#### **ROLLING**

BULK DEFORMATION **FORGING** 

**EXTRUSION** 

WIRE & BAR DRAWING

**BENDING** 

DEEP OR CUP DRAWING

**SHEARING** 

MISCELLANEOUS

SHEET METAL WORKING

#### BULK DEFORMATION PROCESSES

- Bulk deformation processes are those where the thicknesses or cross sections are reduced or shapes are significantly changed.
- Since the volume of the material remains constant, changes in one dimension require proportionate changes in others.
- Thus the enveloping surface area changes significantly, usually increasing as the product lengthens or the shape becomes more complex.

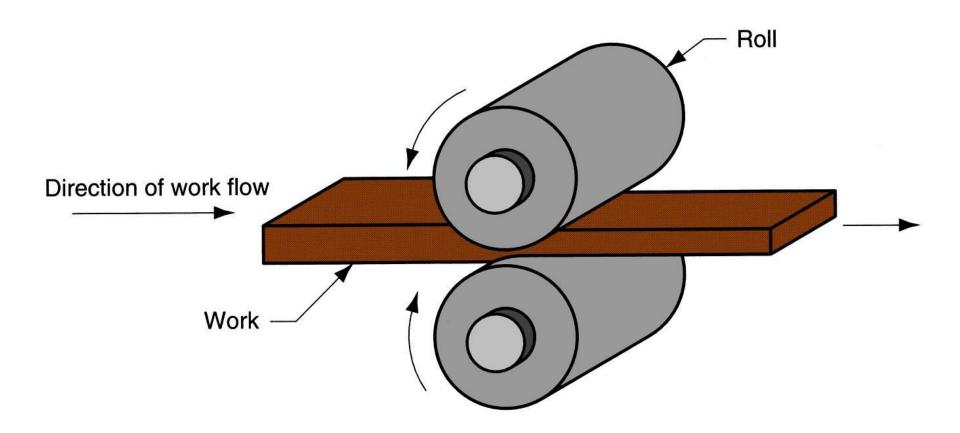
#### BULK DEFORMATION PROCESSES

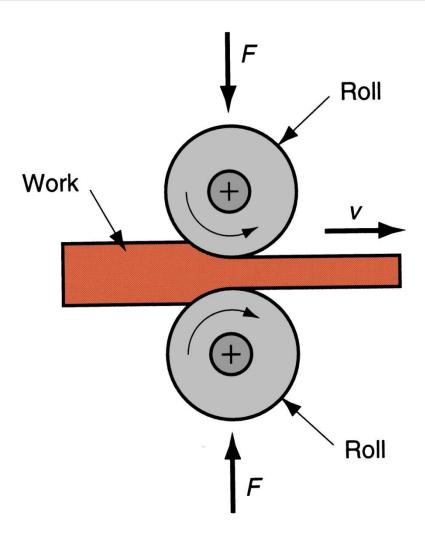
- Starting geometry of the raw material may be:
  - cylindrical bars and billets
  - rectangular billets and slabs
  - or any of the above similar shapes





- Rolling is a deformation process in which the thickness of the work is reduced by compressive forces exerted by two opposing rolls.
- Rolling operations reduce the thickness or change the cross section of a material through compressive forces exerted by rolls.





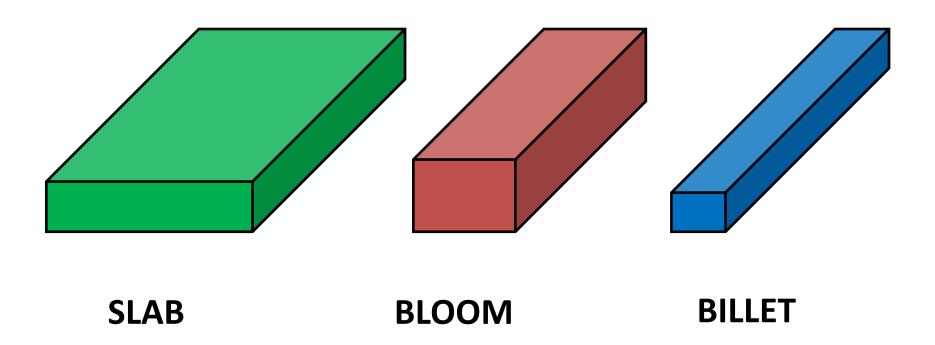
- Rotating rolls perform two main functions:
  - Pull the work into the gap between them by friction between workpart and rolls
  - Simultaneously squeeze the work to reduce its cross section

