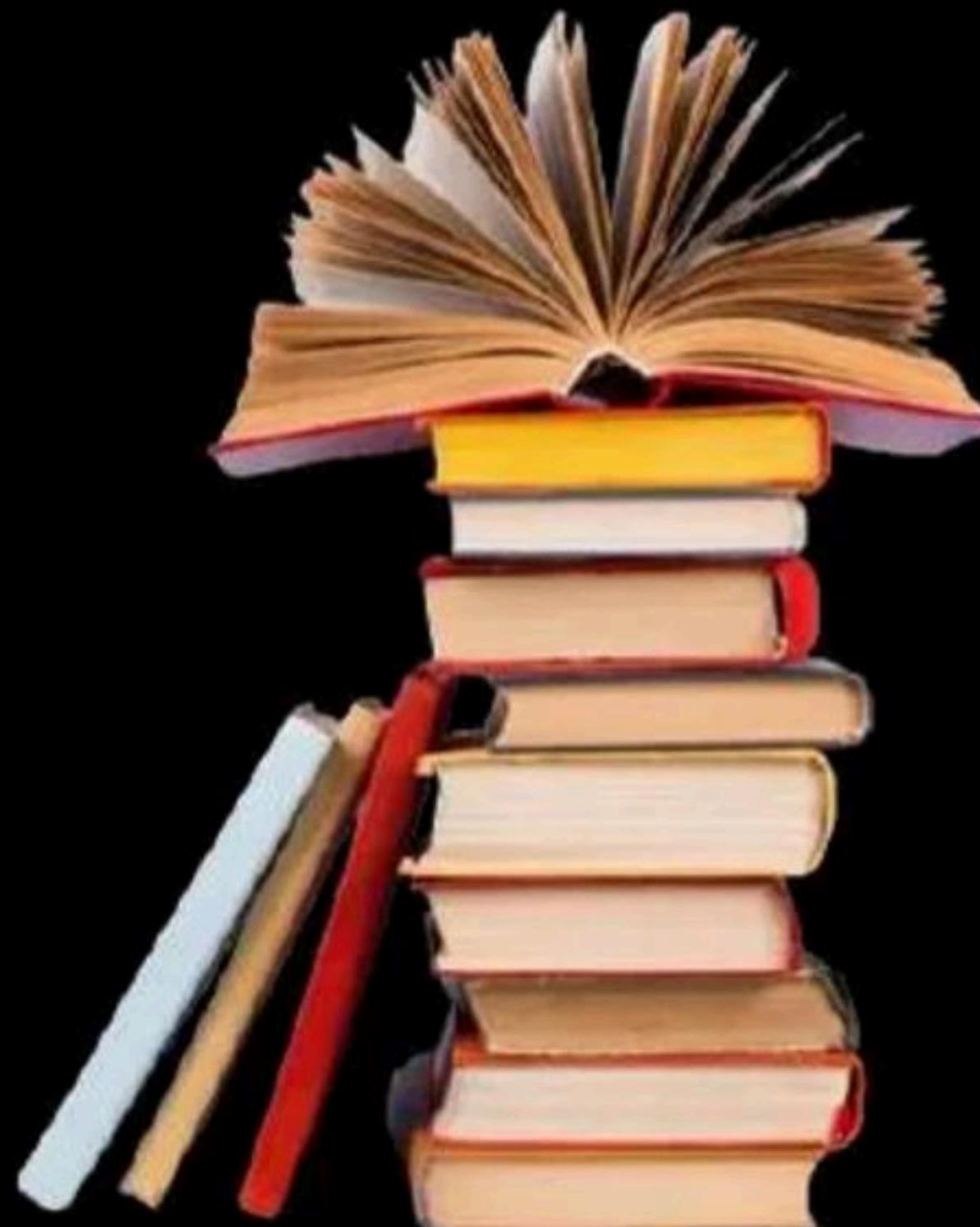
Data Structure
Stack & Queue





Topics

to be covered



1

Stack & Queue

Q1. Consider an integer 2-D array $A[-7 \text{ to } 7][-\text{to } 7]$ that stores a UTM U , where

$$U[i][j] = 1 \text{ for all } i \geq j.$$

The sum of all the elements in the array is

$$n = 7 - (-7) + 1 = 15$$

No. of terms

$$15 + 14 + 13 + \dots + 1$$

$$1 + 2 + 3 + \dots + 15$$

$$= \frac{15 \times 15}{2} = 120$$

Q2. Consider an integer array that stores a
LTM arr $[-16 \dots 15][-16 \dots 15]$ having base
address 1600.

If size of integer = 4 bytes, then the
address of element arr[8][7] is _____



$\text{Grid}[-16..15][-16..15]$

RMV

$\begin{bmatrix} \times & 0 & 0 & 0 & \dots \\ \times & \times & \dots \end{bmatrix}$



$$15 - (-16) + r = 32$$

32×32

$a[8][7]$



$-16 + 7$

$$= 7 - (-16) + 1$$

$= 24 \text{ rows}$

$$1 + 2 + 3 + \dots + 24 \Rightarrow \frac{24 \times 25}{2} = 300$$

Index within row

Index 8
Cell already filled

$$= -16 + 6$$

$$= 6 - (-16) + 4 = 23$$

Total elements already filled = $300 + 23$
 $= 323$

Total memory already filled = 323×4
 $= 1292$ bytes



$$\begin{aligned} &= 2292 \\ 1000 + 1292 &= 2292 \end{aligned}$$



Q] Consider the natural numbers starting from 1 are stored in a LTM $\text{arr}[-3..3][-3..3]$.

