

Ex-1

Implementation of toy problem

• Aim :

To implement toy problems and understand its working algorithms

1) Camel and Banana Puzzle:

Conditions :

A person wants to transfer bananas over to a destination. 'A' kms away. He initially has 'B' bananas and the camel can carry upto 'C' bananas at a time. If the camel consumes one banana for every kilometre travelled, what is the maximum no. of bananas that can reach the destination.

• input : A = ~~total distance (kms)~~

B = total bananas

C = Maximum bananas on a camel

Output : Maximum bananas that can be transported

2) Missionaries and Cannibals:

Conditions :

In this problem 3 missionaries and 3 cannibals must cross a river on a boat which can carry at most 2 people. The boat cannot cross the river by itself and the cannibals should never outnumber the missionaries.

Input : M = no. of missionaries.

C = no. of cannibals

B = maximum occupancy of the boat

Output : If there exists a solution, the steps should be illustrated

3) N puzzle problem

Conditions :

You are given a grid of ' $m \times m$ ' with ' $m \times m - 1$ ' tiles numbered 1 to ' $m \times m - 1$ '. The task is to exchange the randomly allotted numbers into a sorted order with the least no. of movements. We can slide the 4 adjacent sides of an empty tile into that tile. (left, right, above, below).

Input : ~~N~~ = size of grid (height)

Output : Arrays of $N \times N$ showing the movement at each step till the solution is produced cost and number of moves is printed.

4) Water Jug Problem

Conditions :

There exists an ' m ' liter jug and an ' n ' liter Jug ($m > n$). Both are originally empty and unshackled. You have to use the jugs to fill ' d ' liters in the smaller jug ($d < n$).

Operations :

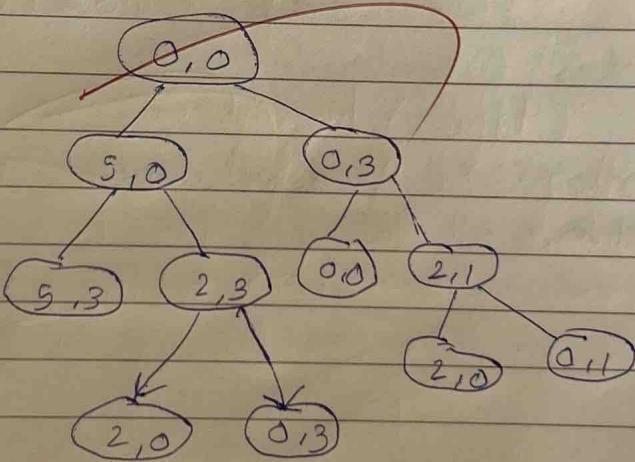
1. Empty a jug : $(x, 0) \rightarrow (0, 0)$
2. Fill a jug : $(0, 0) \rightarrow (x, 0)$
3. Pour water from one jug to another
 $(x, y) \rightarrow (x-d, y+d)$

- Input : x = capacity of jug 1 (litres)
 y = capacity of jug 2 (litres)
 z = amount to be filled in jug (litres)
- Output : steps to fill z litres in y .
 Eg : $x=4, y=3, z=2$ (input)
 output : $\{(0,0), (0,3), (3,0), (3,3), (4,2), (0,2)\}$

Algorithm :

State space graph :

$$x=4, y=3, z=2$$



Path Cost = 3

Program :-

```
#include <iostream>
```

```
#include <unordered_set>
```

using namespace std;

```
struct state {
```

```
    int x, y;
```

```
    bool operator == (const state& other)
```

```
    const {
```

```
        return x == other.x && y == other.y;
```

}

}

```
namespace std {
```

```
template <>
```

```
struct hash<state> {
```

```
    size_t operator () (const state& s)
```

```
    const {
```

```
        return hash<int>()(s.x) ^ hash
```

```
<int>()(s.y);
```

}

}

3

bool isGoalState (const state& state, int

target) {

```
    return state.x == target || state.y ==
```

target;

3

void pourWater (int x, int y, int target, visited
 current state, unordered set <state> & visited);

{ if (isGoalState (current state, target)) {
 cout << "target " << target << " reached "
 << current state - x << ". " << current state
 << "); endl;

{}

visited - insert (current state);
 // x to y

if (current state - x > 0) {

int pourAmount = min (current state - x,
 current state - y);

state next state = { current state - x - pourAmt,
 current state - y + pourAmt};

if (visited - find (next state) == visited - end) {
 cout << "pour " << pourAmt << " x to y " <<
 next state - x << ". " << next state - y << ", "
 << endl;

pour water (x + y, target, next state, visited);

{}

// empty X

if (current state - x > 0) {

state next state = { 0, current state - y };

if (visited - find (next state) == visited - end) {

cout << "Empty X " << next state - x << ", "
 next state - y << endl;

pour water (x, y, target, next state, visited);

{}

{}

Output

Enter capacity of jug x : 4

Enter capacity of jug y : 3

Enter target amount : 2

Solution steps :

Fill x (4, 0)

Pour 3 from x to y (1, 3)

Empty 3l x to x (3, 0)

Empty x (0, 3)

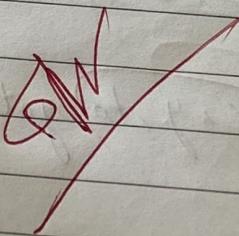
Pour 3 from x to x (3, 0)

Fill y (3, 3)

Pour 1 from y to x (4, 2)

Target is reached (4, 2)

Empty x (0, 2)



1) Fill X

if (current state $\cdot x < x$) {

state next state = $\{x, \text{current state} \cdot y\}$;

if (visited.find(nextstate) == visited.end()) {

cout << "Fill X (" << nextstate.x << ", " <<

nextstate.y << ")" << endl;

pourWater(x, y, target, nextstate, visited);

3

3

2) int main () {

int x, y, target;

cout << "Enter capacity of jug x: ";

cin >> x;

cout << "Enter capacity of jug y: ";

cin >> y;

cout << "Enter target amount: ";

cin >> target;

state initial state = $\{0, 0\}$

~~unordered_set<state>~~ visited;

cout << "solution steps: " << endl;

pourWater(x, y, target, initial state, visited);

return 0;

3

Result: Toy problem (water Jug) was successfully solved and implemented in C++.

Toy