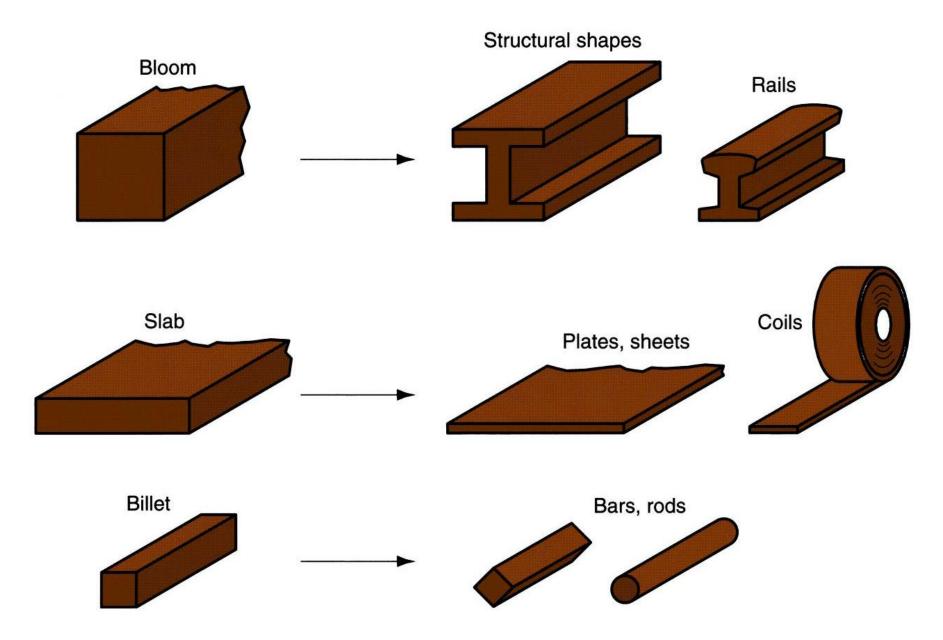
- Most rolling processes are very capital intensive, requiring massive pieces of equipment, called rolling mills, to perform them.
- Most rolling is carried out by hot working, called hot rolling, owing to the large amount of deformation required.
- Hot-rolled metal is generally free of residual stresses, and its properties are isotropic.
- Disadvantages of hot rolling are that the product cannot be held to close tolerances, and the surface has a characteristic oxide scale.

- Rolling is often the first process that is used to convert material into a finished wrought product (Products such as; sheet, rod, bar, tube, plate and wire that are produced by rolling and extrusion mills as well as forging).
- Thick starting stock can be rolled into blooms, billets, or slabs, or these shapes can be obtained directly from continuous casting.

- A slab is a rectangular solid where the width is greater than twice the thickness (25cm x 4 cm or more). Or 50 150mm thick and width ½ to 1.5 meters
- Slabs can be further rolled to produce plate, sheet, and strip.
- A bloom has a square or rectangular cross section, with a thickness greater than 15 cm and a width no greater than twice the thickness. (150 –300mm.)

- A billet is usually smaller than a bloom and has a square or circular cross section (4cm x 4 cm or more).
- Billets are usually produced by some form of deformation process, such as rolling or extrusion.
- Plates have thickness greater than 6 mm while sheet and strip range from 6 mm to 0.1 mm.

