## exercise3

## September 22, 2023

```
[196]: # This cell is used for creating a button that hides/unhides code cells to ...
        ⇔quickly look only the results.
       # Works only with Jupyter Notebooks.
       from __future__ import division
       from IPython.display import HTML
       HTML('''<script>
       code show=true;
       function code_toggle() {
       if (code_show){
       $('div.input').hide();
       } else {
       $('div.input').show();
       code_show = !code_show
       $( document ).ready(code_toggle);
       </script>
       <form action="javascript:code_toggle()"><input type="submit" value="Click here_</pre>
        →to toggle on/off the raw code."></form>''')
```

### [196]: <IPython.core.display.HTML object>

```
[197]: # Description:
# Exercise3 notebook.
#
# Copyright (C) 2018 Santiago Cortes, Juha Ylioinas
#
# This software is distributed under the GNU General Public
# Licence (version 2 or later); please refer to the file
# Licence.txt, included with the software, for details.
# Preparations
import os
from skimage.io import imread
```

```
from skimage.transform import resize
import numpy as np
from numpy.fft import fftshift, fft2
import matplotlib as mpl
import matplotlib.pyplot as plt
from scipy.ndimage import gaussian_filter
from scipy.ndimage import median_filter
from scipy.ndimage import map_coordinates
from scipy.ndimage import convolve as conv2
from scipy.ndimage import convolve1d as conv1
from utils import rgb2gray, imnoise, add_gaussian_noise, gaussian2, affinefit
# Select data directory
if os.path.isdir('/coursedata'):
    # JupyterHub
    course_data_dir = '/coursedata'
elif os.path.isdir('.../.../coursedata'):
    # Local installation
    course_data_dir = '../../coursedata'
else:
    # Docker
    course data dir = '/home/jovyan/work/coursedata/'
print('The data directory is %s' % course data dir)
data_dir = os.path.join(course_data_dir, 'exercise-03-data')
print('Data stored in %s' % data dir)
```

The data directory is /coursedata

Data stored in /coursedata/exercise-03-data

# 1 CS-E4850 Computer Vision Exercise Round 3

The problems should be solved before the exercise session and solutions returned via MyCourses. Upload to MyCourses both: this Jupyter Notebook (.ipynb) file containing your solutions to the programming tasks and the exported pdf version of this Notebook file. If there are both programming and pen & paper tasks kindly combine the two pdf files (your scanned/LaTeX solutions and the exported Notebook) into a single pdf and submit that with the Notebook (.ipynb) file. Note that (1) you are not supposed to change anything in the utils.py and (2) you should be sure that everything that you need to implement should work with the pictures specified by the assignments of this exercise round.

Fill your name and student number below.

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#### 1.0.2 Student number: 101475576

## 1.1 Exercise 1 - Image denoising

In this exercise you will need to denoise the two example images using a) Gaussian filtering, b) median filtering, and c) bilateral filtering (the latter two are explained in Section 3.3.1 of Szeliski's book).

```
[198]: ## Load test images.
       ## Note: Must be double precision in the interval [0,1].
       im = rgb2gray(imread(data_dir+'/department2.jpg')) / 255.
       im = resize(im, (256, 256))
       ## Add noise
       ## "salt and pepper" noise
       imns = imnoise(im, 'salt & pepper', 0.05)
       ## zero-mean qaussian noise
       imng = im + 0.05*np.random.randn(im.shape[0],im.shape[1])
       # Display original and noise corrupted images
       fig, axes = plt.subplots(nrows=1, ncols=3, figsize=(16,8))
       ax = axes.ravel()
       ax[0].imshow(im, cmap='gray')
       ax[0].axis('off')
       ax[1].imshow(imns, cmap='gray')
       ax[1].axis('off')
       ax[2].imshow(imng, cmap='gray')
       ax[2].axis('off')
       plt.tight_layout()
       plt.suptitle("Original, 'salt and pepper' and gaussian noise corrupted", u
        ⇔fontsize=20)
       plt.subplots_adjust(top=1.2)
       plt.show()
       ## Don't worry about the possible warnings below
```

