

Q. Guide

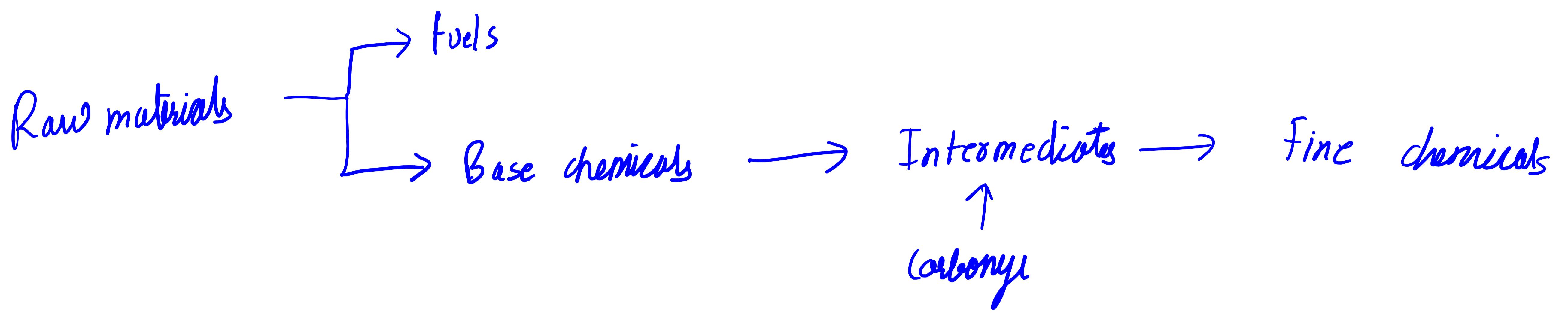
Felder

- ✓ No notes making - Save time
- ✓ Note only mistakes
- The V3Q sub → Video → 3 Qs from the first 20 of exercise ↓
- Order of practice
 - V3Q → solved Q
 - Tutorials
 - ✓ Prev yr papers
 - ✓ other Qs from the book
- Small statement

$$\underline{C = (k)P} \leftarrow \underline{\text{Heney's Law}}$$



General Process



> 10,000 TPA - Bulk che.

< 10,000 TPA → Fine +r / Speciality che.

Terms

1) Steady state process → Cond'ts don't vary w/t time

2) Cont process → accumulation = 0

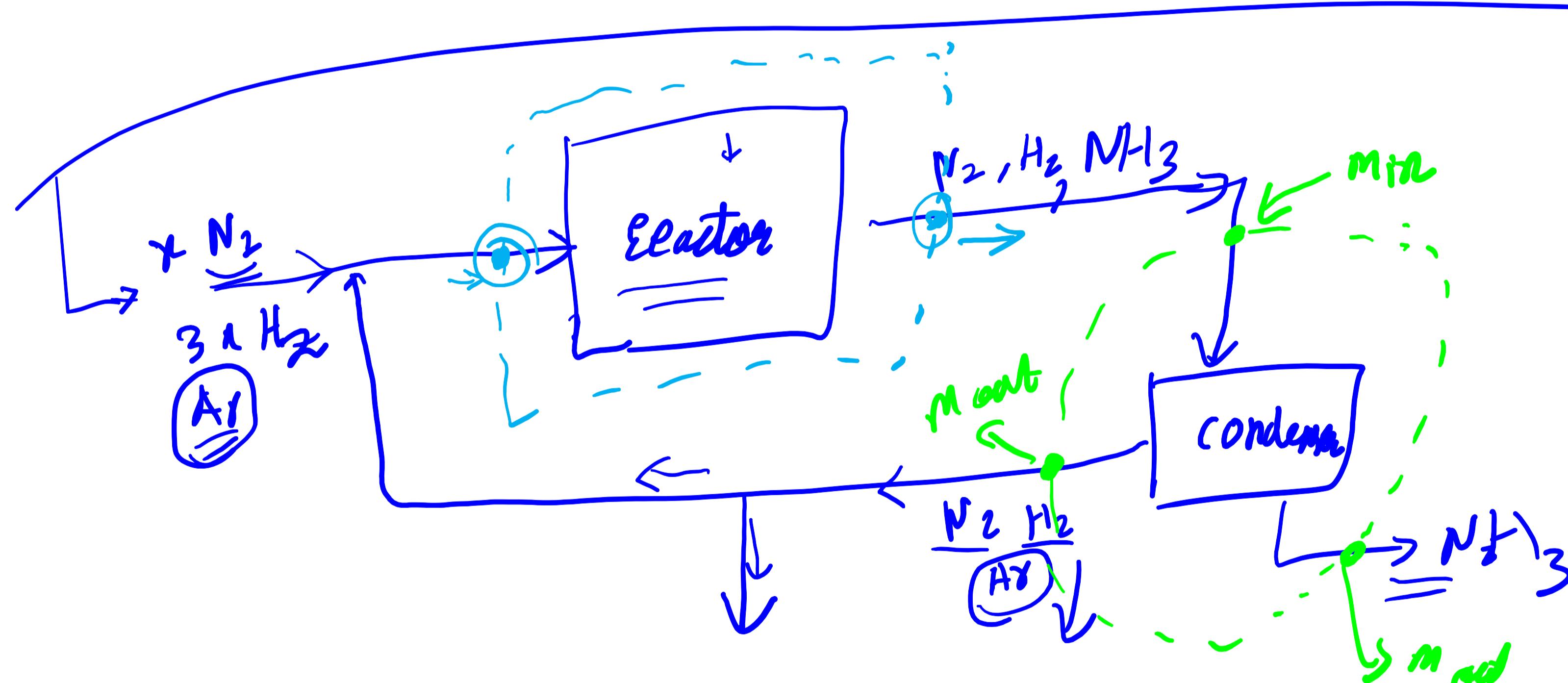
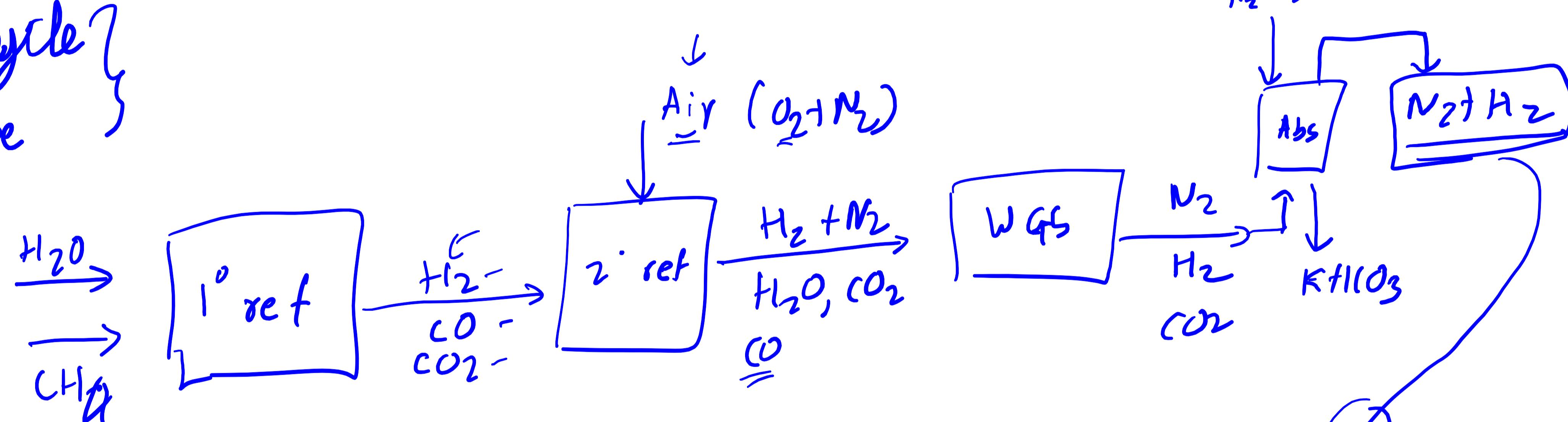
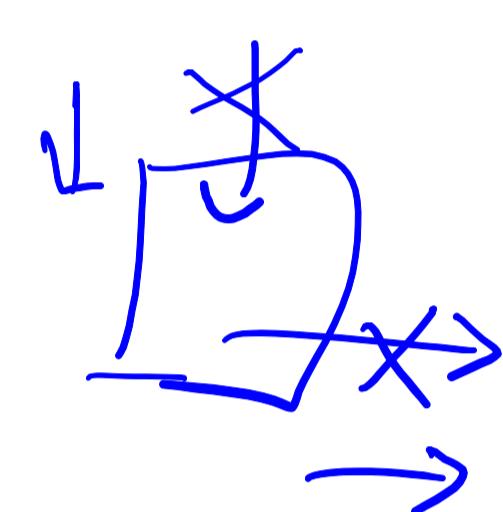
3) Batch

A) demibatch → acc ≠ 0

5) Transient → opp of steady

6) Recycle }

7) Purge }



Mass Balance

$$\text{Total } M_{\text{in}} - M_{\text{out}}$$

for any boundary

acc = 0

→ steady state

→ One component
→ Coming in - Going out - reacted + generated = 0

Overall moles moles in moles out → $m_{\text{in}} - m_{\text{out}} - \text{reacted} + \text{gen} = 0$



$$\frac{dm}{dt} = \textcircled{1} F_{T_{in}} - \textcircled{2} F_T + \textcircled{3} \underset{\substack{\uparrow \\ \text{gen - exerted}}}{\text{Net generated}} = \frac{dN_A}{dt}$$

zero?

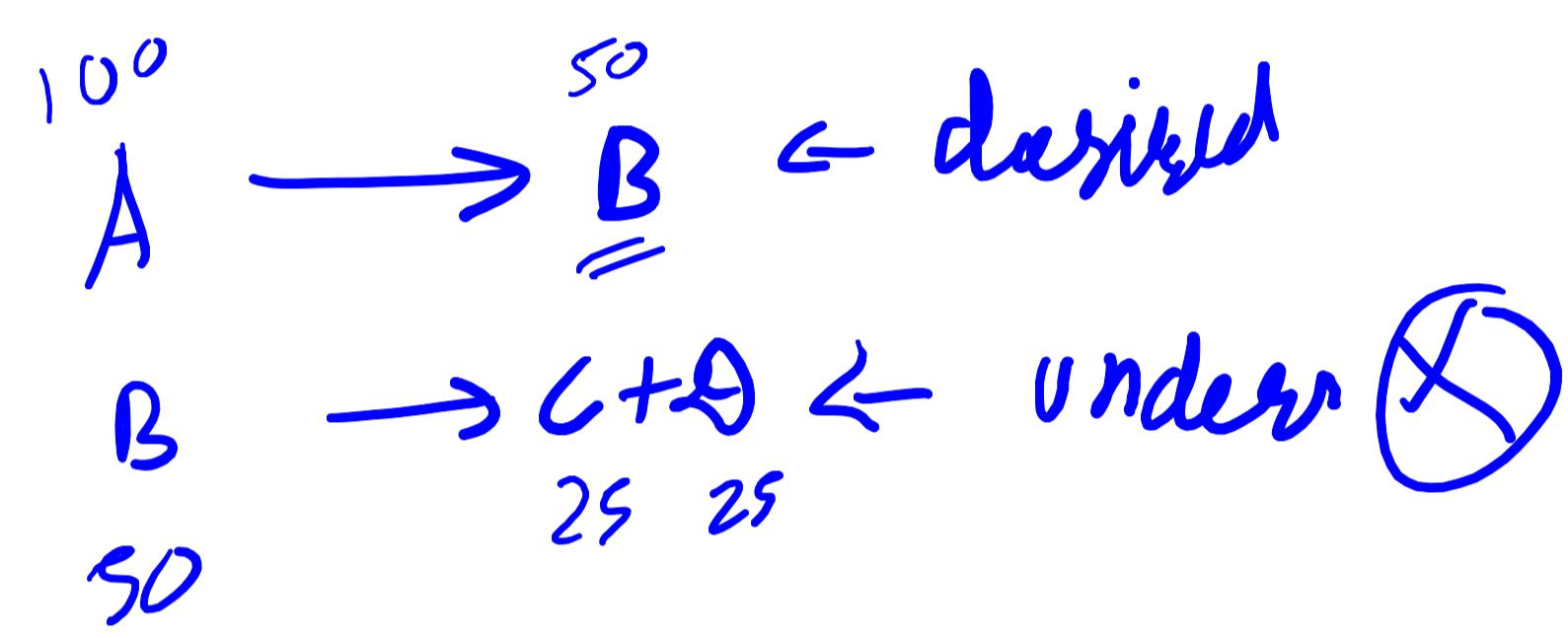
Cont, steady \rightarrow $\textcircled{4}$

Batch \rightarrow $\textcircled{1}, \textcircled{2}$

Cont, unsteady \rightarrow None

Semibatch \rightarrow None \rightarrow $\textcircled{1} \neq \textcircled{2}$

Selectivity



$A \rightarrow 50$

$B \rightarrow 25$

$C \rightarrow 25$

$D \rightarrow 25$

$$\text{Selectivity} = \frac{25}{25+25} = \frac{\text{Desired}}{\text{Sideprod}}$$

$\textcircled{1}/2$

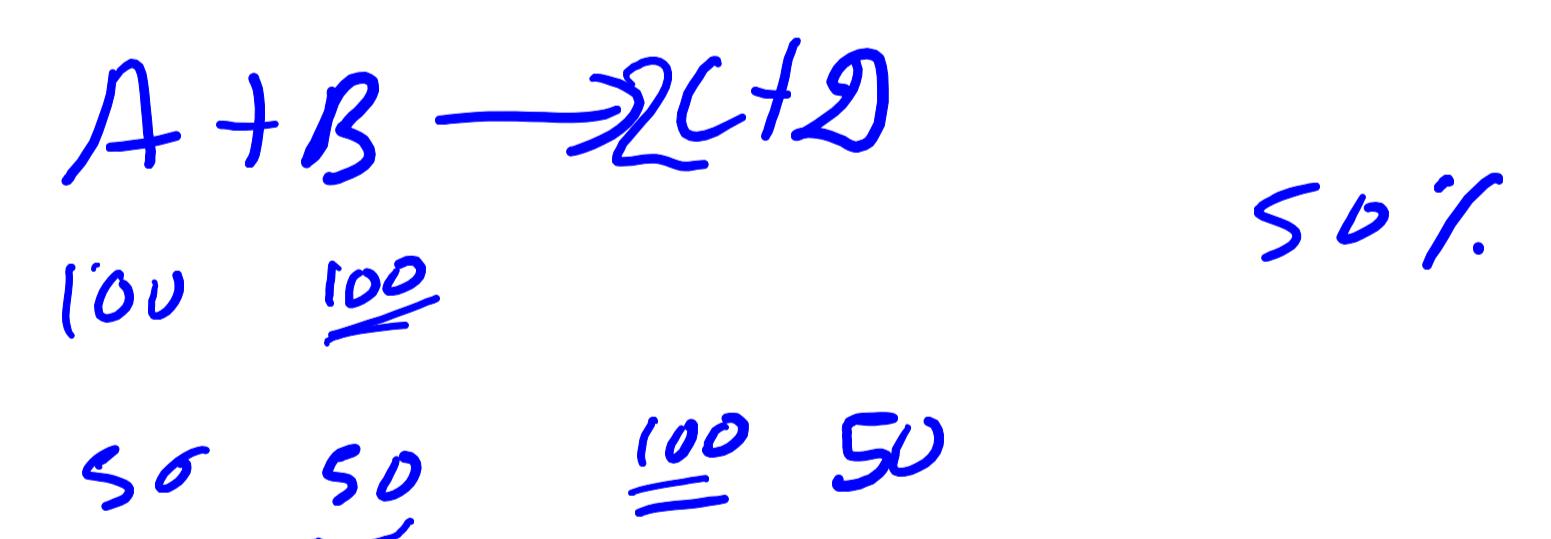
$$\text{Conversion of } A \rightarrow \frac{100 - 50}{100} = \frac{1}{2}$$