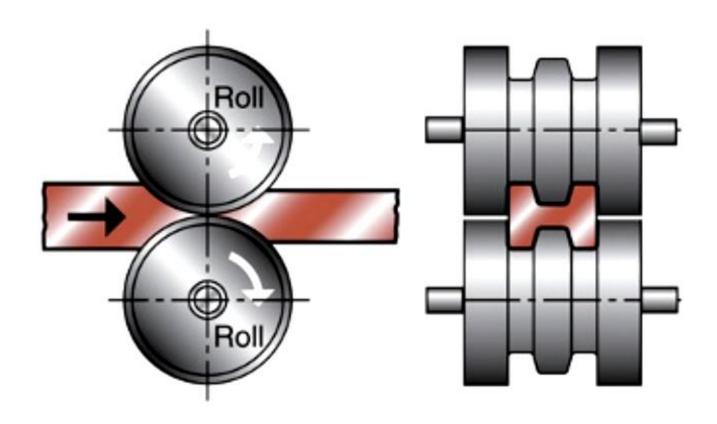




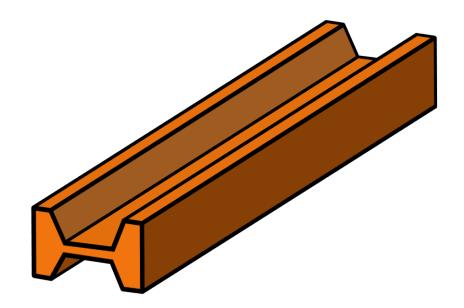
#### (1.1) SHAPE ROLLING

- In shape rolling, the work is deformed into a contoured cross section.
- Products made by shape rolling include construction shapes such as *I-beams*, *L-beams*, and *U-channels*; rails for railroad tracks; and round and square bars and rods.
- The process is accomplished by passing the work through rolls that have the reverse of the desired shape.

# (1.1) SHAPE ROLLING



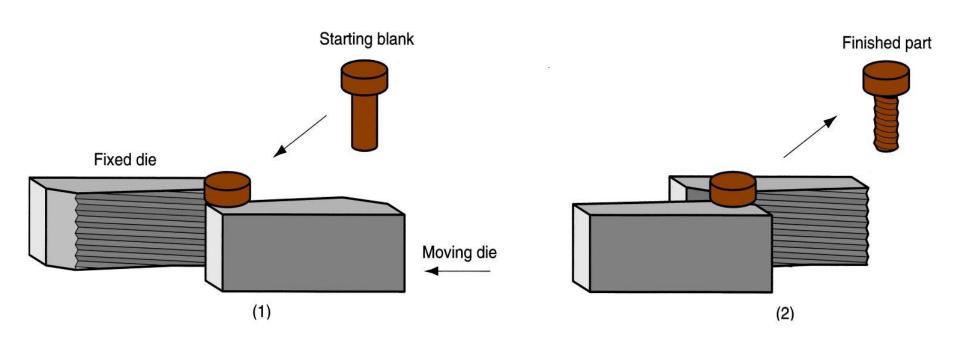
# (1.1) SHAPE ROLLING



### (1.2) Thread Rolling

- Bulk deformation process used to form threads on cylindrical parts by rolling them between two dies
- Important commercial process for mass producing bolts and screws
- Performed by cold working in thread rolling machines
- Advantages over thread cutting (machining):
  - Higher production rates
  - Better material utilization
  - Stronger threads and better fatigue resistance due to work hardening

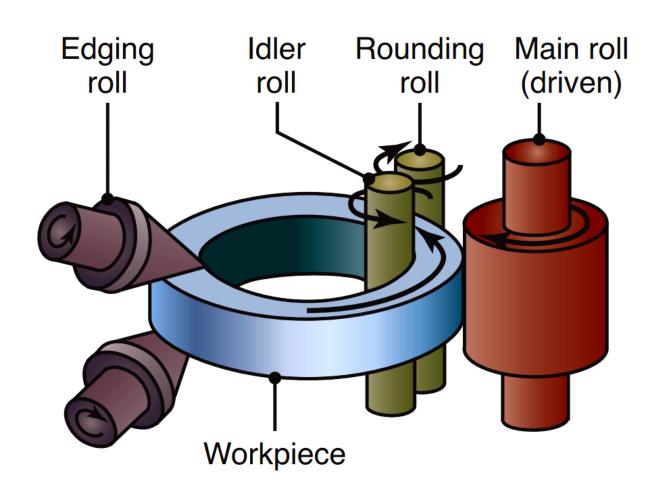
# (1.2) Thread Rolling



### (1.3) Ring Rolling

- Ring rolling is a deformation process in which a thick-walled ring of smaller diameter is rolled into a thin-walled ring of larger diameter.
- As the thick-walled ring is compressed, the deformed material elongates, causing the diameter of the ring to be enlarged.
- Ring rolling is usually performed as a hot-working process for large rings and as a cold-working process for smaller rings.