Original, 'salt and pepper' and gaussian noise corrupted







#### 1.1.1 a) Gaussian filtering

```
[199]: ## Apply Gaussian filter of std 2.5
       sigmad = 2.5
       g,_,_,_, = gaussian2(sigmad)
       gflt_imns = conv2(imns, g, mode='reflect')
       gflt_imng = conv2(imng, g, mode='reflect')
       ## Instead of directly filtering with q, make a separable implementation
       ## where you use horizontal and vertical 1D convolutions
       ## That is, replace the above two lines, you can use conv1 instead
       ## The result should not change.
       ##--your-code-starts-here--##
       #the implementation of the gauissian filter
       def gaussian_filter(sigma):
          N = int(2*np.maximum(4, np.ceil(6*sigma))+1)
          k = (N - 1)/2
          x = np.linspace(-k, k, N)
          g = 1/(np.sqrt(2*np.pi)*sigma)*np.exp(-(x**2/ (2 * sigma ** 2)))
          return g
       #standard deviation of the gaussian distribution
       gflt = gaussian_filter(sigmad)
       gflt_imns_x = conv1(imns, gflt, axis= 0, mode='reflect')
       gflt_imns_xy = conv1(gflt_imns_x, gflt, axis= 1, mode='reflect')
       gflt_imns_y = conv1(imns, gflt, axis=0, mode='reflect')
       gflt_imns_yx = conv1(gflt_imns_y, gflt, axis= 0, mode='reflect')
       #layout for multiple figures of the salt and pepper noise
       fig, axes = plt.subplots(nrows= 2, ncols=3, figsize= (16,8))
       fig.suptitle("Deionizing of salt and pepper noise", fontsize= 20)
       #plot images for the original salt and pepper noise
       axes[0, 0].imshow(imns)
       axes[0, 0].set_title("original salt and pepper noise")
       #plot image for the salt and pepper convolution by x
       axes[0, 1].imshow(gflt_imns_x)
       axes[0, 1].set_title("convolution by x")
       #plot image for the salt and pepper convolution by x then y
```

```
axes[0, 2].imshow(gflt_imns_xy)
axes[0, 2].set_title("convolvution by x then y")

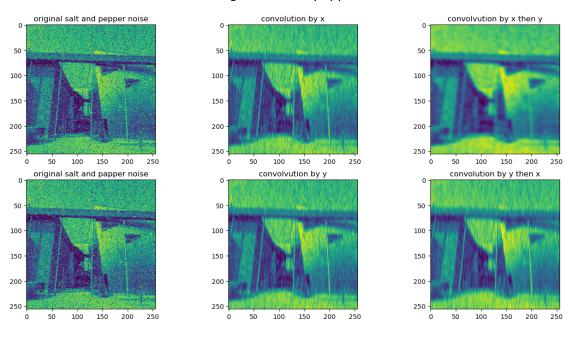
#plot images for the original salt and pepper noise
axes[1, 0].imshow(imns)
axes[1, 0].set_title("original salt and papper noise")

#plot image for the salt and pepper convolution by y
axes[1, 1].imshow(gflt_imns_y)
axes[1, 1].set_title("convolvution by y")

#plot image for the salt and pepper convolution by y then x
axes[1, 2].imshow(gflt_imns_yx)
axes[1, 2].set_title("convolution by y then x")

plt.show()
##--your-code-ends-here--##
```

