

ELE 215

Linear Circuits Laboratory

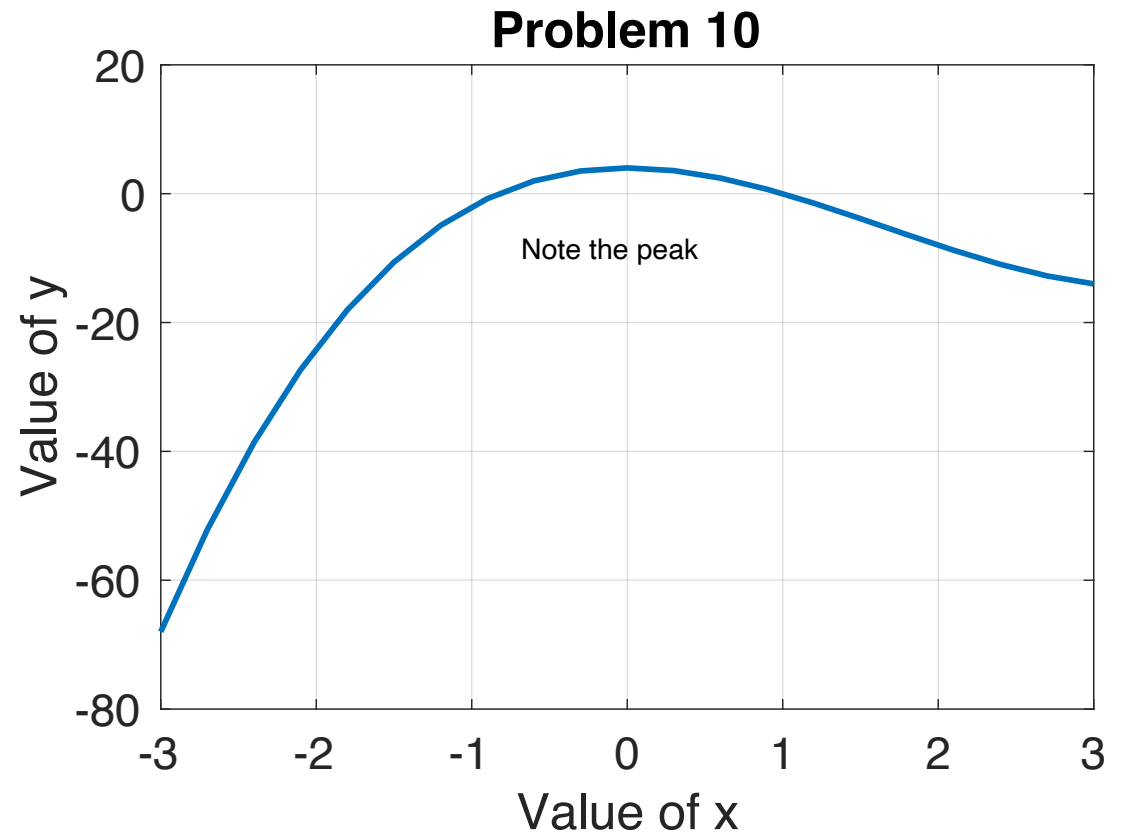
Recitation 5

MatLab plotting and Simulation

Which is easier to understand?

-3.0000	-68.0000
-2.7000	-52.1330
-2.4000	-38.6240
-2.1000	-27.3110
-1.8000	-18.0320
-1.5000	-10.6250
-1.2000	-4.9280
-0.9000	-0.7790
-0.6000	1.9840
-0.3000	3.5230
0	4.0000
0.3000	3.5770
0.6000	2.4160
0.9000	0.6790
1.2000	-1.4720
1.5000	-3.8750
1.8000	-6.3680
2.1000	-8.7890
2.4000	-10.9760
2.7000	-12.7670
3.0000	-14.0000

or

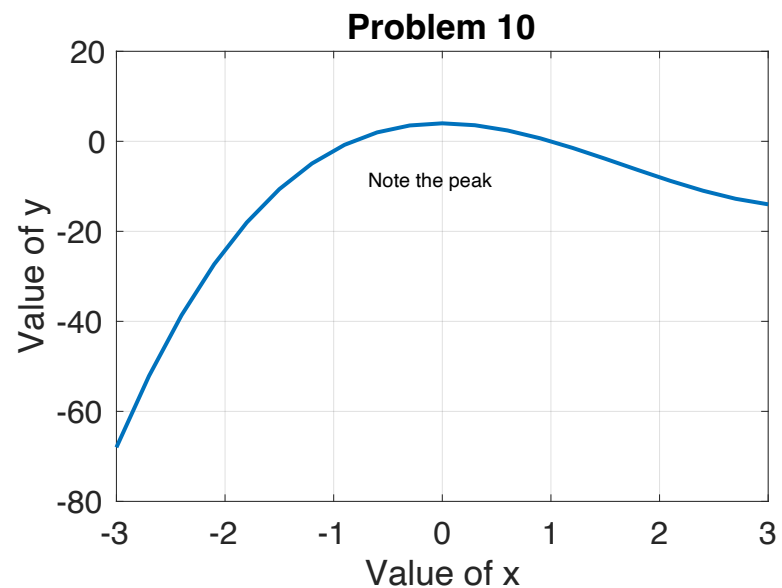


```
xv = -3:0.1:3;  
yv = xv.^3 - 5*xv.^2 + 4;
```