Find the element present at $\text{arr}[1][6]$.

	-3	-2	-1	0	1	2	3
-3	1	0	0	0	0	0	0
-2	2	3	0	0	0	0	0
-1	4	5	6	0	0	0	0
0	7	8	9	10	0	0	0
1	11	12	13	14	15	0	0
2							
3							



-3 to 0

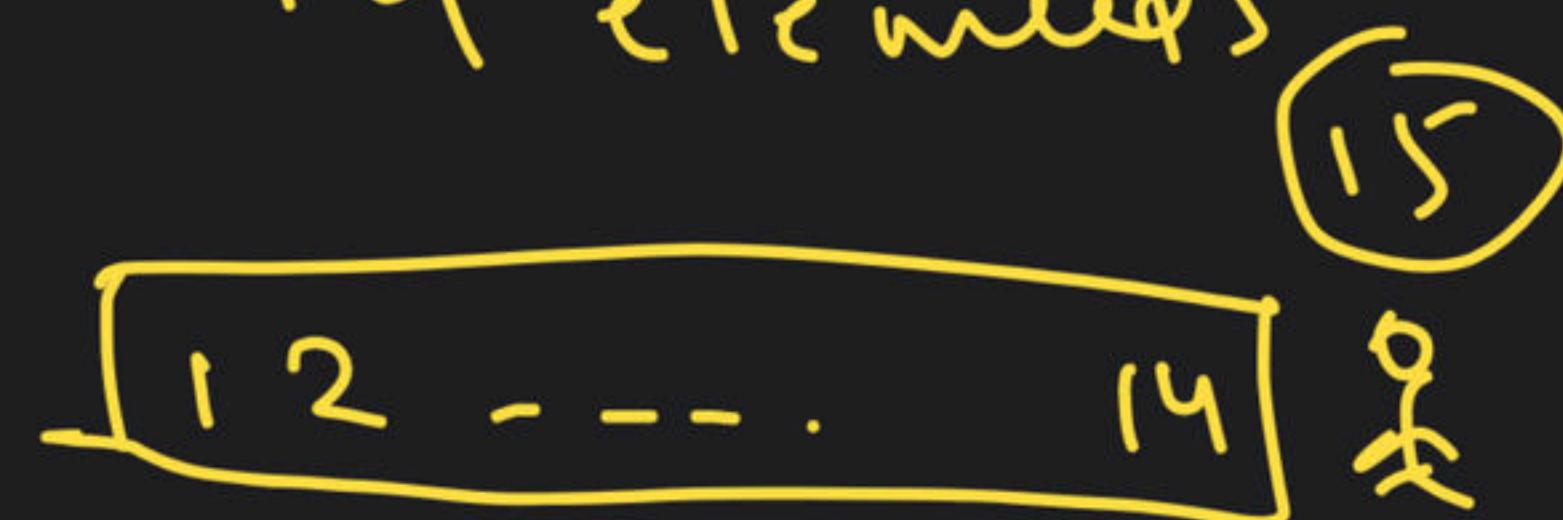
$$\begin{aligned} 6 - (-3) + 1 \\ = 4 \end{aligned}$$

-3 to 6

= 4 elem

$$\begin{aligned} 1 + 2 + 3 + 4 \\ = 6 \end{aligned}$$

14 elements





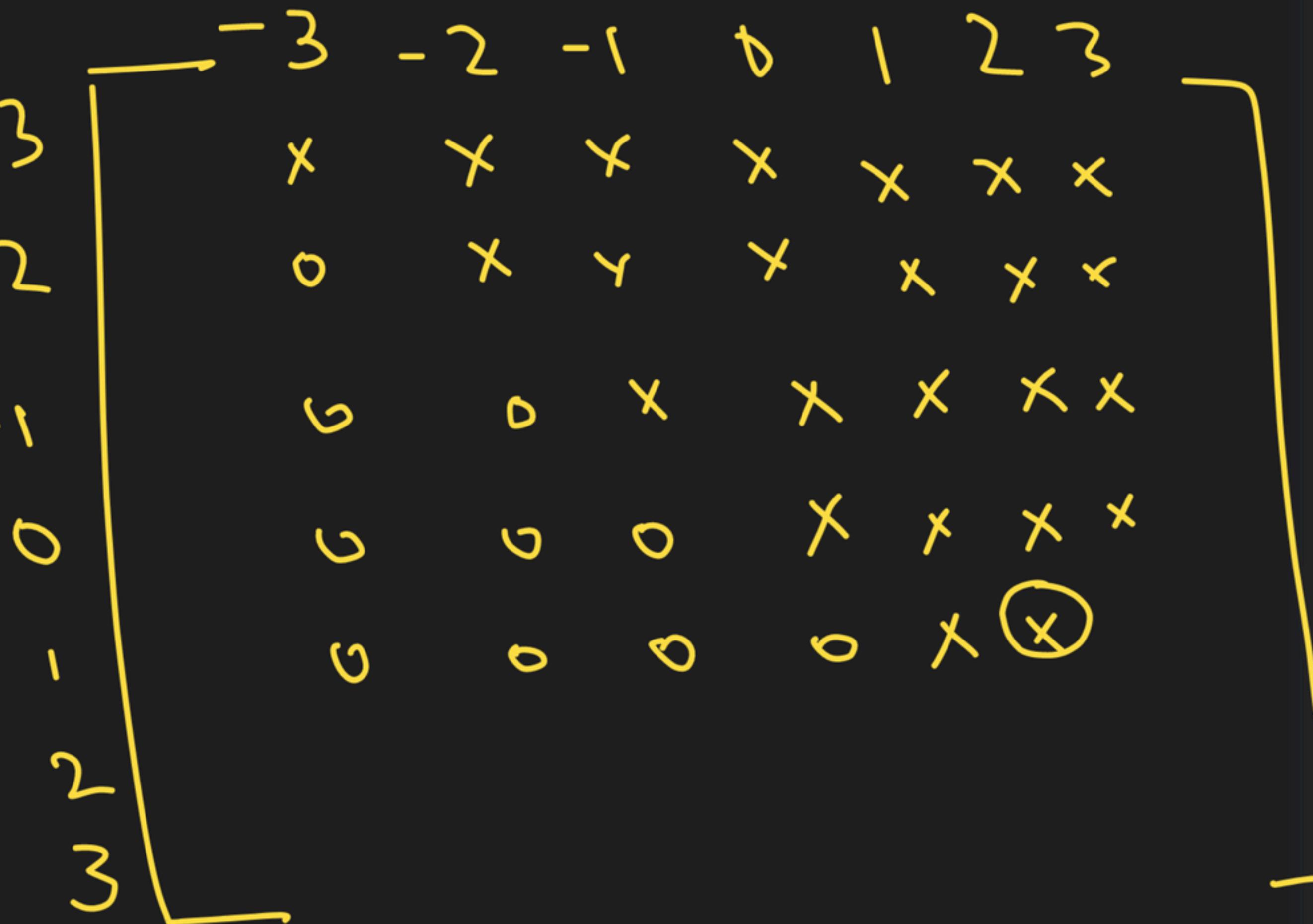
Q] Consider the natural numbers starting from 1 are stored in a UTM $\text{arr}[-3..3][-3..3]$.