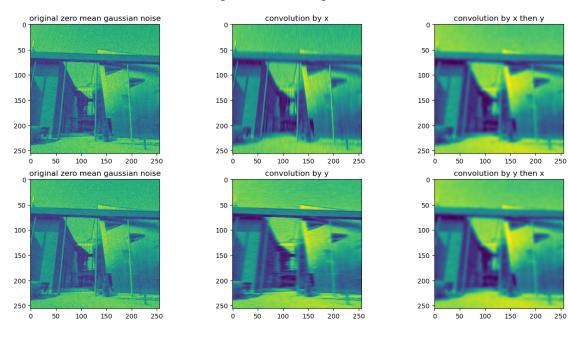
### Deionizing of salt and pepper noise



```
[200]: #separable gaussian filtering along with horizontal and vertical axes.
gflt_imng_x = conv1(imng, gflt, axis= 0, mode= 'reflect')
gflt_imng_xy = conv1(gflt_imng_x, gflt, axis= 1, mode= 'reflect')
gflt_imng_y = conv1(imng, gflt, axis= 1, mode= 'reflect')
gflt_imng_yx = conv1(gflt_imng_y, gflt, axis=0, mode='reflect')
```

```
#layout for multiple figures of the zero mean gaussian noise
fig, axes = plt.subplots(nrows= 2, ncols= 3, figsize= (16,8))
fig.suptitle("Deionizing of zero mean gaussian noise", fontsize= 20)
#plot images for the original zero mean gaussian noise
axes[0, 0].imshow(imng)
axes[0,0].set_title("original zero mean gaussian noise")
\#plot image for the zero mean gaussian convolution by x
axes[0, 1].imshow(gflt_imng_x)
axes[0, 1].set_title("convolution by x")
\#plot image for the zero mean gaussian convolution by x then y
axes[0, 2].imshow(gflt_imng_xy)
axes[0, 2].set_title("convolution by x then y")
#plot images for the original zero mean gaussian noise
axes[1, 0].imshow(imng)
axes[1, 0].set_title("original zero mean gaussian noise")
#plot image for the zero mean gaussian convolution by y
axes[1, 1].imshow(gflt_imng_y)
axes[1, 1].set_title("convolution by y")
\textit{\#plot image for the zero mean gaussian convolution by } y \ \textit{then} \ x
axes[1, 2].imshow(gflt_imng_yx)
axes[1, 2].set_title("convolution by y then x")
plt.show()
```

#### Deionizing of zero mean gaussian noise



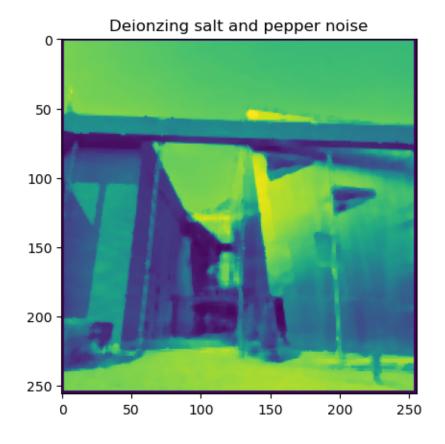
## 1.1.2 b) Median filtering

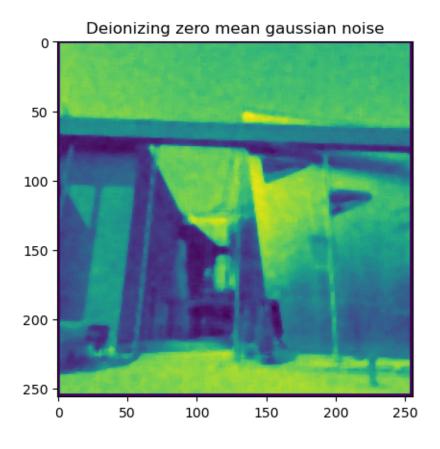
```
[201]: ## Apply median filtering, use neighborhood size 5x5
       ##--your-code-starts-here--##
       def median_filter(image, filter_size):
           temp = []
           indexer= filter_size // 2
           filtered_image = []
           filtered_image = np.zeros_like(image)
           for i in range(indexer, image.shape[0] - indexer):
               for j in range(indexer, image.shape[1] - indexer):
                   neighborhood = image[i - indexer : i + indexer +1, j - indexer : j_{\perp}
        →+ indexer + 1]
                   filtered_image[i,j] = np.median(neighborhood)
               temp = []
           return filtered_image
       #filtersize which 5*5
       filter_size = 5
       #apply median filter size
       medflt_imns = median_filter(imns, filter_size)
       #Deionzing salt and pepper noise
```

```
plt.imshow(medflt_imns)
plt.title('Deionzing salt and pepper noise')
plt.show()

#Deionzing zero mean gaussian
plt.imshow(medflt_imng)
plt.title('Deionizing zero mean gaussian noise')
plt.show()

##--your-code-ends-here--##
```





