

Part3

Localized Blurring

- Step 1: Apply Gaussian blurring to the entire image
- Step 2: Compute the final image as a weighted average of the blurred and original image

$$I'(x, y) = w(x, y) * I_b(x, y) + (1 - w(x, y)) * I(x, y)$$

where I , I_b and I' are the initial, blurred and final images respectively, w is the weight and (x, y) is the pixel location

Computing Weights

- Weight should be maximum at the clicked point and decrease on moving away
 - Easiest to use standard distributions

- Gaussian Distribution:

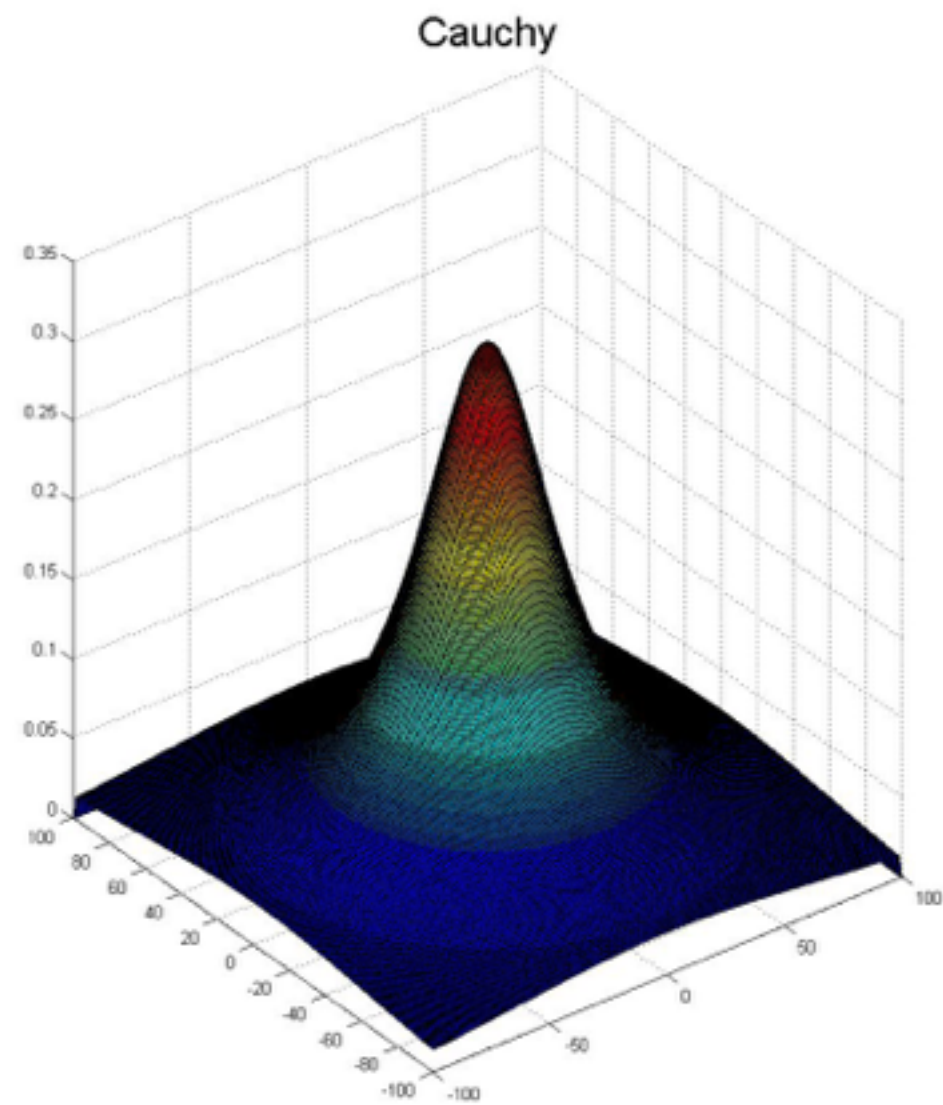
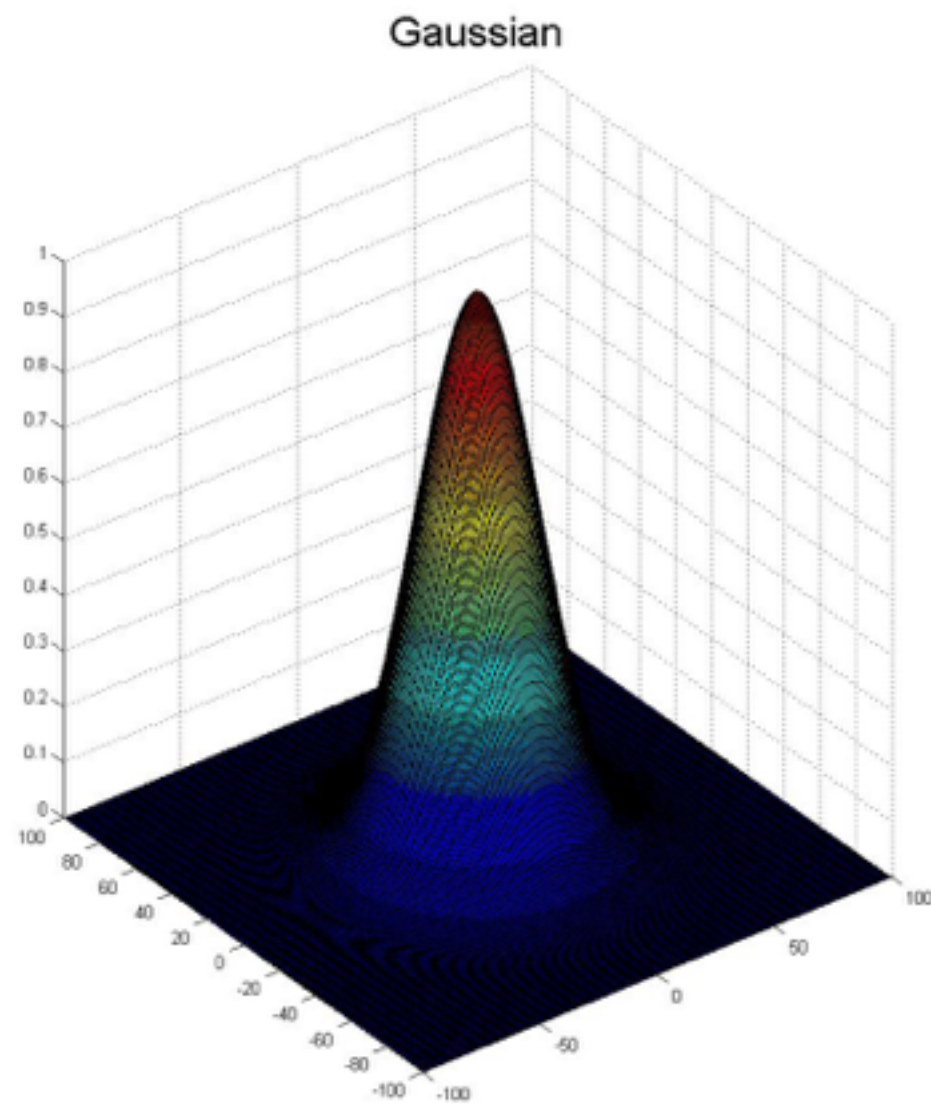
$$w(x, y) = \exp(-(x - x_0)^2 + (y - y_0)^2)/\sigma^2)$$