$\frac{\text{In} - \text{Remain}}{\text{In}}$

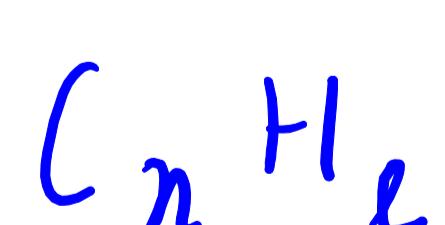
$$\text{Yield of } B \rightarrow \frac{25}{50} = \frac{1}{2} \rightarrow \frac{\text{actual}}{\text{hyp in abs of side ex's}}$$

Law of mass actⁿ

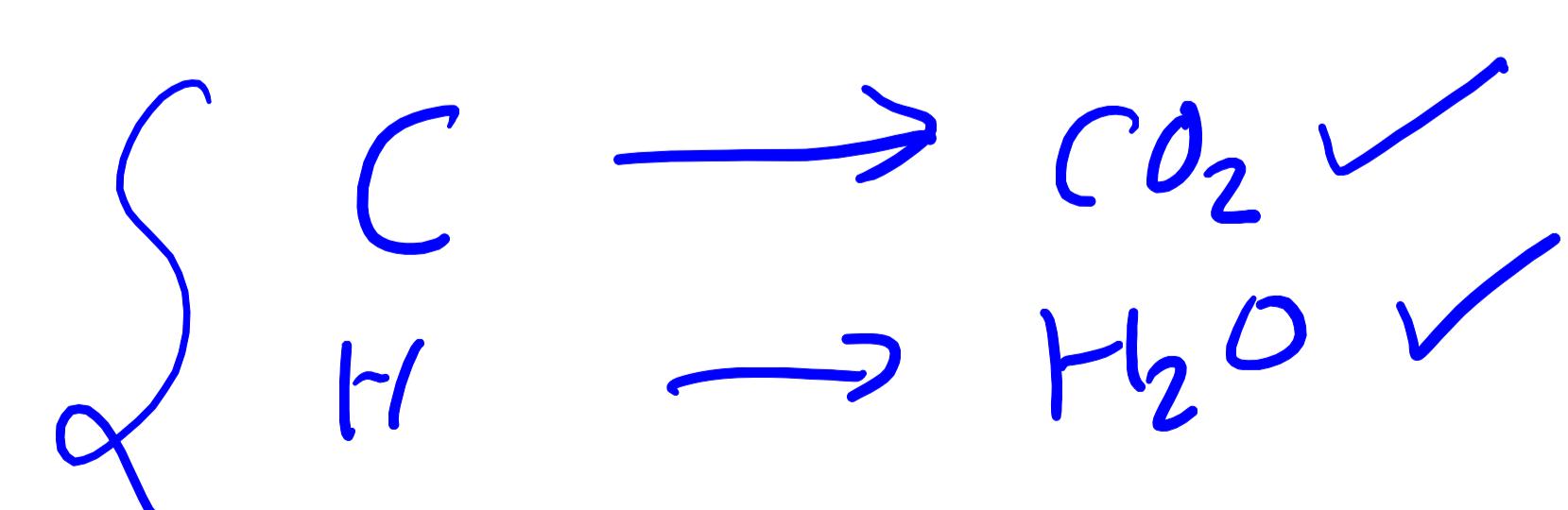
$$K_{eq} = \frac{[\text{C}]^2 [\text{D}]}{[\text{A}] [\text{B}]} \leftarrow \text{terms of extent}$$



$$\begin{array}{l} (100)(1-\varepsilon) \leftarrow \text{B} \\ (100)\varepsilon \times 2 \leftarrow \text{C} \end{array}$$



Assume that all the fuel is converted



Actual conversion
 $\text{C} \rightarrow \text{CO}$ partial

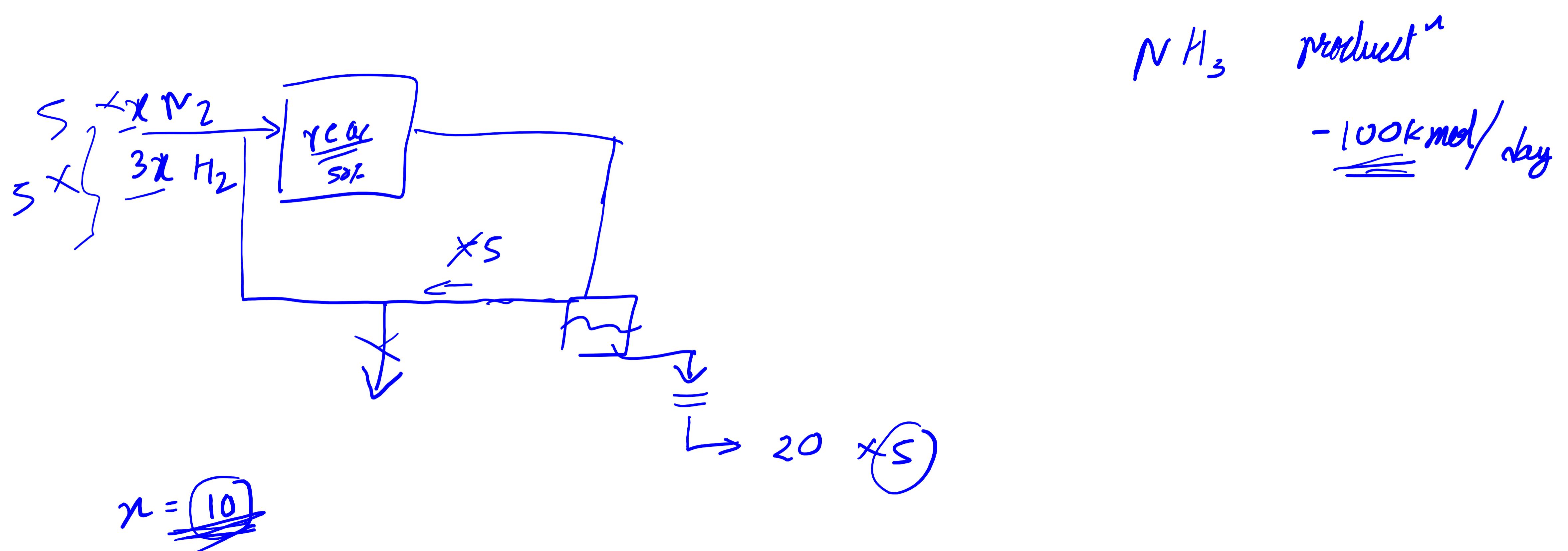
Excess \rightarrow Actual amount given \rightarrow

$$1 \text{ mol C} \rightarrow 1 \text{ mol O}_2$$

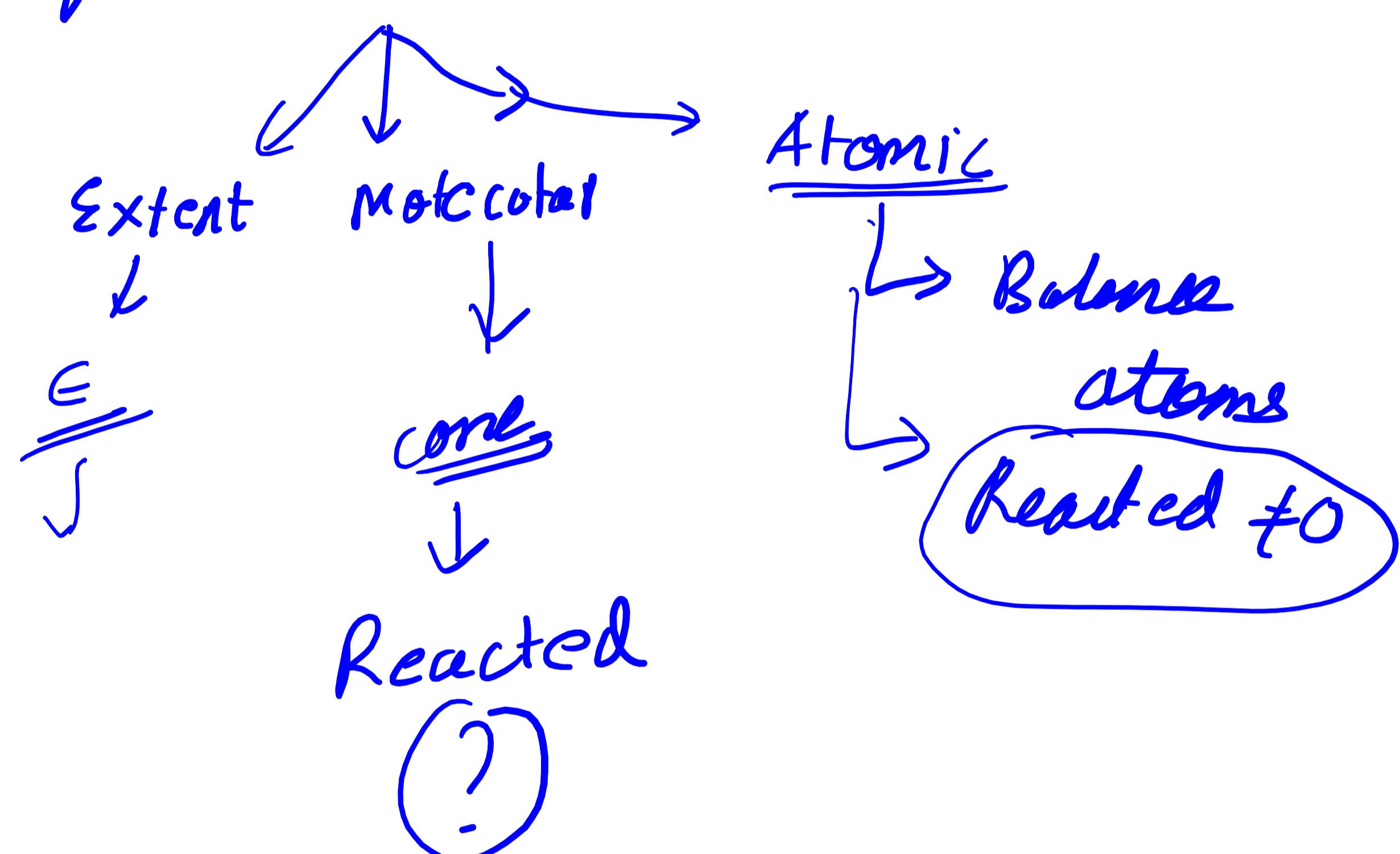
$$\text{Ex} = 1.2 \times \text{the} \rightarrow \text{air provided} = 1.2 \text{ mol}$$

② Balancing & D.O.F

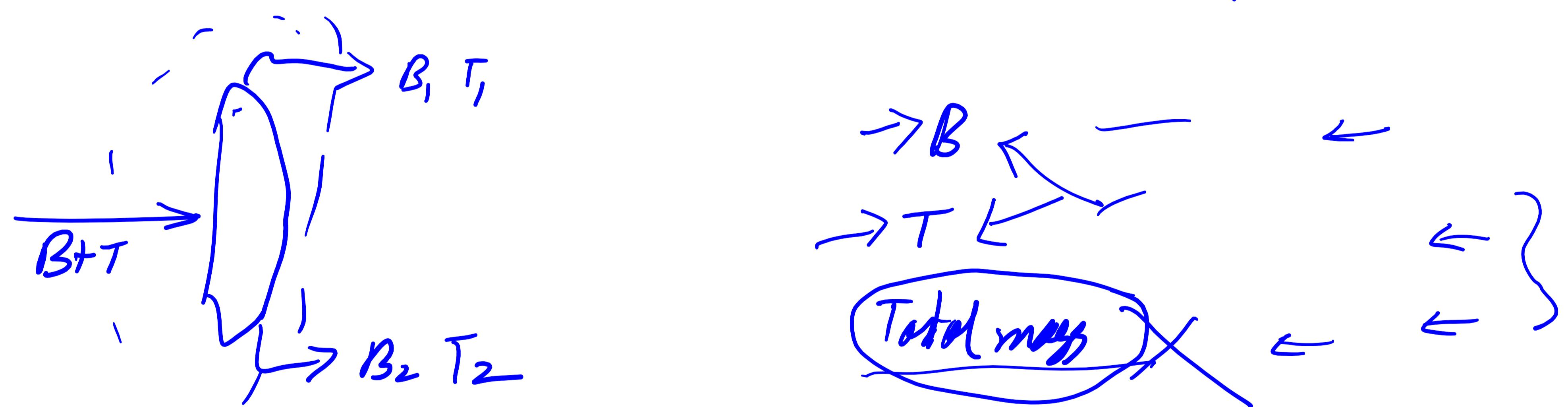
Basis of calc



Ways of Balancing



The max no. of indep. eqns of mate balance = # of species



D.O.F

$$\rightarrow \# \text{ of unknown} - \# \text{ of constraints} = \text{D.O.F}$$

$\text{D.O.F} = 0 \leftarrow$ is solvable

$< 0 \leftarrow$ Express into

$> 0 \leftarrow$ more info req.