## 1.1.3 c) Bilateral filtering

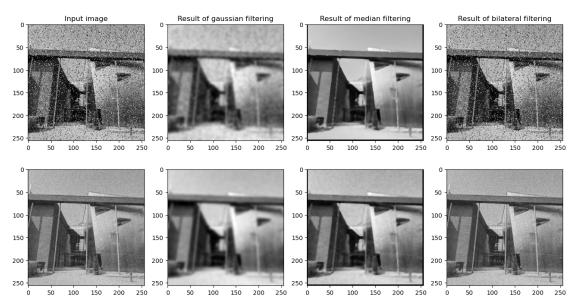
```
[202]: def bilateral_filter(img, wsize, sigma_d, sigma_r):
           ##--your-code-starts-here--##
           img = img.copy()
           d = int(wsize/2)
           for i in range(d, img.shape[0]-d):
               for j in range(d, img.shape[1]-d):
                   sum_of_weights = 0
                   sum_of_weighted_pixels = 0
                   for steps in range(-1*d, d+1):
                       k, l = i+steps, j+steps
                       #calculation of the spatial weight
                       spatial_weight = np.exp(-1*((i-k)**2+(j-1)**2)/(2* sigma_d_1)
        →**2))
                       #calculation of the range_weight
                       range_weight = np.exp(-1 * np.sqrt((img[i][j]**2 - 
        \rightarrow img[k][1]**2)**2) / (2 * sigma_r ** 2))
                       #totol weights
                       weights = spatial_weight * range_weight
```

```
sum_of_weights += weights
    sum_of_weighted_pixels += img[k][l] *weights
if sum_of_weights == 0:
    new_pixel = img[i][j]
else:
    new_pixel = sum_of_weighted_pixels / sum_of_weights
    img[i][j] = new_pixel
return img
##--your-code-ends-here--##
return output
```

```
[203]: | ## Apply bilateral filter to each image and (uncomment the function calls once
       ## its definition is ready)
       ## You need to implement bilateralfilter function above.
       ## Use formulas (3.34)-(3.37) from Szeliski's book.
       ## You may freely decide in which mode ('full', 'valid', or 'same') your
       ## function runs (only one implementation enough), but note that with 'full'
       ⇒and 'same'
       ## you need to take care how the borders are handled (padded).
       ## Set bilateral filter parameters.
       wsize = 11
       sigma_d = 2.5
       sigma_r = 0.1
       bflt_imns = bilateral_filter(imns, wsize, sigma_d, sigma_r)
       bflt_imng = bilateral_filter(imng, wsize, sigma_d, sigma_r)
       # Display filtering results
       fig, axes = plt.subplots(nrows=2, ncols=4, figsize=(16,8))
       ax = axes.ravel()
       ax[0].imshow(imns, cmap='gray')
       ax[0].set_title("Input image")
       ax[1].imshow(gflt_imns, cmap='gray')
       ax[1].set_title("Result of gaussian filtering")
       ax[2].imshow(medflt_imns, cmap='gray')
       ax[2].set_title("Result of median filtering")
       ax[3].imshow(bflt_imns, cmap='gray')
       ax[3].set title("Result of bilateral filtering")
       ax[4].imshow(imng, cmap='gray')
       ax[5].imshow(gflt imng, cmap='gray')
       ax[6].imshow(medflt_imng, cmap='gray')
       ax[7].imshow(bflt_imng, cmap='gray')
```

```
plt.suptitle("Filtering results", fontsize=20)
plt.show()
```

