Monte Carlo Simulation

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Creating the Lake with 100 marked fish

```
## [1] 100
```

Monte Carlo Simulation

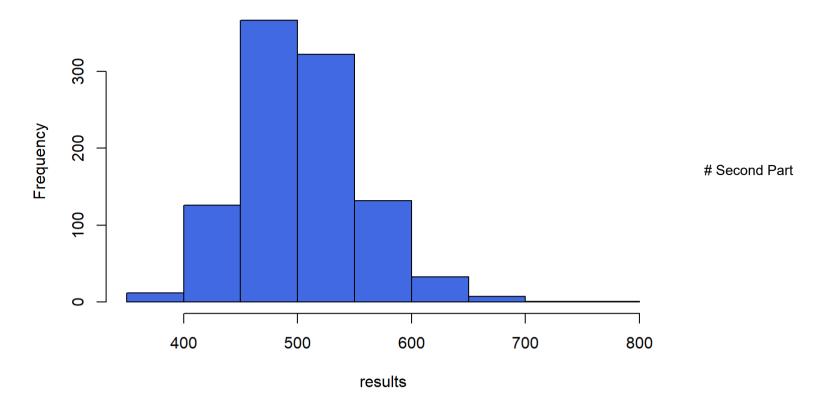
Next we are going to create a function to simulate 100 fish experiments and then calculate the number of fishes in the lake out of the results.

```
monte_carlo <- function (reps, dataset){</pre>
      "Run the same experiment for n reps and return the average proportion
      * reps: [int] How many repetitions of the same experiment
      * dataset: [data.frame] it is the dataframe with the fish data
  # Creating a vector to collect the marked fishes proportion
  results <- c()
  marked_prop <- c()</pre>
  #Let's simulate a fishing of 100 fishes, repeated 1,000 times
    for (experiment in seq(1,reps)) {
      # Shuffle the dataset
      shuffled <- sample(nrow(dataset))</pre>
      dataset <- dataset[shuffled, ]</pre>
      # Create a random index before catching the fish
      index <- sample(1:500, size=100)</pre>
      fishing <- dataset[index,]</pre>
      # Calculate the proportion
      p <- mean(fishing$marked)</pre>
      # Store result in the vector
      marked_prop <- c(marked_prop, p)</pre>
      marked_prop <- mean(marked_prop)</pre>
      "If we know the percentage of marked fish and we know that the total
      of marked fish in that lake is 100, then we can calculate the 100%
      using this formula:
      Marked Fish Total / Marked Fish Proportion "
      # Total Fish in the lake
      total_fish_lake <- marked_fish_total / marked_prop</pre>
      results <- c(results, total_fish_lake)</pre>
    } # close for Loop
    # Plot Histogram
  hist(results, col='royalblue', main='Histogram of Fish in the Lake')
} #close the function
```

Running the function created above, here's the result.

```
# Running the Monte Carlo Simulation
marked_fish_proportion <- monte_carlo(1000, fishes)
```

Histogram of Fish in the Lake



In this second part, we're going to simulate the number of customers to attend a restaurant on an average evening.

Assuming we are talking about average numbers, the Central Limit Theorem would approximate the averages to a normal curve. So, let's create a sample for 90 days based on a normal distribution.

The dataset

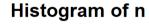
```
# Normal Distribution
n <- rnorm(90, mean=200, sd=40)

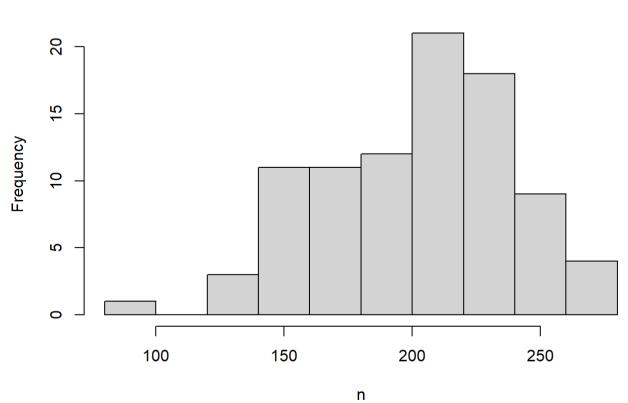
# Transform to Interger numbers
n <- as.integer(n)

# Calculate mean and Standar Dev
customer_avg <- mean(n)
customer_std <- sd(n)
print( paste('Mean:', customer_avg, ' | Std:', customer_std) )

## [1] "Mean: 201.8 | Std: 36.540019618329"

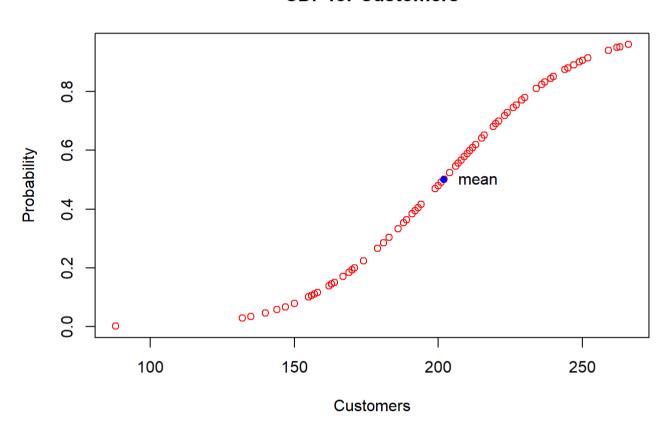
# Plot Histogram
hist(n)</pre>
```





Create a CDF for the simulations.

CDF for Customers



Simulating

We can simulate a random number between 0 and 1, which will translate to a simulated percentage. runif() can be used for to create that. The numbers convert to a simulated number of customers.

```
# Simulated attendance
mcs_customers <- function(simulations){</pre>
  "This function takes an integer number and generates that amount of repetitions of the simulation"
  # Create a list to store the results
  mcs_results <- c()</pre>
  for (n in 1:simulations){
    # Generate a random number
    r <- runif(1)
    # Use our CDF to capture the simulated quantity of customers
    simulated <- qnorm(r, mean=customer_avg, sd= customer_std)</pre>
    # Take the lowest integer rounded
    simulated <- floor(simulated)</pre>
    #Store result
    mcs_results <- c(mcs_results, simulated)</pre>
  } #end Loop
  # Plot histogram
  hist(mcs_results, col='royalblue')
  # Return vector
  return(mcs_results)
}# end function
```

Now, it's time to run 500 simulations.

```
mcs <- mcs_customers(500)
```

Histogram of mcs_results