- Cauchy Distribution:

$$w(x, y) = 1/(1 + ((x - x_0)^2 + (y - y_0)^2)/\sigma^2)$$

- where (x_0, y_0) is the clicked point and σ is the standard deviation

Distribution Shapes

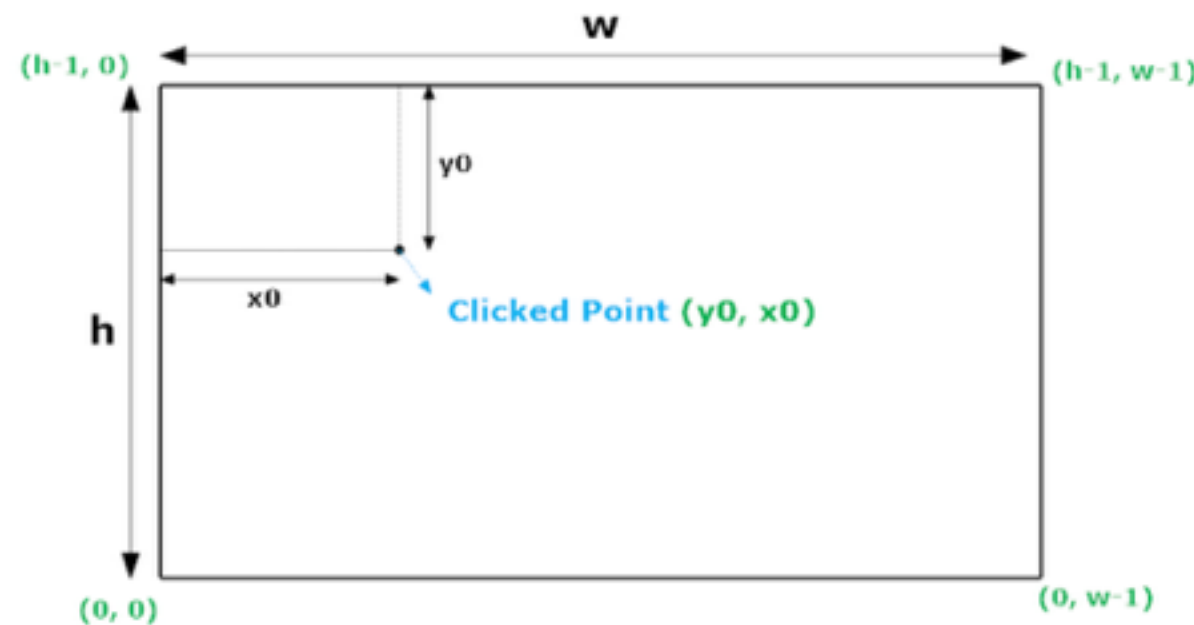


Implementation Trick

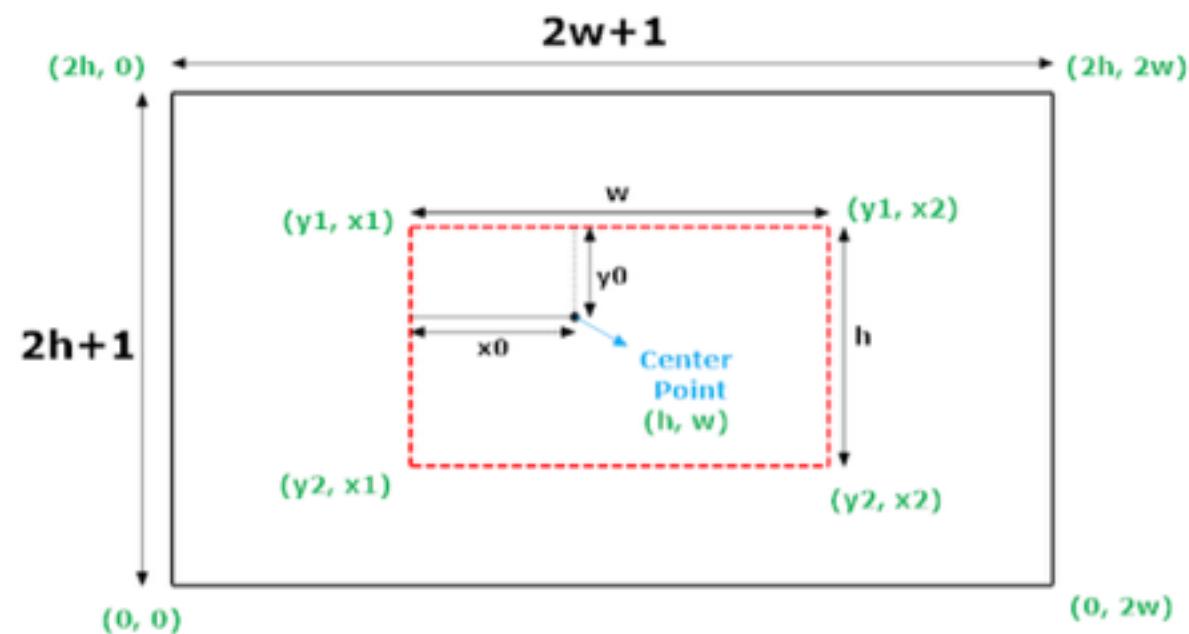
- First, compute Gaussian/Cauchy mask
- The mask should be twice as large as the image, $((2*w+1) \times (2*h+1))$
 - Translated center point remains within its bounds

- Then, extract a region from the mask
- Same size as the image
 - Center of the mask is at the same location within this region as the chosen point in the image.