Find the element present at $\text{arr}[1][2]$.

a_{ij}

$j \neq i$

$\sum_{j=1}^n a_{ij} = 1$



Q) Consider a 2-D array arr $[-4..4][-4..4]$ stores an UTM. Find the address of the ele. $a[-1][2]$, if the starting add. of the array is 500 and size of each ele. is 8 bytes.

a) RMD ✓

b) CMD

UTM

9x9

9[-4..4)[-4..4)

RMB

a[-1][2]



-4 to -2

-2 - (-4) + 1 = 3 rows

9 + 8 + 7

= 24

within row index -1

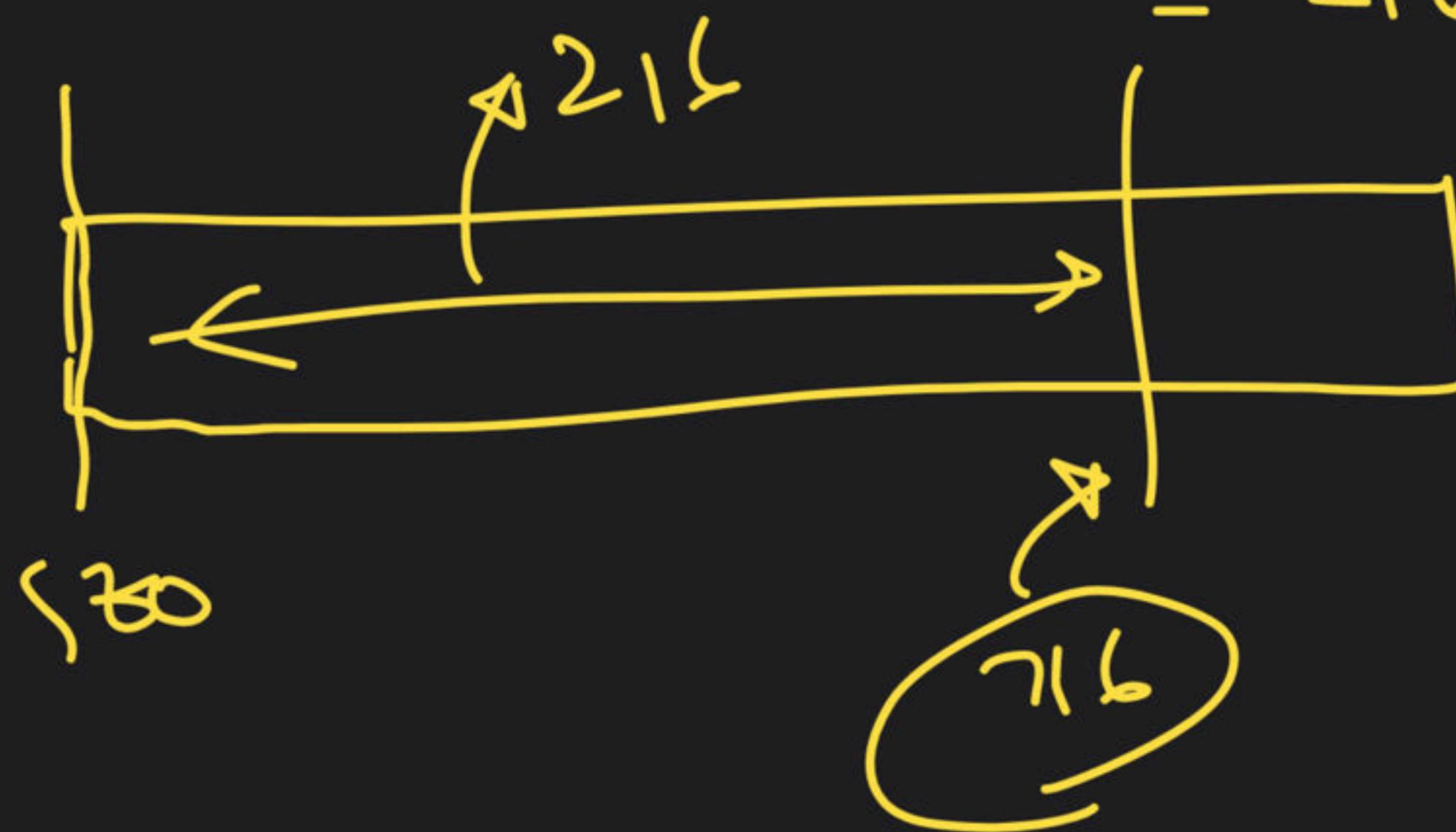
cell filled

$$= 2 - (-1) = 3$$