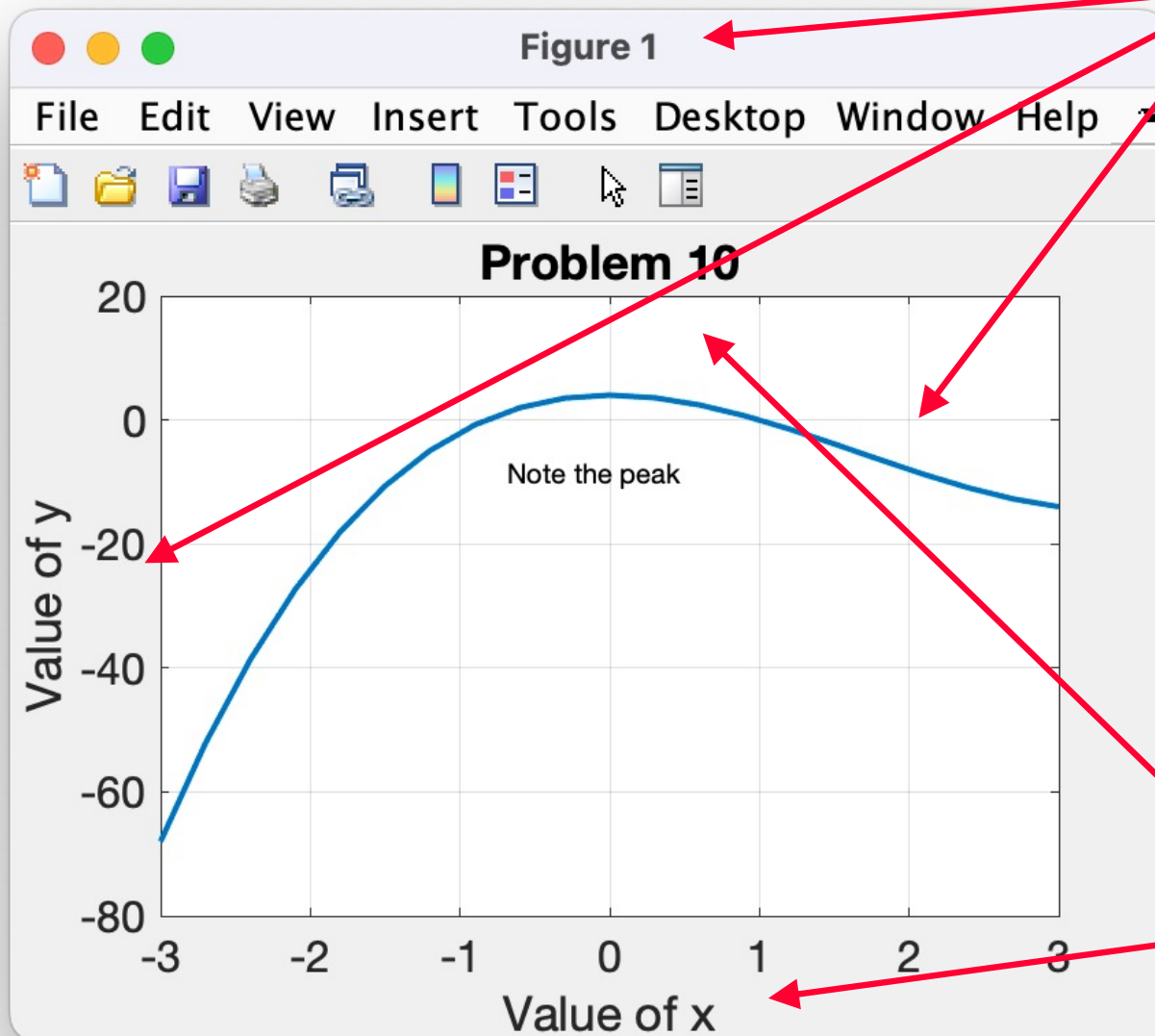
```
plot(xv,yv)
```

```
xlabel('Value of x')  
ylabel('Value of y')  
title('Problem 10')  
gtext('note the peak')
```