#### Filtering results



## 1.2 Exercise 2 - Hybrid images

In this task you will need to construct a hybrid image that combines facial images of a wolf and a man. In addition, visualize the log magnitudes of the Fourier transforms of the original images and their low-pass and high-pass filtered versions (i.e.constituents of the hybrid image).(Hint: You can use the numpy.fft's functions fft2 and fftshift as shown in lecture slides.)

```
## Below we simply blend the aligned images using additive superimposition
additive_superimposition = man + wolft

## Next we create two different Gaussian kernels for low-pass filtering
## the two images
```

```
[206]: | # naive blending by additive superimposition for illustration
      superimpose = man + wolft
       # low-pass filter the two images using two different Gaussian kernels
      sigmaA = 16
      sigmaB = 8
      man_lowpass = gaussian_filter(man, sigmaA, mode='nearest')
      wolft_lowpass = gaussian_filter(wolft, sigmaB, mode='nearest')
      # We use gaussian filter above in this case as it is significantly faster than
        → the way below
       #filterA,_,_,_, = gaussian2(sigmaA)
      #filterB,_,_,_,_ = gaussian2(sigmaB)
       #man_lowpass = conv2(man, filterA, mode='reflect')
      #wolft_lowpass = conv2(wolft, filterB, mode='reflect')
      ## Your task is to create a hybrid image by combining a low-pass filtered
      ## version of the human face with a high-pass filtered wolf face
      ## HINT: You get a high-pass version by subtracting the low-pass filtered_
        uersion.
       ## from the original image. Experiment also by trying different values for
       ## 'sigmaA' and 'sigmaB' above.
      ## Thus, your task is to replace the zero image on the following line
       ## with a high-pass filtered version of 'wolft'
      wolft_highpass = np.zeros(man_lowpass.shape);
      ##--your-code-starts-here--##
      wolft_highpass = wolft - wolft_lowpass
      ##--your-code-ends-here--##
       ## Replace also the zero image below with the correct hybrid image
      hybrid_image = np.zeros(man_lowpass.shape)
       ##--your-code-starts-here--##
      hybrid_image = man_lowpass + wolft_highpass
       ##--your-code-ends-here--##
```

```
## Notice how strongly the interpretation of the hybrid image is affected
## by the viewing distance
## Display input images and both output images.
fig, axes = plt.subplots(nrows=1, ncols=4, figsize=(16,8))
plt.suptitle("Results of superimposition", fontsize=20)
ax = axes.ravel()
ax[0].imshow(man, cmap='gray')
ax[0].set_title("Input Image A")
ax[1].imshow(wolft, cmap='gray')
ax[1].set_title("Input Image B")
ax[2].imshow(additive_superimposition, cmap='gray')
ax[2].set_title("Additive Superimposition")
ax[3].imshow(hybrid_image, cmap='gray')
ax[3].set_title("Hybrid Image")
plt.subplots_adjust(top=1.2)
plt.show()
```

```
TypeError

TypeError

Traceback (most recent call last)

Cell In[206], line 7
5 sigmaA = 16
6 sigmaB = 8
----> 7 man_lowpass = gaussian_filter(man, sigmaA, mode='nearest')
8 wolft_lowpass = gaussian_filter(wolft, sigmaB, mode='nearest')
9 # We use gaussian_filter above in this case as it is significantly______

faster than the way below
10 #filterA,_,_,_,_, = gaussian2(sigmaA)
11 #filterB,_,_,_,_, = gaussian2(sigmaB)
(...)
22 ## Thus, your task is to replace the zero image on the following line
23 ## with a high-pass filtered version of 'wolft'

TypeError: gaussian_filter() got an unexpected keyword argument 'mode'
```

```
[207]: ## Finally, visualize the log magnitudes of the Fourier
## transforms of the original images

##--your-code-starts-here--##

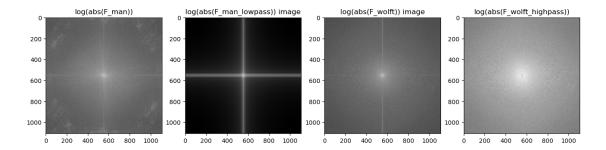
F_man = fftshift(fft2(man))
F_man_lowpass = fftshift(fft2(man_lowpass))
F_wolft = fftshift(fft2(wolft))
F_wolft_highpass = fftshift(fft2(wolft_highpass))
```

```
##--your-code-ends-here--##

fig, axes = plt.subplots(nrows=1, ncols=4, figsize=(16,8))
plt.suptitle("Magnitudes of the Fourier transforms", fontsize=20)
ax = axes.ravel()

ax[0].imshow(np.log(np.abs(F_man)), cmap='gray')
ax[0].set_title("log(abs(F_man))")
ax[1].imshow(np.log(np.abs(F_man_lowpass)), cmap='gray')
ax[1].set_title("log(abs(F_man_lowpass)) image")
ax[2].imshow(np.log(np.abs(F_wolft)), cmap='gray')
ax[2].set_title("log(abs(F_wolft)) image")
ax[3].imshow(np.log(np.abs(F_wolft_highpass)), cmap='gray')
ax[3].set_title("log(abs(F_wolft_highpass))")
plt.subplots_adjust(top=1.2)
plt.show()
```

