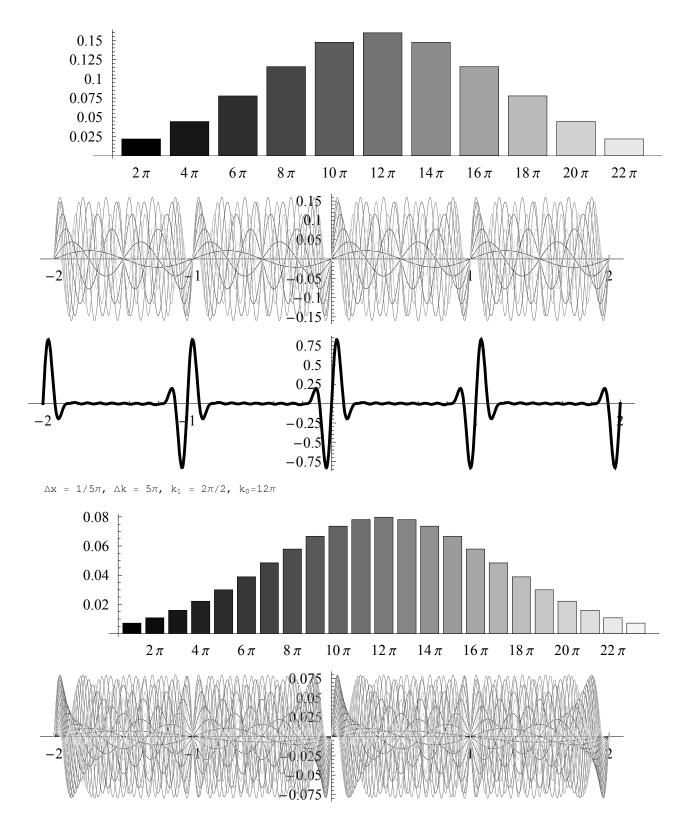
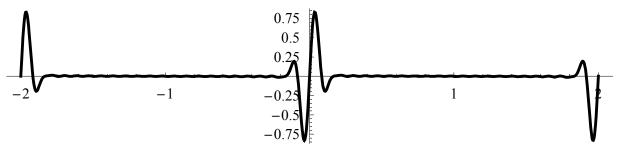
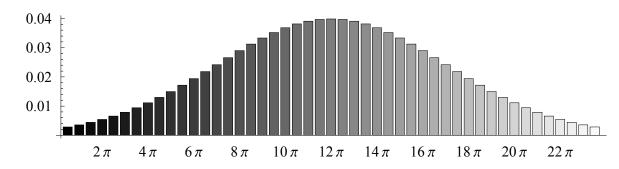
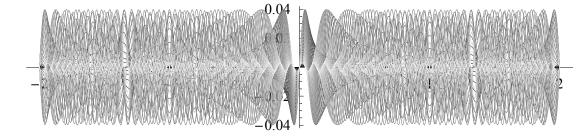
```
In[1]:= $TextStyle = {FontFamily > "Times", FontSize > 14};
                       << Graphics `Graphics ` (* needed for BarChart *)
In[3] := Clear[k0, \sigma];
                      F[k_{k}, k0_{k}, \sigma_{k}] := Exp[-(k-k0)^{2}/(2*\sigma^{2})]/(\sqrt{2\pi} \sigma)
                       f = Integrate[F[k, k00, \sigma0] Sin[kx], \{k, 0, \infty\}, Assumptions \rightarrow \sigma0 > 0]
\textit{Out[5]$ = $-\frac{1}{4}$ $ is $e^{-\frac{1}{2}\,x\,(2\,i\,k00+x\,\sigma0^2)}$ $ \left(-1-\text{Erf}\left[\frac{k00-i\,x\,\sigma0^2}{\sqrt{2}\,\sigma0}\right]+e^{2\,i\,k00\,x}\left(1+\text{Erf}\left[\frac{k00+i\,x\,\sigma0^2}{\sqrt{2}\,\sigma0}\right]\right) \right)$ }
In[6] := g = Integrate[F[k, k00, \sigma0] Sin[kx], \{k, -\infty, \infty\}, Assumptions \rightarrow \sigma0 > 0]
Out[6] = e^{-\frac{1}{2}x^2\sigma^{0}} Sin[k00x]
In[15] := makeplot[\sigma_, k0_] := Module[{}),
                               For [n = 1, n \le 8, n = n * 2,
                         elems = 12 * n - 1;
                         coeffs = 2\pi/n Table [F[2\pi k/n, k0, \sigma], {k, elems}];
                         sins = Table[Sin[2\pi kx/n], \{k, elems\}];
                         list = coeffs * sins;
                         colors = Array[GrayLevel[(# - 1) / elems] &, elems];
                                     If[Mod[\sigma, \pi] = 0,
                                        Print[StringJoin["\Delta x = 1/", ToString[\sigma/\pi], "\pi, \Delta k = ", ToString[\sigma/\pi],
                                              "\pi, k_1 = 2\pi/", ToString[n], ", k_0=", ToString[k0/\pi], "\pi"]],
                                        Print[StringJoin["\Delta x = 1/", ToString[\sigma], ", \Delta k = ", ToString[\sigma],
                                              ", k_1 = 2\pi/", ToString[n], ", k_0=", ToString[k0/\pi], "\pi"]]];
                                    BarChart[coeffs, BarStyle → colors, BarLabels →
                                           Flatten[Array[Append[Table["", \{n-1\}], 2\pi \#] &, (elems + 1) / n - 1]],
                                        AspectRatio \rightarrow 1/4.5, ImageSize \rightarrow 72 * 9, PlotRange \rightarrow \{\{0, 12 n\}, All\}\};
                                     Plot[Evaluate[list], \{x, -2, 2\}, PlotRange \rightarrow All, AspectRatio \rightarrow 1 / 4.5,
                                        PlotStyle → colors, ImageSize → 72 * 8];
                                     Plot[Evaluate[Sum[list[n]], \{n, elems\}]], \{x, -2, 2\}, PlotRange \rightarrow All,
                                        AspectRatio \rightarrow 1/4.5, PlotStyle \rightarrow Thickness[0.005], ImageSize \rightarrow 72 * 8];
                                  If[Mod[\sigma, \pi] = 0,
                                    Print[StringJoin["\Delta x = 1/", ToString[\sigma/\pi], "\pi, \Delta k = ",
                                           ToString[\sigma/\pi], "\pi, k_1 = 0", ", k_0=", ToString[k0/\pi], "\pi"]],
                                     Print[StringJoin["\Delta x = 1/", ToString[\sigma], ", \Delta k = ", ToString[\sigma],
                                           ", k_1 = 0", ", k_0 = 1", ToString[k0/\pi], "\pi"]]];
                               Plot[F[k, k0, \sigma], \{k, 0, 24\pi\}, PlotRange \rightarrow \{\{0, 24\pi\}, \{0, F[k0, k0, \sigma]\}\}, AspectRatio \rightarrow \{\{0, 24\pi\}, \{0, E[k0, k0, \sigma]\}\}, AspectRatio \rightarrow \{\{0, 24\pi\}, \{0, F[k0, k0, \sigma]\}\}, AspectRatio \rightarrow \{\{0, 24\pi\}, \{0, E[k0, 
                                     1/4.5, ImageSize \rightarrow 72 * 8, Ticks \rightarrow \{Table[i\pi, \{i, 2, 22, 2\}], Automatic\}];
                               Plot[f/. \{k00 \rightarrow k0, \sigma0 \rightarrow \sigma\}, \{x, -2, 2\}, PlotRange \rightarrow All, AspectRatio \rightarrow 1/4.5,
                                  PlotStyle → Thickness[0.005], ImageSize → 72 * 8];]
In[16] := makeplot[5\pi, 12\pi];
                         makeplot[4\pi, 12\pi];
                         makeplot[3\pi, 12\pi];
                         makeplot[2\pi, 12\pi];
                         makeplot[1\pi, 12\pi];
                         makeplot[1, 12 \pi];
                     \Delta x = 1/5\pi, \Delta k = 5\pi, k_1 = 2\pi/1, k_0=12\pi
```