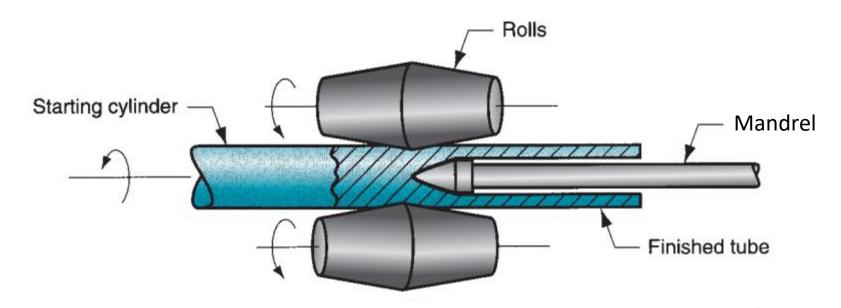
#### (1.3) Ring Rolling



Reducing the ring thickness results in an increase in its diameter.

### (1.4) Roll Piercing

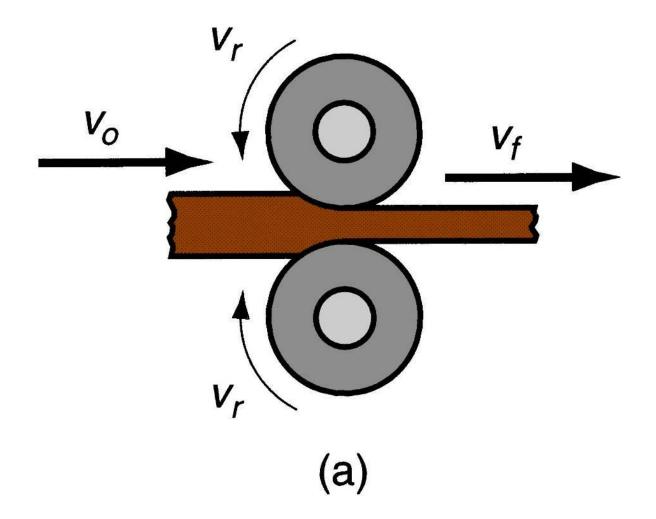
- Roll Piercing is a specialized hot working process for making seamless thick-walled tubes.
- It utilizes two opposing rolls, and hence it is grouped with the rolling processes.



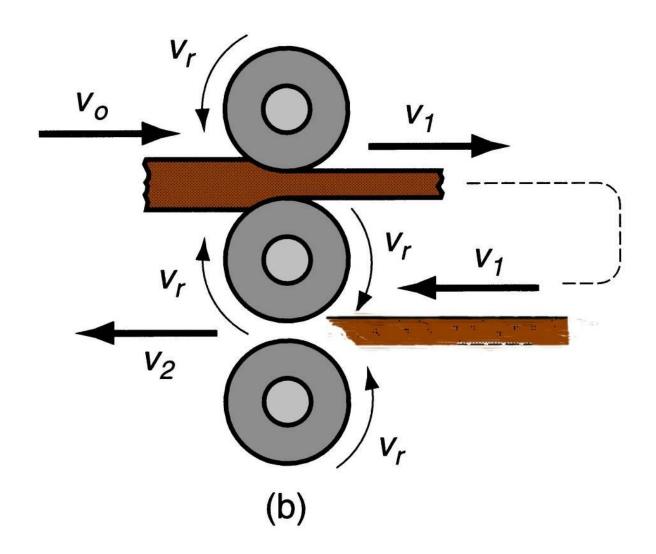
#### (1) ROLLING MILLS CONFIGURATIONS

- Various rolling mill configurations are available to deal with the variety of applications and technical problems in the rolling process.
  - Two-high two opposing rolls
  - Three-high work passes through rolls in both directions
  - Four-high backing rolls support smaller work rolls
  - Cluster mill multiple backing rolls on smaller rolls
  - Tandem rolling mill sequence of two-high mills

