

CSDS 440: Machine Learning

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Office hours T, Th 11:15-11:45 or by appointment

Recap

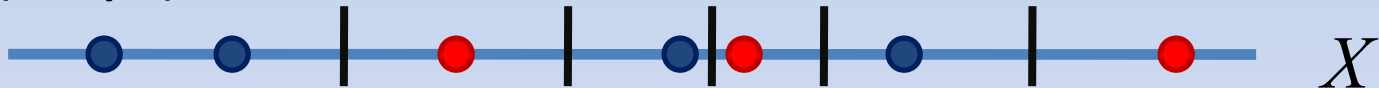
- To choose a test, we look for an attribute that provides i_____ about the l____. A quantity that encodes this is the e_____ of a random variable.
- E_____ is the expected length of the s_____ l_____ d_____ of a random variable.
- I_____ g_____ is the r_____ of e_____ of the class variable b_____ and a_____ partitioning.
- What problem arises with nominal features and info gain?
- We can attempt to resolve this issue by adjusting the split criterion. $GR(X) = \frac{\text{_____}}{\text{_____}}$. This works because _____.
- We partition on continuous features by considering all tests of the form _____.
- We only need to consider values that _____.

Today

- Decision Tree Induction (Ch 3, Mitchell)
- Overfitting and overfitting control

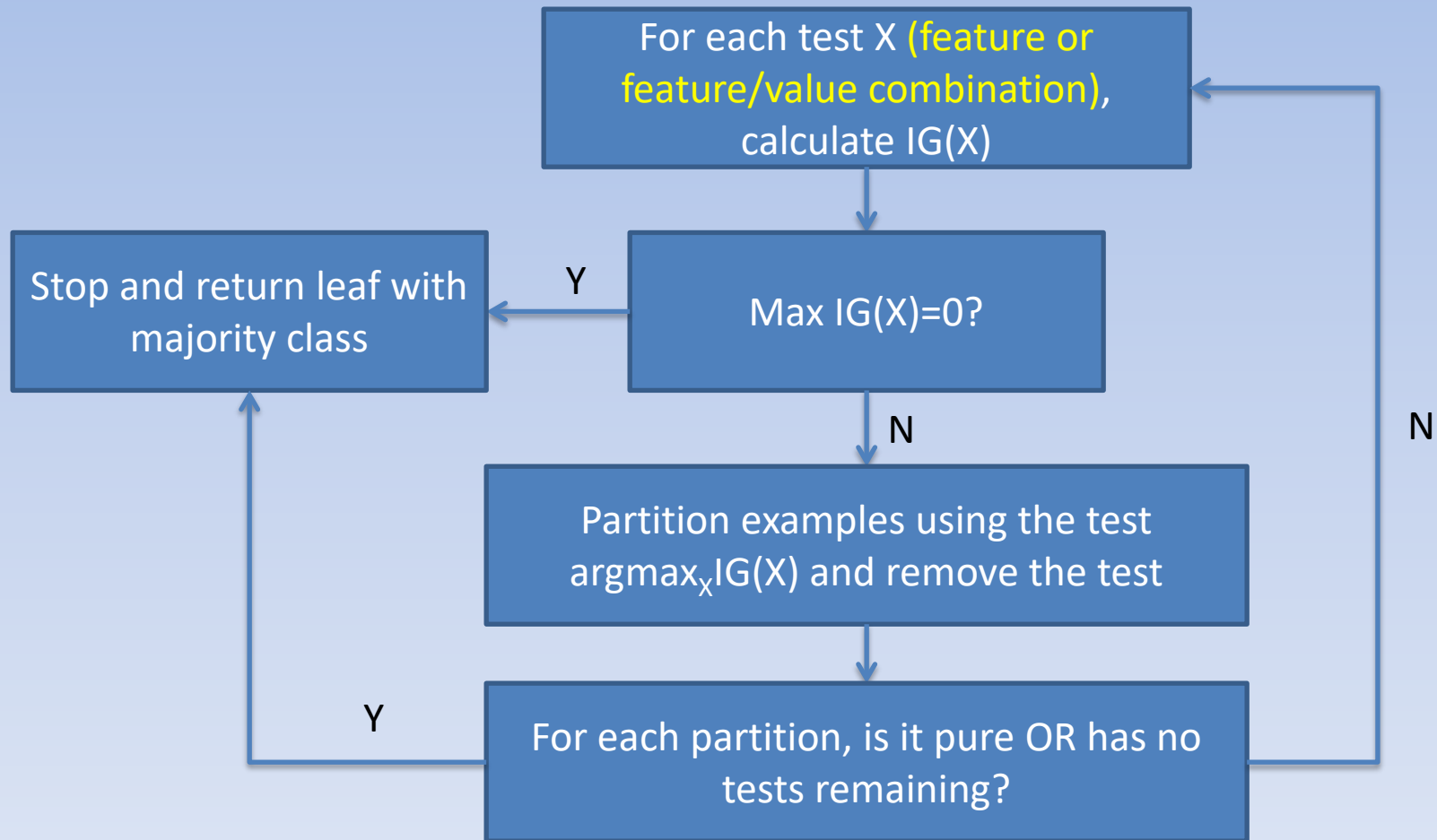
Continuous Attributes

- Cannot test for equality
- Consider all Boolean tests of the form $X \geq v$ (or $X \leq v$)
 - Only values of interest are those v that separate adjacent training examples with different classes (why?)



- Note: In this case, the attribute cannot be removed, though the test ((attribute, value) tuple) can be

ID3 Algorithm---Training phase



Example

Color	Area	Shape	Class Label
red	0.1	circle	1
blue	0.2	triangle	1
green	0.3	triangle	0
green	0.3	circle	0
green	0.4	square	0
red	0.4	triangle	1
blue	0.6	circle	0
red	0.7	square	0
blue	0.8	square	0

Example

Color	Area	Shape	Class Label
red	0.1	circle	1
blue	0.2	triangle	1
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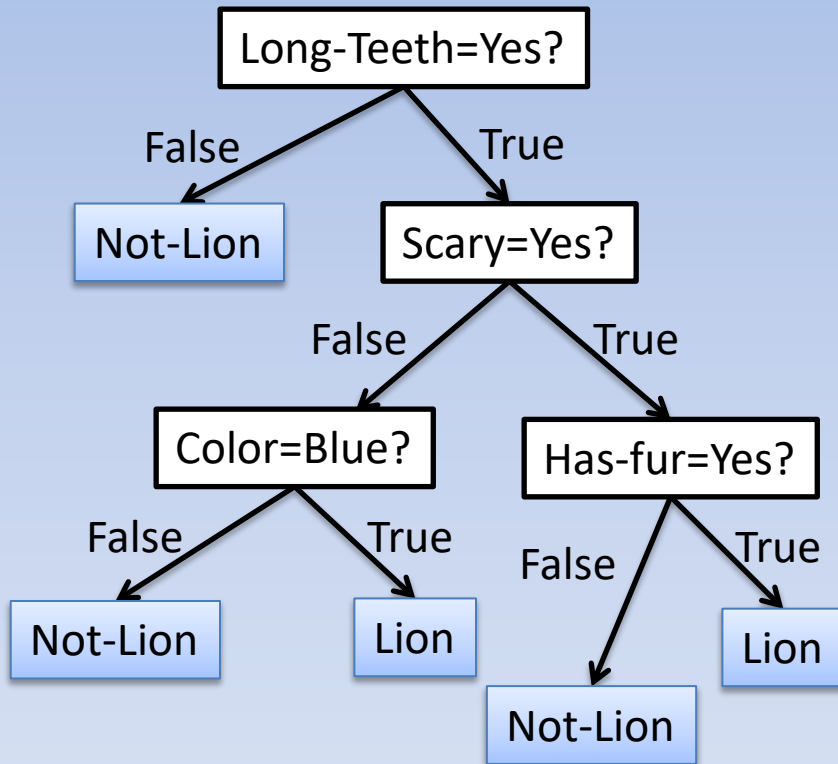
Example