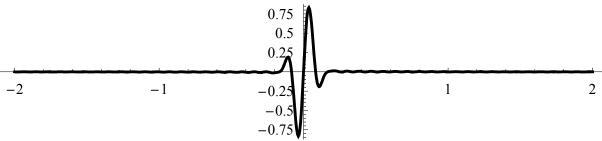




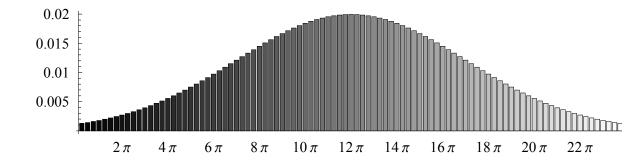
 $\Delta x = 1/5\pi$ ,  $\Delta k = 5\pi$ ,  $k_1 = 2\pi/4$ ,  $k_0=12\pi$ 

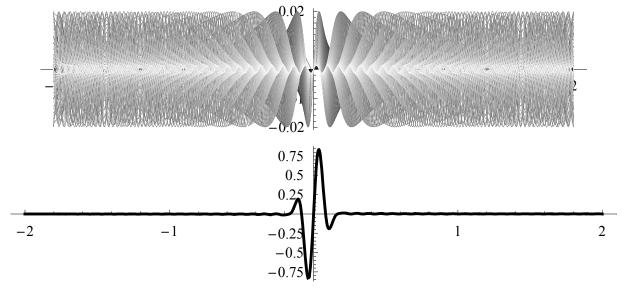




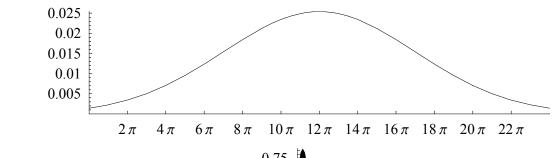


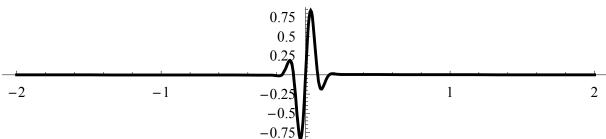
 $\Delta x = 1/5\pi$ ,  $\Delta k = 5\pi$ ,  $k_1 = 2\pi/8$ ,  $k_0=12\pi$ 



