



Final Project

by

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Topic : Statistik mit R

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Task 1: Basics

SAP before	2	5	2	7	5	6	1	3	7	3
SAP after	10	10	8	6	4	9	4	8	7	5

1) Calculate the Means, Mode/Modes and Median (SAP_before und SAP_after)

Mode:

SAP_before:

2, 5, 2, 7, 5, 6, 1, 3, 7, 3

Value	Frequency
1	1
2	2
3	2
5	2
6	1
7	2

(Has 4 Modes)

Modes: 2,3,5,7

Type: Multimodal

SAP_after:

10, 10, 8, 6, 4, 9, 4, 8, 7, 5

Value	Frequency
4	2
5	1
6	1
7	1
8	2
9	1
10	2

(Has 3 Modes)

Modes: 4,8,10

Type: Trimodal

Mean:

Symbol: \bar{X}

SAP_before:

$$\sum (2+5+2+7+5+6+1+3+7+3) / 10 = \bar{x} (4.1)$$

Mean = 4.1

Median:

SAP_before:

2, 5, 2, 7, 5, 6, 1, 3, 7, 3

Sorted:

1, 2, 2, 3, 3, 5, 5, 6, 7, 7

Median = 4

SAP_after:

$$\sum (10+10+8+6+4+9+4+8+7+5) / 10 = \bar{x} (7.1)$$

Mean = 7.1

SAP_after:

10, 10, 8, 6, 4, 9, 4, 8, 7, 5

Sorted:

4, 4, 5, 6, 7, 8, 8, 9, 10, 10

Median = 7.5

2) Calculate the variances and Standard Deviations (SAP_before and SAP_after)

Variance:

Formula:

$$S^2 = \frac{1}{n-1} \sum_{i=1}^n (x_i - \bar{x})^2$$

SAP_before:

Variance = 4.76

SAP_after:

Variance = 5.21

Standard Deviation:

Formula:

$$SD = \sqrt{\frac{\sum (x - \bar{x})^2}{n}}$$

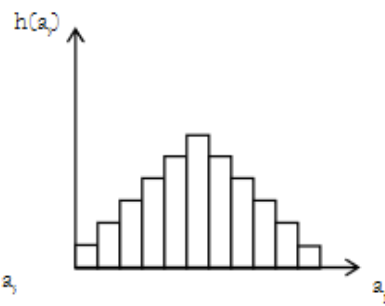
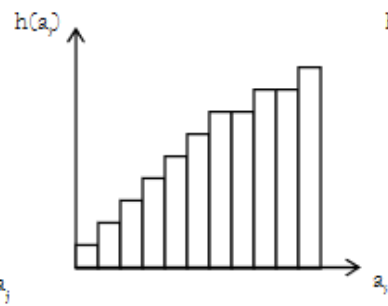
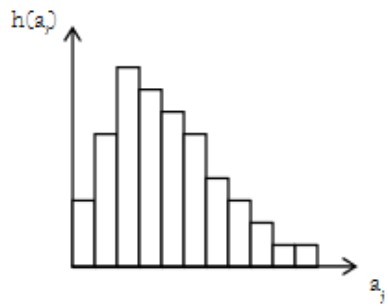
SAP_before:

Standard deviation = 2.18

SAP_after:

Standard deviation = 2.28

3) Is the Graph right-skewed, left-skewed, or symmetrical?



Right-skew scaled

Left-skew scaled

Symmetrical scaled

4) Assign the scale level to the following data: (Nominal, Ordinal, Interval, Ratio, Absolut), and which operation is allowed.

Variable type	Scale Level	Operation
Military Rank	Ordinal	= / ≠ < / >
Age	Ratio	= / ≠ < / > + / - ÷ / *
Traffic density	Ratio	= / ≠ < / > + / - ÷ / *
Gender	Nominal (Dichotomous)	= / ≠
Fares	Ratio	= / ≠ < / > + / - ÷ / *
Nationality	Nominal	= / ≠
School Education	Ordinal	= / ≠ < / >
Intelligence Quotient	Interval	= / ≠ < / > + / -
Subject	Nominal	= / ≠
Semester number	Absolut	= / ≠

		$< / >$ $+ / - \quad \div / *$
Exam Points	Ratio	$= / \neq$ $< / >$ $+ / - \quad \div / *$
Rate classes for Motor Vehicle liability	Ordinal	$= / \neq$ $< / >$

5) Assign the following variables to their variable level (continuous vs. discrete).

Nr.	Wert	Variable	
		discrete	continuous
1	Tax class	<input checked="" type="radio"/>	<input type="radio"/>
2	Gender	<input checked="" type="radio"/>	<input type="radio"/>
3	Social Class	<input checked="" type="radio"/>	<input type="radio"/>
4	Income Tax	<input type="radio"/>	<input checked="" type="radio"/>
5	Temperatur in Kelvin	<input type="radio"/>	<input checked="" type="radio"/>
6	Windforce in Meter/Sekunde	<input type="radio"/>	<input checked="" type="radio"/>
7	Body weight	<input type="radio"/>	<input checked="" type="radio"/>

8	School grade (1-6)	<input checked="" type="radio"/>	<input type="radio"/>
9	Exam points	<input type="radio"/>	<input checked="" type="radio"/>
10	Population	<input checked="" type="radio"/>	<input type="radio"/>
11	Semester number	<input checked="" type="radio"/>	<input type="radio"/>
12	Commercial class (Fruit)	<input checked="" type="radio"/>	<input type="radio"/>

6) Describe in sentences what is the difference and similarities between standard normal distribution and normal distribution. Use the formulas.

Similarity:

* The basic properties for the both are same. Such as , Bell-shaped, Symmetrical is similar to Empirical Rule

Difference:

Standard Normal Distribution

- * It is a special case of the normal distribution
- * Mean is equal to 0 and the standard deviation is equal to 1

Normal Distribution

- * It is the most commonly used probability distribution in statistics.
- * Mean and median are equal; both located at the center of the distribution
- * The mean of the normal distribution determines its location
- * The standard deviation determines its spread.

Formula:

$$\begin{aligned}
 f(x) &= \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2} \\
 &= \frac{1}{1 \times \sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-0}{1}\right)^2} \\
 &= \frac{1}{\sqrt{2\pi}} e^{-\frac{1}{2}x^2}
 \end{aligned}$$

$$f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2}$$

Task 2: Multiple Choice

The special point is valid only within this task. Maximum you can reach is 10 points.

1) A Bravais-Pearson correlation coefficient of 0.85 indicates a weak linear correlation.	
Richtig	Falsch
2) The interquartile range (IQR) is twice the distance between median and mode.	
Richtig	Falsch
3) The modes can only be determined if there is a unimodal distribution.	
Richtig	Falsch
4) Nominal scaled data can be put in a natural order.	
Richtig	Falsch
5) Outliers have a particularly strong effect on the results of non-robust analysis methods.	
Richtig	Falsch
6) The standard deviation is not calculated as a positive square root of the variance.	
Richtig	Falsch
7) The kurtosis is a measure of the curvature of a distribution.	
Richtig	Falsch
8) The calculation of the variance requires at least metrically scaled data.	
Richtig	Falsch

9) The range is the absolute distance between the smallest and the largest value.	
Richtig	Falsch
10) The Bravais-Pearson correlation coefficient can only take values between 0 and 1.	
Richtig	Falsch
11) The statistical replacement of missing values requires at least metrically scaled data.	
Richtig	Falsch