- colon and dot notation for arrays
- standard form for plot
- annotation tools



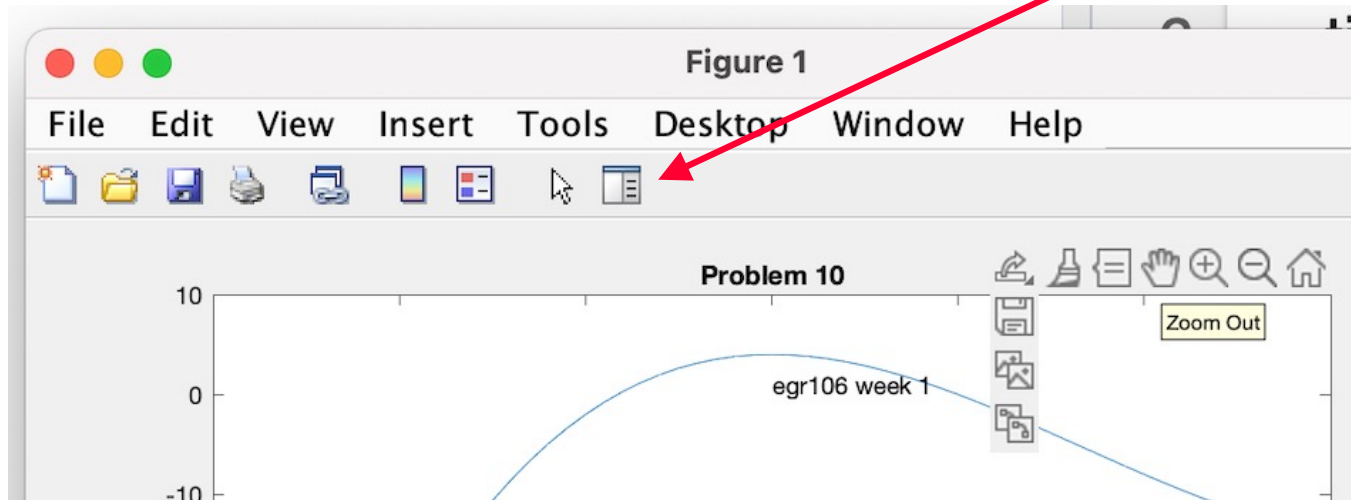
default is Figure 1, thin blue line, auto scaling, and small text



note axis labels, title, and text added

Advanced Plotting

- MatLab figures have a typical menu plus interactive tools for modifications



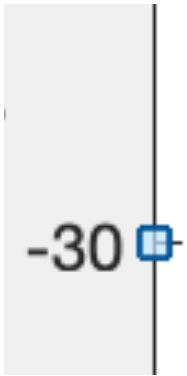
- Command line (i.e. script) manipulation is available through optional additional arguments:

`plot(x,y, 'linespec' , 'Propname' , PropValue)`

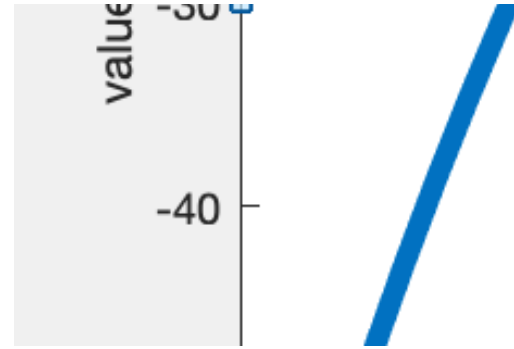
- line specifiers: color, line type, markers for data
- property name and value: thickness, size, etc

Examples:

```
plot(x,y, 'r : d ')
```

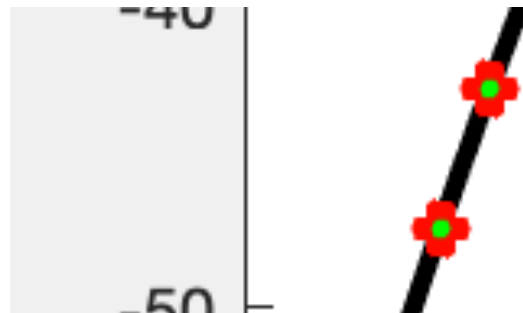


```
plot(x,y, 'linewidth',5 )
```



```
plot(x,y, '- k o' , 'LineWidth' , 3 , 'MarkerSize' , 6,...
```

```
'MarkerEdgeColor','red','MarkerFaceColor','green')
```