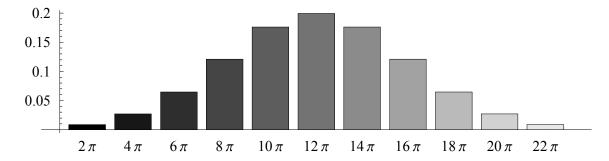


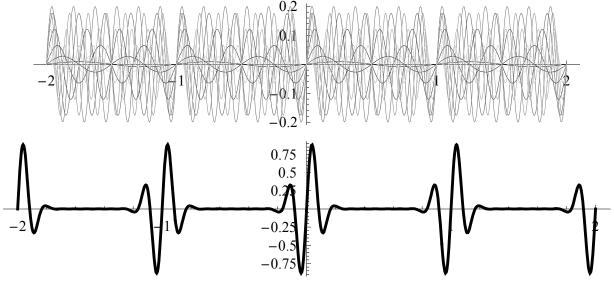
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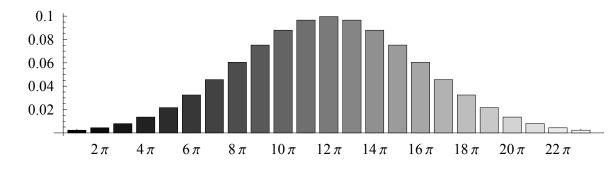


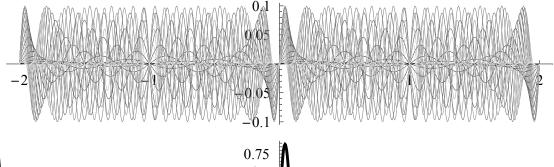
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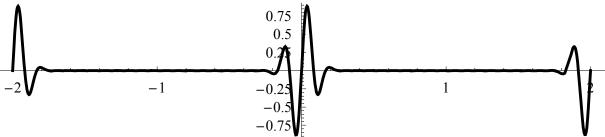




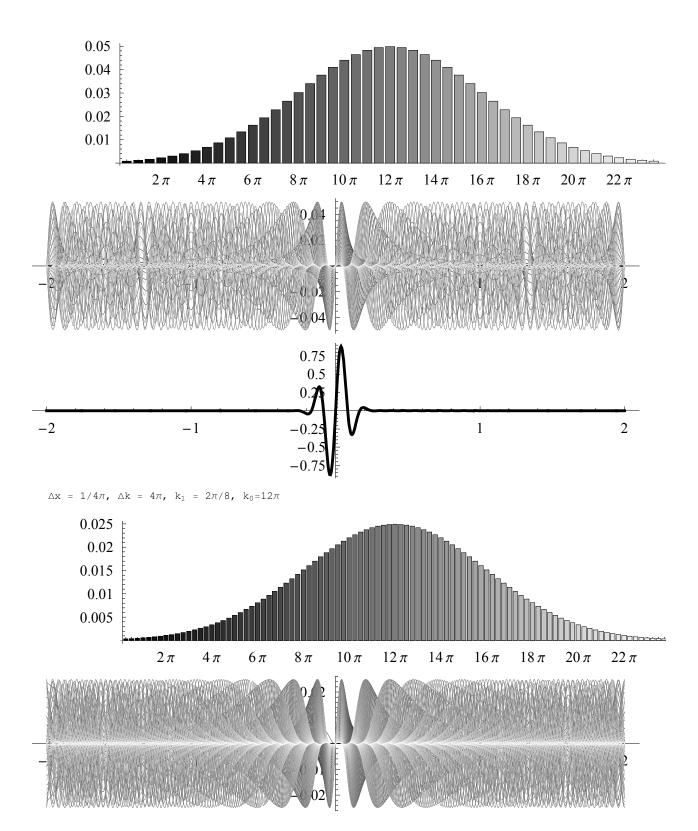
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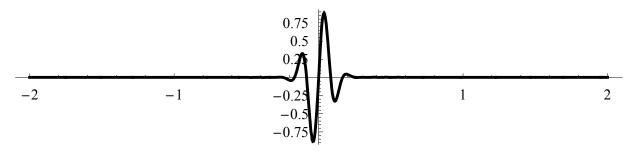




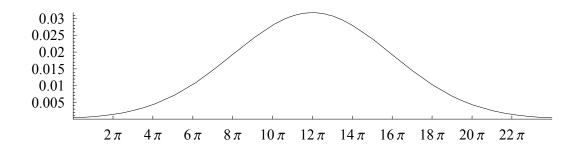


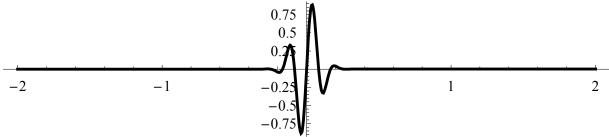
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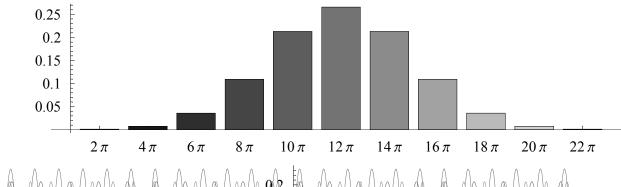


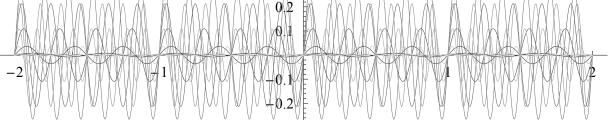
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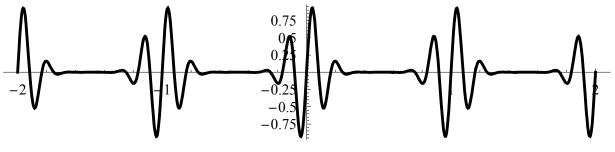




