

Performance Evaluation of Round Robin CQI based Cellular Network

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Chapter 1

Modelling

1.1 Introduction

In these paragraph we describe how we modeled the Cellular Network described in the specifications.

- **A Web Server**, which generates data in the form of packets to be transmitted to users. For our purposes we have defined the class `UserPackets` which includes a `start_time` field and its interface (named `UserPacket_m`) includes a getter/setter method to update this field.

The size of each packet is an integer RV $\sim U(3, 75)$, since the service demand has to be uniform and consistent with the frame size. Moreover the packet interarrival time to the antenna has to be an exponential RV, so each packet is generated properly to satisfy this requirements.

- **An Antenna**, which has FIFO queue for each user. Packets received from **Web Servers** are stored inside queues and then are sent in a unicast way according to the Round Robin policy (which is described in the next section).
- **A Mobile Station**, which personifies a generic user connected to the antenna. On each timeslot it sends a channel quality indicator (CQI), which is a number between 1 and 15 that define the number of bytes the antenna can pack into a Resource Block (RB).

CQIs are integer RVs generated according the following scenarios:

1. Uniform, each user generates a RV $\sim U(1, 15)$
2. Binomial, each user generates a RV $\sim Bin(n, p_i)$, where n is the number of users, and $0 < p_i < 1$ depends on the user i .

To build our model and to run simulations we used the framework **OMNeT++ v5**, so each item described before is defined by a `*.ned` file. Each **Mobile Station** computes some statistics: slotted throughput (related to each time slot) and response time of received packets. The **Antenna** compute also statistics about the frame filling, which we will describe later.

The `CellularNetwork.ned` file shows how the previous modules are connected to obtain the network. Since frames are sent in a unicast way, there are multiple instances of the Web Server module, one for each Mobile Station, seeded in a different way in order to have IID RV.

The obtained network, by setting $n = 10$, is the following:



Figure 1.1: Simulated Network (omnet++)

1.2 Frame Chunks

Packets are delivered to users by enveloping that inside RBs. As requested by specifications $RBsize_{i,t_j} = f(CQI_{i,t_j})$ where i is index of *user*, and t_j is index of *timeslot*. To do that, the scheduler receives CQIs from the **Mobile Stations** at beginning of each time slot, then compute every $RBsize_{i,t_j}$ and fills the frame according to scheduling policy. Note that a frame can carry RBs for different users so, generally speaking, a frame in a specific time slot t_j can have RBs of different size. To cope these requirements we defined a new module **Frame Chunk** wich groups all RBs addressed to a specific **Mobile Station**. By introducing this module we can consider a frame as a collection of **Frame Chunks**. To deliver the whole frame we must send each **Frame Chunk** to its user in a unicast way.

1.3 Schedulers

In this section we will analyze the frame filling policy which are defined in the module **Scheduler**. Let's consider a user $0 \leq i \leq n$. Starting from user i , the scheduler allocates a new **Frame Chunk** and fills it with packets taken from the **FIFOQueue_i**. A **Frame Chunk** is considered full if it contains 25 RBs because it corresponds to the whole frame. At the next time slot will be served the user $(i + 1) \bmod n$. If the frame is not full the scheduler must allocate others **Frame Chunks** in order to fill the residual space using one of the two following policies.

- **Round-Robin Frame Fill** The residual space in the frame is filled by considering the following **FIFOQueues_j** $j \in \{(i + 1) \bmod n, (i + 2) \bmod n, \dots\}$
- **Best CQI based Frame Fill** The residual space in the frame is filled by considering the users with the best(highest) CQI in a decreasing order. In the case of $CQI_i = CQI_j \mid i < j$ is selected the user i .

We will analyze the effect of both policy to performance regarding the throughput and the response time for each user with varying workloads.

1.4 Constants

In the following chapters, if not different specified, we will consider this constants.

- **Number of resource block**, $\#RB = 25$
- **Number of users**, $n = 10$
- **Max RB size**, $RBsize_{\max} = 93$
- **Max packet size**, $packet_{\max} = 75$
- **Timeslot period**, $T_{\text{slot}} = 1\text{ms}$

Chapter 2

Validation

2.1 Introduction

After building our model inside the **OMNeT++** we can proceed with the simulation in order to analyze the quantities which we are interested. First of all we will simulate the model in very simple cases in order to be sure it reproduces the system's behavior correctly. We decided to validate our model by *removing randomness*. This choice allows us to do some easy computation by hand and to verify if the result of simulation is consistent with them. Our model will be considered a good replica of the system if it will pass all the *validation tests*.

2.2 1st test: fixed CQI, fixed λ rate, fixed packet size, 1 user

In this test we just one **Mobile Station** connected to the antenna which always generates the same CQI for each timeslot. Inside the **Web Server** the λ rate is fixed and also the packet size. This is a very simple system with deterministic arrivals and deterministic service demand. We can compute the traffic that **Web Server** sends to the antenna as

$$th_{in} = \frac{packet\ size \times 8}{1/\lambda} [bps]$$

If the system is in a stable state the output throughput and the input throughput must be equal. The maximum output throughput is the one we have by setting all parameters to maximum values.

$$th_{max} = \frac{25 \times R\!B\!size_{max} \times 8}{T_{slot}} = \frac{25 \times 93 \times 8}{0.001} = 18.6 \text{ Mbps}$$

We can derive very easily the λ_{\max} rate wich produces the max throughput allowed by antenna.

$$\lambda_{\max} = \frac{25 \times R\text{Bsize}_{\max}}{T_{\text{slot}} \times \text{packetsize}_{\max}} = 31000$$

For $0 < \lambda < \lambda_{\max}$ the system is a stable state.