Talks, travel, grants

Brachiopods

Mammals

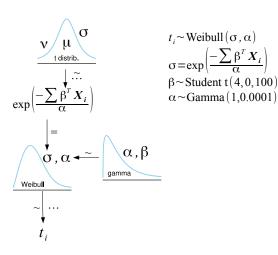
Talks

- ► Evolution 2014: basic comparison between NA and European mammal survival
- ► GSA 2014: current fully Bayesian model of brachiopod survival
 - lots of positive feedback, ideas

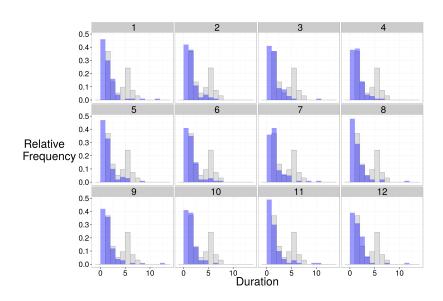
Travel and grants

- ► AMNH: tooth measures for all notoungulate specimens identified to species level
- ▶ DDIG: applied; travel to Argentina; collaboration with Rick Madden

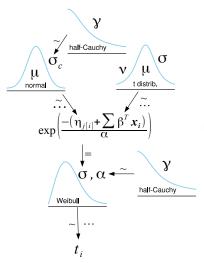
Current brachipod survival model



Current results...



Target and developing survival model



$$t_{i} \sim \text{Weibull}(\sigma, \alpha)$$

$$\sigma = \exp\left(\frac{-(\eta_{j[i]} + \sum_{\alpha} \beta^{T} X_{i})}{\alpha}\right)$$

$$\eta_{j[i]} \sim \text{Normal}(0, \sigma_{c})$$

$$\sigma_{c} \sim \text{half-Cauchy}(2.5)$$

$$\beta \sim \text{Student t}(4, 0, 100)$$

$$\alpha \sim \text{half-Cauchy}(2.5)$$

Point/counting process of fossils occurrence

A fossil is a count; number of fossils in temporal window.

Hierarchical Poisson model of absolute sighting rate.

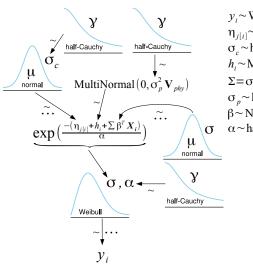
Death and Taxa: biological, temporal, and historical effects on mammal species duration

North American survival

- species duration as measure of survival
- traits
 - organismal: diet, locomotor categories
 - species: body size, bioprovince occupancy
- origination cohort
- phylogeny primarily based on taxonomy

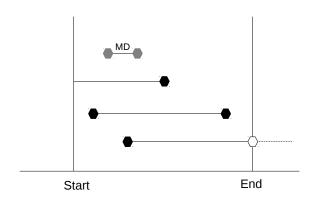
- duration defined as number of 2My bins from FAD to LAD, inclusive
- fully Bayesian hierarchical model
- censoring approach
 - if still extant, right censored
 - if not extant and duration of only 1 bin, left censored

Model diagram



 $\begin{aligned} y_i &\sim \text{Weibull}(\sigma, \alpha) \\ \eta_{j[i]} &\sim \text{Normal}(0, \sigma_c) \\ \sigma_c &\sim \text{half-Cauchy}(2.5) \\ h_i &\sim \text{MultiNormal}(0, \Sigma) \\ \Sigma &= \sigma_p^2 \mathbf{V}_{phy} \\ \sigma_p &\sim \text{half-Cauchy}(2.5) \\ \beta &\sim \text{Normal}(0, 10) \\ \alpha &\sim \text{half-Cauchy}(2.5) \end{aligned}$

Censoring



Modeling censored observations

Definition

$$S(t|\alpha,\sigma) = \exp\left(-\left(\frac{t}{\sigma}\right)^{\alpha}\right)$$

Right censored evaluated at S(t), left at 1 - S(t).

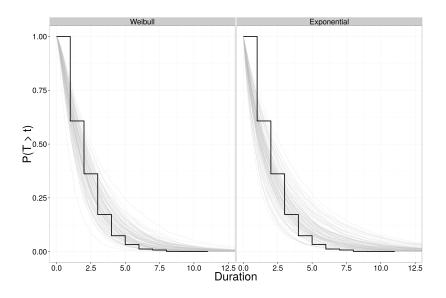
Equivalent to ccdf and cdf respectively.

Modeling censored observations

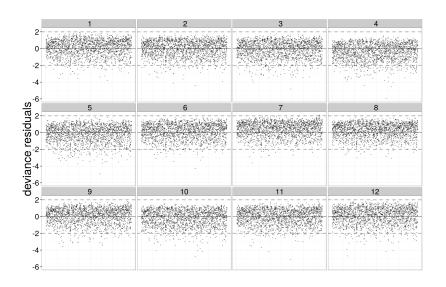
Likelihood

$$L \propto \prod_{i \in C} \text{Weibull}(y_i | \alpha, \sigma) \prod_{j \in R} S(y_j | \alpha, \sigma) \prod_{k \in L} (1 - S(y_k | \alpha, \sigma))$$

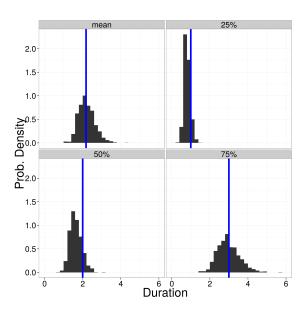
Posterior predictive checks: S(t)



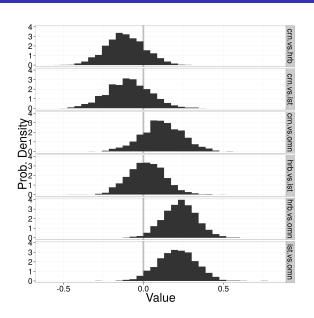
Posterior predictive checks: deviance residuals