Color	Area	Shape	Class Label
red	0.1	circle	1
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green	0.3	circle	0
green	0.4	square	0
red	0.4	triangle	1
blue	0.6	circle	0
red	0.7	square	0
blue	0.8	square	0

An Issue

- Given enough features, ID3 will usually be able to fit training examples exactly (i.e. every leaf is pure), because the tree can be grown as much as needed
- But real data is **noisy**

Overfitting



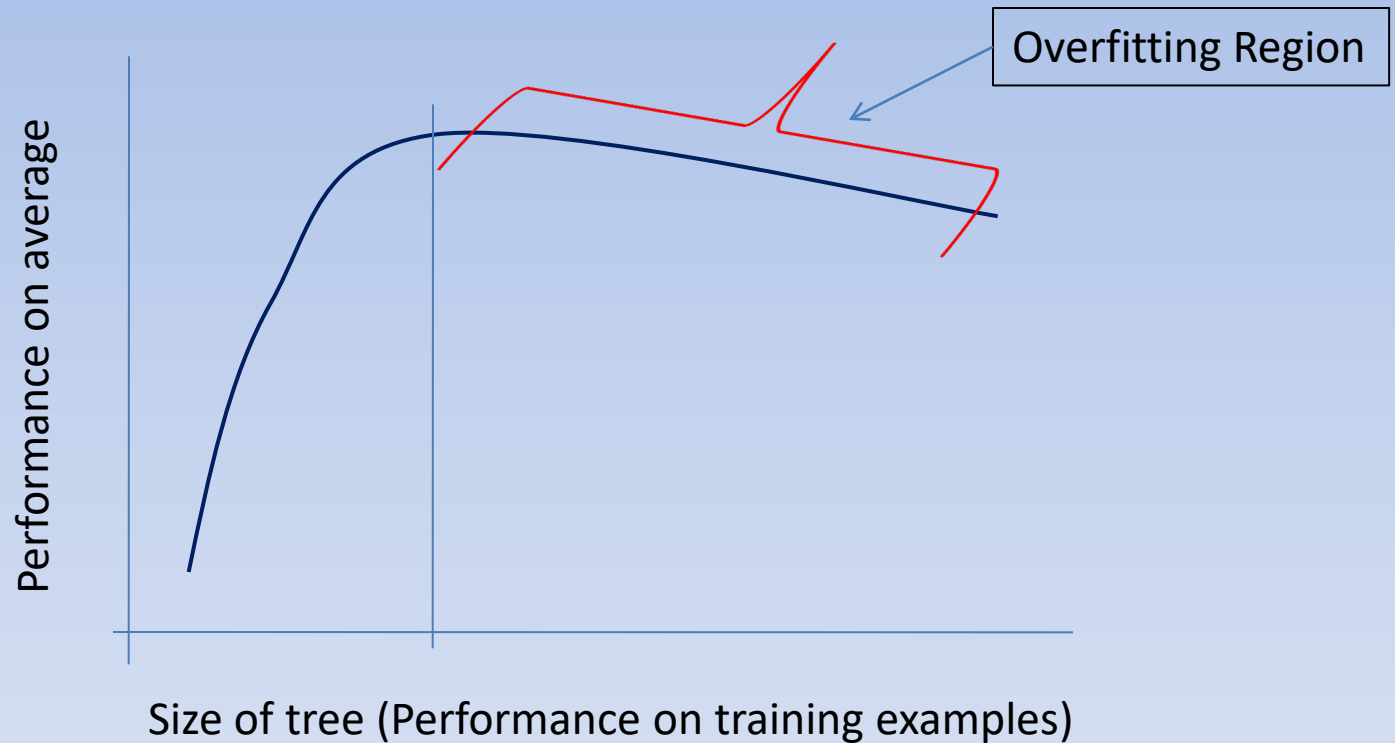
	Has-fur?	Long-Teeth?	Scary?	Color?	Lion?
Animal ₁	Yes	No	No	Green	No
Animal ₂	No	Yes	No	Black	No
Animal ₃	Yes	Yes	Yes	Golden	Yes
Animal ₄	Yes	Yes	No	Blue	Yes
Animal ₅	Yes	Yes	Yes	Tawny	Yes