Translating the Mask (cont'd)

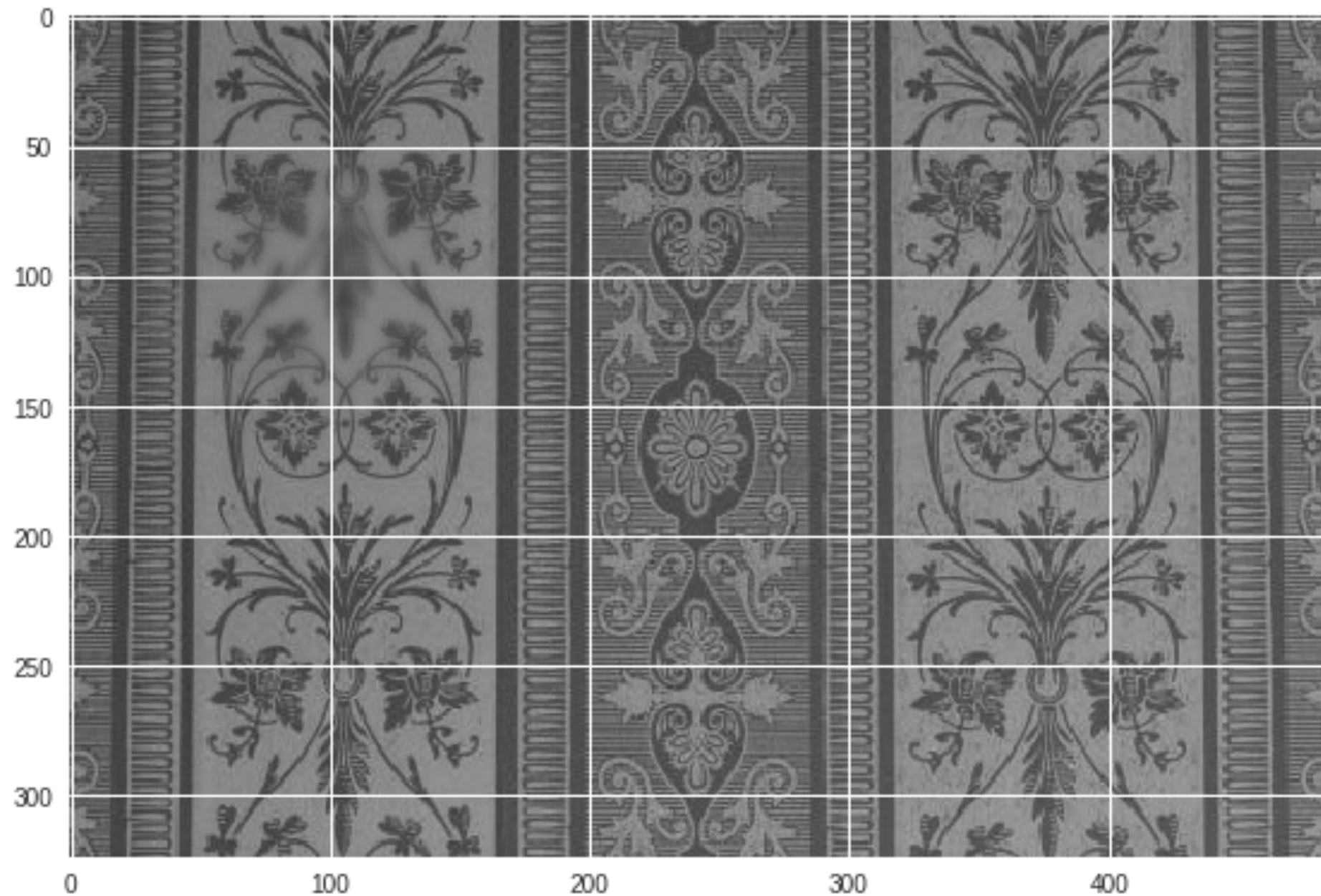


Original image with width w and height h showing the clicked point (point indices in green)



