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{\it appendix}
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as  \text{Cov}[\mathbf{g}(\mathbf{A}_n), \ g(A_{n+k})] = \\ \sum_{i=1}^{\infty} \sum_{j=1}^{\infty} g(i)g(j) \Pr\left[A_n = i, \ A_{n+k} = j\right] - \\ \{L \times \\ H(\hat{q})\}^2,  where
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\Pr_{:n}[A_n = i, A_{n+k} = j]
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