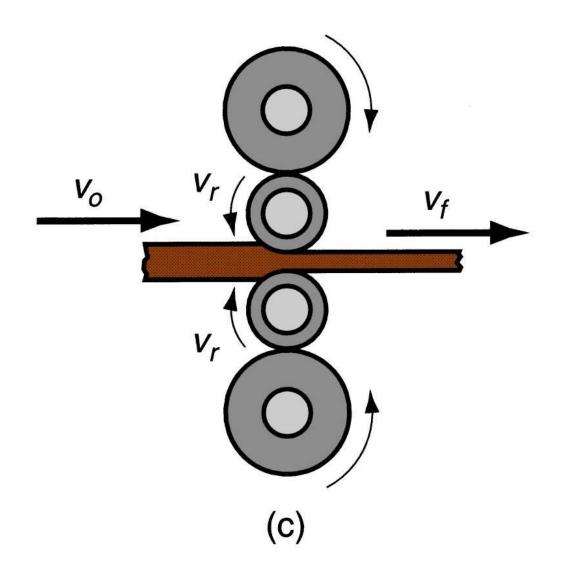
### (1.a) Two-High Rolling Mill



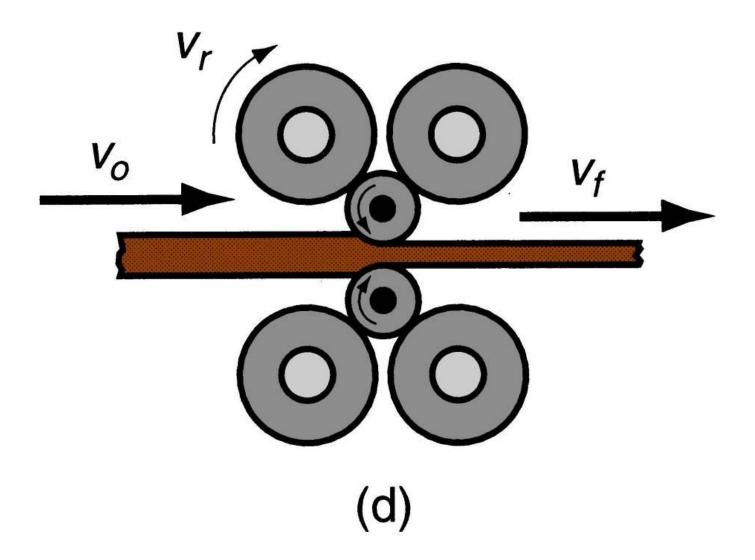
### (1.b) Three-High Rolling Mill



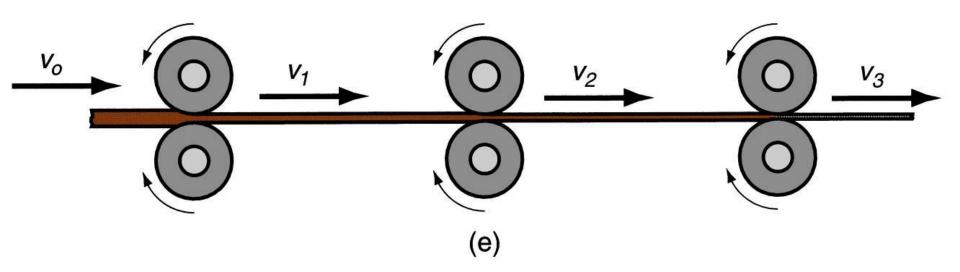
### (1.c) Four-High Rolling Mill



# (1.d) Cluster Mill



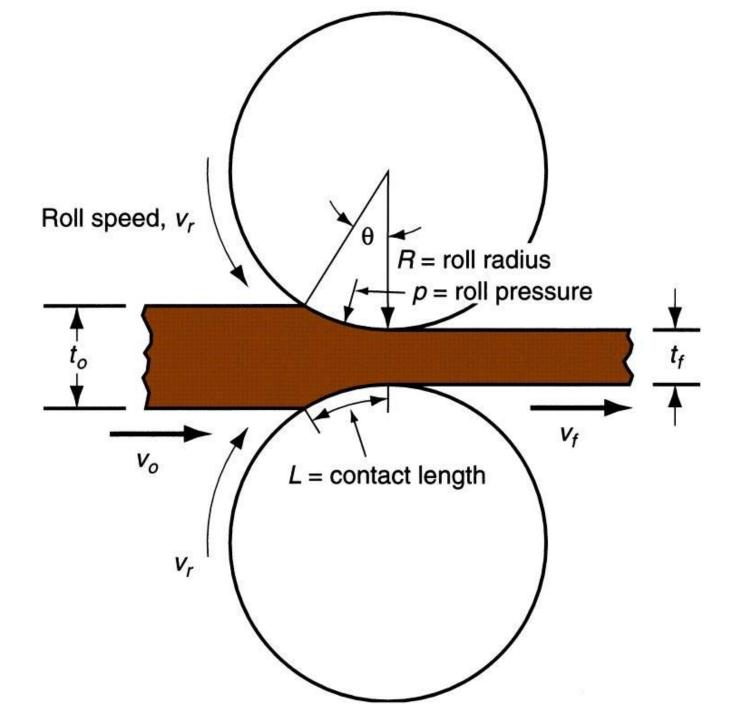
## (1.e) Tandem Rolling Mill



 In flat rolling, the work is squeezed between two rolls so that its thickness is reduced by an amount called the *DRAFT*:

$$d = t_o - t_f \tag{1}$$

d = draft, mm  $t_o = \text{starting thickness, mm}$  $t_f = \text{final thickness, mm}$ 



 Conservation of matter is preserved, so the volume of metal exiting the rolls equals the volume entering

$$t_o w_o L_o = t_f w_f L_f \tag{2}$$

 $w_o$  and  $w_f$  are the before and after work widths, mm

 $L_o$  and  $L_f$  are the before and after work lengths, mm

 Similarly, before and after volume rates of material flow must be the same, so the before and after velocities can be related

$$t_o w_o v_o = t_f w_f v_f \tag{3}$$

 $v_o$  and  $v_f$  are the entering and exiting velocities of the work.

- The rolls contact the work along an arc defined by the angle  $\theta$ .
- Each roll has radius R, and its rotational speed gives it a surface velocity  $V_r$ .
- This velocity is greater than the entering speed of the work  $\mathbf{v}_o$  and less than its exiting speed  $\mathbf{v}_f$ .
- Since the metal flow is continuous, there is a gradual change in velocity of the work between the rolls.

