

$$\begin{aligned}\text{index} &= (2 \times 5) + 3 \\ \text{index} &= 13\end{aligned}$$

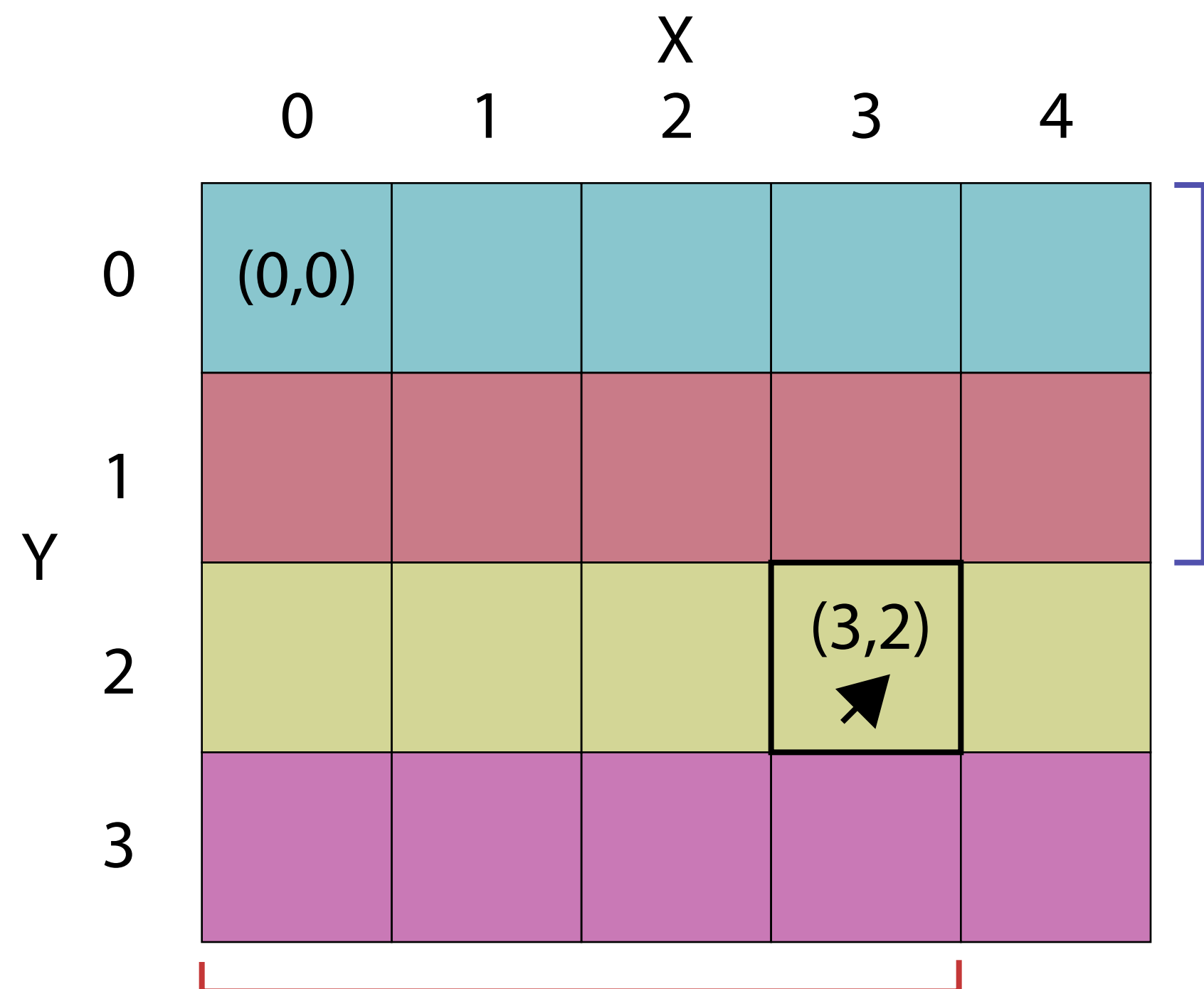
Uma linha consiste em um conjunto de pixels dispostos horizontalmente (neste caso, cada linha possui 5 pixels). Cada linha, portanto, avança 5 indexes em um array de pixels.

