

Name:..... ID:.....

1. A company wants to purchase large, medium, and small delivery trucks. The company wants to purchase about 10 large, 5 medium, and 15 small trucks. Each large truck costs \$30,000 and has a 10-ton capacity. Each medium truck costs \$20,000 and has a 6-ton capacity. Each small truck costs \$12,000 and has a 4-ton capacity. The company wants to have about 200 tons of capacity and spend about \$600,000.

**1.1** Formulate a goal programming model of this problem.

Objective function: (Not MiniMax Q)

Subject to:

**1.2** Formulate a goal programming model of this problem. (9 points)

Objective function: (Using MiniMax Q)

Subject to:

Name:..... ID:.....

- 2. Multiple Objectives Linear Programming.** A university hospital dietary staff is required to satisfy the minimum nutritional needs of the patients while minimizing total food costs. Each food can consist of a combination of five ingredients as presented in the table below. For nutritional needs, each food must contain at least 38 units of vitamin C and 44 units of vitamin D. Not more than 50 units of all ingredients may be used in a food. The three objective functions are

$$f_1 = \text{Minimize cost}$$

$$f_2 = \text{Maximize food taste}$$

$$f_3 = \text{Maximize food nutrition}$$

The problem is to decide the best combination of ingredients ( $X_i$ ) to optimize the three objectives.

	Ingredient 1 ( $X_1$ )	Ingredient 2 ( $X_2$ )	Ingredient 3 ( $X_3$ )	Ingredient 4 ( $X_4$ )	Ingredient 5 ( $X_5$ )	Required
Vitamin C	4	1	2	1	2	At least 38
Vitamin D	2	2	3	0.5	1	At least 44
Ingredients	1	1	1	1	1	Not more than 50
Cost/unit	0.3	0.15	0.2	1	0.1	
Taste/unit	1	2	1	10	1	
Nutrition/unit	15	2	1	1	2	

Problem	Decision Variables					Objective functions		
	$X_1$	$X_2$	$X_3$	$X_4$	$X_5$	$f_1$	$f_2$	$f_3$
Minimize $f_1$	0	0	12.5	0	6.5	\$3.15	19	25.5
Maximize $f_2$	0	0	7.6	42.4	0	\$43.92	431.6	50
Maximize $f_3$	50	0	0	0	0	\$15.00	50	750

Write MOLP model