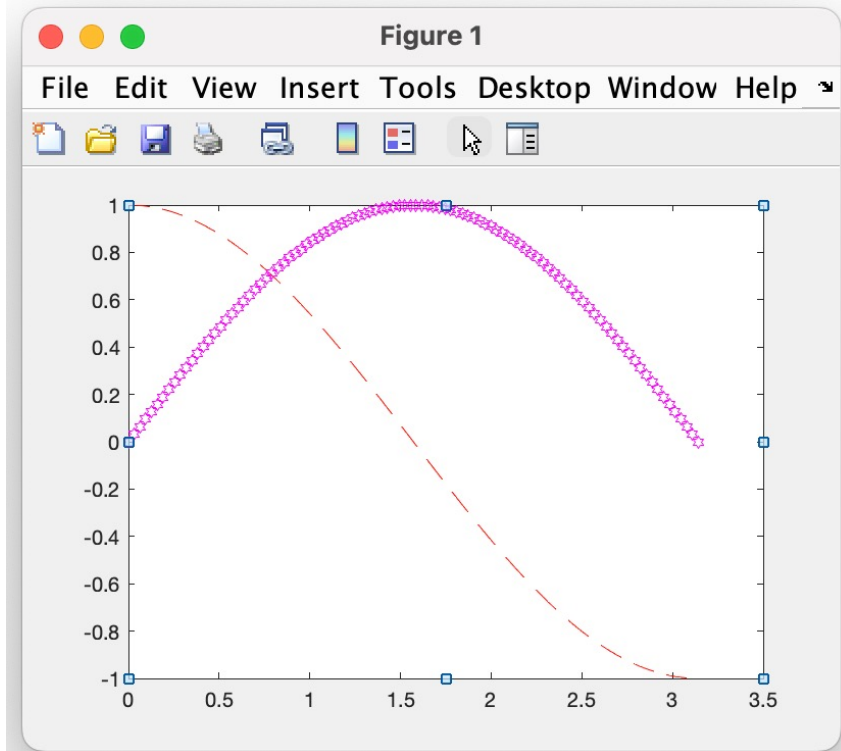


Fine tune your plot:

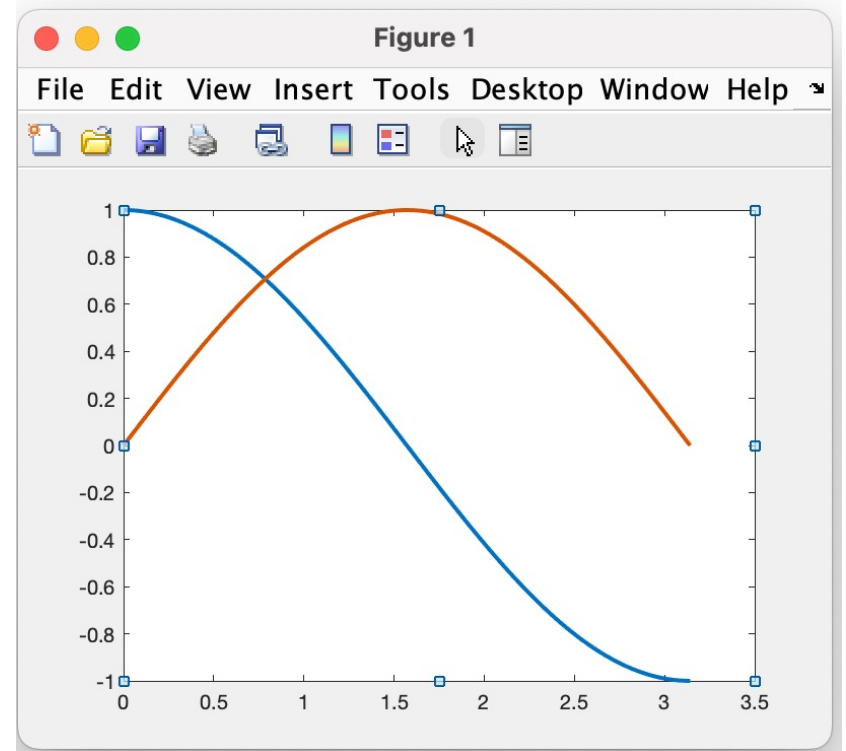
- `xlabel('string')`
- `ylabel('string')`
- `title('string')`
- `legend('string1', ... 'stringn', loc)`
- `text(x, y, 'string')`
- `gtext('string')` – cursor controlled
- `grid`
- `axis([xmin xmax ymin ymax])`
- `xlim ([xmin xmax])`
- `ylim ([ymin ymax])`
- `axis equal` and `axis off`

Multiple plots on the same axes – possible with the plot command or with “hold”

```
x = linspace(0,pi,10);  
y1 = cos(x);  
y2 = sin(x);  
plot(x,y1,'ro-',x,y2,'mh--')
```



```
x = linspace(0,pi,10);  
y1 = cos(x);  
y2 = sin(x);  
plot(x,y1,'linewidth',2)  
hold on  
plot(x,y2,'linewidth',2)  
hold off
```



Other stuff:

- `semilogx(x,y)` `semilogy(x,y)` `loglog(x,y)`
- Saving to various formats, including copying
- Multiple plots in same window using subplot