Estar na 3ª linha (y=2, a partir da origem 0) significa já ter passado por todos os pixels da 1ª e da 2ª linhas (linhas y=0 e y=1).

Sendo assim, sabemos que já passamos de um total de **2** [linhas] * **5** [pixels em cada linha] casas no array (indexes **0** a **9**).

O valor de x nos dá o deslocamento horizontal na linha em que estamos. Se x for igual a 0 estaremos na primeira casa, à esquerda, da linha. Se x for igual à largura da imagem -1 (lembrando que, se a largura da composição for 5, as coordenadas x vão de 0 a 4, portanto de **0** a **largura-1**), estaremos na última casa dessa linha.

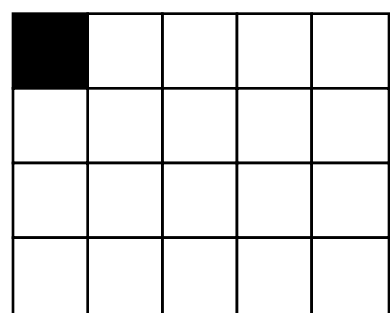
Ao somarmos a coordenada x (**3**) ao cálculo que fizemos anteriormente (**10**), obtemos, como resultado, a coordenada (x,y) traduzida como um index de um array linear; neste caso, **13**.



`size(5,4);`

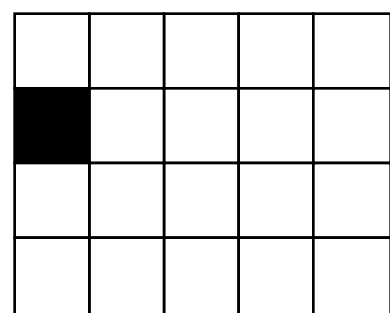
`int index = (y*width) + x;`

Cálculo do index em uma matriz linear a partir de uma coordenada (x,y)



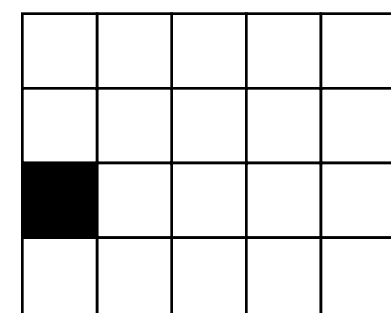
(0,0)

$$(0*5) + 0 = 0$$



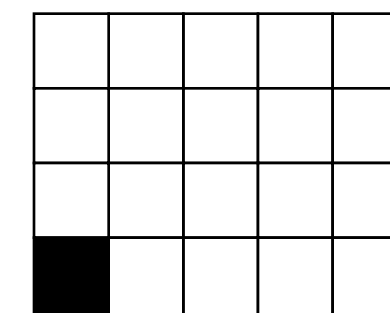
(0,1)

$$(1*5) + 0 = 5$$



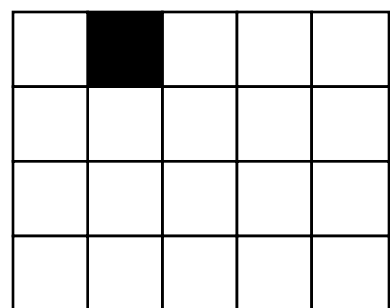
(0,2)

$$(2*5) + 0 = 10$$



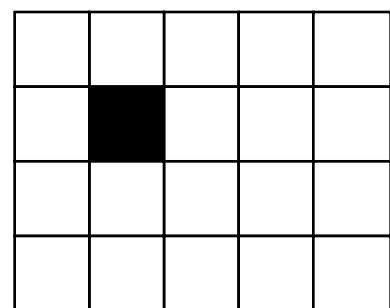
(0,3)