Total cells already filled = 27

Memory already filled = 27×8

= 216 bytes



$A[-4..4][-4..4]$

$G[-1][2]$

within ω
Index = 2

$$\epsilon \leftarrow -4 \text{ to } -2$$

$$= -2 - (-4) + 1$$

$$= 3$$

-4 to 1

$$1 - (-4) + 1 = 6$$

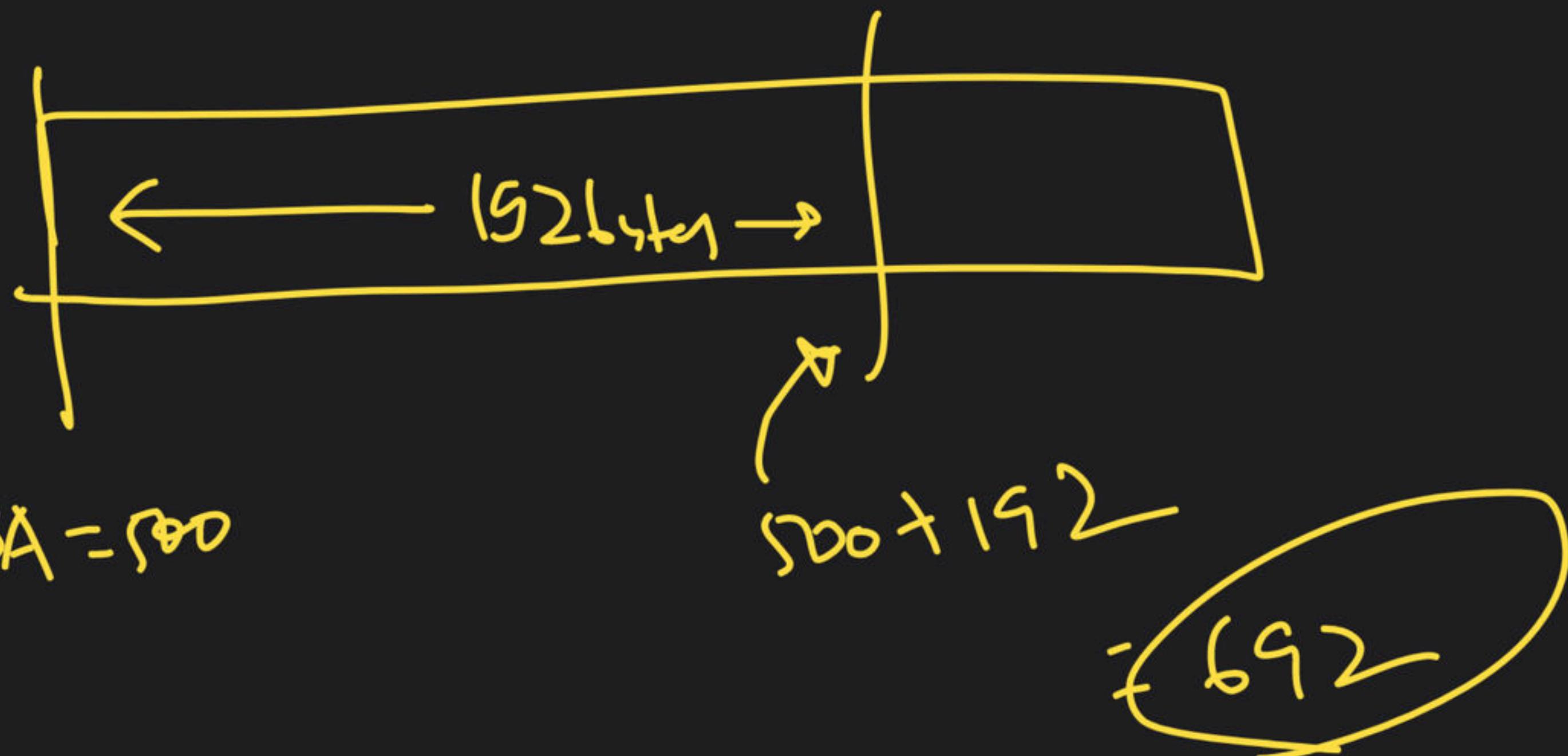
$$\begin{aligned} & 1 + 2 + 3 + \dots \\ & = \frac{6 \times 7}{2} = 21 \end{aligned}$$

UTM



Total ele = 24

Memory = $24 \times 8 = 192$ bytes



Q) Consider a 2D array $a[-4..4][-4..4] \rightarrow [Tr]$.

