

COMP 6481 – Programming and Problem Solving

Design

For the assignment, two data structures are implemented. A sorted doubly linked list is used if the range is less than the threshold. The definition of insertion operation keeps the list in order in the list. Once the input size exceeds the threshold value, an AVL Tree is used as it takes comparatively less time to perform operations.

Time complexity and space complexity of different methods:

i) *SetSIDCThreshold (Size):*

This method takes $O(1)$ time as it is the threshold value which will be set only once.

ii) *generate():*

This method takes $O(n)$ time to generate any random 8 digit number for list and $O(\log n)$ for AVL tree.

iii) *allKeys(CleverSIDC):*

For a doubly linked list, this method takes $O(n)$ time to return all the keys as it needs to traverse and go over each and every node of the linked list and get the key from each one of them. And for the AVL Trees, this method also takes $O(n)$ time to return all the keys of the tree as all the nodes of the tree will be visited once.

iv) *add(CleverSIDC, key, value):*

For the doubly linked list, the add method will take $O(n)$ time as in order to add a new node in a sorted doubly linked list, in the worst case it needs to traverse the whole list and compare with the new node to add at end. For the AVL tree, the add method will take $O(\log n)$ time as by comparing the root it can be decided in which direction to traverse and add the element.

v) *remove(CleverSIDC, key):*

For the doubly linked list, the remove method will take $O(n)$ time as in order to remove a node from a sorted doubly linked list, in the worst case it needs to traverse the whole list and compare with node data to remove from the list. For the AVL tree, the remove method will take $O(\log n)$ time as by comparing the root it can be decided in which direction to traverse and remove the element.

vi) *getValues(CleverSIDC, key):*

For the doubly linked list, to get all the values from every node we need to go to each and every element. In other way, we need to traverse the whole list. So, to obtain all the values of the list the time complexity will be $O(n)$. For the AVL tree also we need to visit each and every node to get their value so the time complexity will be $O(n)$.

vii) *nextKey(CleverSIDC, key):*

In doubly linked list, in the worst case to get the next key of a node we need to traverse till end. So, the time complexity will be $O(n)$. And for the AVL tree we can just divide and decide in which direction to traverse until the node is found. So, the time complexity will be $O(\log n)$.

viii) *prevKey(CleverSIDC, key):*

In doubly linked list, in the worst case to get the previous key of a node we need to traverse till end. So, the time complexity will be $O(n)$. And for the AVL tree we can just divide and decide in which direction to traverse until the node is found. So, the time complexity will be $O(\log n)$.

ix) *rangeKey(key1, key2):*

For doubly linked list, we need to first traverse till the key 1 and then traverse till the key 2 is found. So, in the worst case we can have to traverse the whole linked list. Hence, the time complexity will be $O(n)$. And for the AVL tree, the time complexity will be $O(\log n)$.

Psuedo Code

1) METHOD SetSIDCThreshold (size)

```

    SET SIZE = size
    IF(curentSize < SIZE)
        IF CURRENT_LIST is AVL_TREE
            Convert_To_Doubly_Linked_List()
        END_IF
    ELSE
        IF CURRENT_LIST is DOUBLY_LINKED_LIST
            Convert_To_AVL()
        END_IF
    END_IF
END

```

2)

METHOD PRINT_INORDER(Node n)

```

    IF(n IS NOT NULL)
        PRINT_INORDER(n.left)
        Print_Data(n);
        PRINT_INORDER(n.right)
    END
END

```

METHOD PRINT_LIST

```

    Node temp = Head

    While(temp not null)
        Print(temp);
        Temp = temp.next
    End_While

END

```

```

METHOD all_keys()
  // Avl Trees
  PRINT_INORDER(this.head);

```

```

  //Doubly Linked List

```

```

END

```

3) METHOD prevKey(key)

```

  // Avl Trees
  Int[] arr = getItemsInOrder();
  Int index = findIndexInArr(arr);

  IF(index == 0)
    Print("The Key is First Key")
  Else If(index == -1)
    Print("The Key doesn't exist")
  Else
    Print(arr[index-1])

```

```

  // Doubly Linked List
  Node temp = findNode(key);
  If(temp == null)
    Print("The Key doesn't exist")
  ELSE
    If(temp.prev is Null)
      Print("The Key is First Key")
    Else
      Print(temp.next)
  End_If
END

```

4) METHOD nextKey(nextKey)

```

  // Avl Trees
  Int[] arr = getItemsInOrder();
  Int index = findIndexInArr(arr);

  IF(index == arr.length - 1)
    Print("The Key is Last Key")
  Else If(index == -1)

```

```
        Print("The Key doesn't exist")
Else
    Print(arr[index+1])

// Doubly Linked List
Node temp = findNode(key);
If(temp == null)
    Print("The Key doesn't exist")
ELSE
    If(temp.next is Null)
        Print("The Key is Last Key")
    Else
        Print(temp.next)
End_If
END
```