$$(3*5) + 0 = 15$$



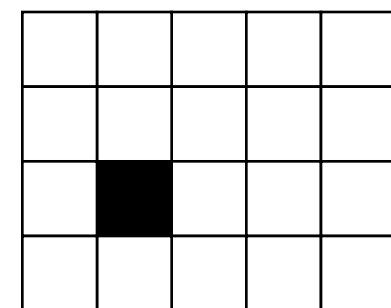
(1,0)

$$(0*5) + 1 = 1$$



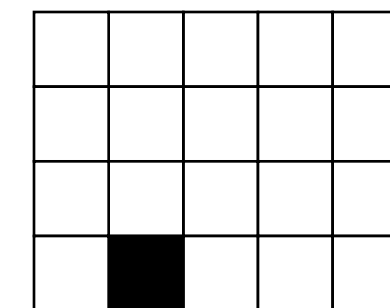
(1,1)

$$(1*5) + 1 = 6$$



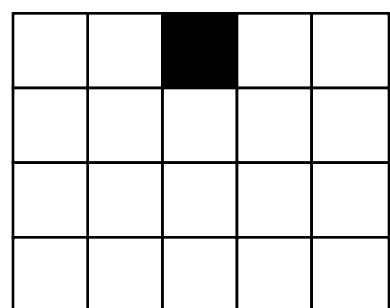
(1,2)

$$(2*5) + 1 = 11$$



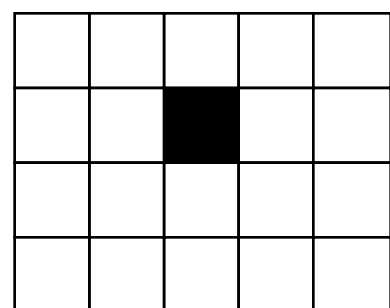
(1,3)

$$(3*5) + 1 = 16$$



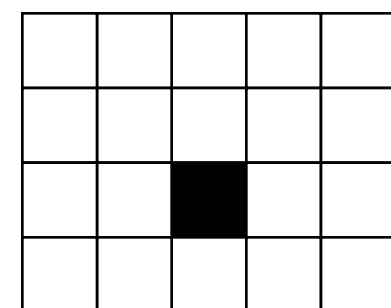
(2,0)

$$(0*5) + 2 = 2$$



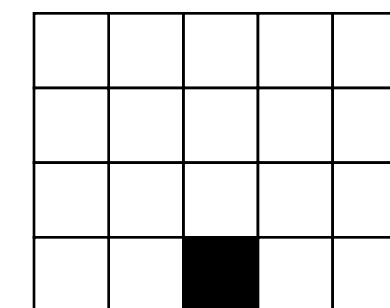
(2,1)

$$(1*5) + 2 = 7$$



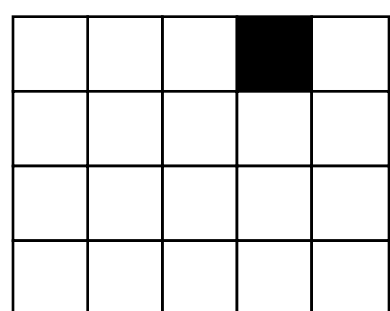
(2,2)

$$(2*5) + 2 = 12$$



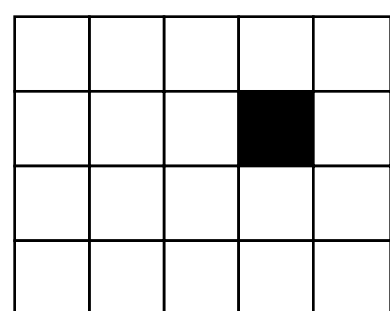
(2,3)