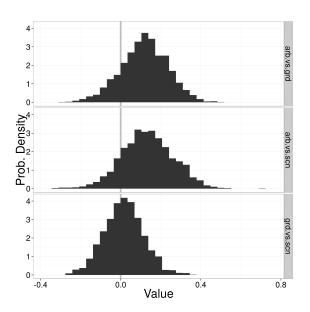
Posterior predictive checks: point checks



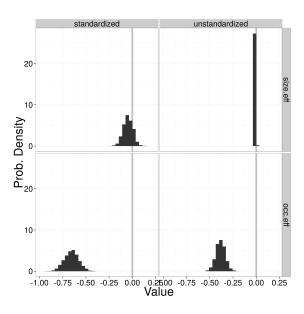
Pairwise differences of β , dietary category



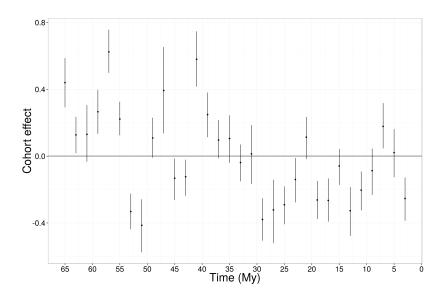
Pairwise differences of β , locomotor category



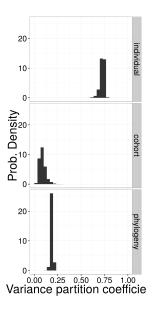
Other traits



Cohort effect

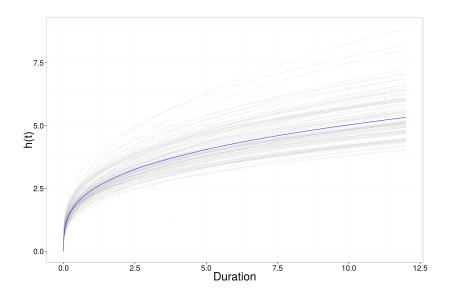


Variance partion coefficient



- Because GLMM, VPC approximated via simulation modified from Goldstein et al.
 '02 Understanding Statistics
- phylogenetic heritability, sensu Lynch '91 Am. Nat., is a special case of VPC.

Hazard curvature



Meaning

Results

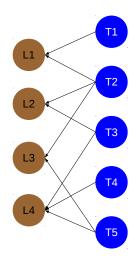
- model generally fits; no systematic biases in residuals
- comparable probabilistic statements of trait, temporal, and historical effects
 - individual level is major source of variance
 - phylogenetic effect > cohort
- decreasing cohort survival risk over Cenozoic
- ► h(t) not constant over t, increases slowly

Interpretation

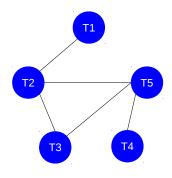
- older lineages out-competed by younger (Wagner and Estabrook '14 PNAS)
 - hard to pin to any organismal traits, but weak phylogenetic heritability
- increasing extinction with group age (Quental and Marshall '13 Science)
- background extinction; no single mode of extinction
- relative effect of universality of covariate, levels of selection(?)

A model of biological, spatial, and phylomammal co-occurrence	ogenic effects on	Cenozoic

Biogeographic network



Species adjacency

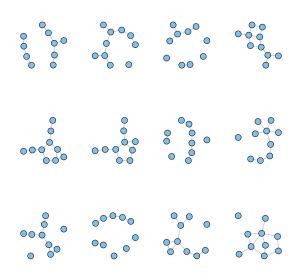


Autoregressive model

Adjacency is also a symmetric n by n matrix, A, with ones on the off-diagonals if the species co-occur.

CAR prior. Estimate spatial correlation (p) and hierarchical variance variance (sigmasq) as a multivariate normal effect with mean vector all 0 and covariance matrix = sigmasq * (I - p * A)

Erdos-Renyi graph G(n, p)



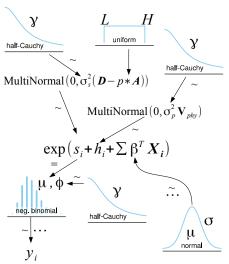
Overdispersion model

Negative Binomial

NegBinom
$$(y|\alpha,\beta) = {y+\alpha-1 \choose \alpha-1} \left(\frac{\beta}{\beta+1}\right)^2 \left(\frac{1}{\beta+1}\right)^y$$
 reparameterized

NegBinom
$$(y|\mu,\phi) = {y+\phi-1 \choose y} \left(\frac{\mu}{\mu+\phi}\right)^y \left(\frac{\phi}{\mu+\phi}\right)^{\phi}$$

Model diagram



 $\begin{aligned} y_i &\sim \text{NegBinom} \left(\mu, \phi \right) \\ \phi &\sim \text{half-Cauchy} \left(2.5 \right) \\ s_i &\sim \text{MultiNormal} \left(0, \Sigma_s \right) \\ \Sigma_s &= \sigma_s^2 \left(\textbf{\textit{D}} - p * \textbf{\textit{A}} \right) \\ \sigma_s &\sim \text{half-Cauchy} \left(2.5 \right) \\ p &\sim \text{Uniform} \left(0, 1 \right) \\ h_i &\sim \text{MultiNormal} \left(0, \Sigma_p \right) \\ \Sigma_p &= \sigma_p^2 \mathbf{\textit{V}}_{phy} \\ \sigma_p^2 &\sim \text{half-Cauchy} \left(2.5 \right) \\ \beta &\sim \text{Normal} \left(0, 10 \right) \end{aligned}$