\rightarrow mat balance

\rightarrow Energy +

\rightarrow gas laws, values, Process specific, Stoichiometry

M → # unknowns + # indep eq's - # indep balances - other data = DOF

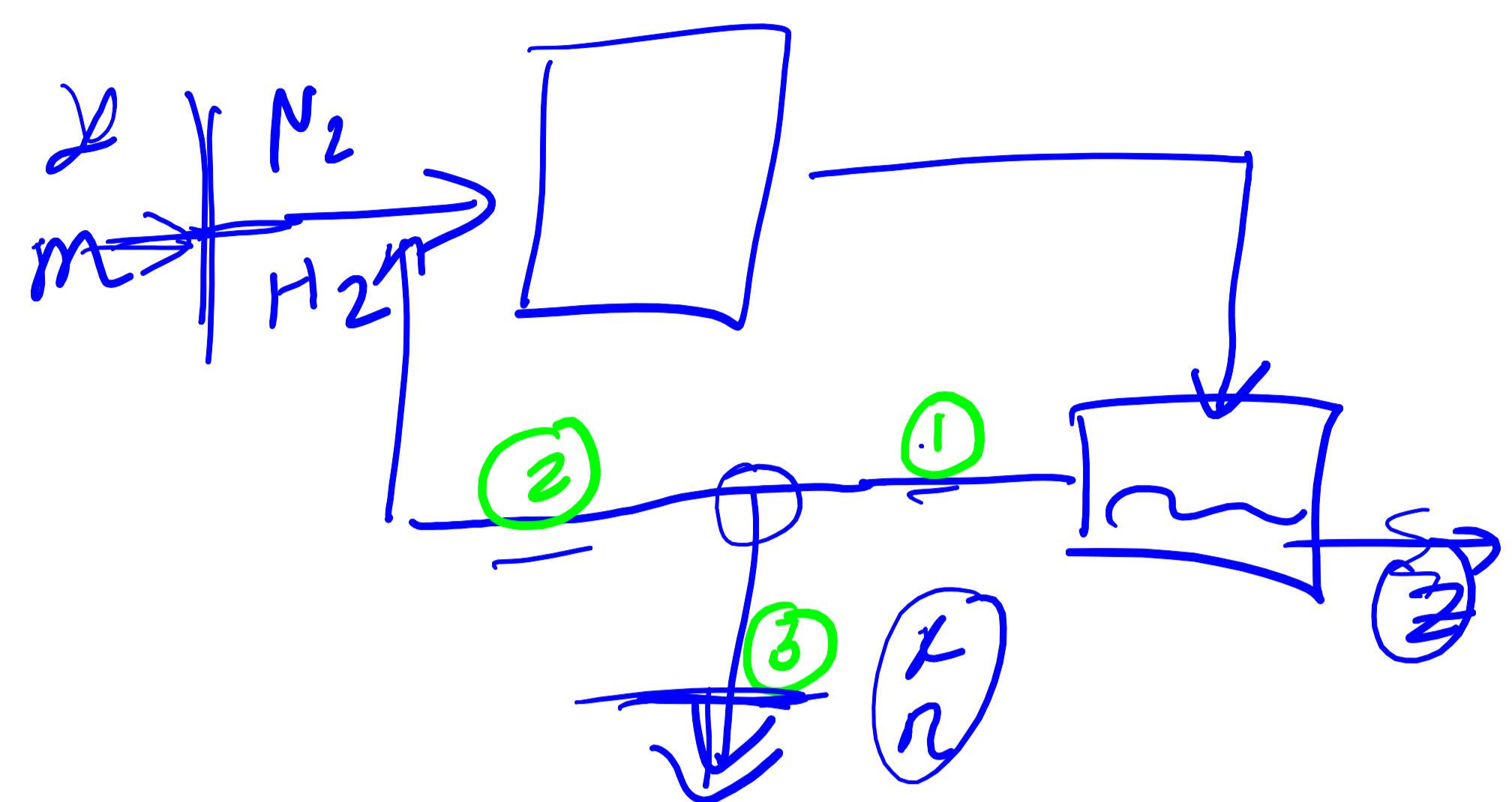
A → # v - # atomic balance - # inert - + - = + -

Extent → # v + # extent - # indep balance - other = DOF

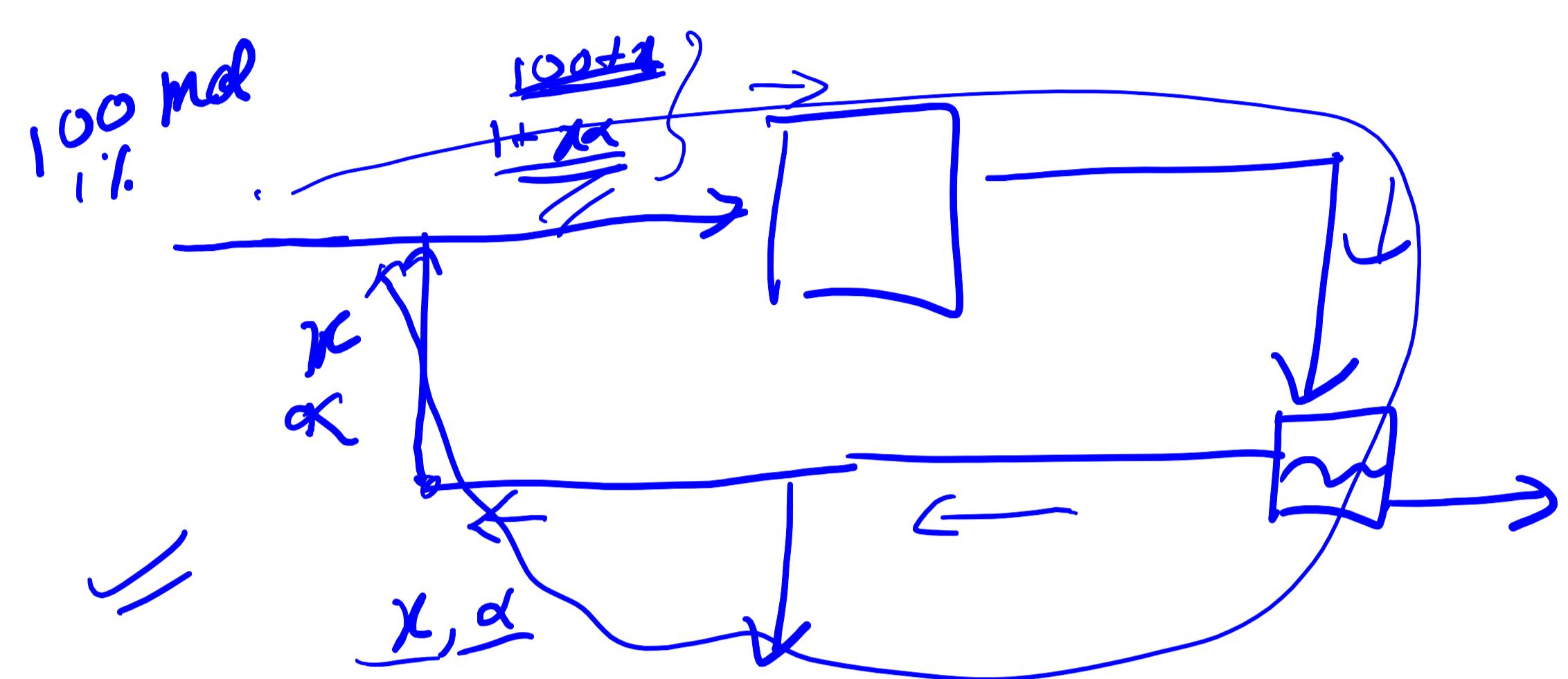
③

Purge

1) compositn \rightarrow ① = ② = ③



Dry basis
Wet basis



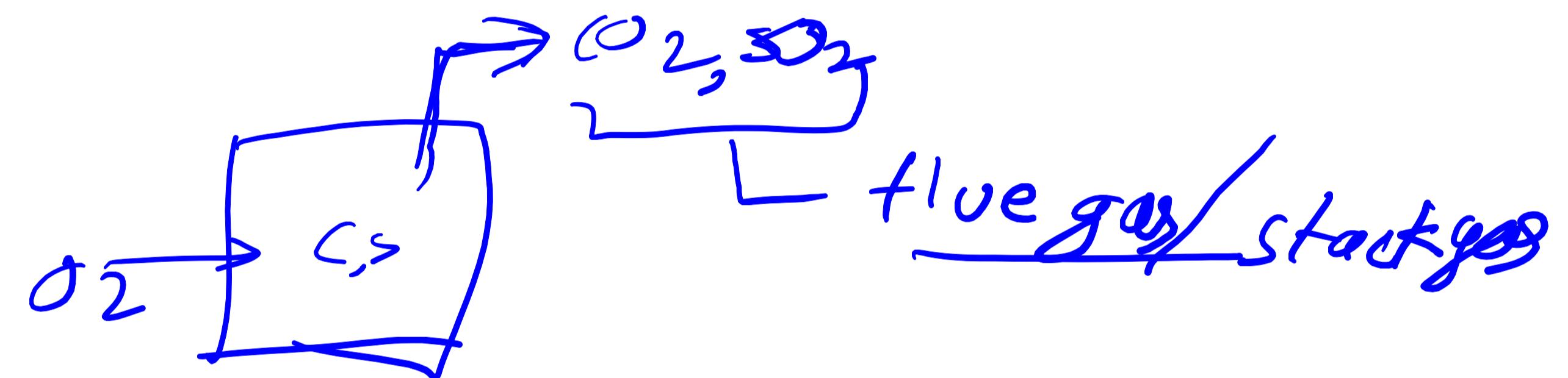
$$\begin{aligned} \rightarrow f(x_d) &= x \\ \rightarrow g(x_d) &= \alpha x \end{aligned}$$

$O_2, N_2, H_2O(v)$

$\begin{array}{l} 20 \text{ mol } O_2 \\ 80 \text{ mol } N_2 \end{array} \left. \begin{array}{l} \text{ } \\ \text{ } \end{array} \right\} 20\% O_2$

$\begin{array}{l} 40 \text{ mol } H_2O \\ 60 \text{ mol } N_2 \end{array} \left. \begin{array}{l} \text{ } \\ \text{ } \end{array} \right\} 80\% N_2 \left. \begin{array}{l} \text{ } \\ \text{ } \end{array} \right\} DB_c$

$$\frac{20}{80+20+40} = \frac{20}{110} \times 100 \leftarrow \therefore O_2 \text{ w\%}$$

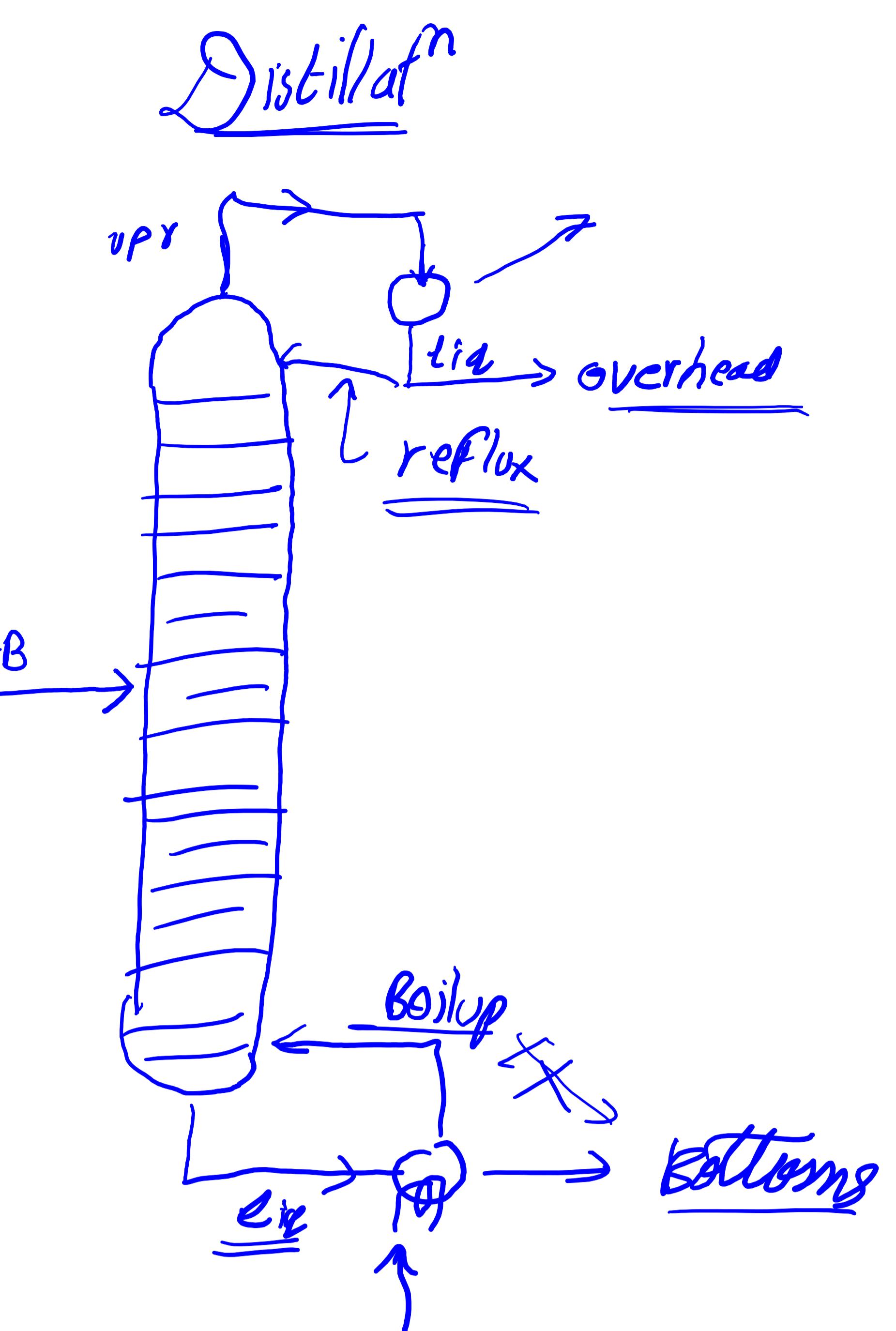


2 inerts \rightarrow 2 purges in depen
low flow high flow

(4)

Opreatⁿs

- Liqu - Liqu Extractⁿ ← solub
- Crystallizⁿ ← solub
- Leaching
- Stripping
- Rectificatⁿ ← solub
- Distillatⁿ ← volatility
- Absorptⁿ ← solub
- Chromato graphy Permeability
- Membrane ← affinity to absorbent
- Adsorptⁿ