$$(3*5) + 2 = 17$$



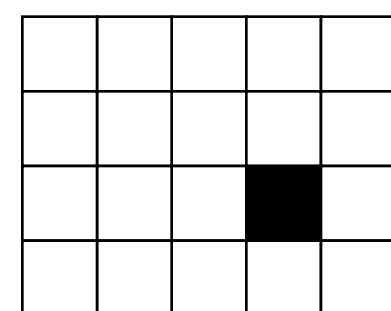
(3,0)

$$(0*5) + 3 = 3$$



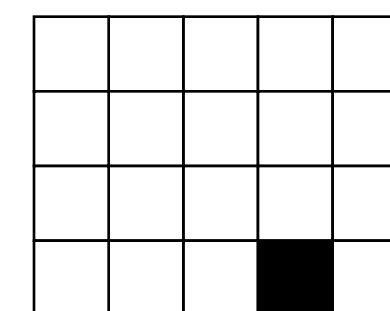
(3,1)

$$(1*5) + 3 = 8$$



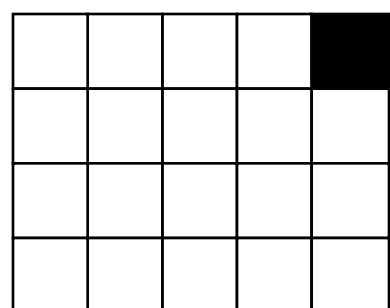
(3,2)

$$(2*5) + 3 = 13$$



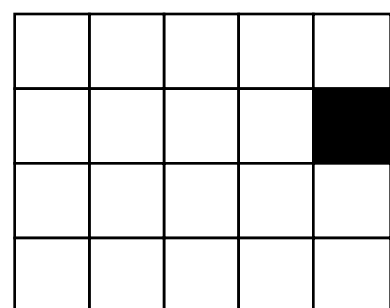
(3,3)

$$(3*5) + 3 = 18$$



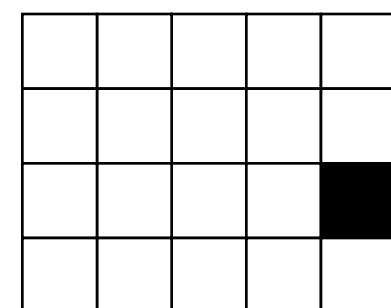
(4,0)

$$(0*5) + 4 = 4$$



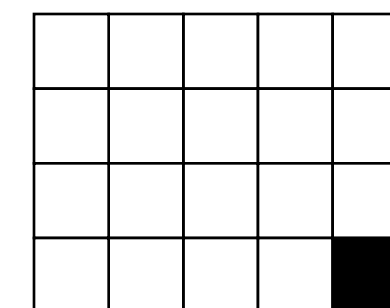
(4,1)

$$(1*5) + 4 = 9$$



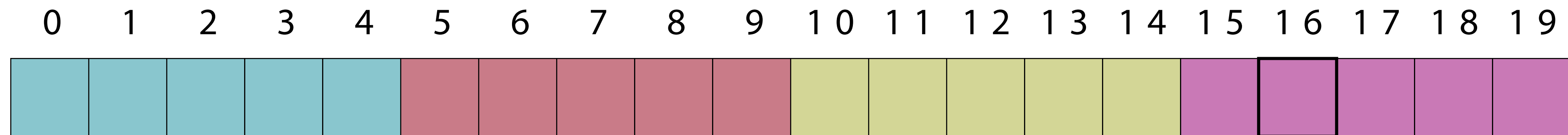
(4,2)

$$(2*5) + 4 = 14$$



(4,3)