Magnitudes of the Fourier transforms



#### 1.3 Exercise 3 - Image blending

Go through the final part of this notebook and see the instructions in the comments of the source code. The example implements Laplacian pyramid blending and blends facial images of a wolf and a man. The blending process is described in Section 3.5.5 of Szeliski's book. You need to implement the generation procedure for Gaussian and Laplacian image pyramids and the reconstruction procedure for reconstructing an image from its Laplacian pyramid.

(Hint: You can use two 1D convolutions with the binomial filter kernel  $g = [1\ 4\ 6\ 4\ 1]/16$  to implement the low-pass filter before downsampling. Interpolation in the reconstruction procedure can be performed by adding zeros between the rows and columns of the lower resolution image and then filtering horizontally and vertically with the kernel 2g as mentioned in Figure 3.33 of Szeliski's book.)

```
[208]: ## Implement missing functions: ## generateLaplacianPyramid and reconstLaplacianPyramid
```

```
## Notice that in this implementation the first level of a Gaussian pyramid
## is the original image, and the last level of a Laplacian pyramid is the
## same as the corresponding level in the Gaussian pyramid.
man = imread(data_dir+'/man_color.jpg') / 255.
man = resize(man, (int(man.shape[0] / 2), int(man.shape[1] / 2)))
wolf = imread(data_dir+'/wolf_color.jpg') / 255.
wolf = resize(wolf, (int(wolf.shape[0] / 2), int(wolf.shape[1] / 2)))
# the pixel coordinates of eyes and chin have been manually found
# from both images in order to enable affine alignment
man_eyes_chin=np.array([[452, 461], [652, 457], [554, 823]])
wolf_eyes_chin=np.array([[851, 919], [1159, 947], [975, 1451]])
A, b = affinefit(man_eyes_chin, wolf_eyes_chin)
xv, yv = np.meshgrid(np.arange(0, man.shape[1]), np.arange(0, man.shape[0]))
→1)).T
wolft = np.zeros(man.shape)
for ch in range(3):
   wolft[:,:,ch] = map_coordinates(wolf[:,:,ch], (pt[1, :].reshape(man.shape[:
 ⇒2]),
                             pt[0, :].reshape(man.shape[:2])))
## Manually defined binary mask with an elliptical shape is constructed
## as well as its complement
x0 = 553.
y0=680.
a=160.
b=190.
pixmask = (((xv-x0) / a) ** 2 + ((yv-y0) / b) ** 2) < 1
maskb = np.zeros(man.shape)
maskbw = np.zeros(man.shape[:2])
maskbw[pixmask] = 1.0
for c in range(3):
    maskb[:, :, c] = maskbw
maska = 1.0 - maskb
imga = resize(man, (1024, 1024))
imgb = resize(wolft, (1024, 1024))
maska = resize(maska, (1024, 1024))
maskb = resize(maskb, (1024, 1024))
```

```
[209]: ## Implement missing functions:
      ## generateLaplacianPyramid and reconstLaplacianPyramid
      ## Notice that in this implementation the first level of a Gaussian pyramid
      ## is the original image, and the last level of a Laplacian pyramid is the
      ## same as the corresponding level in the Gaussian pyramid.
      man = imread(data_dir+'/man_color.jpg') / 255.
      man = resize(man, (int(man.shape[0] / 2), int(man.shape[1] / 2)))
      wolf = imread(data dir+'/wolf color.jpg') / 255.
      wolf = resize(wolf, (int(wolf.shape[0] / 2), int(wolf.shape[1] / 2)))