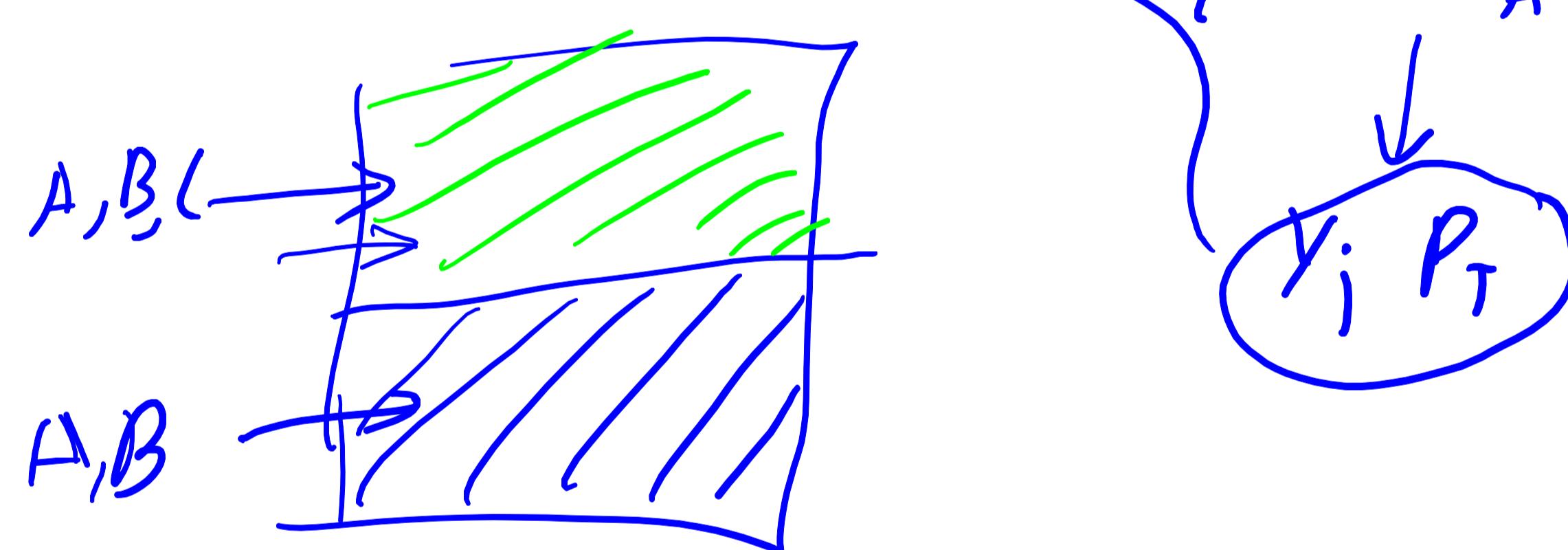
Raolt's Law

$$Y_i P_T = \sum x_i V.P_i$$

$$P_T = P.P_A + P.P_B + P.P_C$$

Antoine

$$\log \frac{V.P}{P} = A - \frac{B}{T+C}$$

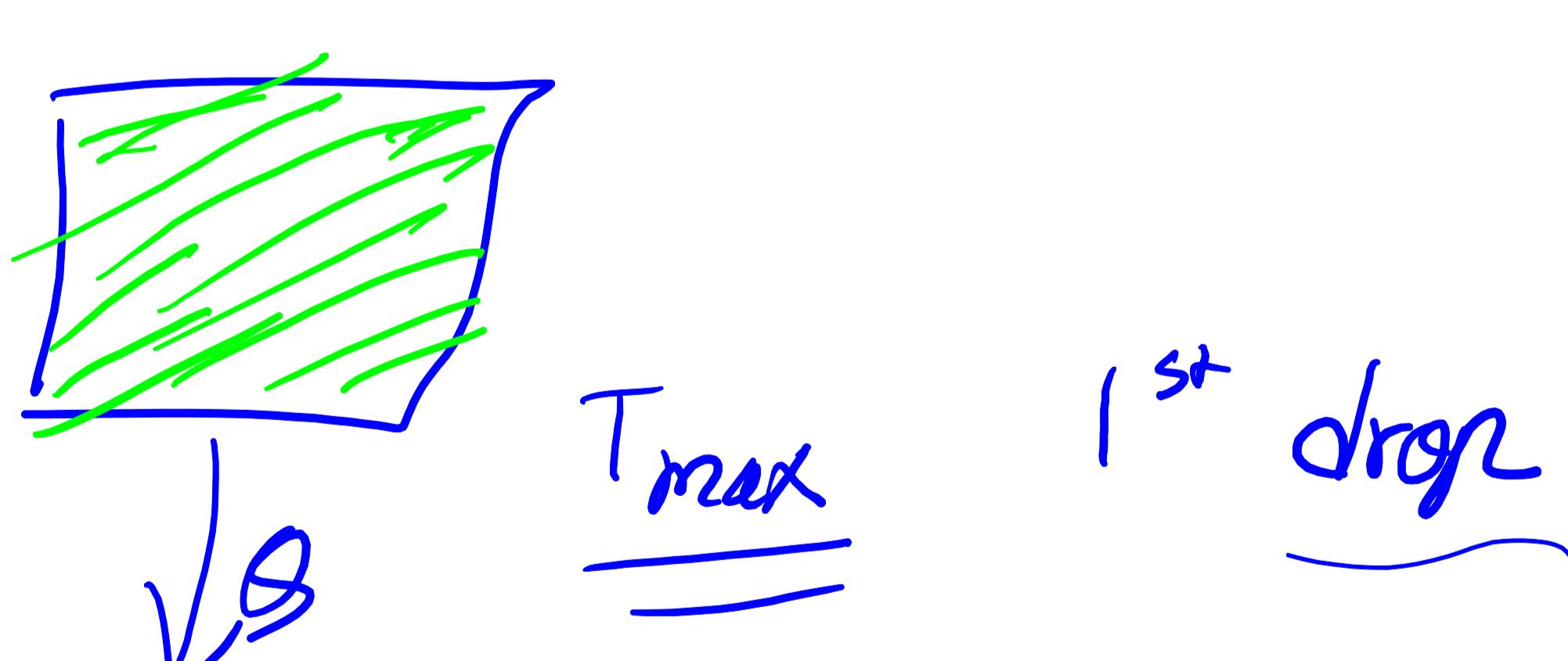
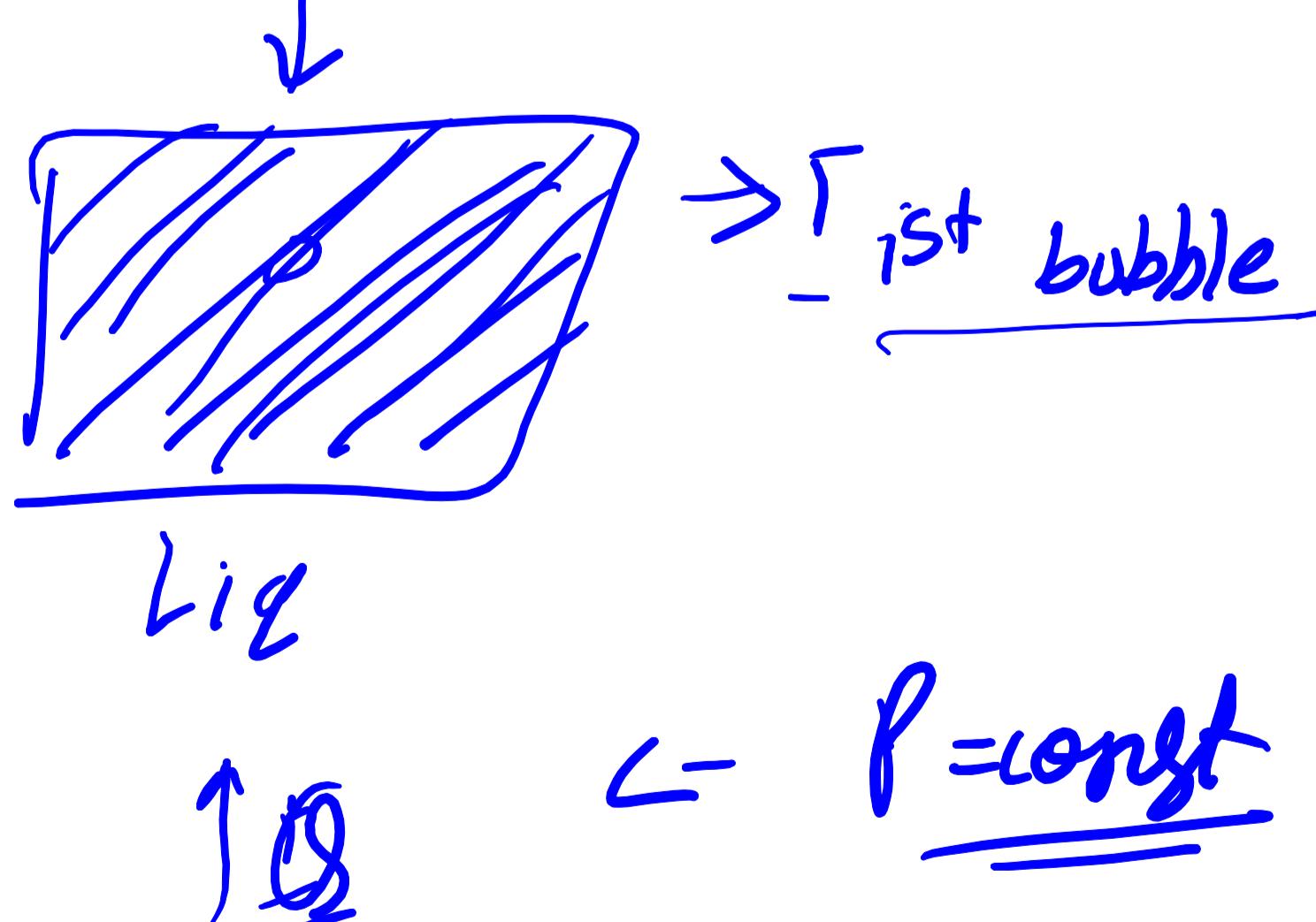


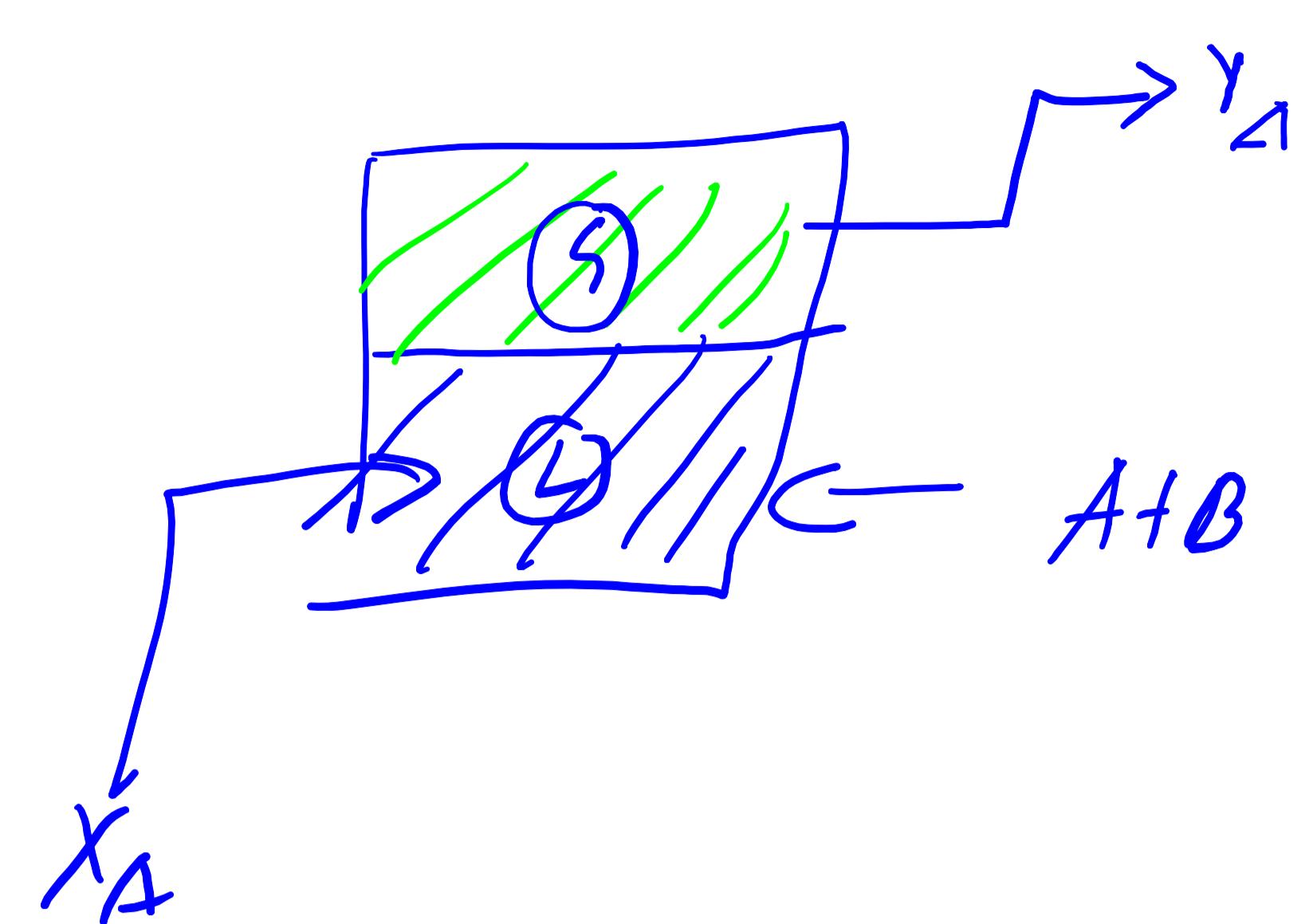
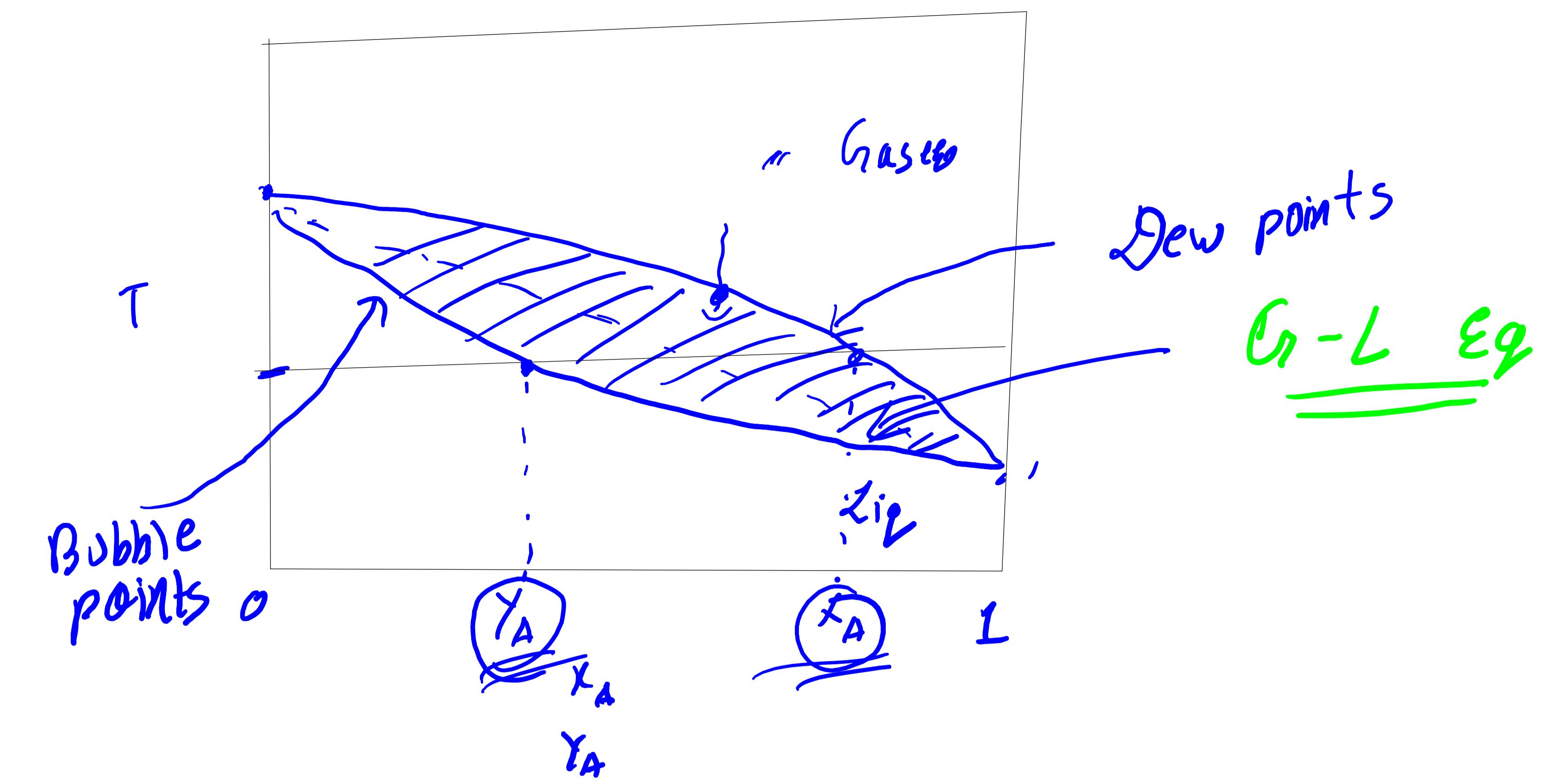
Equilibrium