- However, there is one point along the arc where work velocity equals roll velocity.
- This is called the no-slip point, also known as the neutral point.
- On either side of this point, slipping and friction occur between roll and work.

 The amount of *slip* between the rolls and the work can be measured by means of the *FORWARD SLIP*, a term used in rolling that is defined as

$$S = \frac{v_f - v_r}{v_r} \tag{4}$$

 $v_f$  = final (exiting) work velocity, m/s  $v_r$  = roll speed, m/s

 There is a limit to the maximum possible draft that can be accomplished in flat rolling with a given coefficient of friction, defined by:

$$d_{max} = \mu^2 R \tag{5}$$

 $d_{max}$  = maximum draft, mm  $\mu$  = coefficient of friction R = roll radius mm

 The roll force F required to maintain separation between the two rolls is given by:

$$F = \sigma w L$$

(6)

 $\sigma$  = average flow stress, N/mm<sup>2</sup>

w L = roll-work contact area, mm<sup>2</sup>

Contact length can be approximated by

$$L = \sqrt{R(t_o - t_f)} \tag{7}$$

Torque for each roll is

$$T = 0.5 \, FL$$

(8)

The power required to drive each roll is

$$P = 2\pi NT$$

(9)

 A 40 mm thick plate is to be reduced to 30 mm in one pass in a rolling operation. *Entrance speed =* 16 m/min. Roll radius = 300 mm, and rotational speed =  $18.5 \, m/min$ . Determine: (a) minimum required coefficient of friction that would make this rolling operation possible, (b) exit velocity under the assumption that the plate widens by 2% during the operation, and (c) forward slip.