$a[-2][-1]$

BA = 500

w = 8 bytes

CMO

① Anjan - 144

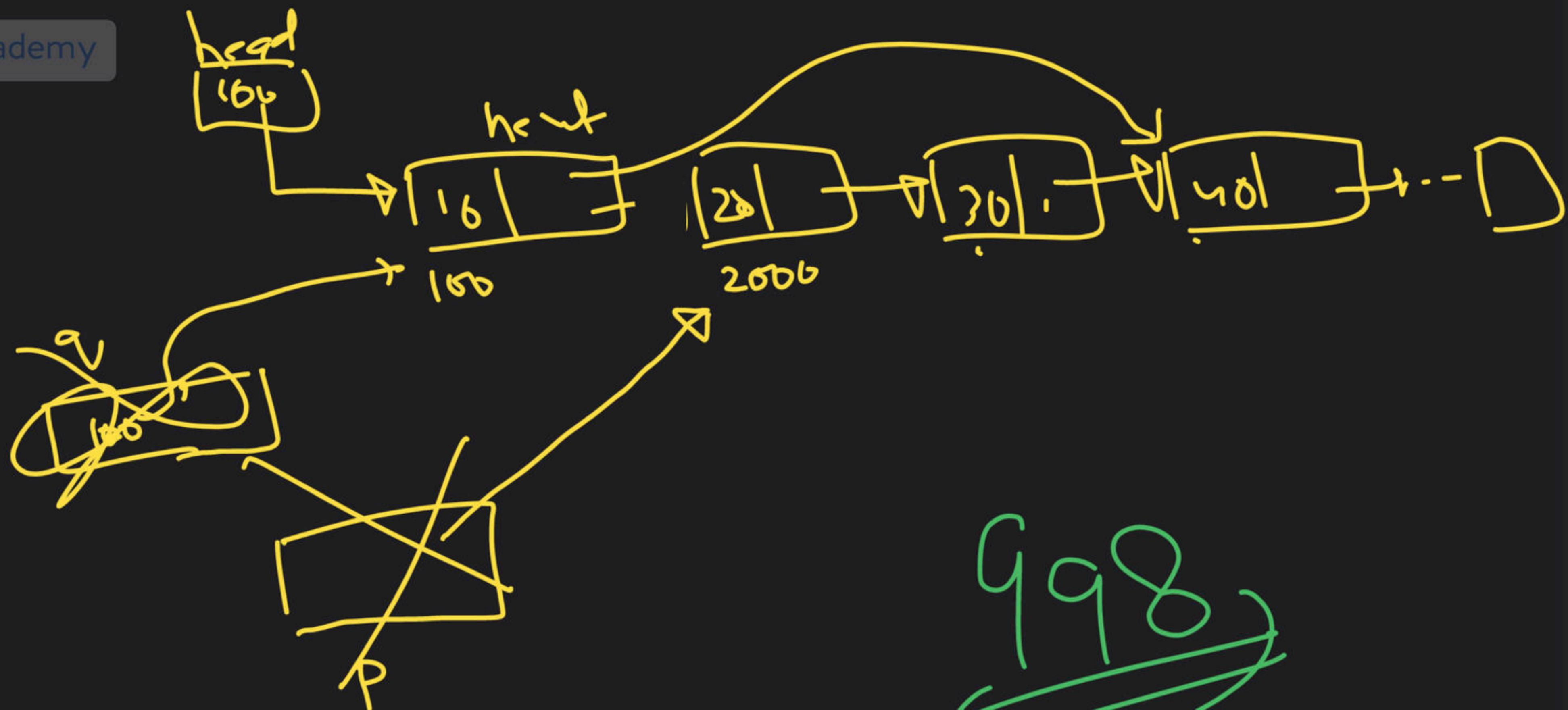
② Sudesh - 652

Invalid

Q) Consider a singly linked list q with 1000 elements is passed to the following function:

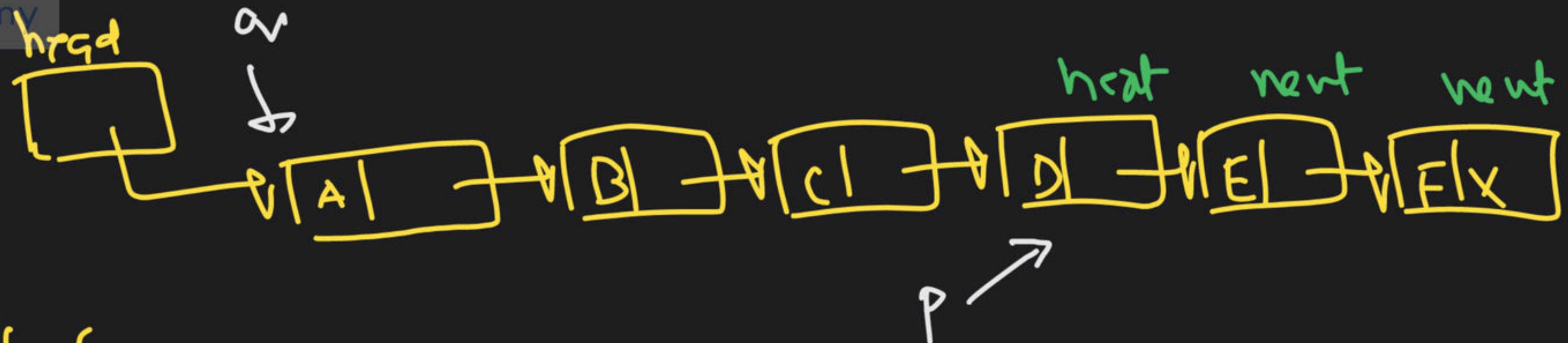
```
struct node {  
    int data;  
    struct node *next;  
};  
  
void f(struct node *q) {  
    struct node *p;  
    p = q->next;  
    q->next = p->next->next;
```

The size of the LL q after execution of the func.