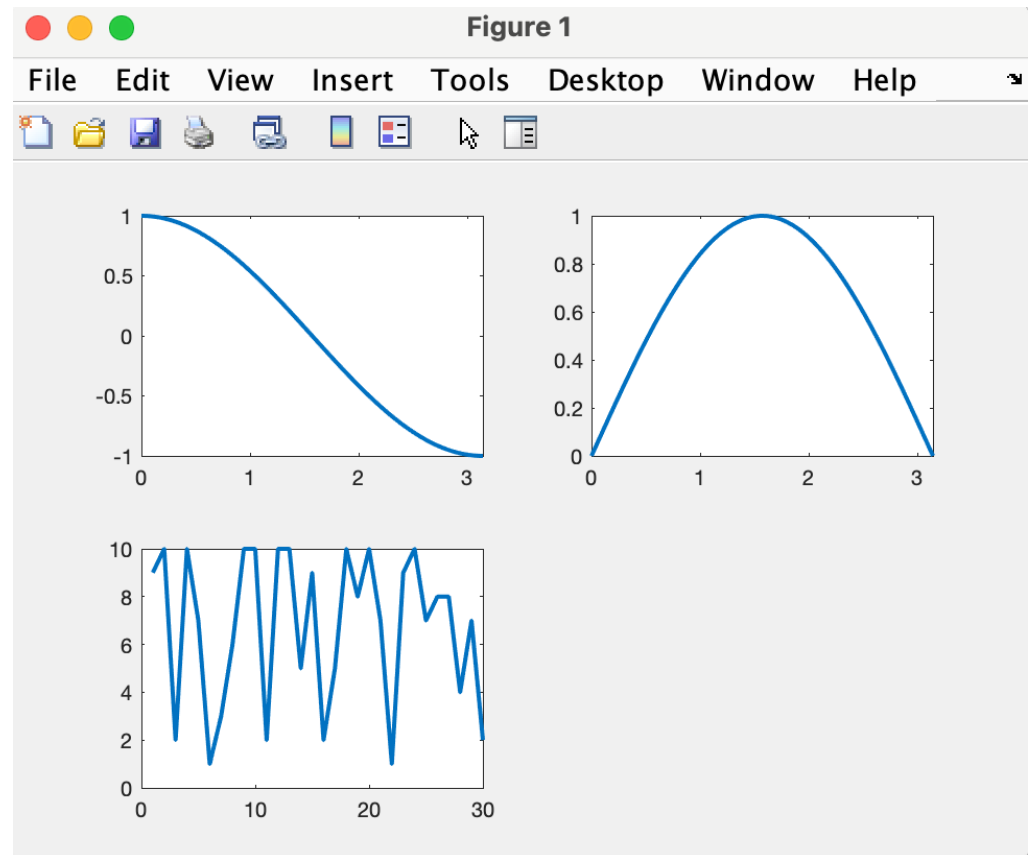
`subplot(2,2,1)`

`plot(x1,y1)`

`subplot(2,2,2)`

`plot(x2,y2)`

etc.

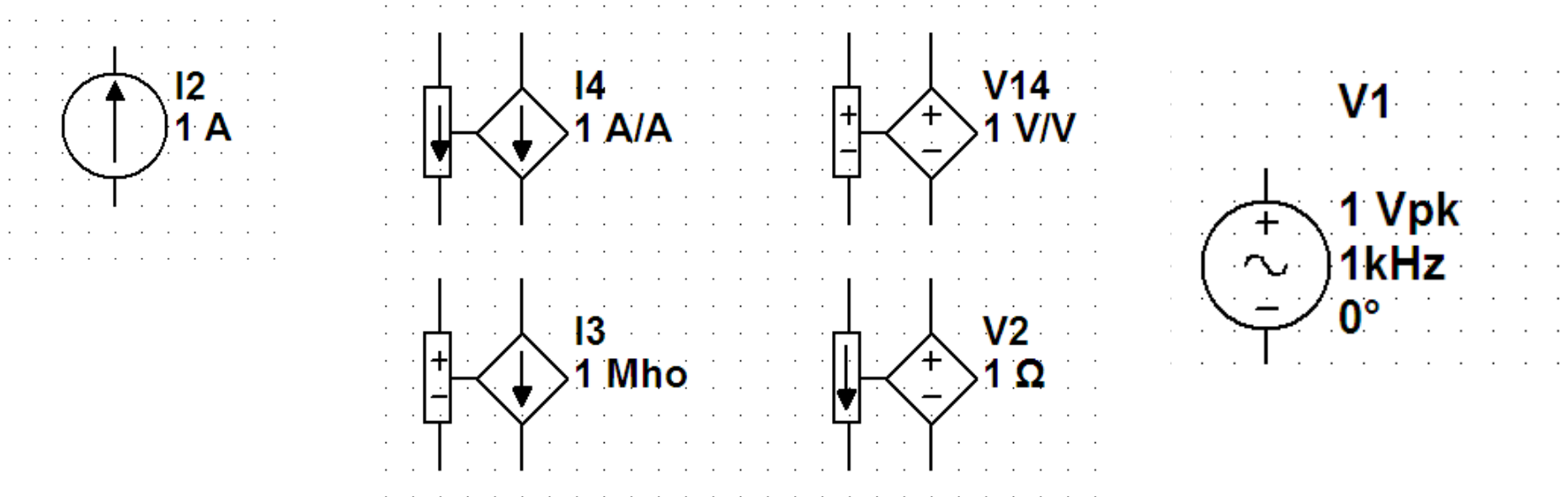


Simulation – What is it?