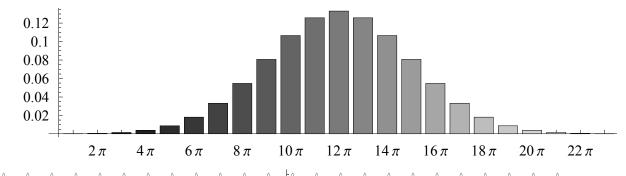
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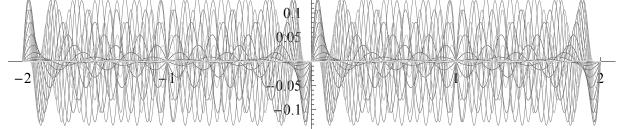


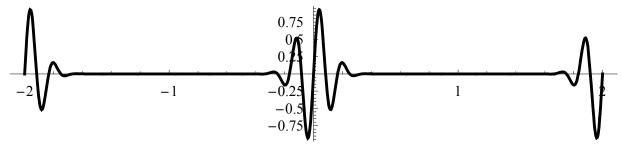




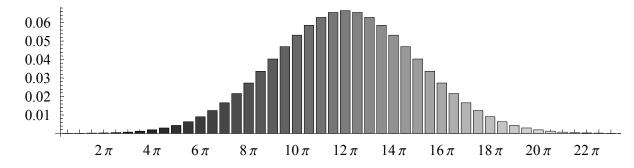
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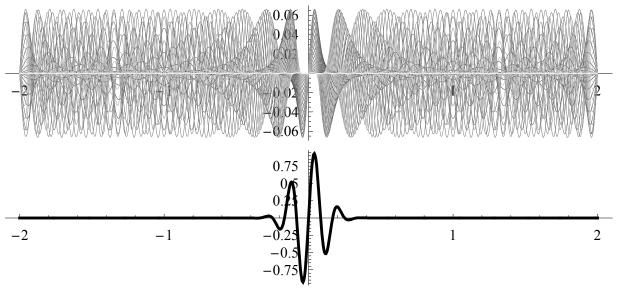




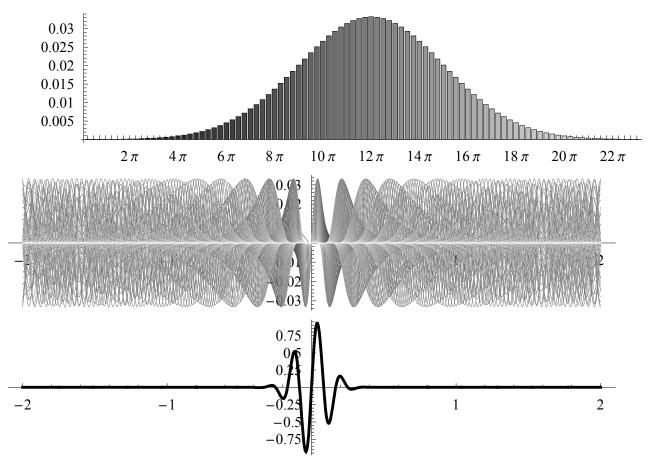


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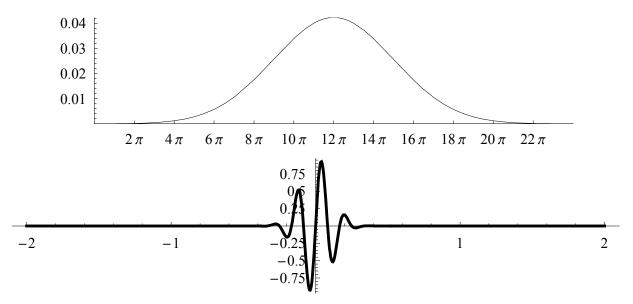




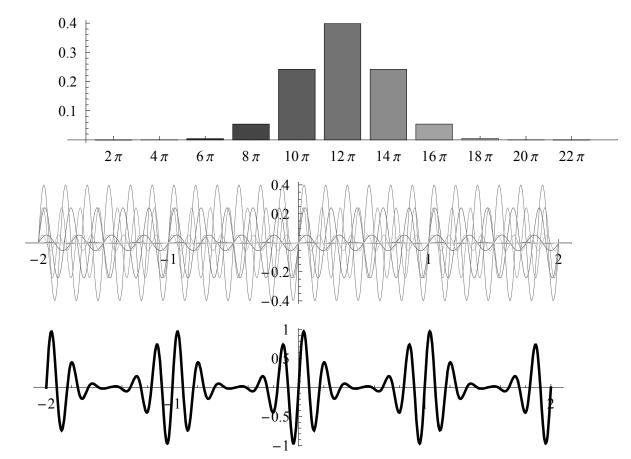
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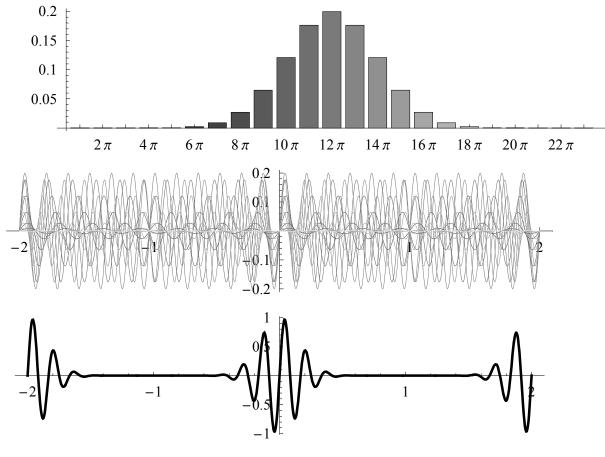
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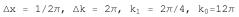


