Masaryk University Faculty of Informatics



«title»

Bachelor's Thesis

«author»

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Abstract

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1 Introduction

2 Preliminaries

2.1 Büchi Automaton

A nondeterministic Büchi automaton (BA) is a tuple $A = (\Sigma, Q, q_0, \Delta, \Gamma)$, where

- Σ is a finite alphabet
- *Q* is finite set of states
- $q_0 \in Q$ is the initial state
- $\Delta \subseteq Q \times \Sigma \times Q$ are transitions
- $\Gamma \subseteq \Delta$ is the transition-based acceptance condition

run A run r of A on $w \in \Sigma^{\omega}$ is an ω -word $r_0, w_0, r_1, w_1, ...$ in $(Q \times \Sigma)^{\omega}$ such that $r_0 = q_0 \wedge \forall i > 0, (r_{i-1}, w_{i-1}, r_i) \in \Delta$

 $\inf(\mathbf{r})$ We write $\inf(r) \subseteq \Delta$ for the set of transitions that appear infinitely often in the run r.

accepting run A run *r* is accepting if $inf(r) \cap \Gamma \neq \emptyset$

language The language $L_A \subseteq \Sigma^{\omega}$ is recognized by A. $\forall w \in L_A \exists r \text{ on } w \text{ such that } r \text{ is accepting.}$

 ω -regular language A language is ω -regular if it is accepted by BA.

deterministic automaton
$$A = (\Sigma, Q, q_0, \Delta, \Gamma)$$
 is deterministic if $(q, \rho, q'), (q, \rho, q'') \in \Delta \implies q' = q''$

complete automaton *A* is complete if, $\forall w \in \Sigma, \forall q \in Q, \exists (q, w, q') \in \Delta$. A word in Σ^{ω} has exactly one run in a deterministic, complete automaton.

2.2 Markov Decision Processes

2.2.1 xd

GF MDP, model checking

2.3 Algorithms

BP + both slim

- 3 Implementation
- 3.1 Technologies
- 3.2 Implementation inside Seminator

4 Evaluation

- 4.1 Alternative Algorithm
- 4.2 Different Implementation ePMC
- 4.3 Semi-deterministic Automata

Conclusion