$$\frac{P_P}{P_{H_2O}} = \frac{1 \times V.P_{H_2O}}{P_{H_2O}}$$

↑ atm → boiling

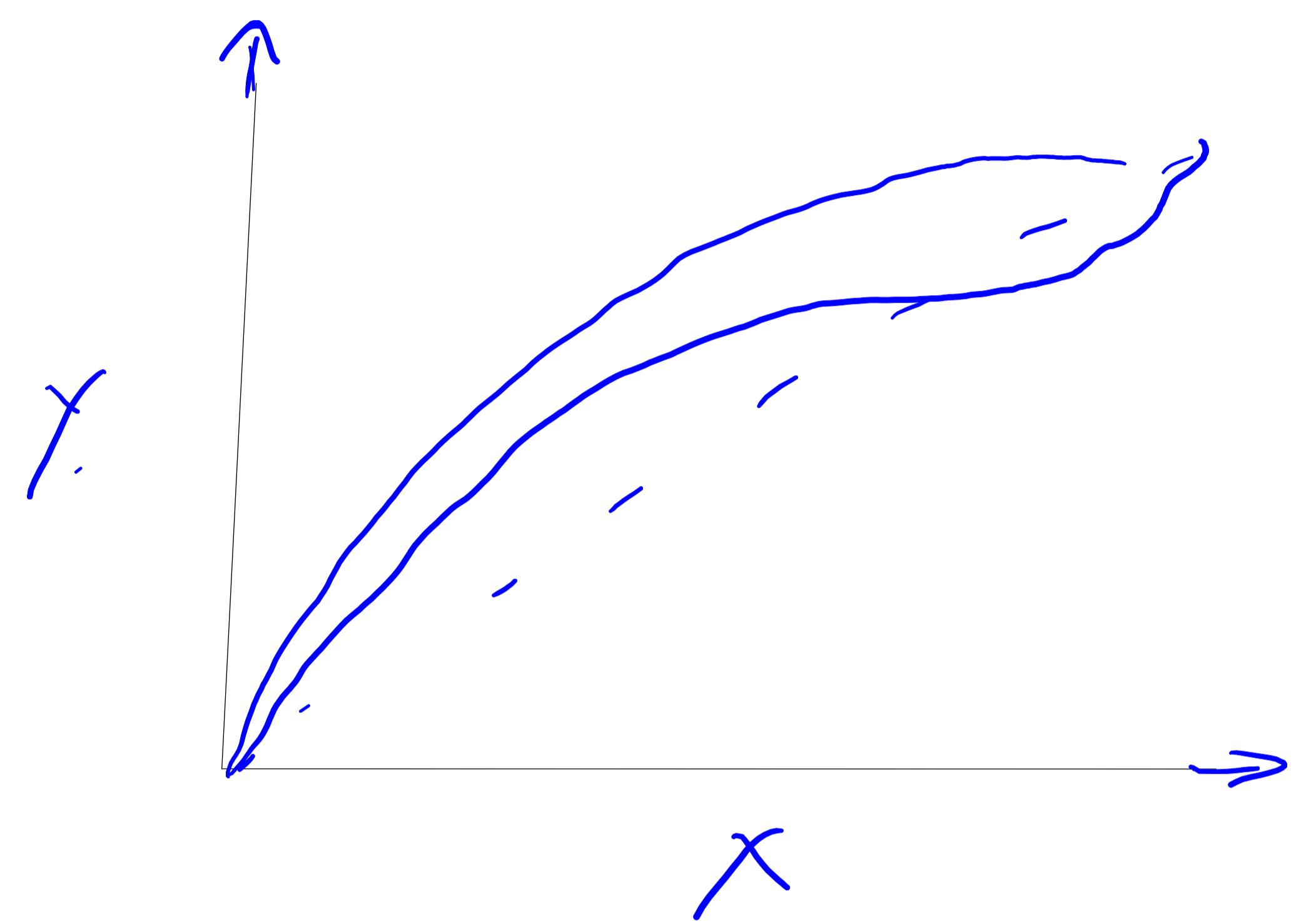
* Bubble point - Dew point



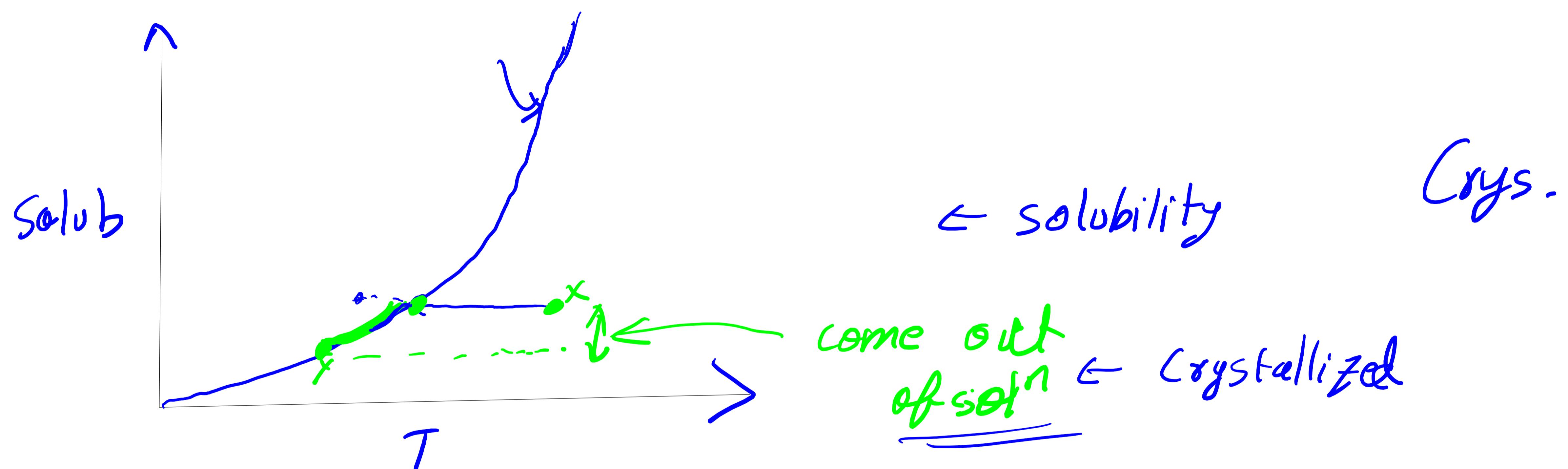


$$y_A P_T = x_A V_P$$

$$\frac{y_A}{x_A} = \frac{V_P}{P_T}$$



GL Eq \rightarrow Solub \leftarrow Henry's Law.