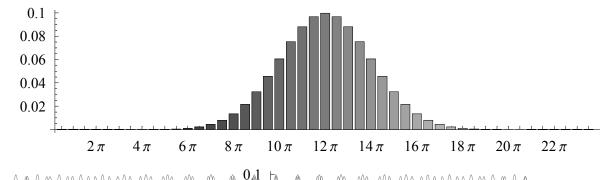
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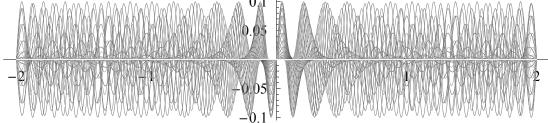


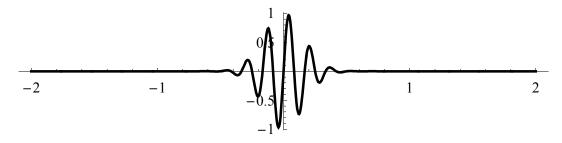
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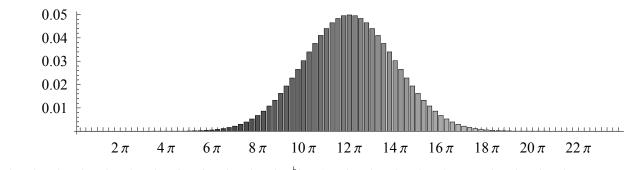


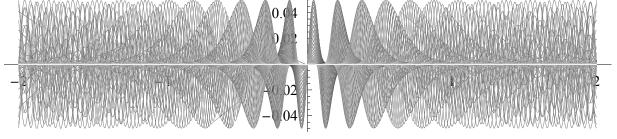


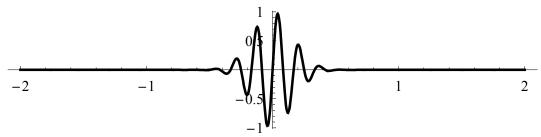




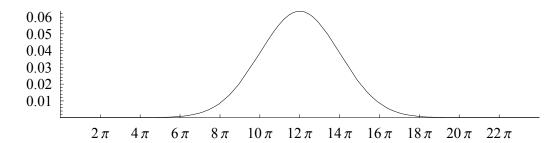
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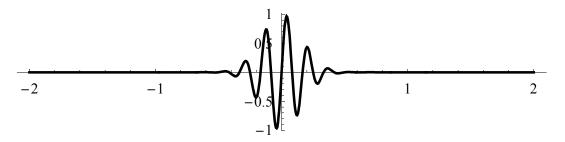




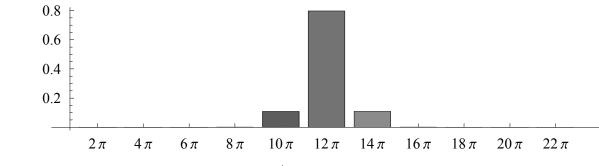


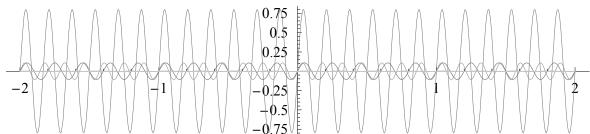
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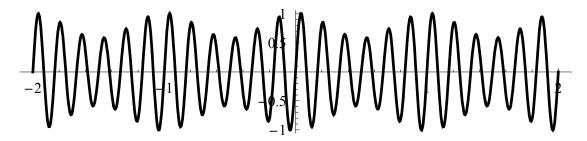




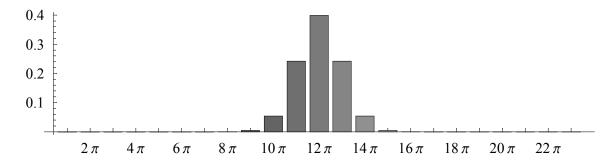
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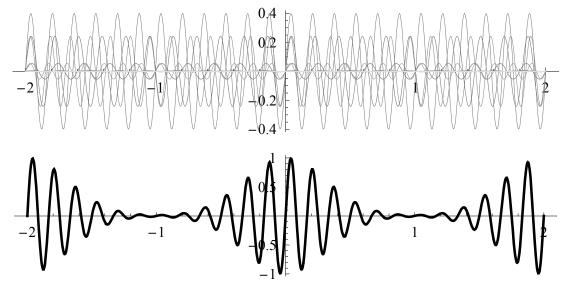