Overfitting

- If a learned concept h has
 - Higher performance (lower error) on the training examples, **BUT**
 - Lower performance (higher error) on average across all examples

than some alternative concept h' in the same hypothesis space, h is said to have **overfit to the training examples**

Overfitting



Controlling Overfitting

- Introduce a **restriction** on the hypothesis space to prevent overly-complex hypotheses from being learned
 - Early Stopping
 - Post Pruning

Early Stopping

- Standard algorithm stops growing the tree when $IG(X)=0$ for all X
- Early stopping stops growing the tree when $IG(X) \leq \varepsilon$, for some chosen ε
- Sensitive to choice of ε
- Easy to implement, but does not work very well in practice

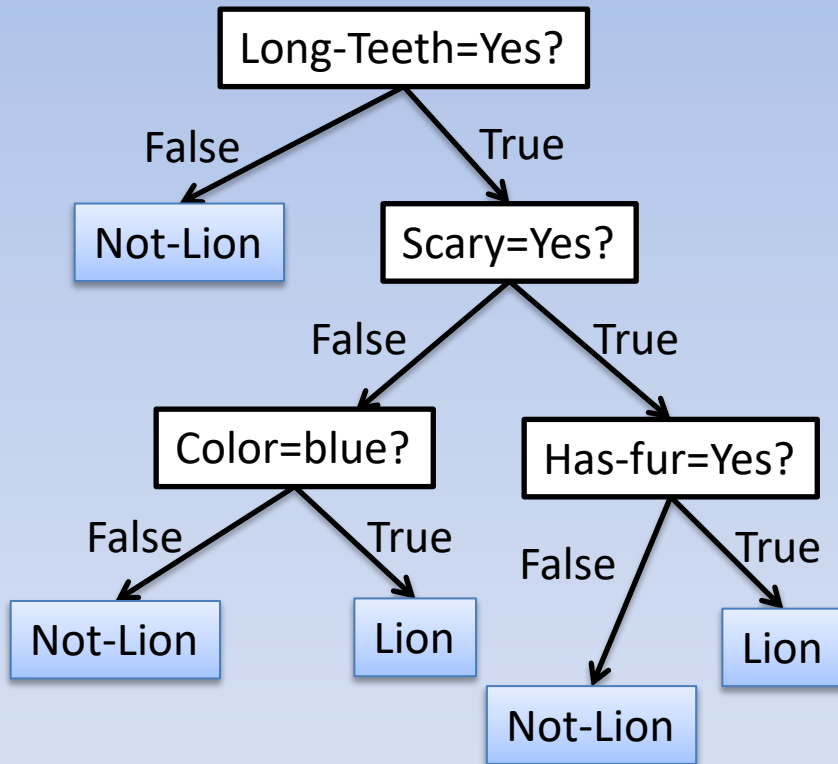
Greedy post-pruning

- Hold aside some training examples at start (**validation set**)
- Grow tree as usual on remainder
- Then run a *greedy pruning* algorithm