$$(3*5) + 4 = 19$$

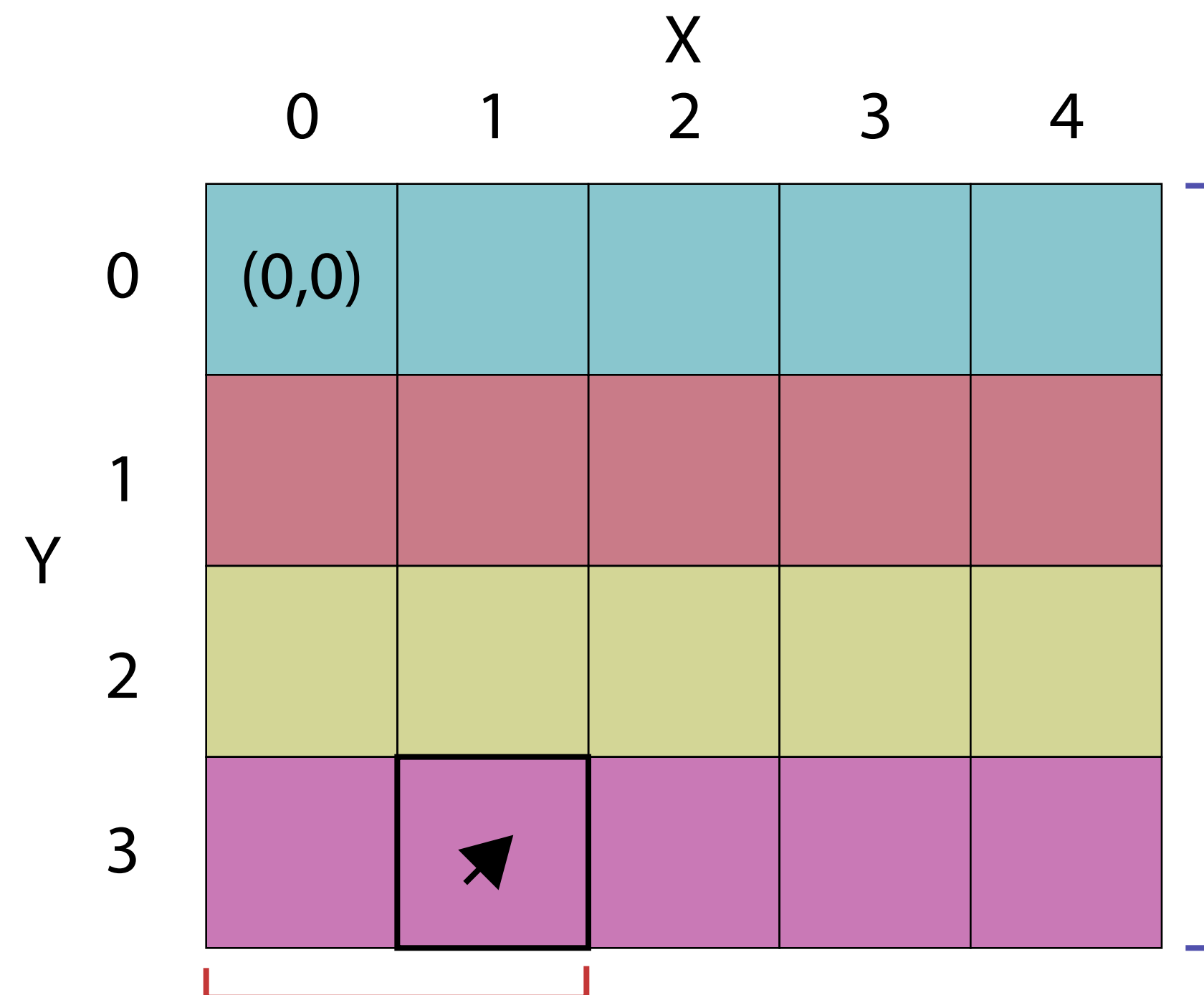


Sabendo que uma linha consiste em um número determinado de pixels dispostos horizontalmente, para descobrirmos a coordenada y de um determinado index de um array, precisamos calcular por quantas linhas já passamos até chegarmos nesse index.