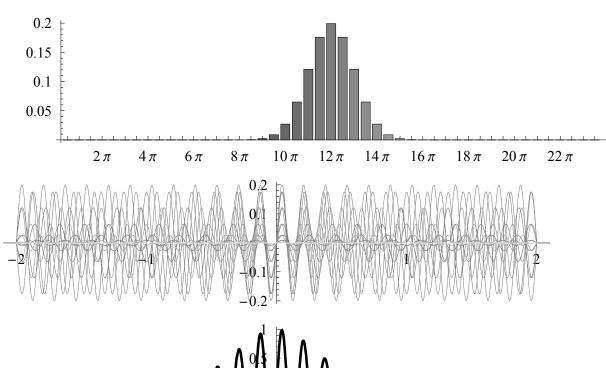
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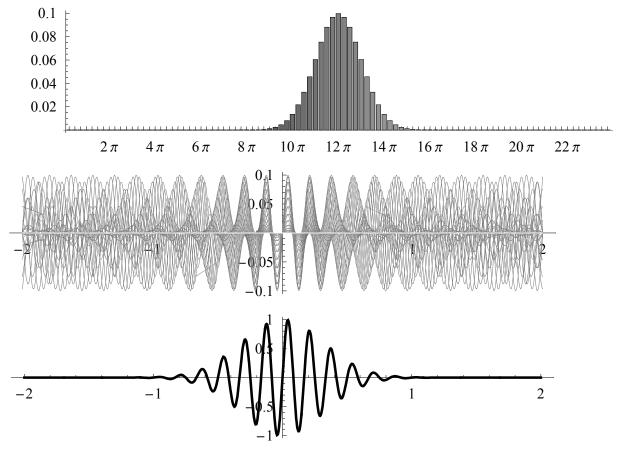
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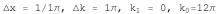
-2

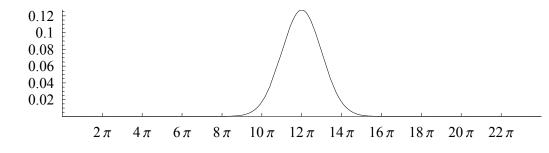


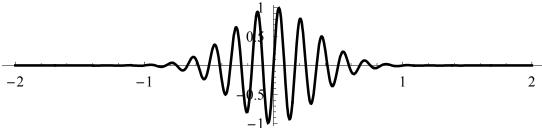
2

 $\Delta x = 1/1\pi$ ,  $\Delta k = 1\pi$ ,  $k_1 = 2\pi/8$ ,  $k_0=12\pi$ 

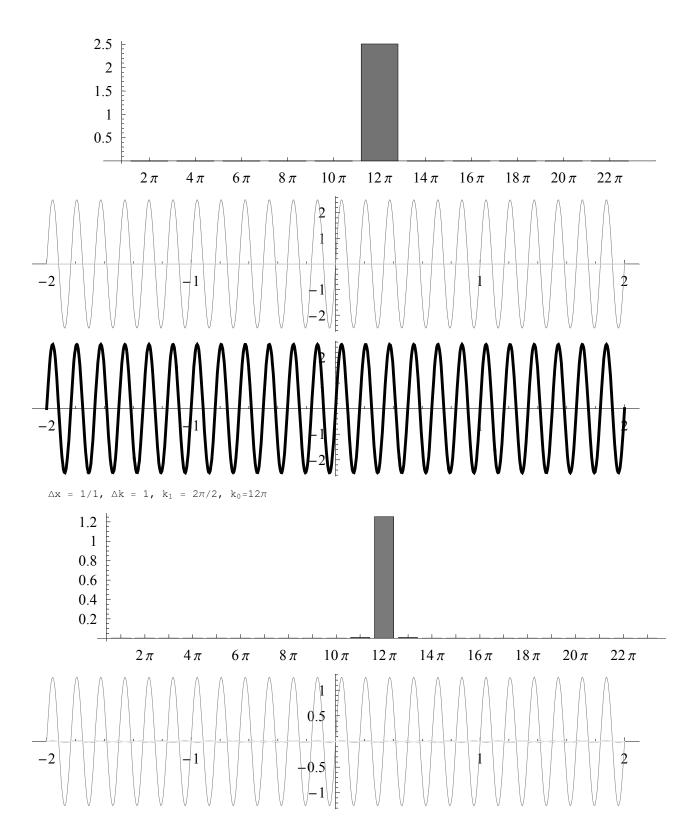


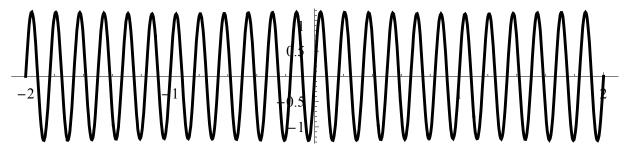




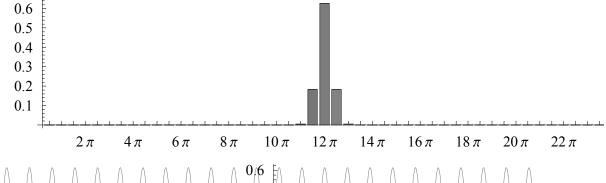


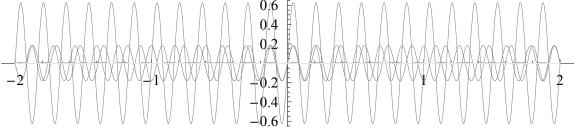
 $\Delta x = 1/1$ ,  $\Delta k = 1$ ,  $k_1 = 2\pi/1$ ,  $k_0=12\pi$ 

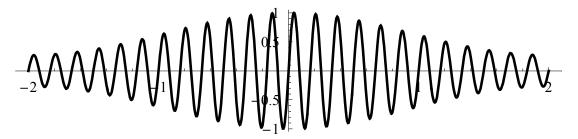




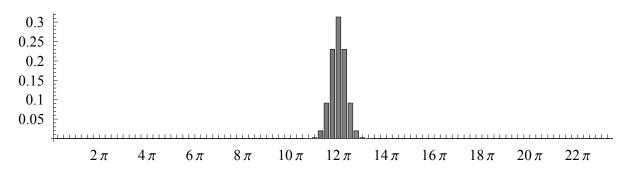
 $\Delta x = 1/1$ ,  $\Delta k = 1$ ,  $k_1 = 2\pi/4$ ,  $k_0=12\pi$ 

