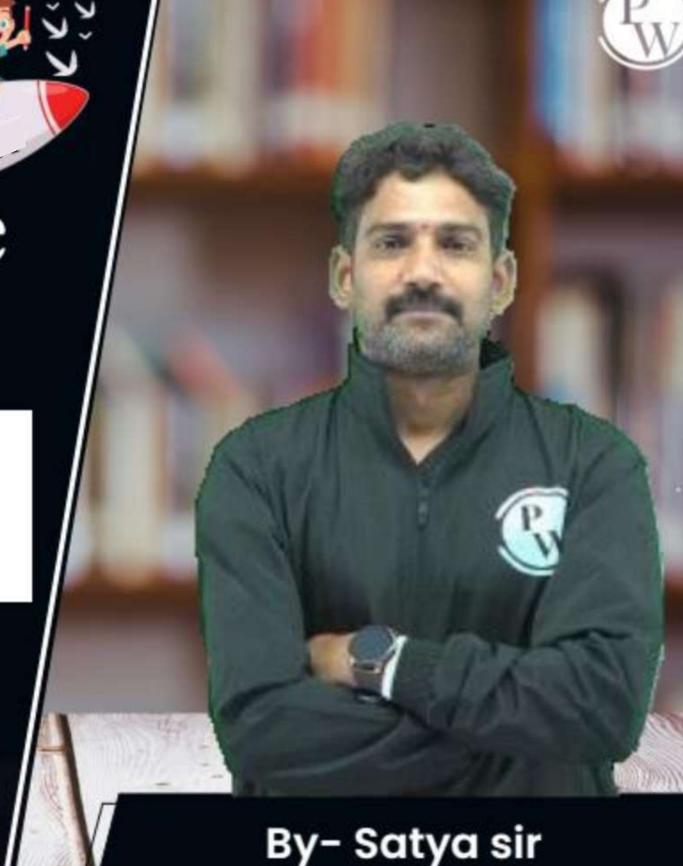
# Data Science & Artificial Intelligence

Data Structures
Through Python

TREES



Lecture No.- 04

# **Recap of Previous Lecture**













Breadth-First: Level-order

L Depth-First: In order, Pre order, Post order (LPR) (PLR) (LRP)

Left subtree < Parent < Right Subtree - Binary Search Tree:

- Constauction

- Inorder Traversal of a BST will Dulput Elemente in Ascending order.

# **Topics to be Covered**







- Search operation in a BST
- Deletion operation in a BST
- Binary Heap
  - Definition
  - Insertion operation



#### **Topic: Binary Search Tree**

Search for an Element 38/35 == key

Ex:

(45) Compare (45,38)

(36,38)

(39) (39,38)

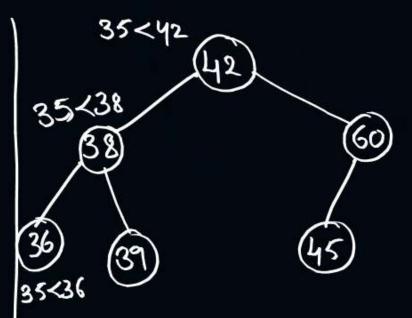
(38) (38,38)

Worst Cage: key is found at last comparison

(or) Not found

(or)

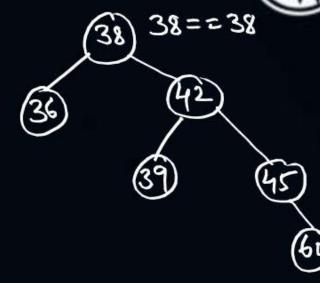
42,60,45,38,36,39



Time Complexity = (log2)

Average corte

38, 42, 36, 39, 45,60



Key=38
No: of Gorganisons == 1
Best Case: ()(1)



#### **Topic: Binary Search Tree**



## Question

BST

Post-oxder: 40,41,31,36,46,56,62,71 In-oxder: 35,34,40,41,42,56,62,71

(35)

Pre order = 71,63,56,42,35,37,41,40

Level order == Pre order



#### **Topic: Binary Search Tree**

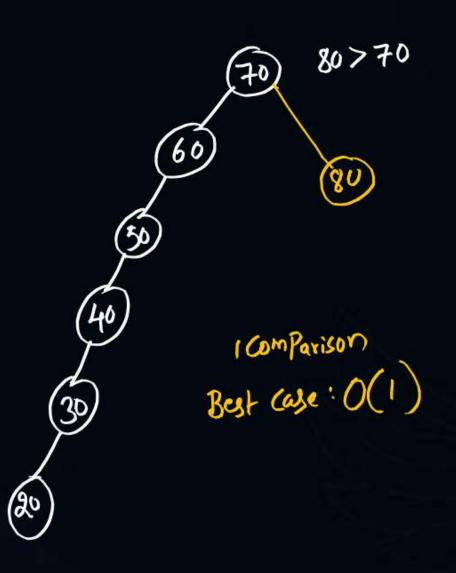
# Pw

# Insertion Time Complexity

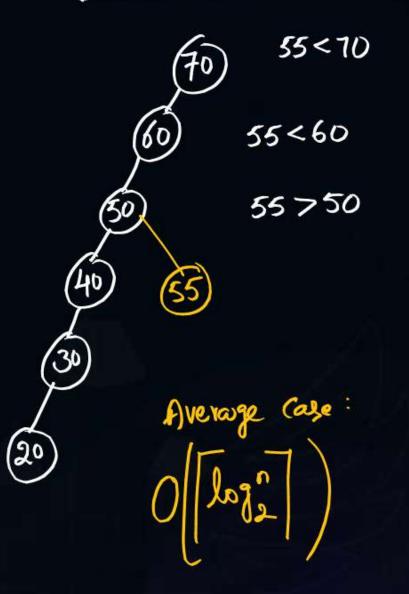


Worst-Case: O(n) (DBT/SBT)