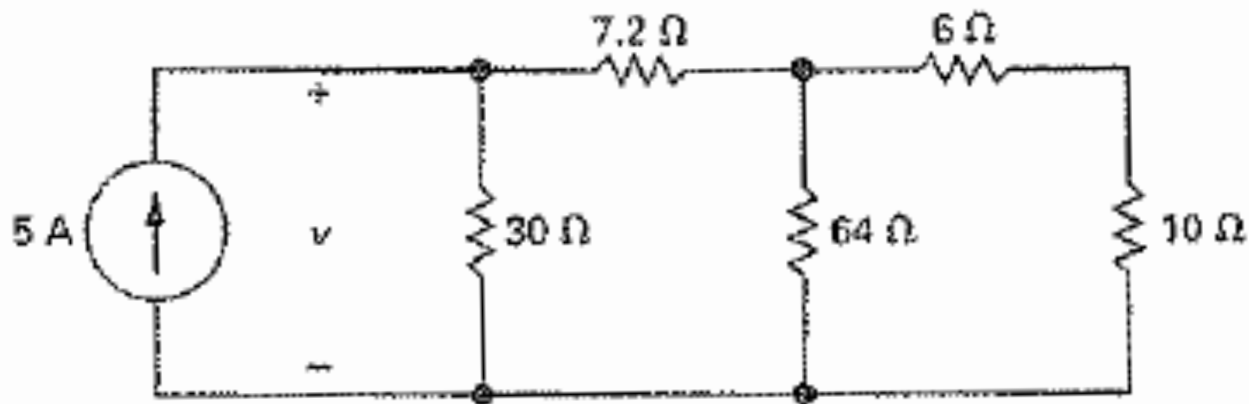
- Evaluating the specific performance of a complex system by numerical methods
 - MultiSim
 - SPICE
- Evaluating the average performance of a system with random variation (statistical methods)
 - Monte Carlo simulation