Gibbs Phase Rule

$$P + F = C + 2$$

Phases Freedom Components

water \rightarrow L v eqn
①

$$(2) \quad F = 1 + 2$$

$F \equiv 1 \quad \begin{matrix} \swarrow T \\ \searrow P \end{matrix} \quad =$

② $F \rightarrow x_i, y_i, T, P$

Triple Point

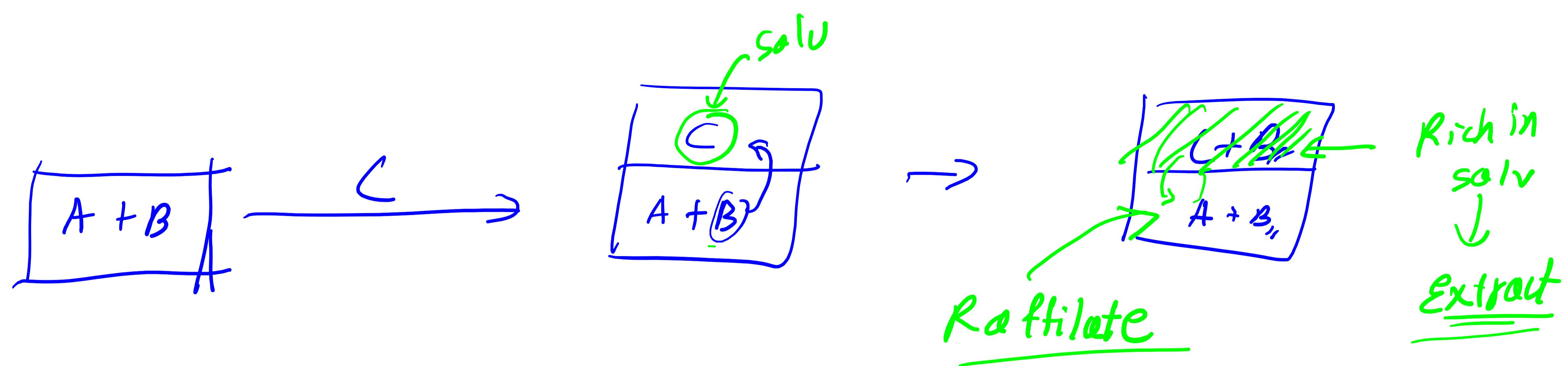
$F=0$	(s, l, v)
$P=3$	
$C=1$	

$$3+0 = 1+2$$

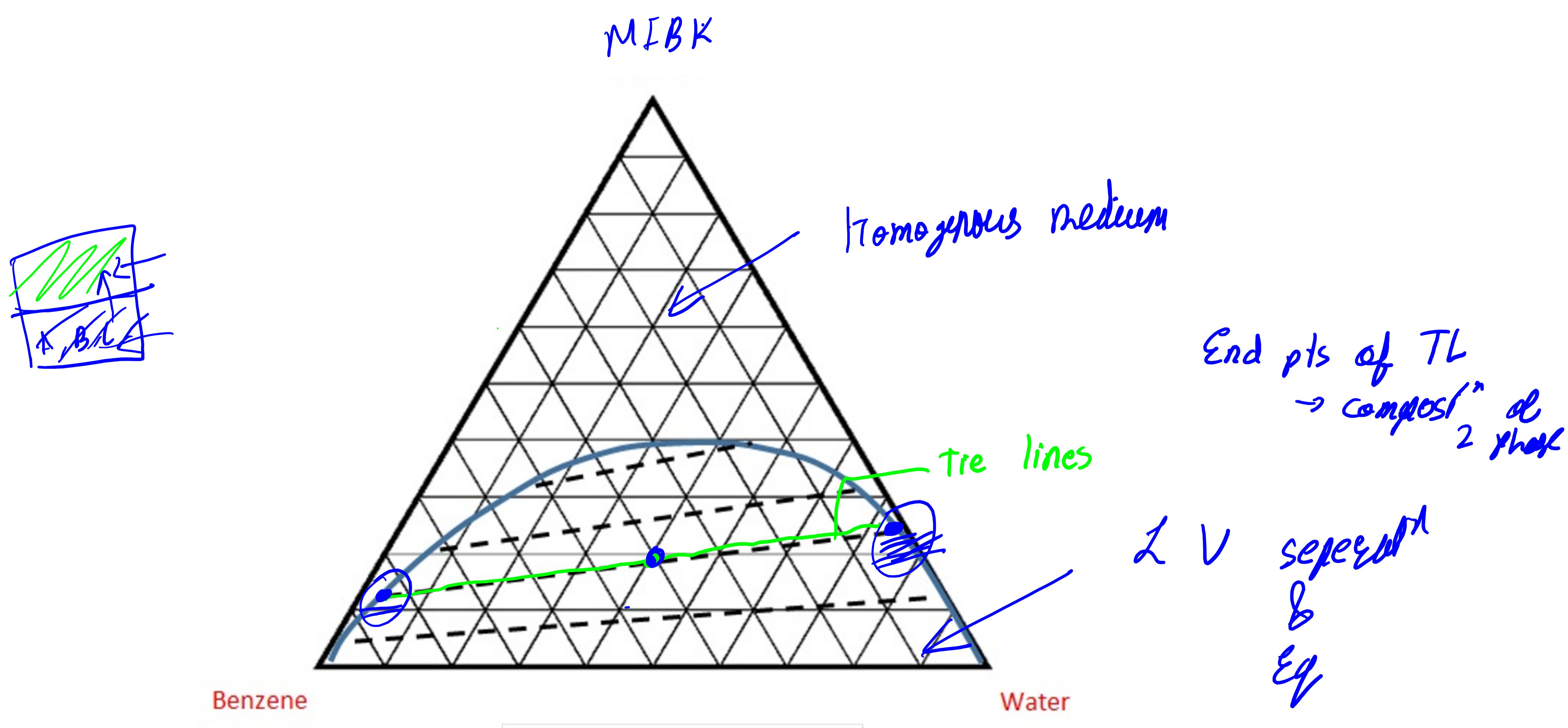
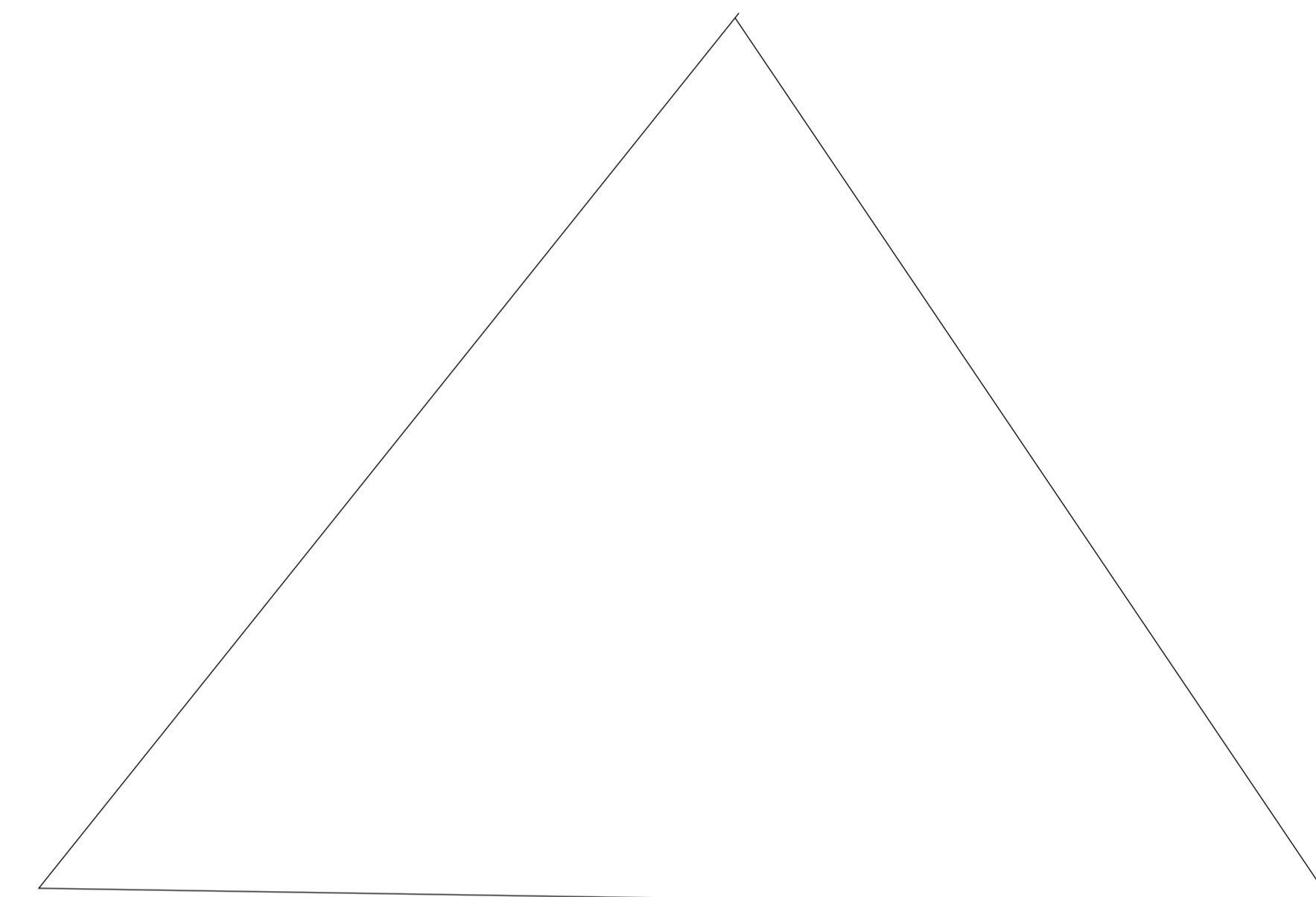
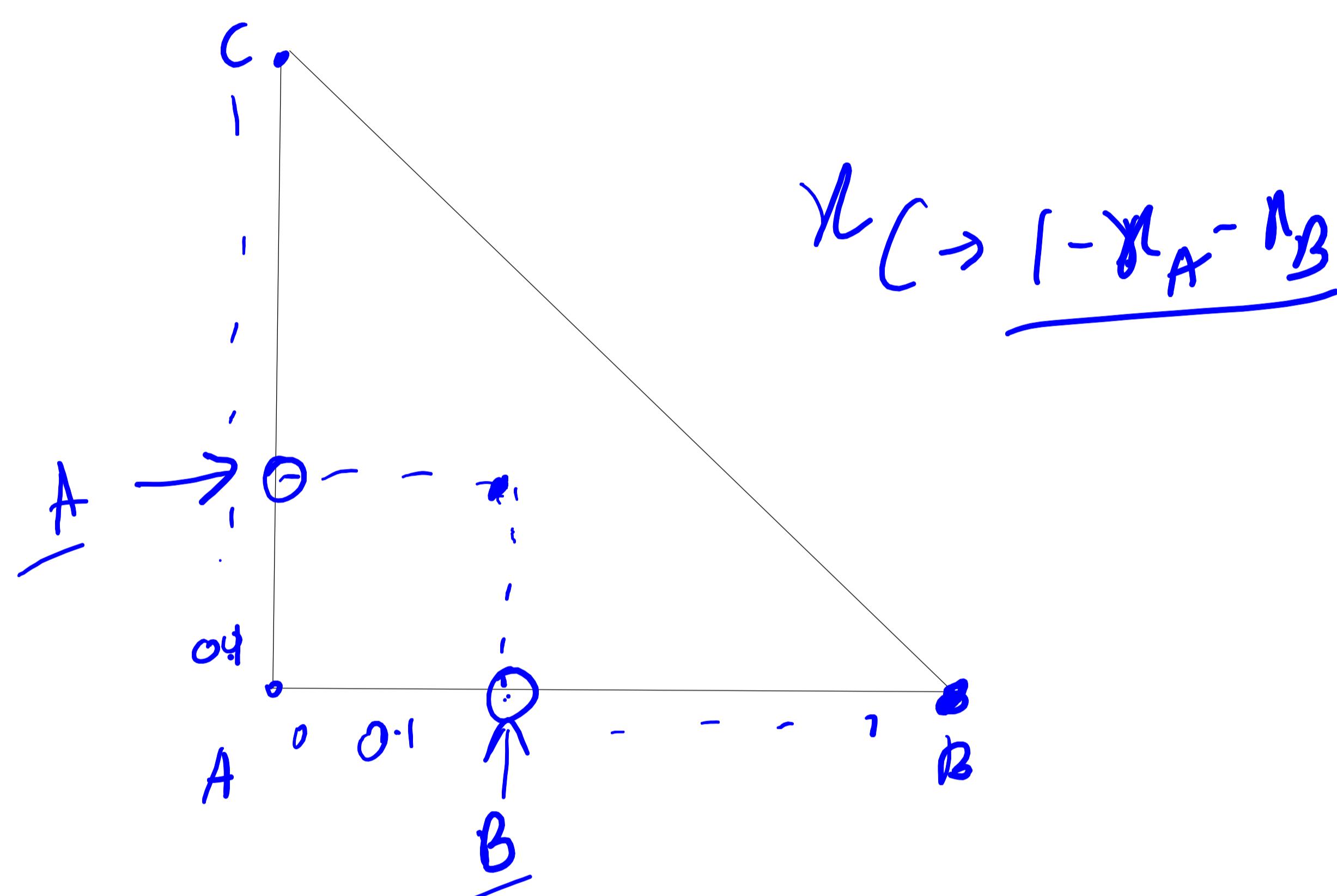
$$P+F = C+2$$

Partition Coeff / Diff. coeff $(L - L_{\text{gen}})$

$$= \frac{\text{Conc. of } B \text{ in org}}{\text{in in in in air}}$$



Triangular Diagram



(5)

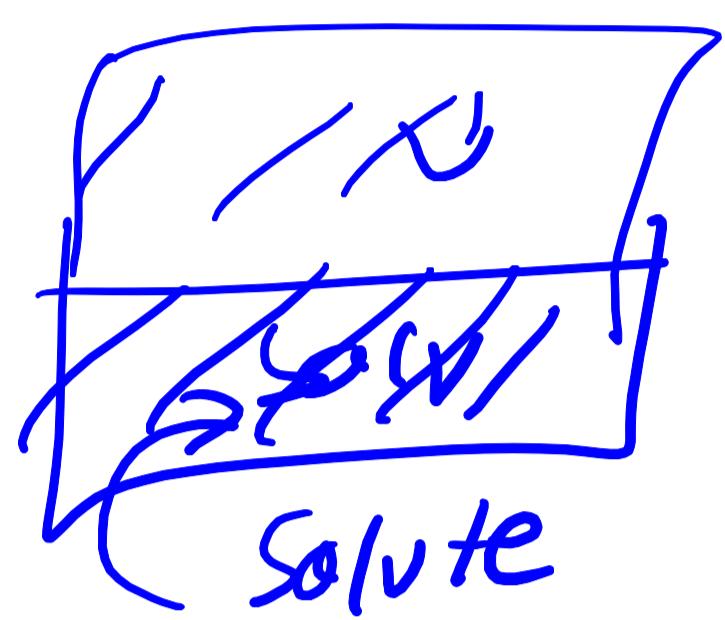
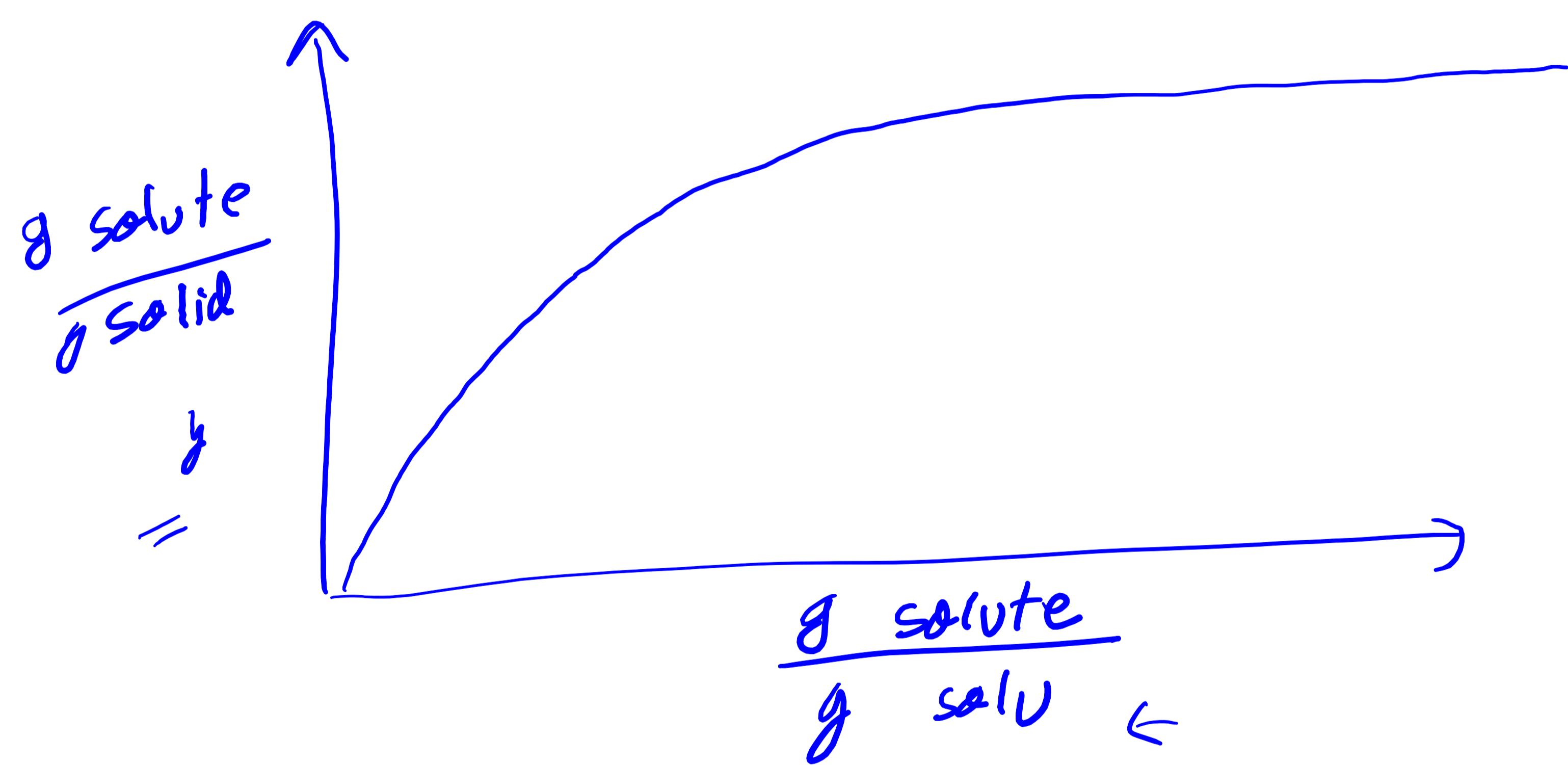
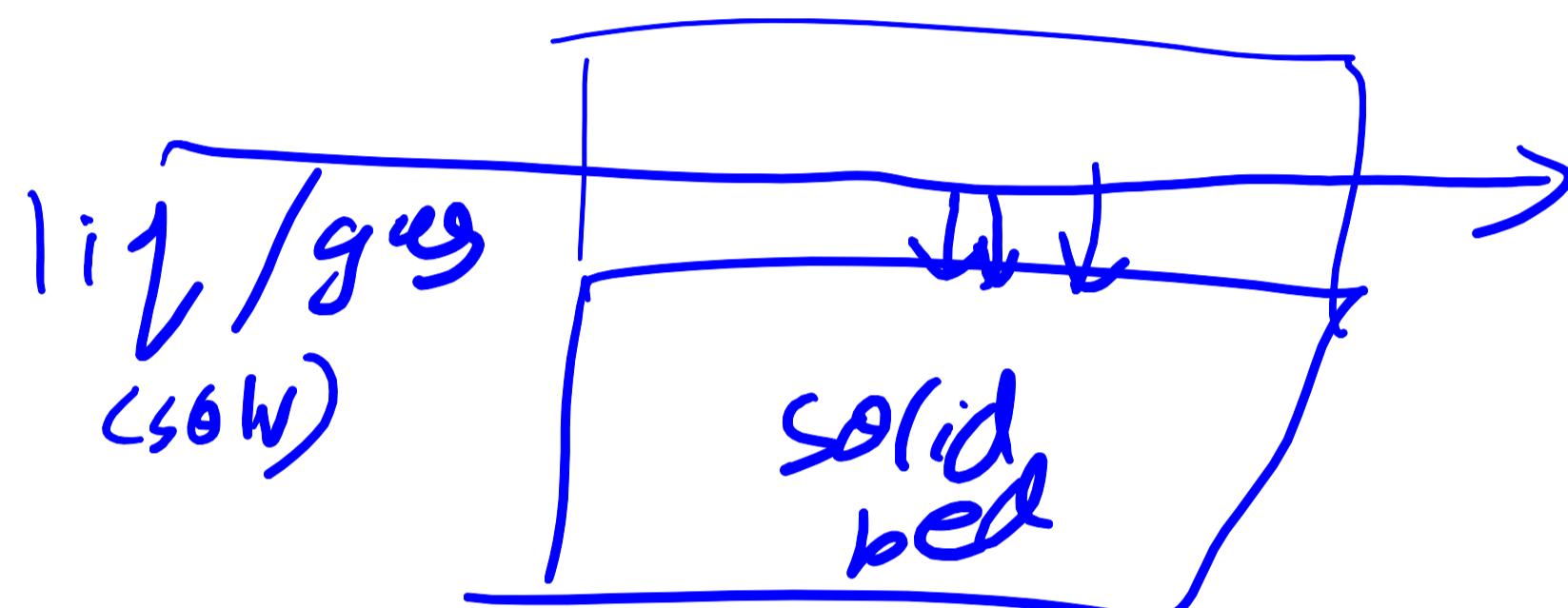
Colligative properties

$$\Delta T_B = T_{B_s} - T_{B_0} = \frac{R T_b^2}{\Delta H_{vapour}} \times \kappa_{\text{solute}}$$