      # the pixel coordinates of eyes and chin have been manually found
      # from both images in order to enable affine alignment
      man_eyes_chin=np.array([[452, 461], [652, 457], [554, 823]])
      wolf_eyes_chin=np.array([[851, 919], [1159, 947], [975, 1451]])
      A, b = affinefit(man_eyes_chin, wolf_eyes_chin)
      xv, yv = np.meshgrid(np.arange(0, man.shape[1]), np.arange(0, man.shape[0]))
      →1)).T
      wolft = np.zeros(man.shape)
      for ch in range(3):
          wolft[:,:,ch] = map_coordinates(wolf[:,:,ch], (pt[1, :].reshape(man.shape[:
       ⇒2]),
                                    pt[0, :].reshape(man.shape[:2])))
      ## Manually defined binary mask with an elliptical shape is constructed
      ## as well as its complement
      x0 = 553.
      v0=680.
      a=160.
      b=190.
      pixmask = (((xv-x0) / a) ** 2 + ((yv-y0) / b) ** 2) < 1
      maskb = np.zeros(man.shape)
      maskbw = np.zeros(man.shape[:2])
      maskbw[pixmask] = 1.0
      for c in range(3):
           maskb[:, :, c] = maskbw
      maska = 1.0 - maskb
      imga = resize(man, (1024, 1024))
```

```
imgb = resize(wolft, (1024, 1024))
maska = resize(maska, (1024, 1024))
maskb = resize(maskb, (1024, 1024))
```

```
[210]: def generateLaplacianPyramid(im, ptype, levels):
           ##--your-code-starts-here--##
           im_copy = im.copy()
           gaussianpyramid = [im]
           laplacianpyramid = []
           filter_kernel = 1/16 * np.array([1.0, 4.0, 6.0, 4.0, 1.0])
           for i in range(levels):
               # first convlution with binomial filter
               c1 = conv1(im_copy, filter_kernel, axis=0, mode="reflect")
               # second convlution with binomial filter
               low_pass = conv1(c1, filter_kernel, axis=1, mode="reflect")
               im_copy = resize(low_pass, (int(im_copy.shape[0] / 2), int(im_copy.
        ⇒shape[1] / 2)), anti_aliasing=False)
               gaussianpyramid.append(im_copy)
           for i in range(levels):
               upscaled = resize(gaussianpyramid[i+1], gaussianpyramid[i].
        ⇔shape,anti_aliasing=False)
               upscaled = conv1(conv1(upscaled, filter_kernel, axis=0),
        ofilter kernel,axis=1)
               difference = gaussianpyramid[i] - upscaled
               laplacianpyramid.append(difference)
           if ptype == 'laplacian':
               return laplacianpyramid
           elif ptype == 'gaussian':
               return gaussianpyramid
           else:
               raise ValueError('Unknown pyramid type: ' + str(ptype))
                ##--your-code-ends-here--##
```

```
[211]: def reconstLaplacianPyramid(lpyramid):
    ##--your-code-starts-here--##

im = lpyramid[0][:]
    shape = im.shape[0:2]
    filter_kernel = 1/16 * np.array([1.0, 4.0, 6.0, 4.0, 1.0])

for i in range(1, len(lpyramid)):
        current_image = lpyramid[i]
        resized_image = resize(current_image, shape, mode='reflect')
```

```
c1 = conv1(resized_image, filter_kernel, axis=0)
c2 = conv1(c1, filter_kernel, axis=1)
im += c2

##--your-code-ends-here--##
return im
```

```
[213]: level = 8
       ## Make Laplacian image pyramids with 8 levels.