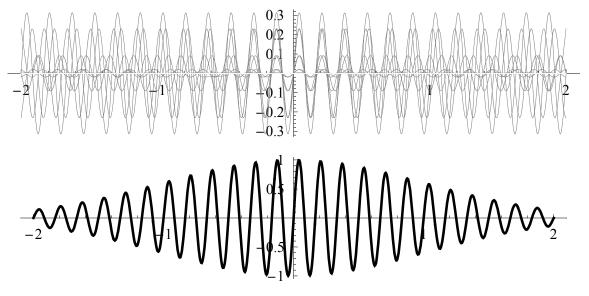




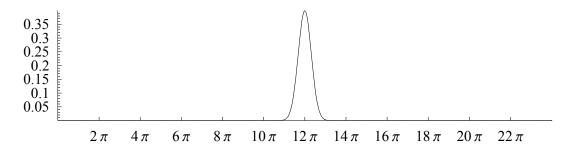


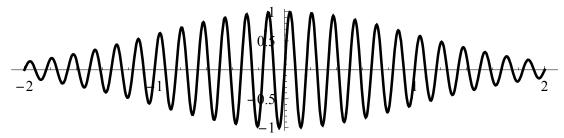
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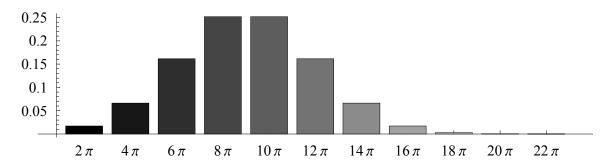
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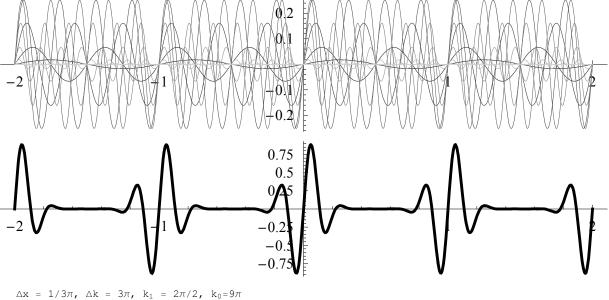


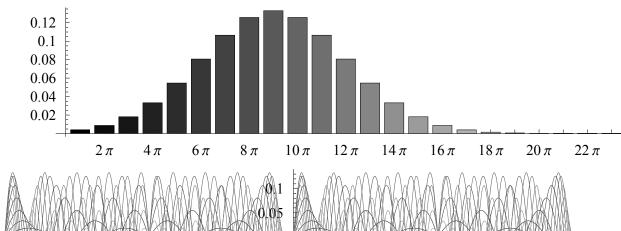


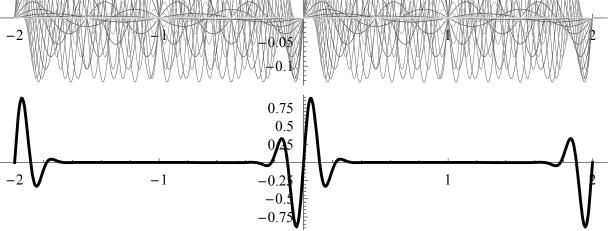
 $In[23] := makeplot[3\pi, 9\pi];$  $makeplot[3\pi, 15\pi];$ 