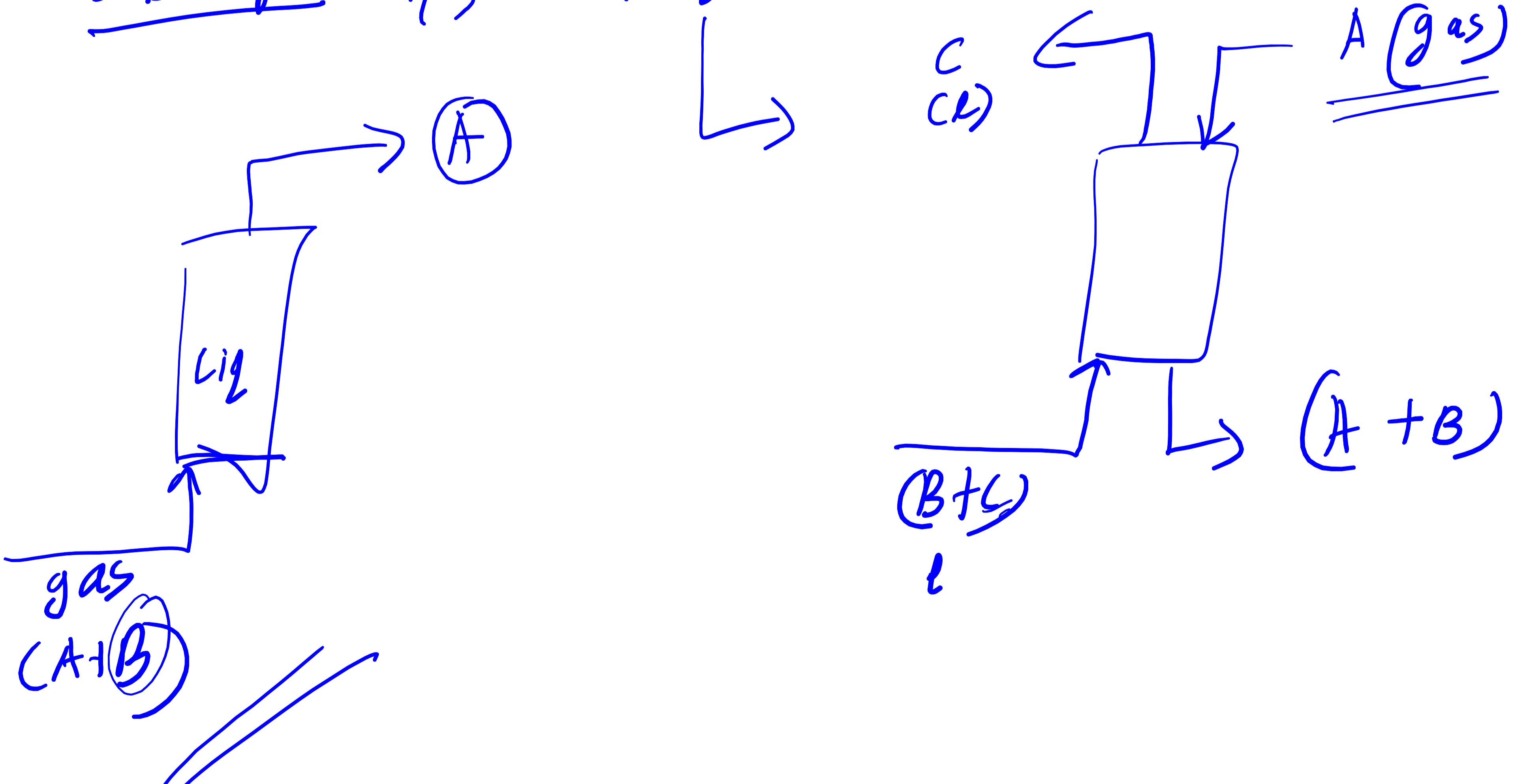
$$\Delta T_F = T_{F_s} - T_{F_0} = \frac{RT_f^2}{\Delta H_{\text{fusion}}} \times \lambda_{\text{solute}}$$

RL VP

$$\underline{\underline{P_P}} = \left(\begin{matrix} x \\ \uparrow \\ \neq 1 \end{matrix} \right) (VP)$$

Adsorptⁿ isothermal

$$\begin{aligned} \text{Langmuir} & \Rightarrow y = \frac{k' x}{1 + kx} \\ \text{Frerichs} & \Rightarrow y = \underline{\underline{kx^n}} \end{aligned}$$

absorptⁿ v/s stripping

(6)

Energy Balances

$$\sum (\underline{\Delta U} + \underline{\Delta E_K} + \underline{\Delta E_P}) = \underline{Q} - \underline{\dot{W}_s} - \underline{\dot{W}_{f1}} \xrightarrow{\text{Total}}$$

$\underline{Q} \rightarrow +ve$ when Heat \downarrow into system

$\dot{W} \rightarrow +ve$ when done by the system

$$\rightarrow \quad \rightarrow \quad \underline{\dot{U}} = \frac{\dot{U}}{\dot{m}} \quad * \quad \dot{U} + P\dot{V} = \dot{H}$$

$\uparrow \quad \uparrow$
 $\dot{W}_{f1} \quad \text{1st law of thermodynamics}$

$$\begin{array}{c} \underline{\Delta U} + \underline{\dot{W}_f} = \underline{Q} \\ \boxed{\Delta H = Q} \end{array}$$

Steam tables (water properties)

$$T, P \rightarrow \underline{\dot{H}}, \underline{\dot{U}}$$

$$H_2 - H_1 = \Delta H$$

$$\underline{\dot{H}_2} - \underline{\dot{H}_1} = \underline{\dot{H}_{o,f}} + \underline{\Delta H_{3 \rightarrow 2}} - \underline{\dot{H}_{o,f}} + \underline{\Delta H_{g_j \rightarrow 1}}$$

$$\begin{aligned} \dot{U}_T &= \dot{U}_{T_0} + \underline{\Delta U}_{T \rightarrow T_0} \\ &\quad \text{--- } \dot{U}_{T_0} = 0 \end{aligned}$$

$$\dot{U}_T = \underline{\Delta U}$$

$$\Delta H, \Delta U$$

$$\rightarrow \dot{U}_f, \dot{U}_i$$

$H_f, H_i \leftarrow$ some reference

Liq

$$\rightarrow \beta, \quad \underline{\Delta U} = \underline{Q} = 0, \quad \dot{W}_s = 0$$

$$\frac{1}{2} (v_2^2 - v_1^2) + g(z_2 - z_1) + \frac{P_2 - P_1}{\beta} = 0$$

← Bernoulli Eqn

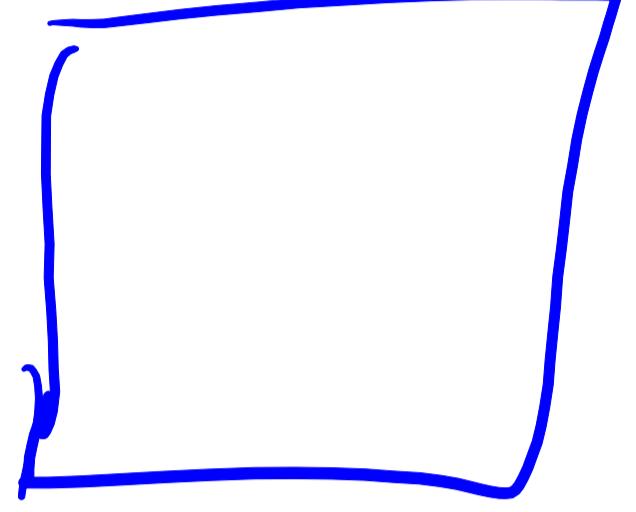
ΔP

Ideal gases $H(T) \Rightarrow$ no effect of P

Real gases $\nrightarrow P$

$H \rightarrow P, T$

Solids & liq \Rightarrow $\boxed{\Delta H = V\Delta P}$



Fixed boundary $\rightarrow \Delta P \neq 0$

$\underline{W_{FD}} = 0$
 $\Delta V \neq 0$

$\boxed{C_P = C_V + R}$

$\Delta H = \int C_P dT$

$\Delta U = \int C_V dT$

7

Psychometric charts

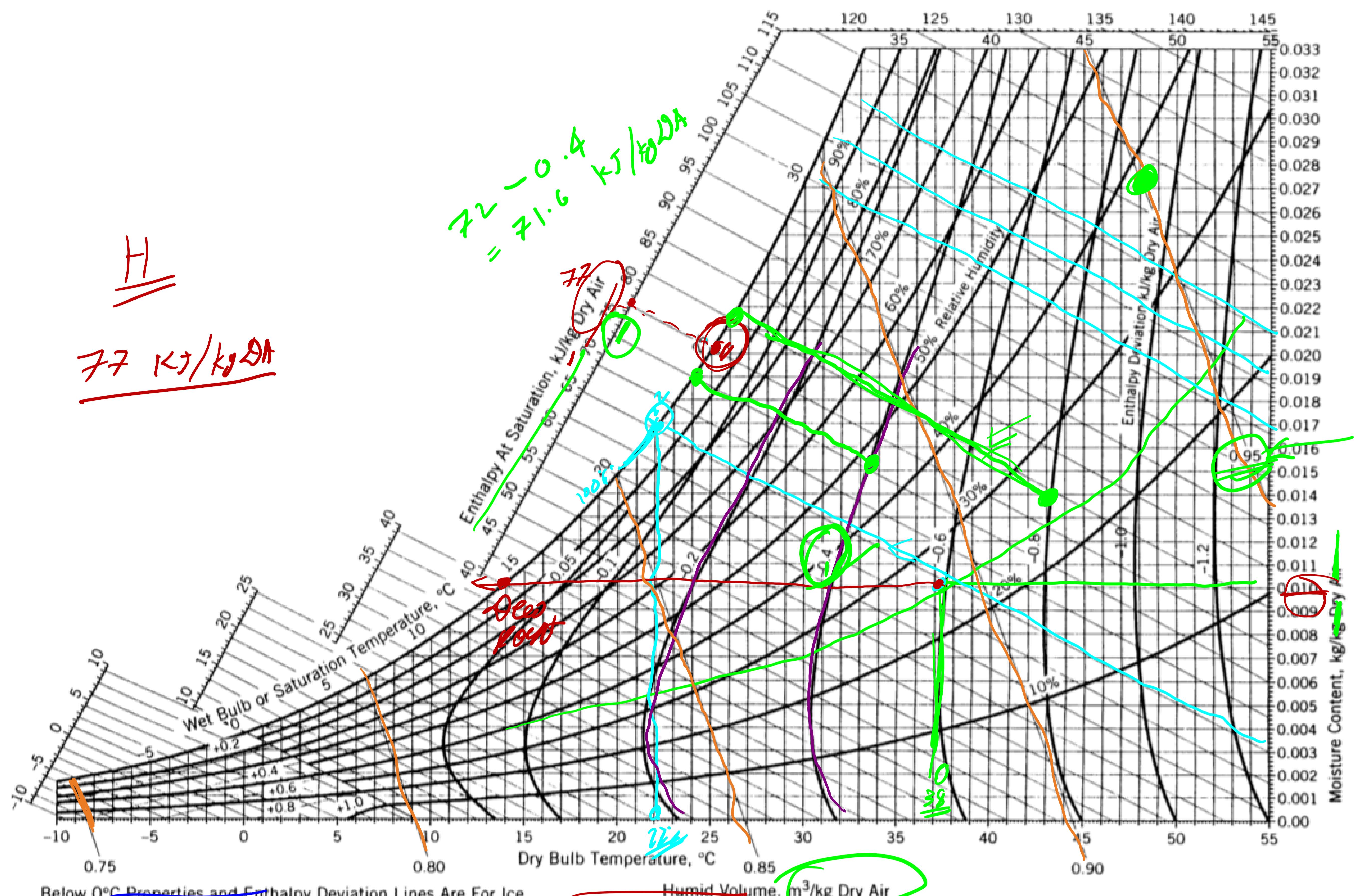
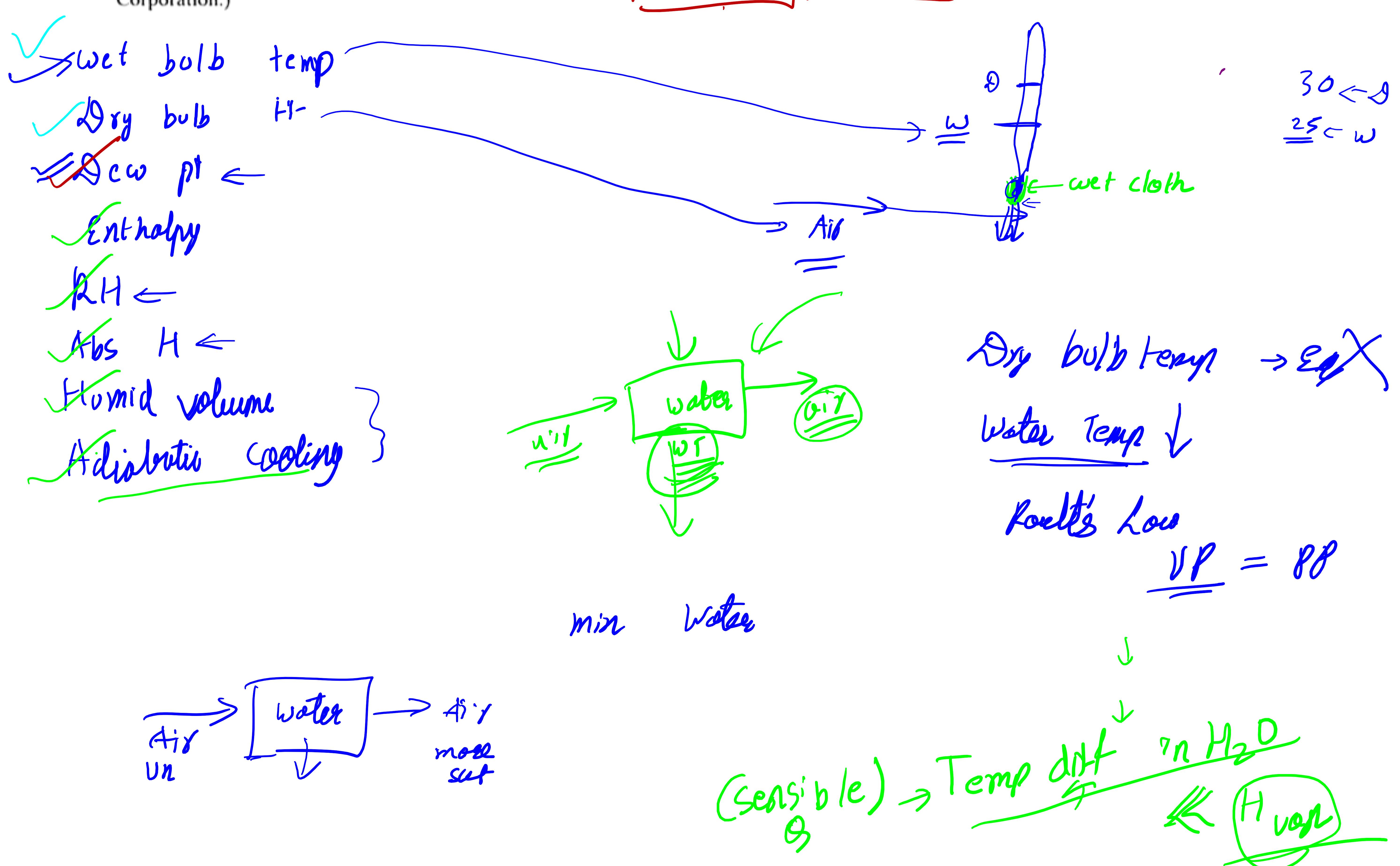