       ## Output is cell array (i.e. lpimga{i} is the Laplacian image at level i).
       ## The image at the final level is the base level image from the
       ## corresponding Gaussian pyramid.
       ## In the version below the second input is either 'laplacian' or 'qaussian',
       ## and it defines whether to output Laplacian or Gaussian pyramid.
       ## After you have implemented the functions above you can uncomment the lines,
       ## to finally plot the lacking figures ('Pyramid Blending' and 'Difference')
       lpimga = generateLaplacianPyramid(imga, 'laplacian', level);
       lpimgb = generateLaplacianPyramid(imgb, 'laplacian', level);
       ## Just check that your pyramid and reconstruction both work
       ima = reconstLaplacianPyramid(lpimga)
       max_reconstruction_error = np.amax(np.abs(imga.flatten() - ima.flatten()))
       print("Reconstruction error: {}".format(max_reconstruction_error))
       ## Make Gaussian image pyramids of the mask images, maska and maskb
       gpmaska = generateLaplacianPyramid(maska, 'gaussian', level);
       gpmaskb = generateLaplacianPyramid(maskb, 'gaussian', level);
       # Make smooth masks in a simple manner for comparison
       sigma = 20
       smaska = gaussian_filter(maska, sigma)
       smaskb = gaussian_filter(maskb, sigma)
       ## In practice, you can also use the Gaussian pyramids of smoothed masks.
       ## In this case, the blendings (simple & pyramid) will appear more similar.
       gpsmaska = generateLaplacianPyramid(smaska, 'gaussian', level);
       gpsmaskb = generateLaplacianPyramid(smaskb, 'gaussian', level);
       limgo = {} # the blended pyramid
       for p in range(level):
            #Blend the Laplacian images at each level
               limgo[p] = (lpimga[p]*gpmaska[p] + lpimgb[p]*gpmaskb[p])/

    (gpmaska[p]+gpmaskb[p])
```

```
limgo[p] = (lpimga[p]*gpsmaska[p] + lpimgb[p]*gpsmaskb[p])/
 ⇔(gpsmaska[p]+gpsmaskb[p])
## Reconstruct the blended image from its Laplacian pyramid
imgo = reconstLaplacianPyramid(limgo);
## Simple blending with smooth masks
imgo1 = smaska*imga + smaskb*imgb
## Display results
fig, axes = plt.subplots(nrows=2, ncols=3, figsize=(16,8))
plt.suptitle("Blending results", fontsize=20)
ax = axes.ravel()
ax[0].imshow(imga, cmap='gray')
ax[0].set_title("Input Image A")
ax[1].imshow(imgb, cmap='gray')
ax[1].set_title("Input Image B")
ax[2].set visible(False)
ax[3].imshow(imgo1, cmap='gray')
ax[3].set title("Simple Blending")
ax[4].imshow(imgo, cmap='gray')
ax[4].set_title("Pyramid Blending")
ax[5].imshow(np.amax(imgo-imgo1, axis=2), cmap='gray')
ax[5].set_title("Difference:")
plt.show()
```

Reconstruction error: 0.7632090373013236

```
TypeError Traceback (most recent call last)

Cell In[213], line 25
23 # Make smooth masks in a simple manner for comparison
24 sigma = 20

---> 25 smaska = gaussian_filter(maska, sigma)
26 smaskb = gaussian_filter(maskb, sigma)
28 ## In practice, you can also use the Gaussian pyramids of smoothed mask

29 ## In this case, the blendings (simple & pyramid) will appear more
similar.

TypeError: gaussian_filter() takes 1 positional argument but 2 were given
```