998

Q



```

void f (struct node *q) {
    struct node *p;
    p = q->next->next->next;
    q->next->next->next = p->next->next;
    p->next->next = q->next;
    printf(".%c", p->next->next->data);
}

```

P: LL

Support Linear accessing of elements.

Q: LL

support Random accessing.

Incorrect

Q Consider a singly linked list



is passed to the following function.

```
void f(struct node *q)
{
    if (q == NULL) return
    f(q->next);
    pf(".l.c", q->data); ✓
}
```



- P: Insertion at the end of L.L. is $\Theta(n)$ expensive than insertion at the beginning of LL. $\Theta(1)$
- Q: Deletion at the beginning of LL is cheaper as compared to deletion at the end of LL $\Theta(n)$

Both are correct.

Given an array of integers, All elements occurred even no. of times except one.
Find that element.

I/O & Analysis) I/P : { 2, 4, 4, 3, 2, 3, 7 }
Time Complexity O(n)
O/P : 7

$$a^k a = b$$

$$b^k a = a$$

$$\begin{cases} a^k a^k a = a \\ a^k a^k a^k a = b \end{cases}$$

Jai Prakash

$O(n^2)$ ✓

====

$O(\log n)$ ✓

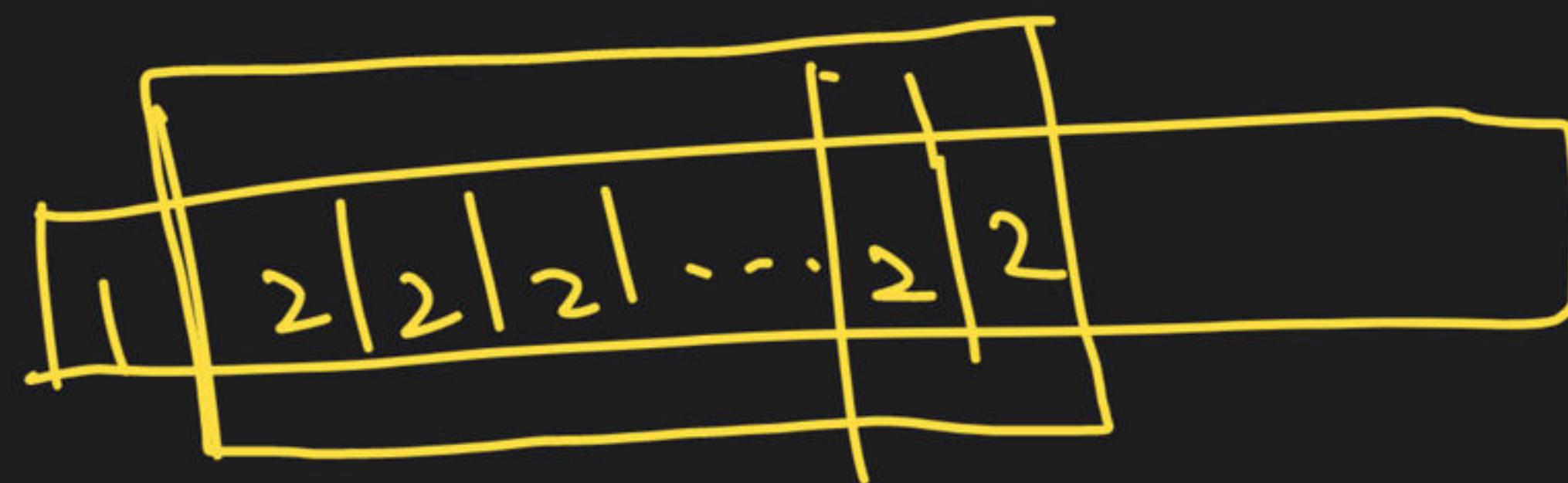
$O(n)$ ✓

Q2.

Given an sorted array that contains 1 majority element (that appears more than $N/2$ times). Find the majority element.



$\alpha(i)$



Unsorted

1.