#### Insert 80



Insert 55







#### Deletion drom BST

Delete a Node with No children (Leaf Nade)

Couse-2: Delete a Node with 1 child

Case-3: Delete au Node that has 2 children

Case-1: Delete as leaf Node: Just Delete it.

Ex: (হ্ব ১) (&) (40)

Let, Delete 63

Inorder Traversal 5,20,25,30,32,35,41,45,56,59,61,63 of Initial BST



Delete as Node that has I child

[in order Predecessor]

- If a Node has left child >> Swap Node with Maximum of it's left subtree, Then Delete a Node

- If a Node has Right-child=> Swap Node with minimum of it's Right subtree, Then Delete a Node.





Case-3 Delete as Node that has 2 children -

Swap with Inordex Reedecenor, Until Node reaches Leaf Level

Swap with Enorder Successor, Until Nude reaches leaf level



Default followed way:





## Binary Heap

A Binary Tree, Satisfy 2 conditions Properties:

Max-Heap

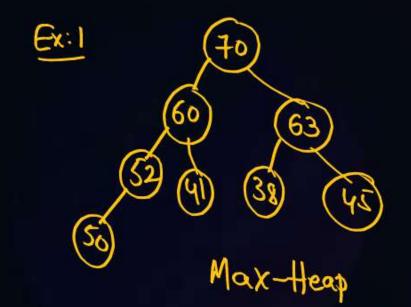
- : Structuring Property/Shape Property Complete Binary Tree

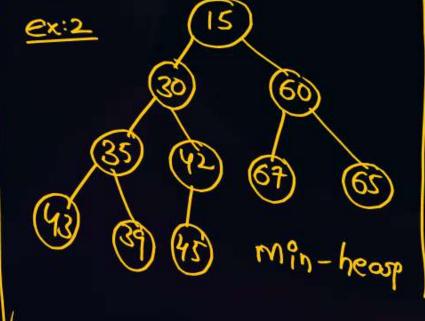
Every Parent > Allchildren (OA) Every Parent < All children:

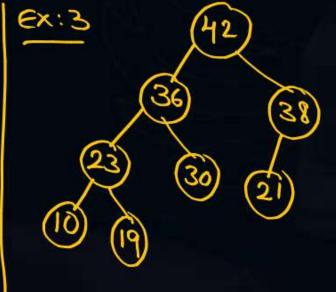
Oxdering Property Heap Property

ex.4

min-heap







Not as theor





## Insertion into Binary Heap

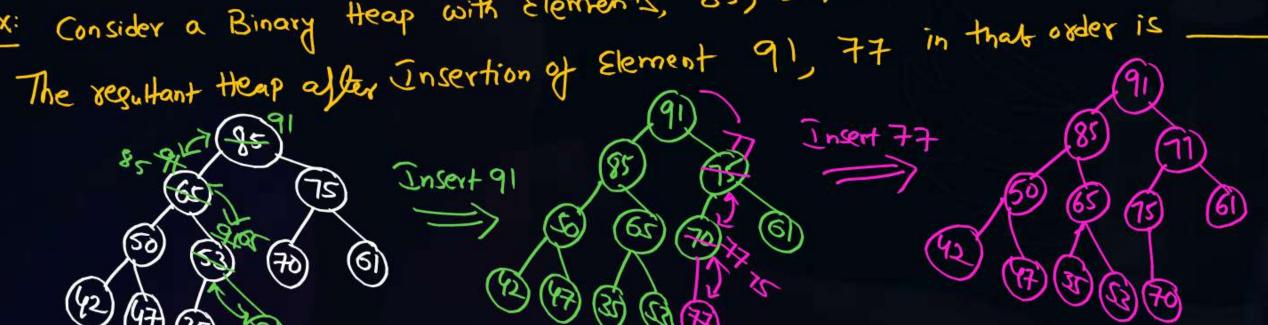
- Insert New Node as last leaf Node
- 2) Heapity: Compare New Node with it's Parent -

min-Heap: Parent > New Node, Swap.

Max-Heap: Parent < New Node, Swap

Repeat Step 2) until all Tree Heapity.

Ex: Consider a Binary Heap with Elements, 85, 65, 75, 50, 53, 70, 61, 42, 47, 35.



Resultant Heap is 91,85,77,50,65,75, 61,42,47,35,53,70



#### 2 mins Summary



H/w Question

#Q. Consider as Binary Heap, with Elements 15,20,23,31,36,42,39,45,51,60,70. The Regultant Heap after Insertion of Elements 10, 5, 7 in that Oxder is\_



# THANK - YOU