

How cryptic is cryptic diversity? Machine learning approaches to plastral variation in *Emys marmorata*.

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June 28, 2013

Abstract

2

1 Introduction

4 Cryptic diversity is when taxa were only first delimited via molecular
means and were not or cannot delimited via morphological identification
6 CITATION. The discovery of this previously unknown diversity has

Here, we address the question of how much of cryptic diversity may be a
8 product of sample size as well as methodology used for classifying taxa based

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solely on morphology. Specifically, we ask if fine scale variation in morphology
10 can provide corroboration for subspecific assignment, and if To analyze this
question, we apply multiple machine learning approaches to estimate the best
12 classification scheme of *E. marmorata* subspecies based on morphological
variation in plastral shape.

14 2 Materials and Methods

2.1 Specimens

16 We collected morphometric data from 524 specimens. Geographic information
was recorded from museum collection information. When precise latitude and
18 longitude information was not known for a specimen, it was inferred from
whatever locality information was presented.

20 Specimens were given a class assignment was based on geographic information.
Because the exact geographic barriers between different class is unknown and
22 fuzzy, two assignments for both morphological and molecular hypotheses of
class were used.

24 2.2 Geometric morphometrics

Following Angielczyk et al. (2011), 19 landmarks were digitized using TpsDig
26 2.04 (Rohlf, 2005). 17 of these landmarks are at the endpoints or intersection
of the keratinous plastral scutes that cover the plastron. These landmarks were
28 chosen to maximize the description of plastral variation. 12 of these landmarks
are symmetrical across the axis of symmetry and in order to prevent degrees
30 of freedom and other concerns (Klingenberg et al., 2007), these landmarks
were reflected across the axis of symmetry and the average position of each
32 symmetrical pair was used. Analysis was then conducted on the resulting
“half” plastra.

34 “Half” plastra landmark configurations were superimposed using generalized
Procrustes analysis (Dryden and Mardia, 1998) after which, the principal
36 components of shape were calculated. This was done using the `shapes` package
in R (Dryden, 2013; R Core Team, 2013).

38 **2.3 Machine learning analyses**

2.3.1 Unsupervised learning

40 **2.3.2 Supervised learning**

3 Results

42 **3.1 Geometric morphometrics**

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3.2.2 Supervised learning

46 **4 Discussion**

Acknowledgements

48 PDS would like to thank David Bapst, Benjamin Frable, Michael Foote, and
Dallas Krentzel for useful discussion which enhanced the quality of this study.

50 **References**

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