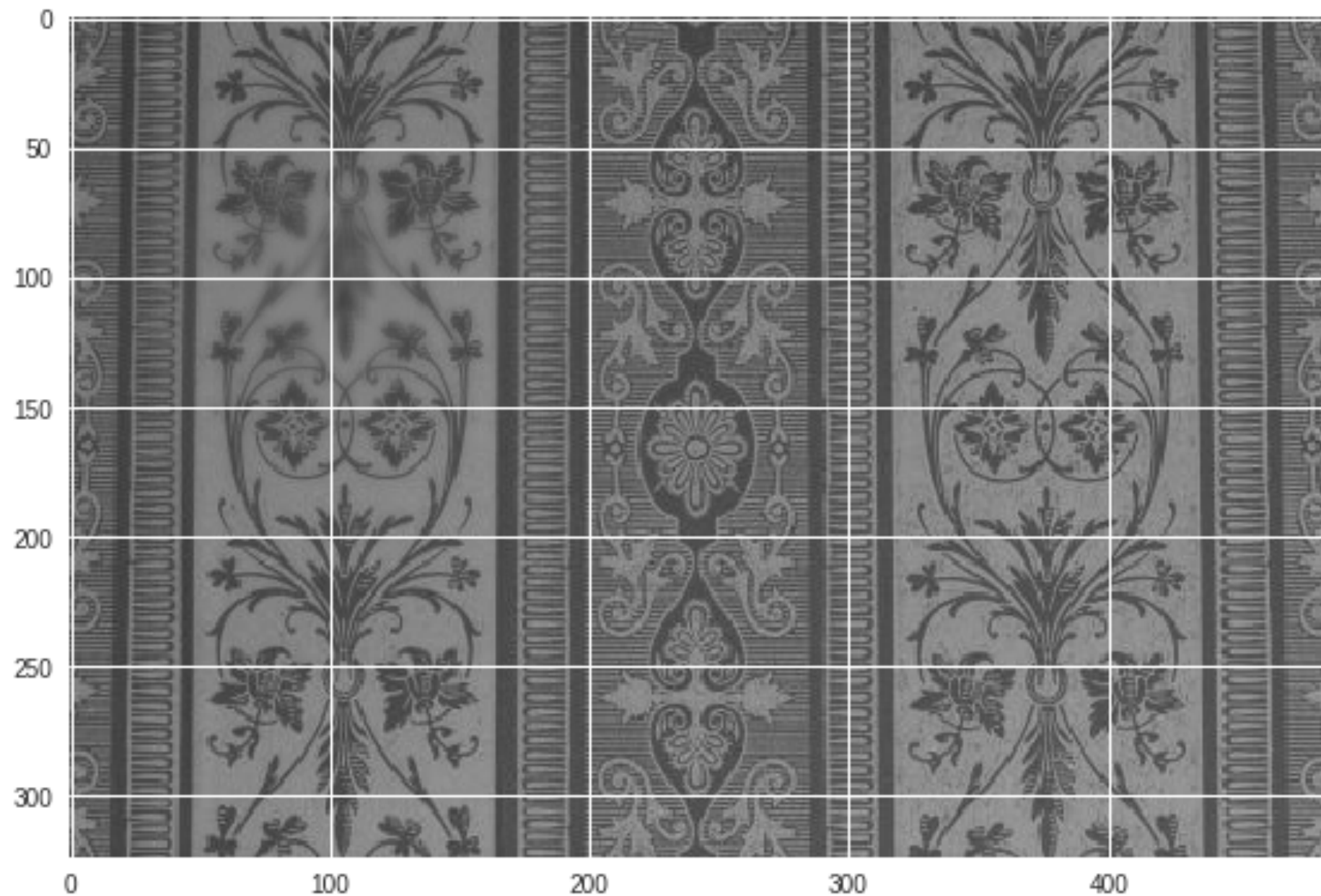
Mask with width $2w+1$ and height $2h+1$ showing the region to extract with red dashed lines (point indices in green)

Expected Behaviour



$x=100, y=100, \text{sigma}=50, \text{Gaussian kernel}$

Expected Behaviour



$x=100, y=100, \sigma=50$, Cauchy kernel