

ELE 215 – Exercise 1 – MatLab Programming

Objectives

- To review MatLab, writing a program to solve any one of three given problems.

Notes

- Each student works independently on this assignment; if you have questions, ask me and not your classmates or the lab TAs. Plagiarism will be punished. Note that I am very willing to answer questions, but will not debug your code.

Procedure

1. Choose a problem and develop your code:

- a) Below are descriptions for 3 different programming tasks: “Resistor Network”, “Particle Movement,” and “Spiral Matrix Construction.” You are to choose one.
- b) Whichever you choose, you are to write a single MatLab function to solve the problem; I have provided simple dummy functions (for the HW ID 999) on the website for each problem; use this as a template for your solutions. Keep the filename the same, just replacing the 3 digits of the HW ID with your own final 3 digits.
- c) I will test your function on 5 different sets of inputs to establish that it performs correctly; the scoring will be 15 points per trial for the total of 75 points.
- d) Beyond defining the output variable(s) requested, your function should not print anything to the command window. In fact, I will penalize extra outputs. Also, it must perform as a MatLab function as that is how I will test it.

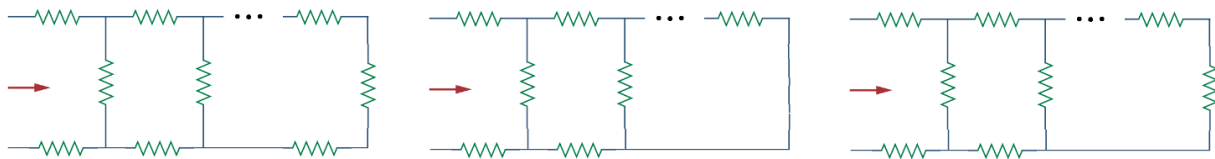
2. Submission:

- a) Check your result extensively before submitting !! Programs that do not perform as a function or abort during running will receive a score of 0.
- b) Submit your program (as a .m file) by uploading it to the ELE 215 Brightspace site
- c) The program is due by 9 AM on April 6, quite a while from now to give you a chance to revisit your EGR 106 material is needed.
- d) Late submissions will not be accepted.

Resistor Network

Your function will get as its single input a vector of positive numbers which is to be interpreted as resistor values; the goal of the function is to compute the equivalent resistance of a circuit containing those resistors.

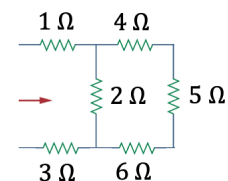
The specific circuit is one of 3 forms depending upon the number of resistors:



In the first (left) of these figures the number of resistors is a perfect multiple of 3; in the second (middle) it is one more than a multiple of 3; and in the third (right) it is 2 more than a multiple of 3. The equivalent resistance is to be computed for the two terminals on the left (the red arrow).

Assumptions:

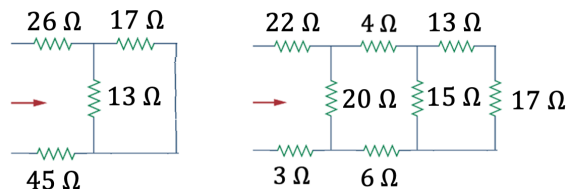
- The number of resistors is unspecified, but larger than 3
- The list of resistors fills the reversed the circuit in reversed C patterns from left to right. To explain this, consider the input vector [1 2 3 4 5 6]. Then the circuit would be as shown to the right.
- The resistor values will NOT be in order, 1, 2, etc.; that is purely for demonstration of the ordering



Some simple examples: for the circuit above series and parallel combining results in $\frac{98}{17} = 5.7647 \Omega$; hence, running your function should results with

```
>> resistor_999([1 2 3 4 5 6])
ans =
    5.7647e+00
```

More realistically for 4 or 8 resistors:



```
>> resistor_999([ 26, 13, 45, 17 ])
ans =
    7.8367e+01
>> resistor_999([ 22, 20, 3, 4, 15, 6, 13, 17 ])
ans =
    35
```

Particle Movement

Your function will get as its single input a matrix of positive numbers which is to be interpreted to describe movements of a particle on the (x, y) plane; the goal of the function is to compute the ending position of the particle.

Assumptions:

- The size of the input matrix is unknown but at least 2-by-2 (and it might not be square)
- The important entries may be positive or negative; zeros are to be ignored
- The individual entries, read left to right and top to bottom, described in an alternating fashion the movements in x and y
- The particle starts at the origin, $(x, y) = (0, 0)$
- The first movement is in the x direction
- Zero entries do not result in a change or direction (in other words, we never have 2 movements in either direction in a row)

As a first example if the given matrix is $\begin{bmatrix} 1 & 4 & 0 & -2 \\ 1 & 0 & 3 & 0 \end{bmatrix}$ then the particle's movement is

$(0,0) \rightarrow (1,0) \rightarrow (1,4) \rightarrow (-1,4) \rightarrow (-1,5) \rightarrow (2,5)$
"1 in x" "4 in y" "- 2 in x" "1 in y" 3 in x

in which the zeros are skipped. The final result is $(x, y) = (2.5)$ and running your function I should see

```
>> [x,y] = particle_999([1,4,0,-2;1,0,3,0])
x =
    2
y =
    5
```

And a second example for matrix $s \begin{bmatrix} 1 & 3 & 3 \\ 4 & 0 & 5 \\ 6 & 7 & 8 \end{bmatrix}$ we should see

```
>> [x,y] = particle_999([1,2,3;4,0,5;6,7,8])
x =
   16
y =
   20
```

Spiral Matrix Construction

Your function will get as its single input a vector of integers; the goal of the function is to construct a square spiral matrix (defined below) using as many of the values as possible.

Define a square spiral matrix as a matrix in which we enter the values in a clockwise spiral fashion starting at the top left. For example, for 9 entries in our input vector x_1, x_2, \dots, x_9 then the matrix would be

$$\begin{bmatrix} x_1 & x_2 & x_3 \\ x_8 & x_9 & x_4 \\ x_7 & x_6 & x_5 \end{bmatrix}$$

Clearly the number of elements in such a matrix is a perfect square.

Assumptions:

- The size of the input vector is unknown but has at least one element
- If the number of elements in the input vector is NOT a perfect square, the function should also output a vector of the unused elements; if the number is a perfect square, this second output should be the empty vector

Some simple examples: for the 10 elements [1 2 3 4 5 6 7 8 9 10] then the output should be a 3-by-3 matrix and a scalar remainder:

```
>> [mat,rem] = spiral_999( [ 1 2 3 4 5 6 7 8 9 10 ] )
mat =
     1     2     3
     8     9     4
     7     6     5
rem =
    10
```

Another example:

```
>> [mat,rem] = spiral_999( [ 1 3 5 67 40 12 2 1 0 0 10 20 30 22 -4 9 9 7 9 ] )
mat =
     1     3     5    67
    10    20    30    40
     0    -4    22    12
     0     0     1     2
rem =
     9     9     7     9
```