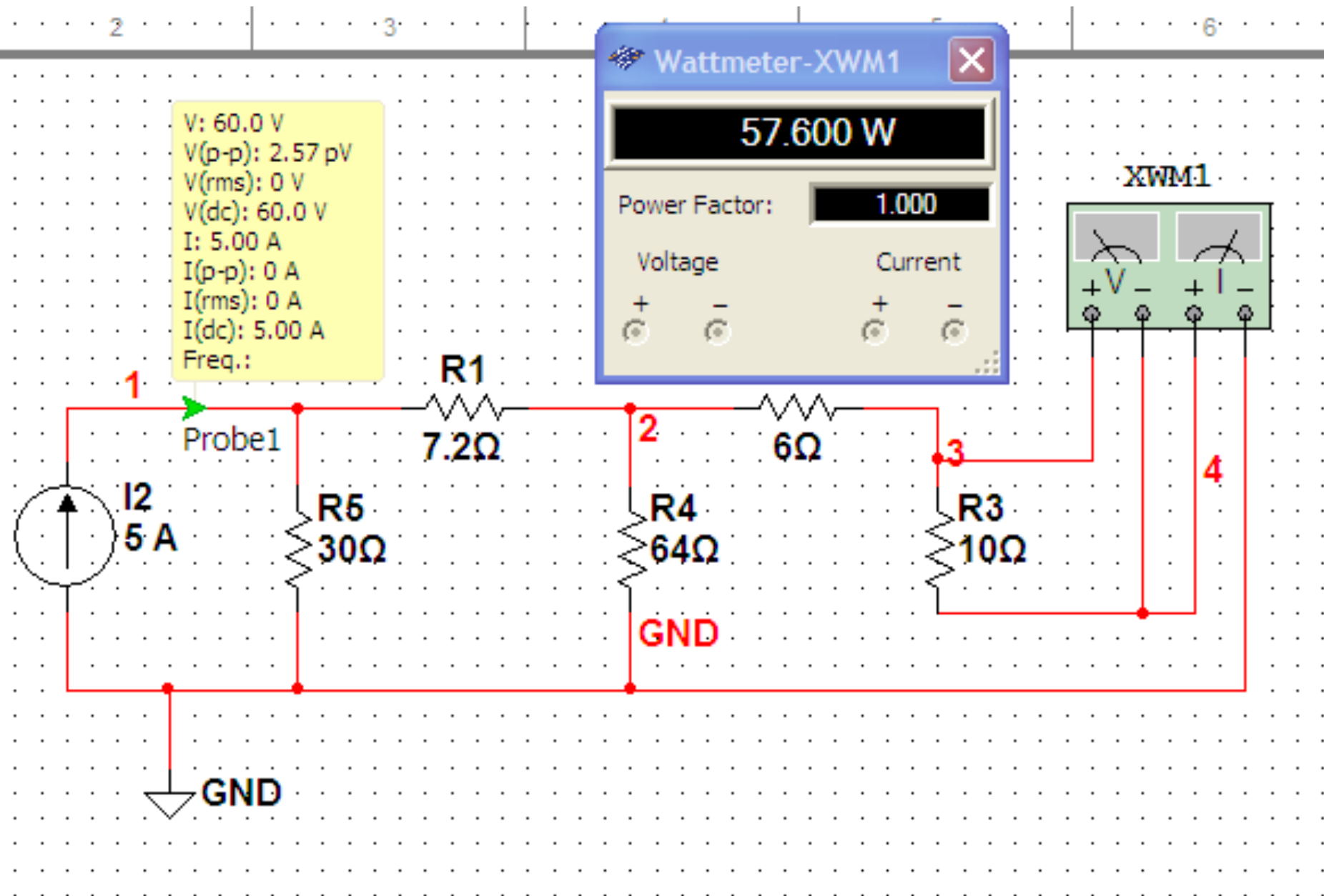
MultiSim

- Prior experience in ELE 202 (I think)
 - CMOS gates, power supplies, some devices (resistors, capacitors, LEDs), oscilloscopes
- For electronics, we add inductors, current sources, dependent sources, op amps, signal generator, meters, ...



- DC example #1 – for the circuit shown, find
 - (a) the voltage marked v ,
 - (b) the power dissipated by the $10\ \Omega$ resistor.





Monte Carlo Simulation

- In real circuits there is variation in component parameters
 - $\pm 5\%$ variation in resistances
 - $\pm 20\%$ variation in capacitors
- We can use Monte Carlo methods to evaluate how this variation impacts performance:
 - Randomly select component values
 - Analyze circuit – e.g. solve simultaneous equations
 - Repeat – e.g. use loops
 - Compute mean and standard deviation, perhaps plot a histogram

Random Numbers in MatLab

- Generate random numbers
 - Integers uniformly selected from $\{1,2,\dots,n\}$

`randi(n,r,c)`

- Values uniformly distributed on $[0,1]$

`rand(r,c)`

- Example of a random $500\ \Omega$, $\pm 5\%$ resistor

`500 * (1 + 0.05*(2*rand(1) - 1));`

Statistical Tools

- Mean – a measure of the center of the data; in MatLab

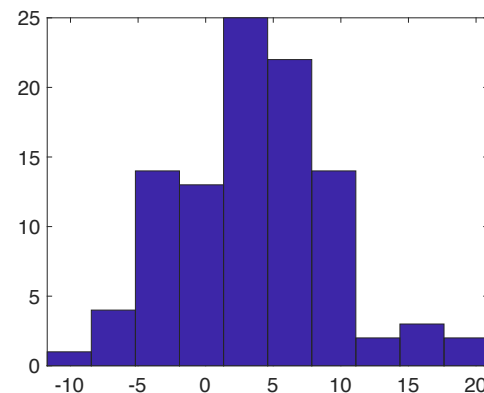
`mean(X)`

- Standard deviation – a measure of how the data spreads about the mean

`std(X)`

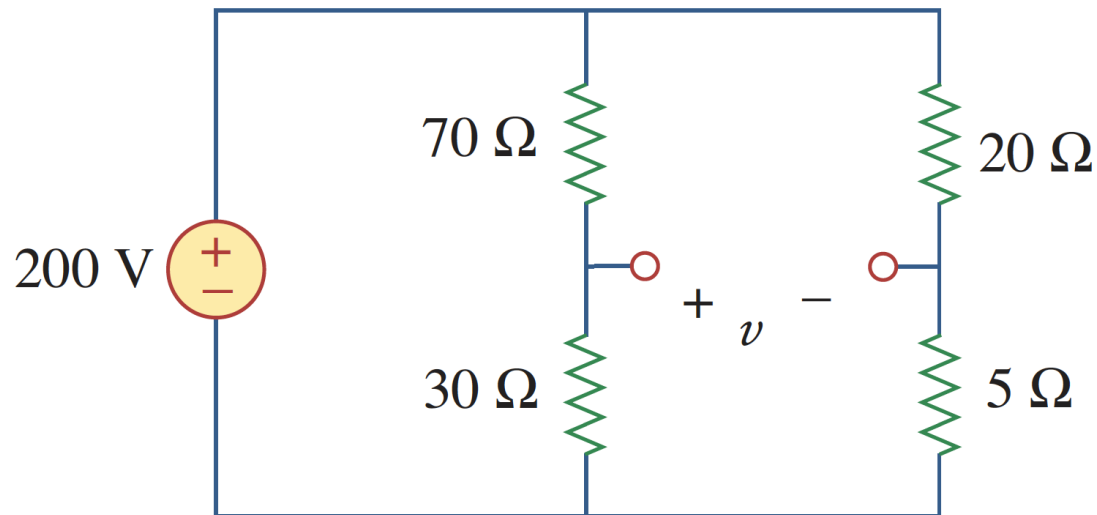
- Histogram – a picture of the data, counted in ranges

`hist(X)`



Example:

- Allowing all the resistors in this circuit to have a $\pm 5\%$ tolerance, how does the voltage v vary?
 - Analysis method: use voltage division to find v



- Solution – 1000 trials:

```
for k = 1:1000
```

```
    R1 = 70*( 1 + 0.05*( 2*rand(1)-1 ));
```

```
    R2 = 30*( 1 + 0.05*( 2*rand(1)-1 ));
```

```
    R3 = 20*( 1 + 0.05*( 2*rand(1)-1 ));
```

```
    R4 = 50*( 1 + 0.05*( 2*rand(1)-1 ));
```

```
    vp = 200* R2/(R1+R2);
```

```
    vn = 200* R4/(R3+R4);
```

```
    v(k) = vp-vn;
```

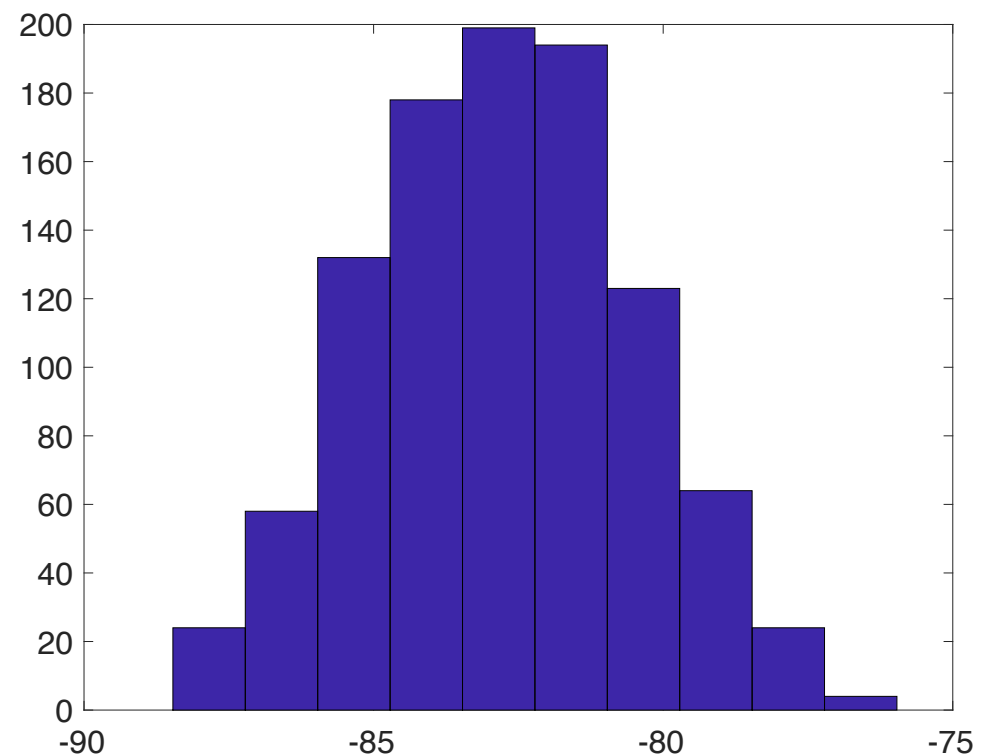
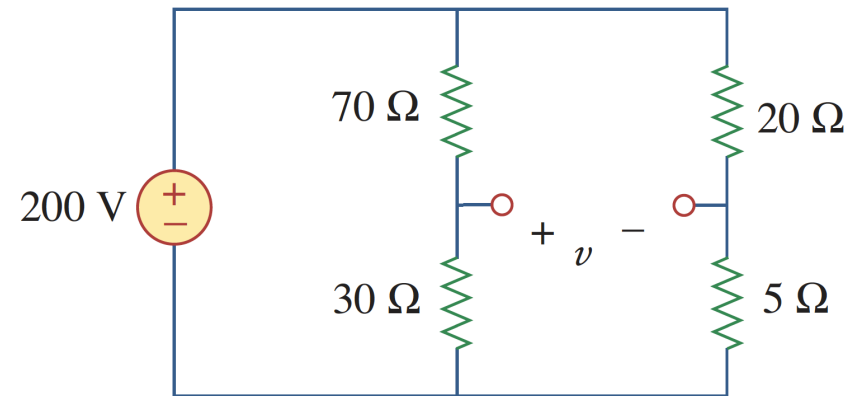
```
end
```

```
mean(v)
```

```
std(v)
```

```
hist(v)
```

```
ans =  
    -8.2810e+01  
ans =  
    2.2881e+00
```



Specifics for next week

- Continue work on Exercise 1 (programming)
- Exercise 2 (solving linear equations) due on Monday
- Lab 3 – 50 points (individual)
 - Instructions posted on ELE 215 website
 - Summary sheets available in lab rooms and on website
 - Due by 5 PM Wednesday Mar 4
- Exercise 3 – 75 points (individual) – circuit simulation in MatLab – instructions and initial value submission online, Brighspace submission of simulation results – due by 9 AM Monday Mar 23