#### LAB ASSIGNMENTS

### Assignment Set I

## Date of Posting the Assignment: 30/9/2014

Date of Submission: 23/10/2014

# Submission may be done through email separately for each class

- Q1. Create a checkerboard pattern of size 64x64. Each square of the checker board pattern is a small 8x8 square. Display the image?
- Q2. Create an image of size 32x32 where  $I(i,j) = \left|\sin(\sqrt{i^2 + j^2})\right|$ . Display the image?
- Q3. Quantize the intensity levels in the above image by dividing the range [0,1] into four equal intervals. Quantization happens according to the following table.

Image gray level	Output graylevel
0 ≤ <i>I</i> < 0.25	0
0.25≤ <i>I</i> <0.5	0.25
0.5≤ <i>I</i> <0.75	0.5
0.75≤ <i>I</i> <1	0.75
1	1

- Q4. Read and display the image provided along with this.
- Q5. Increase the brightness of the image in Q4. by increasing the value of each pixel by adding ( $1/4 * max\_intensity$ ). max\_intensity is depends on the number of bits alloted for representing the image. For an 8 bit the max\_intensity is 255). If on increasing the pixel value it crosses the max\_intensity then round it to max\_intensity value.

#### Q6. Perform

- i. 4-level quantization of the intensities of the image in Q4.(0-max\_intensity interval divided into 4 equal intervals and follow the scheme in Q3).
- ii. 8-level quantization of the intensities of the image Q4.(0-max\_intensity interval divided into 8 equal intervals and follow the scheme in Q3).

Observe the difference in image quality.

Q7. Find the mean pixel intensity of the image in Q4. Write a program that converts the image to a binary image by using the following transformation.

$$G(i,j) = \begin{bmatrix} 1 & \text{if } I(i,j) > mean \\ 0 & \text{if } I(i,j) \leq mean \end{bmatrix}$$

# (This is also a way of quantizing the image but the range of pixel intensities is not divided into equal halves. This operation is called thresholding)

Q8. Perform the following the intensity transformations on the image in Q4.

- i.  $G(i,j) = \log(1 + (e^{\sigma} 1)I(i,j))$  Try this transformation for various values of sigma ranging from 0 to 2 and note down your observations. Give a plausible explanation for the observations.
- ii.  $G(i,j)=e^{\sigma I(i,j)}$  Try this transformation for various values of sigma ranging from 0 to 2 and note down your observations. Give a plausible explanation for the observations.
- iii.  $G(i,j)=I(i,j)^{\gamma}$  Try this transformation for various gamma values ranging from 0 to 3. Note down the observations.