Moore voting Algo X

~~GAIE~~

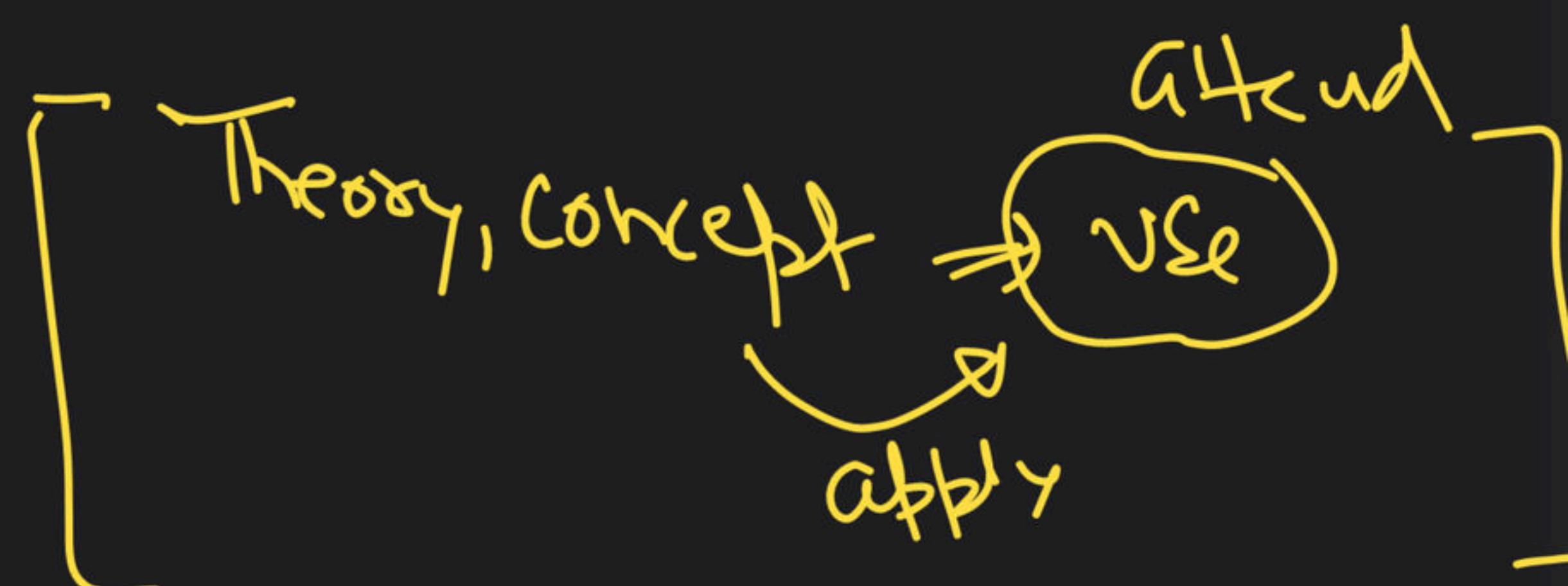
1) Arrays → Revision

2) Linked List

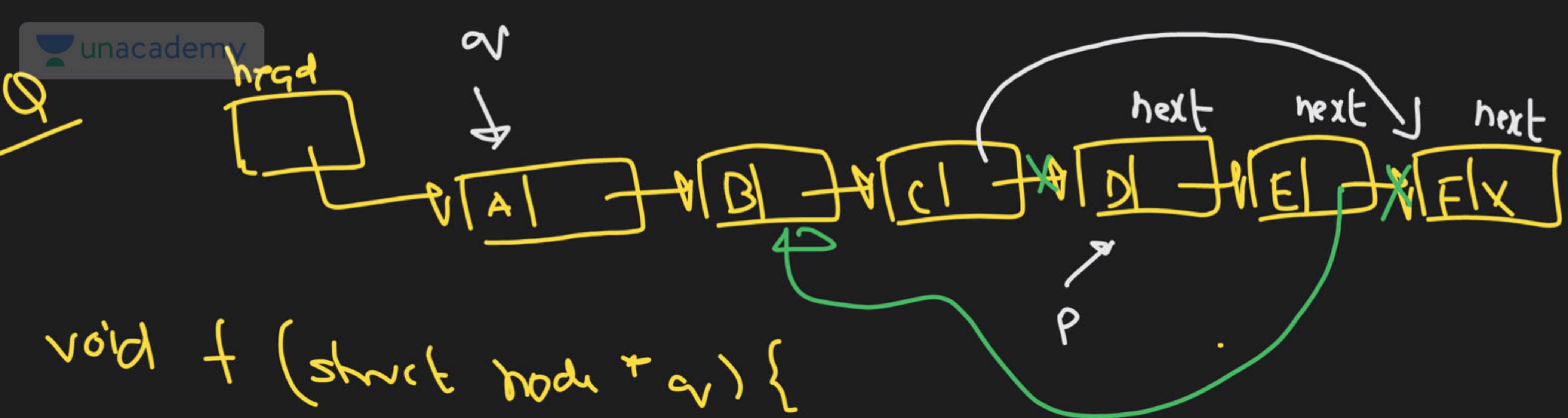
3) Stack

4) ~~Tree~~ →

Revision →
special chss
ds DPDs
must



10:00 - 11:00



```
void f (struct node *q) {
```

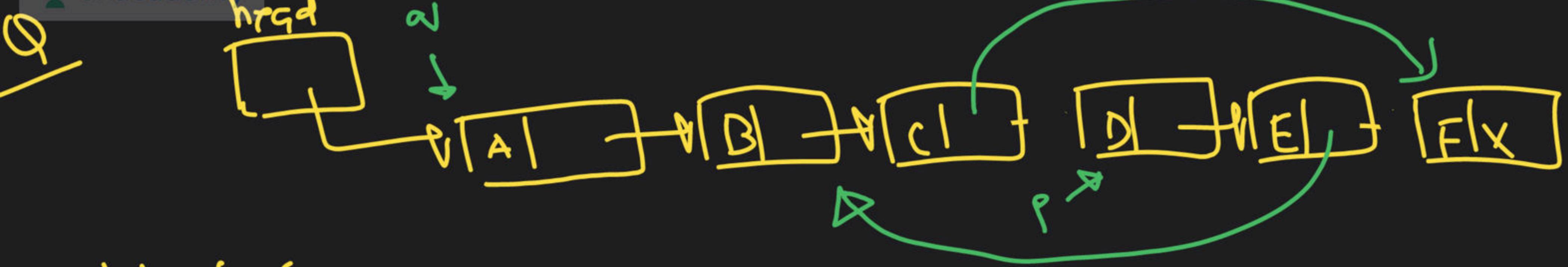
```
    struct node *p;
```

```
p = q->next->next->next;
```