Se dividirmos o index pelo número total de pixels em uma linha [largura da imagem], descobriremos o número de vezes que uma linha completa foi desenhada no array até o index onde estamos. Esse valor deve ser sempre arredondado para baixo. No caso da imagem ao lado, o index **16** dividido pela largura **5** nos dá o resultado **3.2**; ao arredondarmos para baixo, descobrimos a coordenada **y = 3**.

Para descobrirmos o valor de x, precisamos calcular a linha incompleta. No nosso caso, o resto **0.2** da divisão que fizemos consiste no número de pixels que ainda não foram computados como coordenadas.

Utilizamos a função matemática % (módulo) para descobrirmos o resto de uma divisão. No nosso caso, a divisão de 16 [index] por 5 [largura] nos dá o resultado 3, com a sobra de 1. 1 é, portanto, o resultado do cálculo do resto da divisão de 16/5, ou seja, $16\%5 = 1$. Descobrimos, portanto, que **x=1** neste caso.

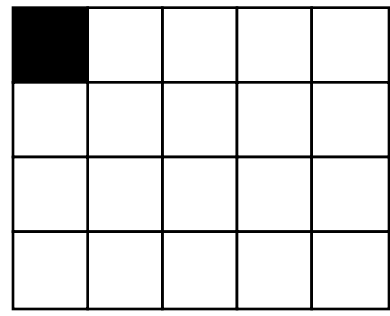


size(5,4);

int x = index%width; int x = 16%5; int x = 1;

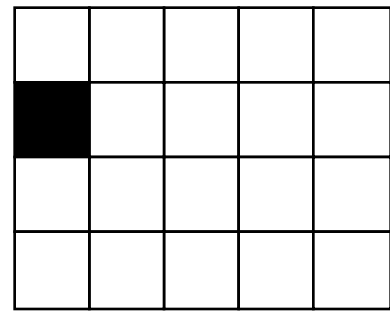
int y = floor(index/width); int y = floor(16/5); int y = 3;

Cálculo de uma coordenada (x,y) a partir do index em uma matriz linear



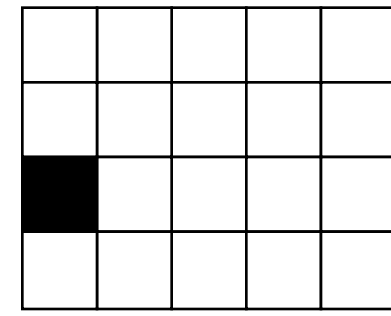
$x = 0\%5$
 $x = 0$
 $y = 0/5$
 $y = 0$

[0]



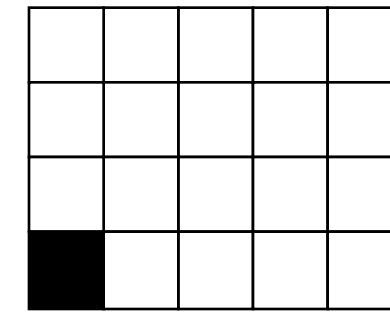
$x = 5\%5$
 $x = 0$
 $y = 5/5$
 $y = 1$

[5]



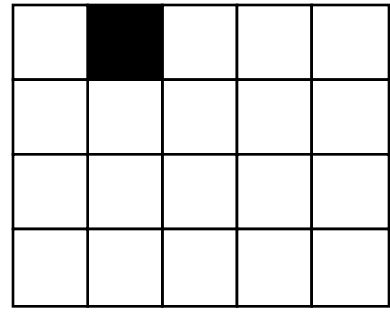
$x = 10\%5$
 $x = 0$
 $y = 10/5$
 $y = 2$

[10]



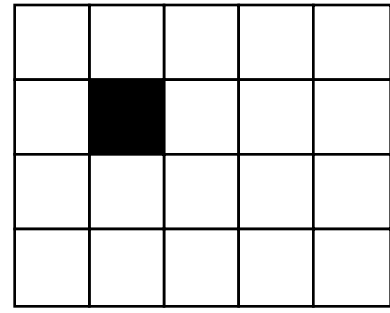
$x = 15\%5$
 $x = 0$
 $y = 15/5$
 $y = 3$

