# Assignment 1 Complex Systems (Vingron part)

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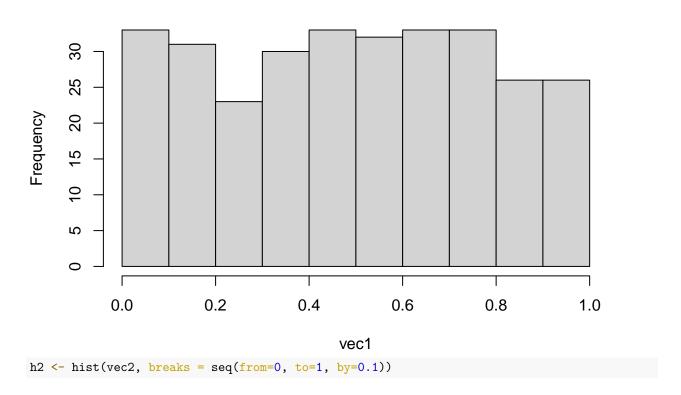
#### Exercise 4

```
library(infotheo)

#library(rmarkdown) #render

# Generate two vectors of length 300 from the continuous uniform distribution:
vec1 <- runif(300, min = 0, max = 1)
vec2 <- runif(300, min = 0, max = 1)
# Discretize the data to the bins of length 0.1:
h1 <- hist(vec1, breaks = seq(from=0, to=1, by=0.1))</pre>
```

### Histogram of vec1

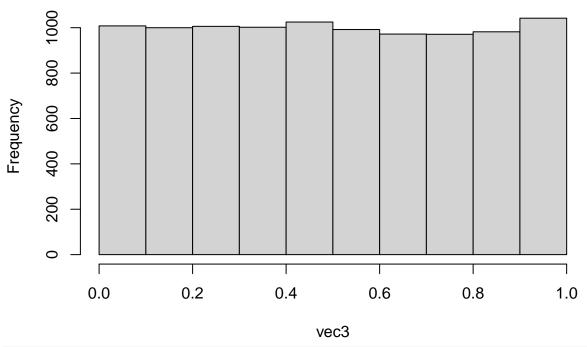


### Histogram of vec2

```
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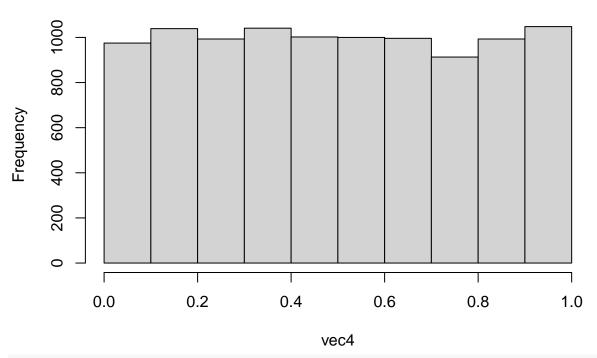
```
# Compute the mutual information:
# We expect the mutual information to be 0 if the variables are independent.
# If they are completely dependent, the mutual information should converge
# towards the entropy of one of the inputs.
mutinformation(h1$counts, h2$counts, method="emp")
## [1] 1.332179
# output: 1.695743
entropy(h1$counts, method="emp")
## [1] 1.609438
# output: 1.834372
entropy(h2$counts, method="emp")
## [1] 2.025326
# output: 2.163956
# We got an output close to the entropies of either of the two inputs,
# therefore they seem to be dependent variables.
# When the number of samples is increased, this also becomes more clear:
# Generate two vectors of length 300 from the continuous uniform distribution:
vec3 \leftarrow runif(10000, min = 0, max = 1)
vec4 \leftarrow runif(10000, min = 0, max = 1)
# Discretize the data to the bins of length 0.1:
h3 <- hist(vec3, breaks = seq(from=0, to=1, by=0.1))
```

# Histogram of vec3



h4 <- hist(vec4, breaks = seq(from=0, to=1, by=0.1))

# Histogram of vec4



# Compute the mutual information:
mutinformation(h3\$counts, h4\$counts, method="emp")

## [1] 2.163956

```
# output: 2.302585
entropy(h3$counts, method="emp")

## [1] 2.302585
# output: 2.302585
entropy(h4$counts, method="emp")

## [1] 2.163956
# output: 2.302585
# Here the mutual information converged to the entropy of both variables
```

### Exercises 1,2,3 are below