

Physic 321 HW for Thursday, 11/19

Frequency modulation.

A problem with amplitude modulation is that it is susceptible to amplitude noise. If you ever try to listen to an AM radio station during a thunderstorm, you will know what this means. A solution is to modulate the frequency (or more commonly the phase) of the carrier as follows:

$$y(t) = A_c \cos \left(2\pi f_c t + \frac{A_m f_\Delta}{f_m} \sin(2\pi f_m t) \right)$$

Where f_c is the carrier frequency, f_m is the modulation frequency, A_c and A_m are amplitudes and f_Δ has to do with how much the carrier frequency is modulated from its nominal value.

Repeat the analysis we did today with the above function for $f_c=440$ Hz, $f_m=10$ Hz $A_c=1$, $A_m=.1$, $f_\Delta=f_m$.

Turn in to me: (by email) a commented .m file which produces:

- 1) A y vector from 0 to 6 sec with the above parameters
- 2) A plot of y as a function of time from 0 to 0.1 sec
- 3) An FFT of y
- 4) A plot of the FFT amplitudes as a function of real physical frequency.
- 5) Include at the appropriate places as comments in the .m file or on a separate sheet the following:
 - a) Comments on how 2) is different from a similar plot for amplitude modulation
 - b) Interpretation of the FFT (note it is not as simple as the amplitude modulation case).