 $\Delta x = 1/3\pi$ ,  $\Delta k = 3\pi$ ,  $k_1 = 2\pi/1$ ,  $k_0=9\pi$ 

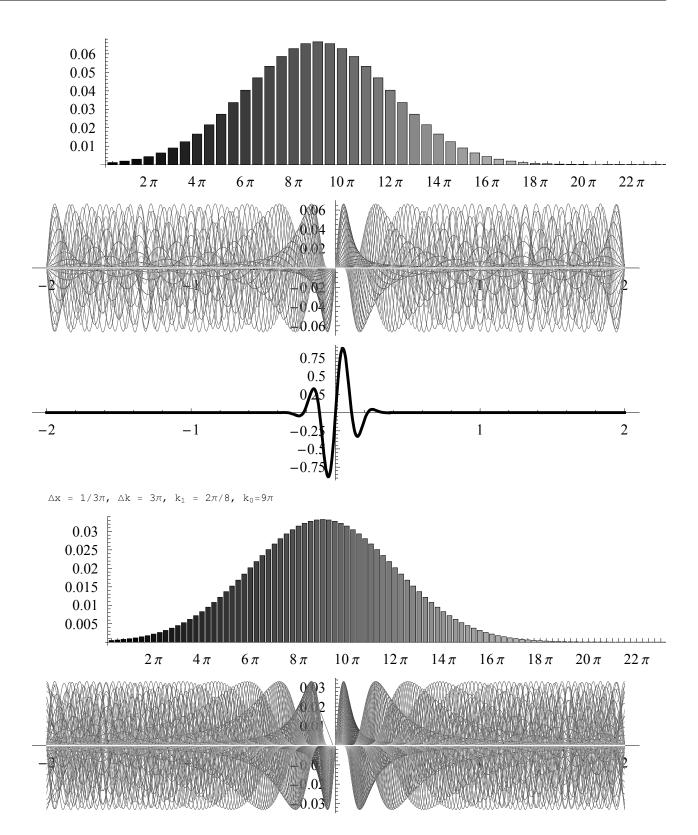


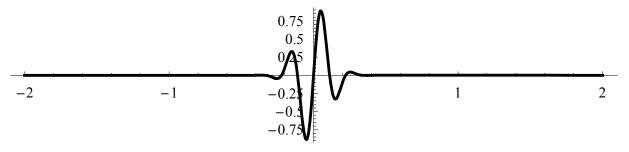




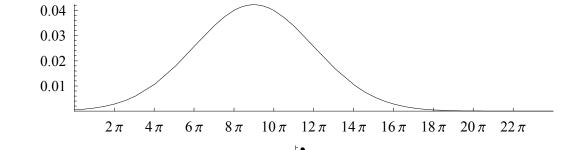


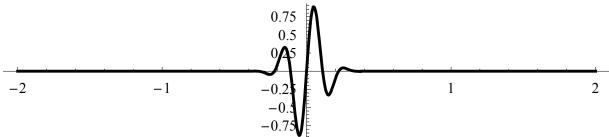
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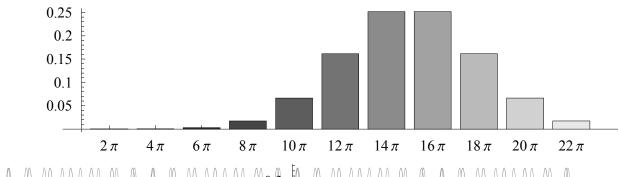


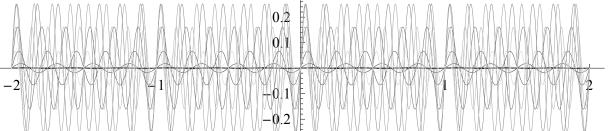
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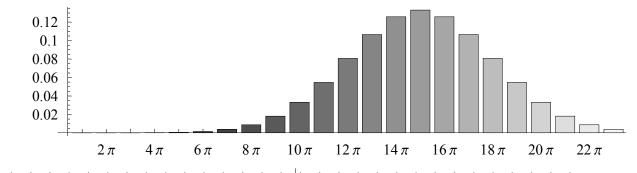
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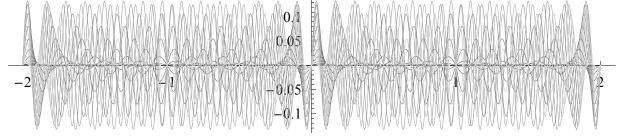






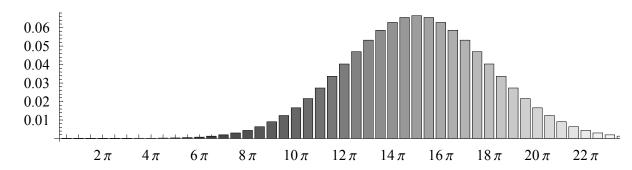
 $\Delta x = 1/3\pi$ ,  $\Delta k = 3\pi$ ,  $k_1 = 2\pi/2$ ,  $k_0=15\pi$ 

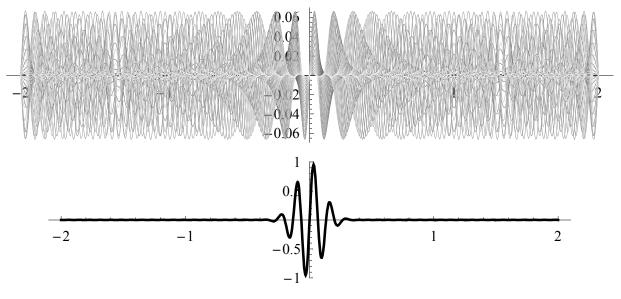




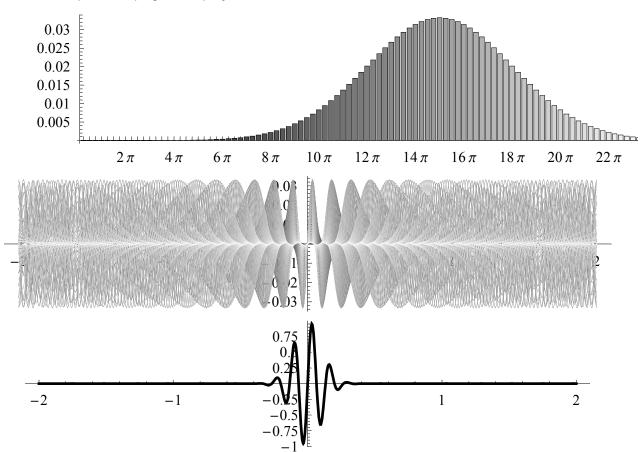


 $\Delta x = 1/3\pi$ ,  $\Delta k = 3\pi$ ,  $k_1 = 2\pi/4$ ,  $k_0=15\pi$ 





 $\Delta x = 1/3\pi$ ,  $\Delta k = 3\pi$ ,  $k_1 = 2\pi/8$ ,  $k_0=15\pi$ 



 $\Delta x = 1/3\pi$ ,  $\Delta k = 3\pi$ ,  $k_1 = 0$ ,  $k_0=15\pi$ 