Figure 8.4-1 Psychrometric chart—SI units. Reference states: $\text{H}_2\text{O} (\text{L}, 0^{\circ}\text{C}, 1 \text{ atm})$, dry air ($0^{\circ}\text{C}, 1 \text{ atm}$). (Reprinted with permission of Carrier Corporation.)



(8)

Enthalpy of Mixing & Reactions

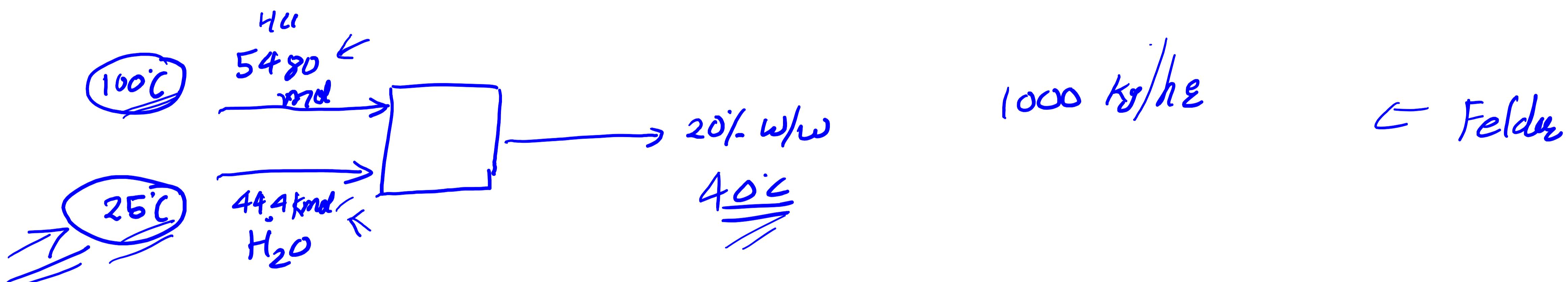
ΔH_{mix} depends on

- Const.
- Nature of solvents ✓
- $\frac{\text{Solvent}}{\text{Solute ratio}}$ } (molar) ← 1

Units

$$\Delta H_{\text{mix}} \rightarrow \text{kJ/mol of solute}$$

Q.



r ≈ 8.1

$$\approx [6 \text{ g KJ/mol HCl}]$$

← 25°C

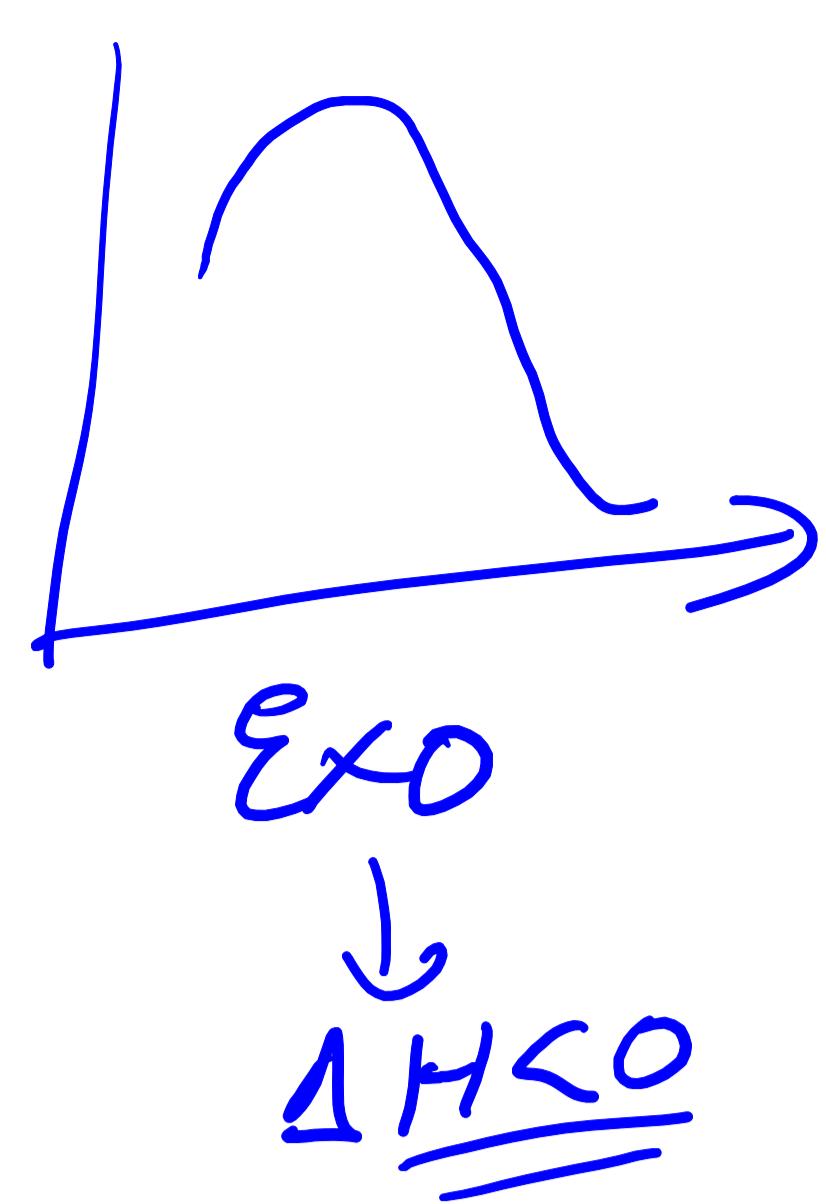
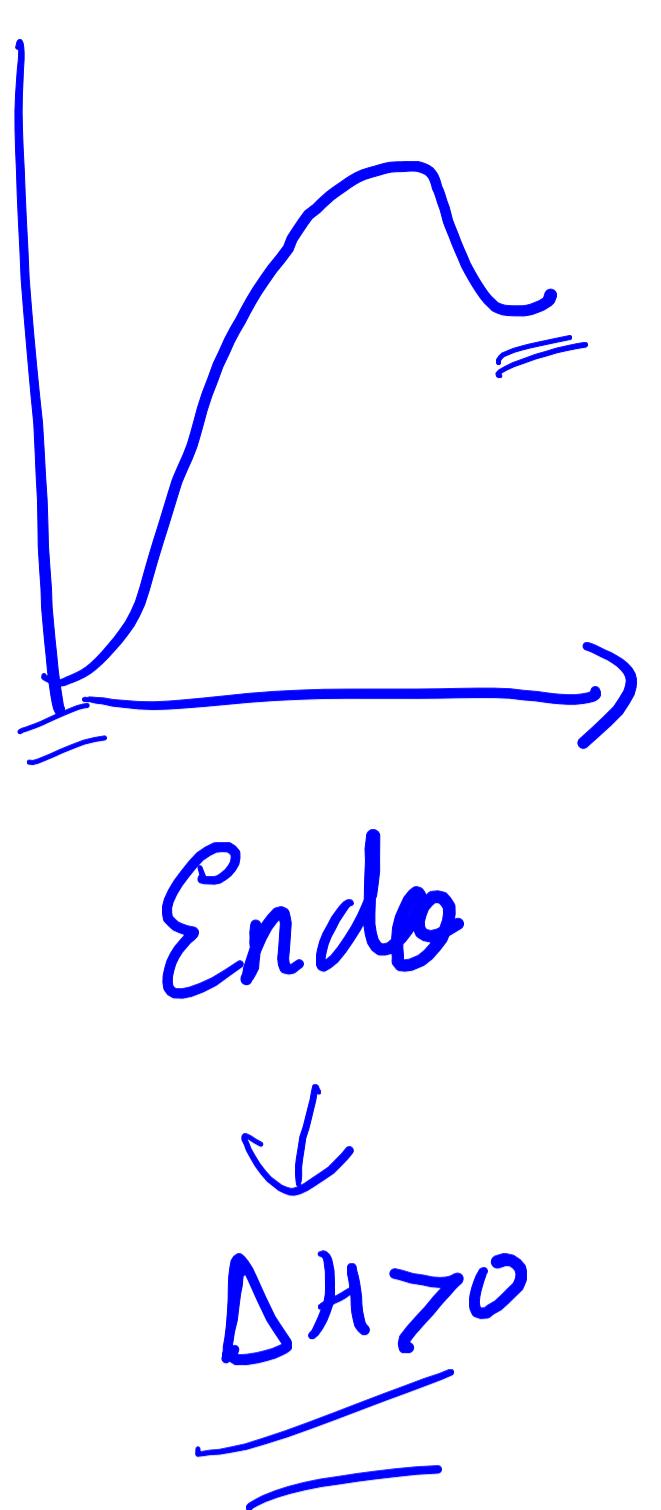
Subs	in		out	
	n	H ₁	n	H ₂
HCl(g)	54.80	H ₁ -	-	-
H ₂ O(l)	44.900	O-	reduced	↑ H ₂
HCl(aq)	-	-	2000	↑ H ₂

$$\begin{aligned}\Delta H &= H_{\text{out}} - H_{\text{in}} \\ &= n_{H_2} \times 54.80 - H_1 \times 54.80\end{aligned}$$

$$\begin{aligned}H_1 &= \left. \frac{100^\circ \text{C}}{25^\circ \text{C}} \right| \xrightarrow{\text{dilution}} = x\end{aligned}$$

$$\begin{aligned}H_2 &= \text{Mixing at water temp } 25^\circ \text{C} \rightarrow \text{Heating the mix } T_{20^\circ \text{C}} \\ &\quad \downarrow \\ &\quad \cancel{\Delta H_{\text{mix}} \text{ at } 25^\circ \text{C}} \\ &\quad 6 \text{ g. } \times 54.80 + \int_{25^\circ \text{C}}^{20^\circ \text{C}} C_p \cdot \text{soln} \, dT \\ &\quad \quad \quad \text{P, soln}\end{aligned}$$

$$\underline{\underline{H_2 - H_1}}$$

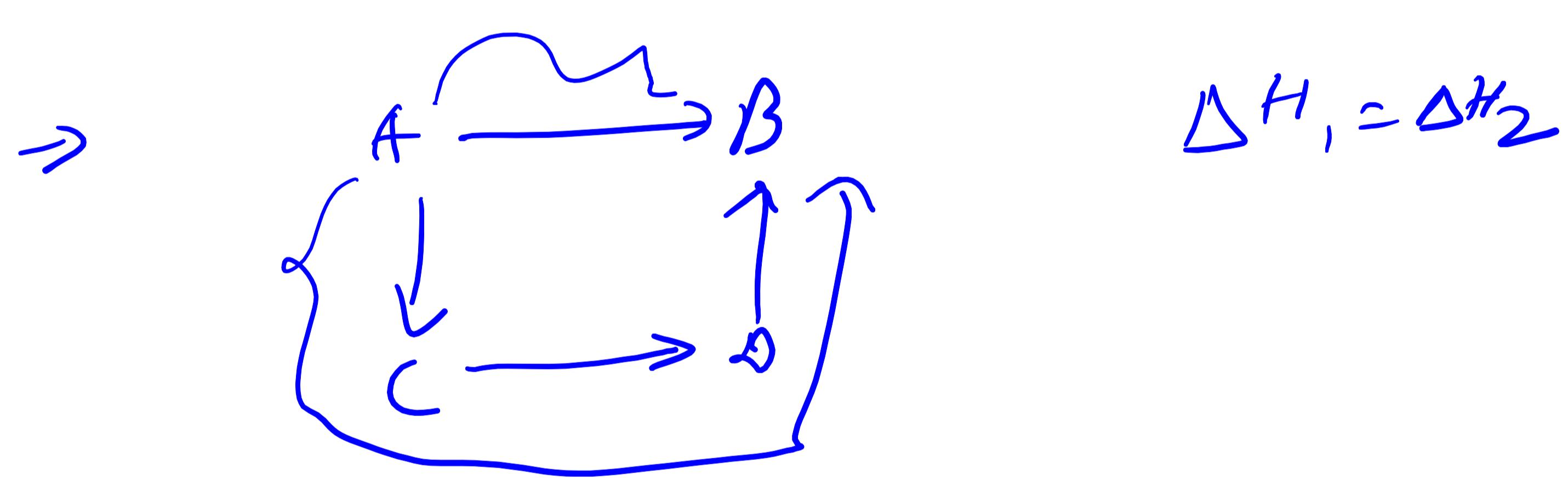


$$\begin{aligned} \text{Heat of exn per-mol of A} &\Rightarrow \frac{100}{2} = 50 \text{ kJ/mol of A} \\ \text{C} &\Rightarrow \frac{100}{4} = 25 \text{ --- C} \end{aligned}$$

Heat of formal



Hess's Law



- Q
- Material Balance
 - What is the ref
 - Enthalpy table
 - ΔH