Greedy post-pruning

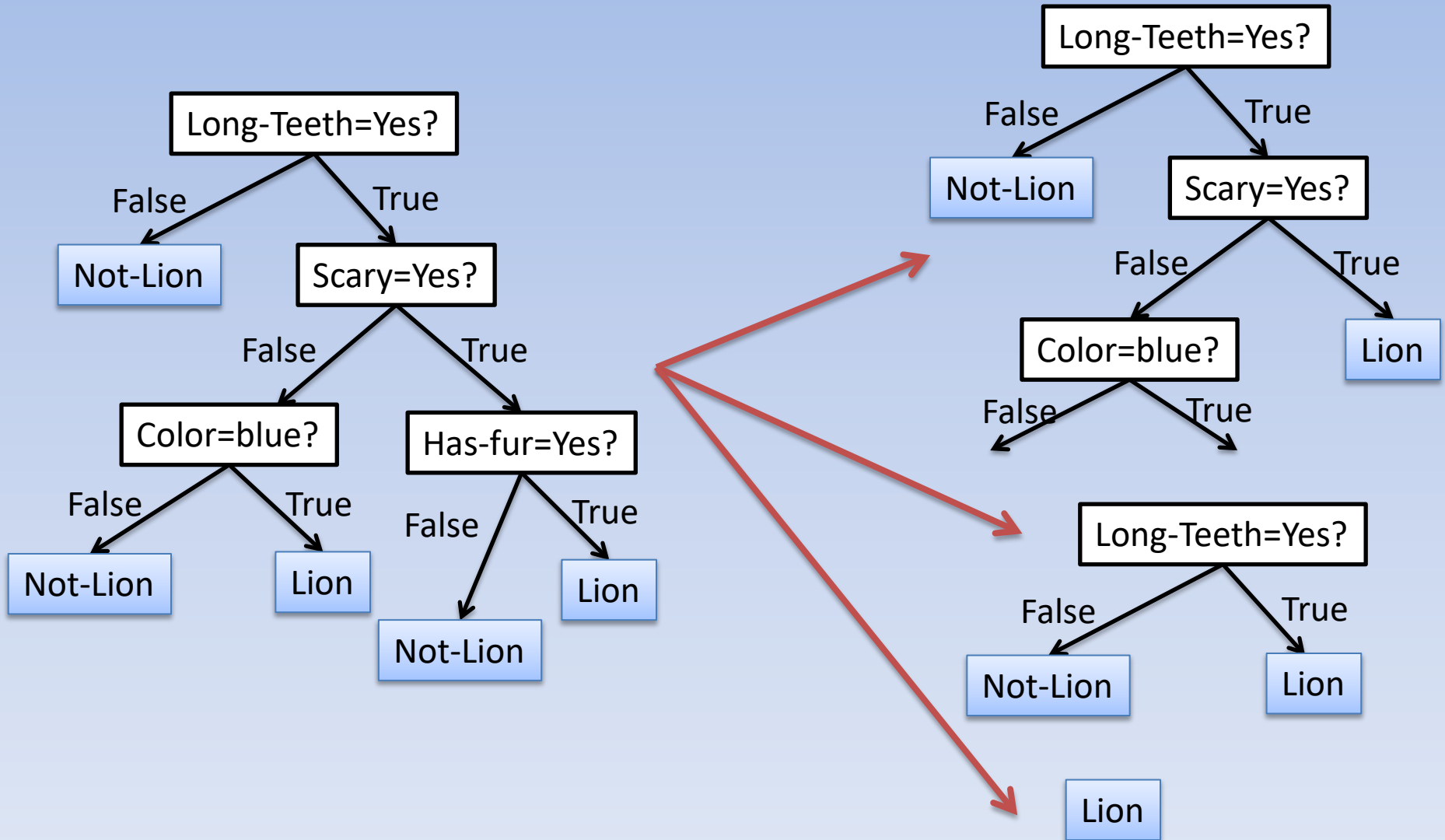
- For each internal node, construct a tree without that node
 - Convert node to leaf by predicting majority class
 - Delete subtree below node
- Evaluate this *pruned* tree **on the validation set**
- Find the single node that improves performance the most over the unpruned tree and remove it
- Repeat steps above until no node removal improves performance

Greedy Post Pruning



	Has-fur?	Long-Teeth?	Scary?	Color?	Lion?
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Animal ₅	Yes	Yes	Yes	Tawny	Yes
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Greedy Post Pruning



Greedy Post Pruning