[15]



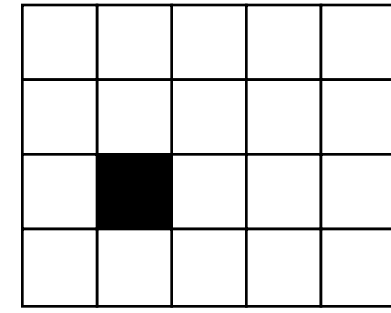
$x = 1\%5$
 $x = 1$
 $y = 1/5$
 $y = 0$

[1]



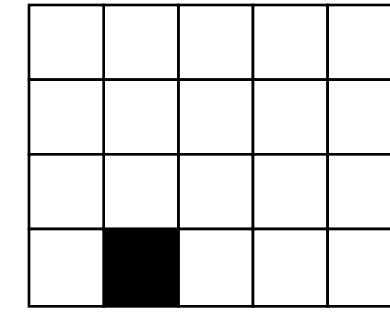
$x = 6\%5$
 $x = 1$
 $y = 6/5$
 $y = 1$

[6]



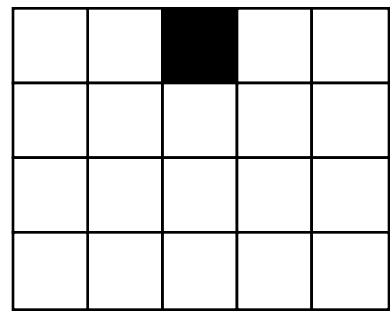
$x = 11\%5$
 $x = 1$
 $y = 11/5$
 $y = 2$

[11]



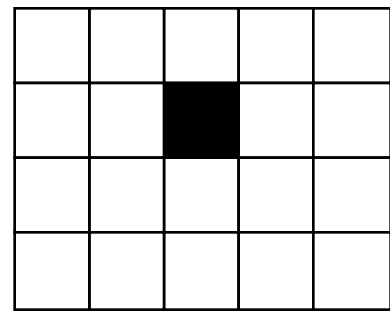
$x = 16\%5$
 $x = 1$
 $y = 16/5$
 $y = 3$

[16]



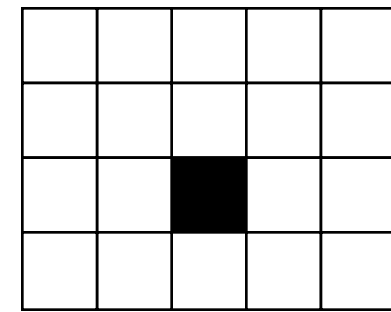
$x = 2\%5$
 $x = 2$
 $y = 2/5$
 $y = 0$

[2]



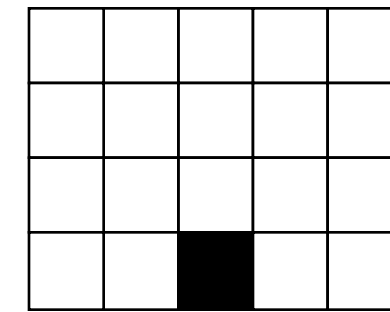
$x = 7\%5$
 $x = 2$
 $y = 7/5$
 $y = 1$

[7]



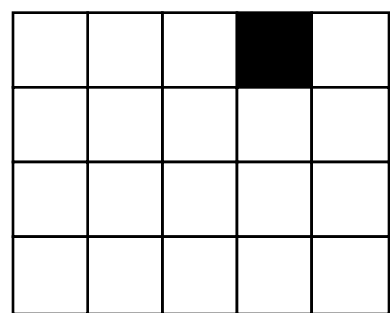
$x = 12\%5$
 $x = 2$
 $y = 12/5$
 $y = 2$

[12]