$$\underline{q \rightarrow \text{next} \rightarrow \text{next} \rightarrow \text{next}} = p \rightarrow \text{next} \rightarrow \text{next};$$

$$p \rightarrow \text{next} \rightarrow \text{next} = q \rightarrow \text{next}, \swarrow$$

```
printf(".%c", p->next->next->next->data); }
```



```

void f (struct node * q) {
    struct node * p;
    p = q->next->next->next;
    q->next->next->next = p->next->next;
    p->next->next = q->next;
    printf(".%.c", p->next->next->data);
}
  
```

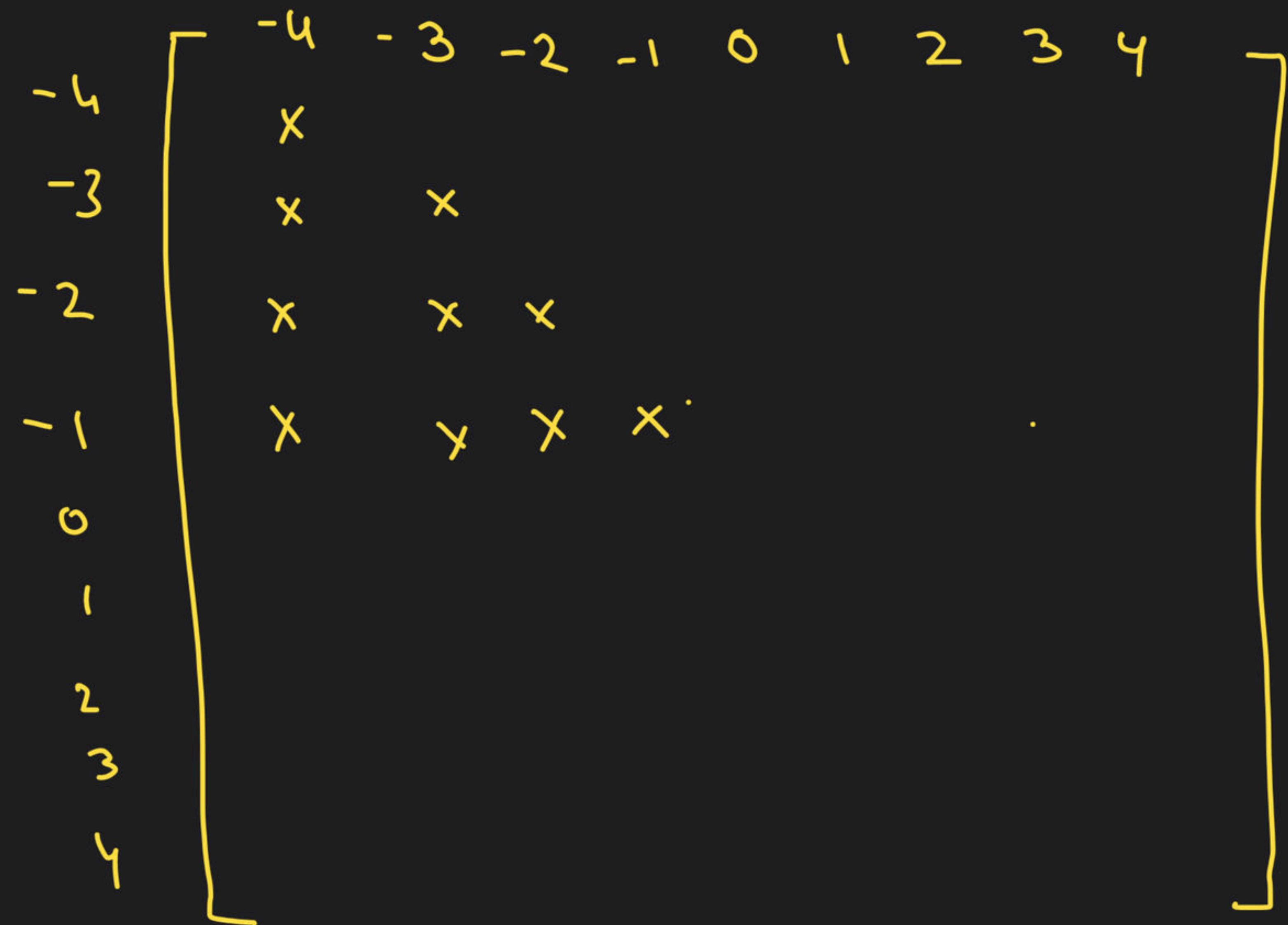
Q



```

void f (struct node *q) {
    struct node *p;
    p = q->next->next->next;
    q->next->next->next = p->next->next;
    p->next->next = q->next;
    pf ("%c", p->next->next->data);
}
  
```


LTM



$i=j$

	0	1	2	3
0	a_{00}	0	0	0
1	a_{10}	a_{11}	0	0
2	a_{20}	a_{21}	a_{22}	0
3	a_{30}	a_{31}	a_{32}	a_{33}



THANK YOU!

Here's to a cracking journey ahead!