- $t_o = 40 \, mm$
- $t_f = 30 mm$ .
- $v_o = 16 \text{ m/min}$ .
- R = 300 mm
- rotational speed = 18.5 m/min.
- plate widens by 2% during the operation

(a) Maximum draft 
$$d_{max} = \mu^2 R$$
 (5)  
Given that  $d = t_o - t_f = 40 - 30 = 10$  mm,  
 $\mu^2 = 10/300 = 0.0333$   
 $\mu = (0.0333)^{0.5} = \mathbf{0.1826}$ 

(b) Plate widens by 2%.

$$t_o w_o v_o = t_f w_f v_f$$
 (3)  
 $w_f = 1.02 w_o$   
 $40(w_o)(16) = 30(1.02w_o)v_f$   
 $v_f = 40(w_o)(16)/30(1.02w_o)$   
 $= 640/30.6 = 20.915 \text{ m/min}$ 

(c) 
$$s = (v_f - v_r)/v_r$$
 (4)  
=  $(20.915 - 18.5)/18.5 = 0.13$ 

 A 2.0 in thick slab is 10.0 in wide and 12.0 ft long. Thickness is to be reduced in three steps in a hot rolling operation. *Each step* will reduce the slab to 25% of its previous thickness. It is expected that for this metal and reduction, the slab will widen by 3% in each step. If the entry speed of the slab in the first step is 40 ft/min, and roll speed is the same for the three steps, determine: (a) length and (b) exit velocity of the slab after the final reduction.

- $t_o = 2 in$
- $w_o = 10 in$ .
- $L_o = 12 ft$ .
- Each step will reduce the slab to 25% of its previous thickness
- widen by 3% in each step
- $v_o = 40$  ft/min (same for the three steps)

(a) After three passes,

$$t_f = (0.75)(0.75)(0.75)(2.0)$$

= 0.844 in.

$$w_f = (1.03)(1.03)(1.03)(10.0)$$

= 10.927 in.

$$t_o w_o L_o = t_f w_f L_f$$

(2)

$$(2.0)(10.0)(12 \times 12) = (0.844)(10.927)L_f$$

$$L_f = 312.3 \text{ in.} = 26.025 \text{ ft}$$

(b) Given that entry speed is the same at all three steps

$$t_o w_o v_o = t_f w_f v_f \tag{3}$$

Step 1

$$v_f = (2.0)(10.0)(40)/(0.75 \text{ x } 2.0)(1.03 \text{ x } 10.0)$$
  
 $v_f = 51.78 \text{ ft/min.}$ 

# Step 2

$$v_f = (0.75 \text{ x } 2.0)(1.03 \text{ x } 10.0)(40)/(0.75^2 \text{ x } 2.0)(1.03^2 \text{ x } 10.0)$$

$$v_f = 51.78 \text{ ft/min.}$$

Step 3

$$v_f = (0.75^2 \text{ x } 2.0)(1.03^2 \text{ x } 10.0)(40)/(0.75^3 \text{ x } 2.0)(1.03^3 \text{ x } 10.0)$$

$$v_f = 51.78 \text{ ft/min.}$$

 A series of cold rolling operations are to be used to reduce the thickness of a plate from 50 mm down to 25 mm in a reversing two-high mill. Roll diameter = 700 mm and coefficient of friction between rolls and work = 0.15. The specification is that the draft is to be equal on each pass. Determine: (a) minimum number of passes required, and (b) draft for each pass?

- $t_o = 50 \, mm$
- $t_f = 25 mm$ .
- R = 700/2 mm = 350 mm
- $\mu = 0.15$
- draft is to be equal on each pass.

(a) Maximum draft 
$$d_{max} = \mu^2 R$$

$$= (0.15)^2 (350) = 7.875 \text{ mm}$$

Minimum number of passes =  $(t_o - t_f)/d_{max}$ 

$$= (50 - 25)/7.875 = 3.17 \rightarrow 4 \text{ passes}$$

(b) Draft per pass d = (50 - 25)/4 = 6.25 mm