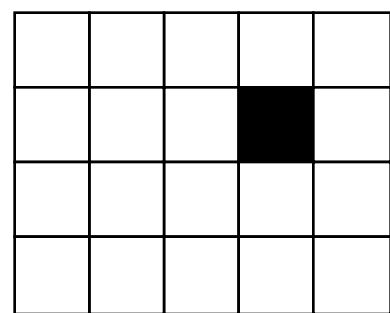
$x = 17\%5$
 $x = 2$
 $y = 17/5$
 $y = 3$

[17]



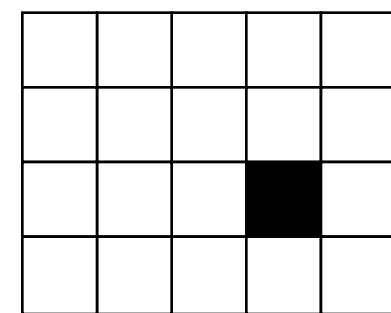
$x = 3\%5$
 $x = 3$
 $y = 3/5$
 $y = 0$

[3]



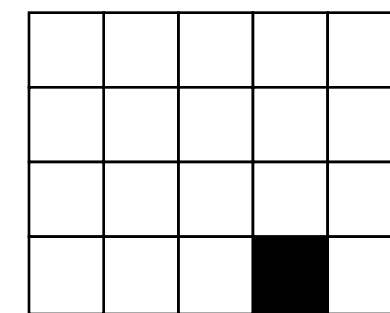
$x = 8\%5$
 $x = 3$
 $y = 8/5$
 $y = 1$

[8]



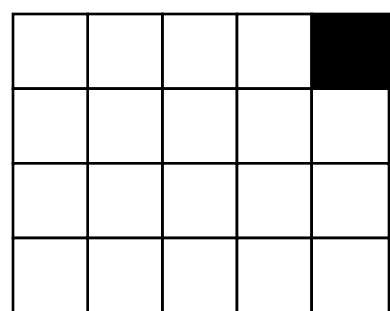
$x = 13\%5$
 $x = 3$
 $y = 13/5$
 $y = 2$

[13]



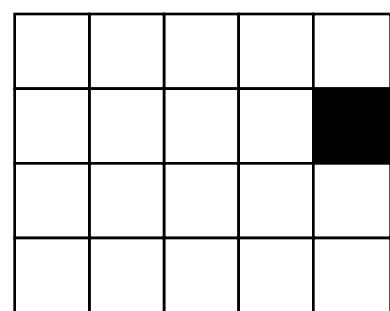
$x = 18\%5$
 $x = 3$
 $y = 18/5$
 $y = 3$

[18]



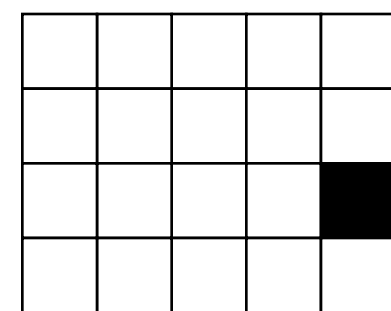
$x = 4\%5$
 $x = 4$
 $y = 4/5$
 $y = 0$

[4]



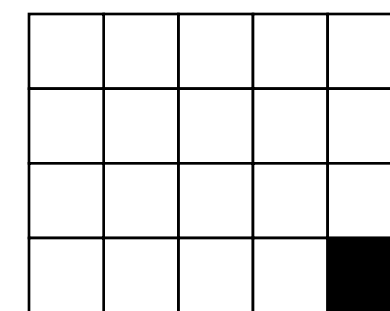
$x = 9\%5$
 $x = 4$
 $y = 9/5$
 $y = 1$

[9]



$x = 14\%5$
 $x = 4$
 $y = 14/5$
 $y = 2$

[14]



$x = 19\%5$
 $x = 4$
 $y = 19/5$
 $y = 3$

[19]