

Distributed Deadlock Detection

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AP/ CSE

Reference: **Advanced Concepts in OS**

by

Mukesh Singhal & N.G. Shivaratri

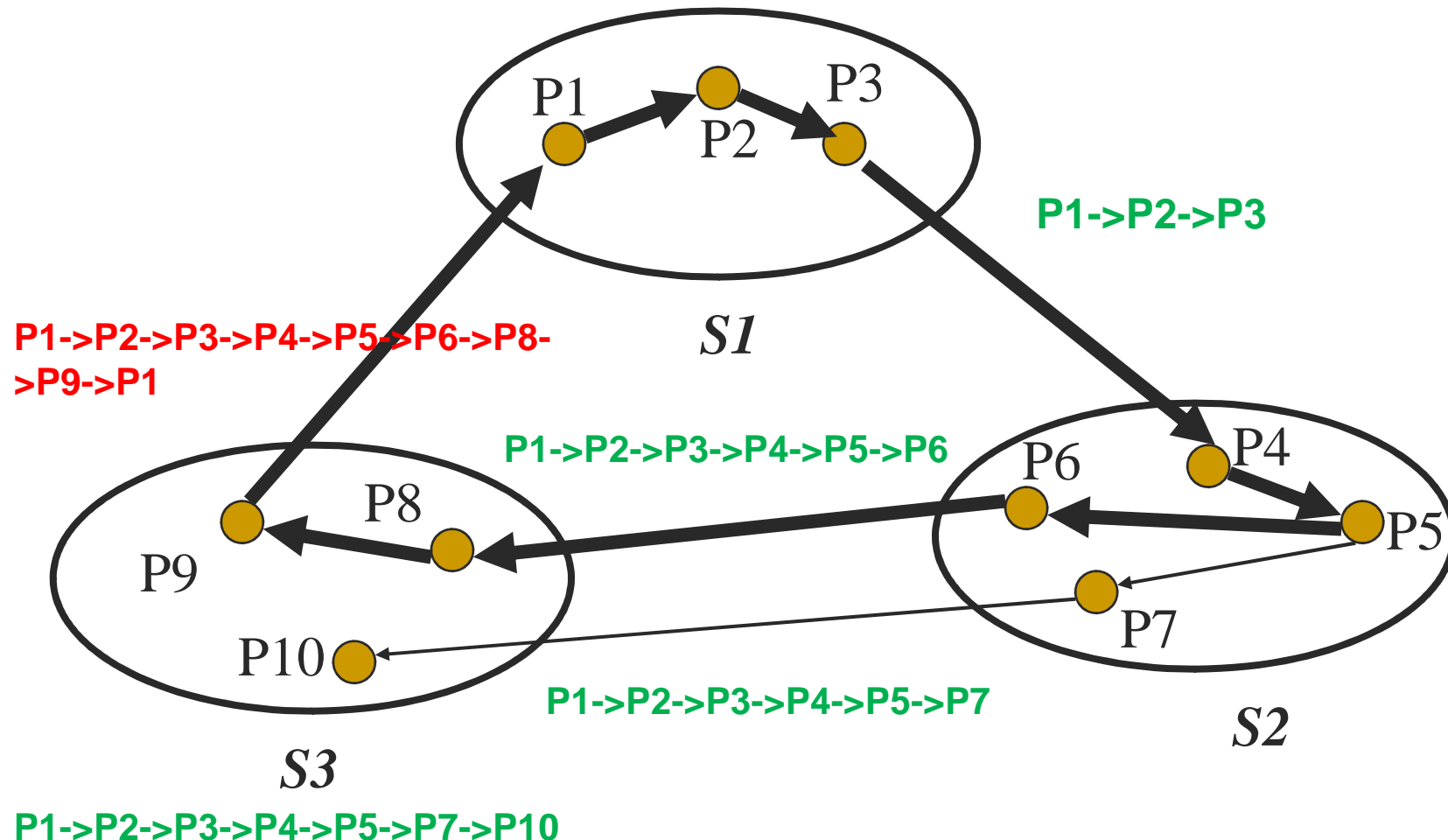


Distributed Deadlock Detection

Obermanck's Algorithm
&
Chandy, Misra and Haas Algorithm

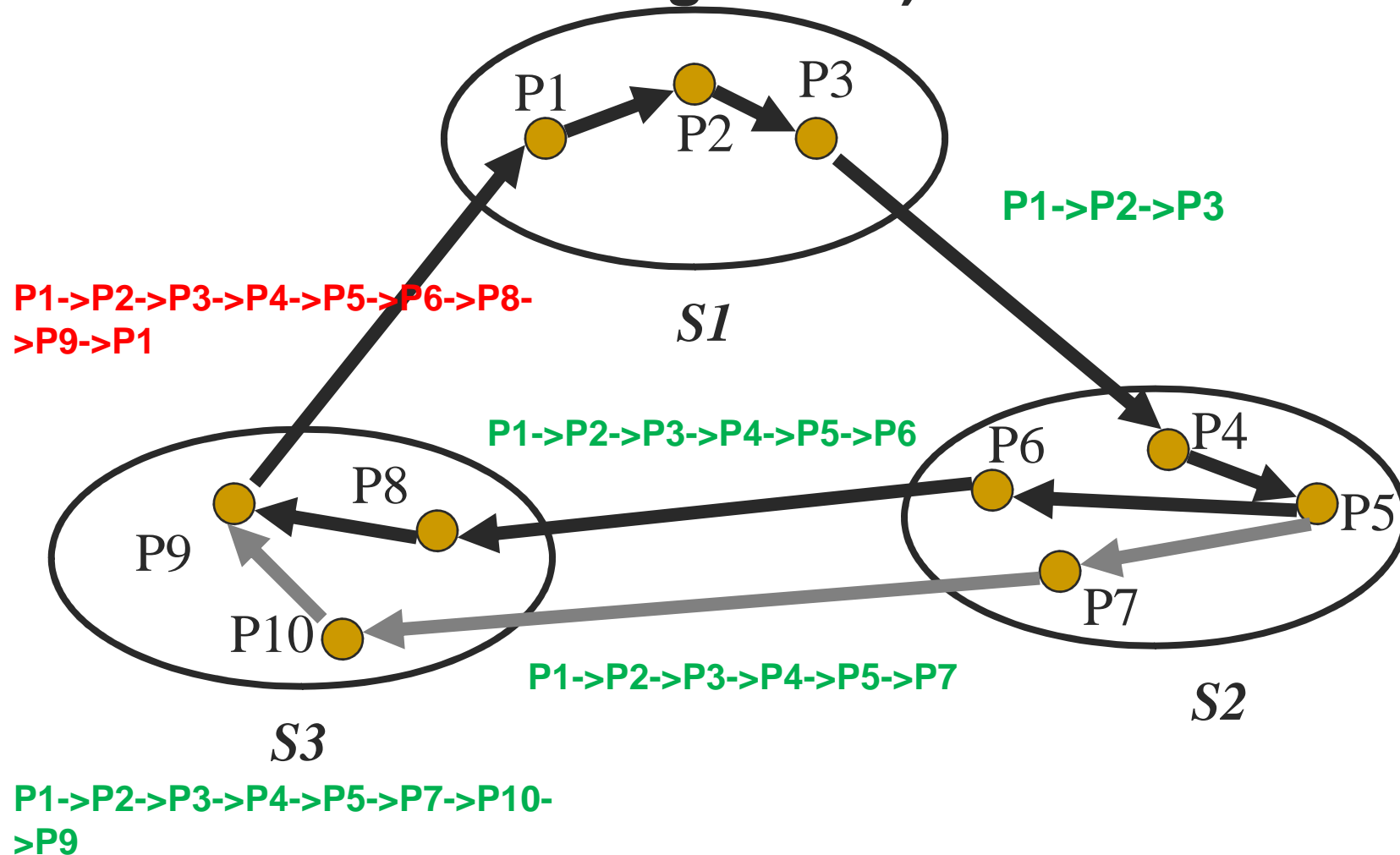
Deadlock in the **AND** model; there is a **cycle**
but no knot **No Deadlock** in the **OR** model

Path-Pushing Algorithm (Obermarck's Algorithm)



Deadlock in both the **AND** model and the **OR** model;
there are **cycles** and a **knot**

Path-Pushing Algorithm (Obermarck's Algorithm)



Drawbacks of Path-Pushing Algorithm

- The algorithm **detects Phantom deadlocks**
- The algorithm sends $n(n-1)/2$ messages to detect deadlock involving n sites.
- Size of the message is $O(n)$
- Delay in detecting deadlock is $O(n)$
- Overhead in sending WFG information to each site via network.
- By the time deadlock is declared, deadlock would have been resolved. (**Phantom deadlocks**).

Chandy Misra Haas's Algorithm

Edge-Chasing Algorithm

- Instead of sending the WFG from each site, this method sends a Probe message which has a fixed size.
- $\text{Probe}(i,j,k)$

Chandy Misra Haas's Algorithm

Edge-Chasing Algorithm

Controller sending a probe

```
if  $P_j$  is locally dependent on itself
  then declare deadlock
else for all  $P_j, P_k$  such that
  (i)  $P_i$  is locally dependent on  $P_j$ ,
  (ii)  $P_j$  is waiting for  $P_k$  and
  (iii)  $P_j, P_k$  are on different controllers.
  send probe( $i, j, k$ ). to home site of  $P_k$ 
```

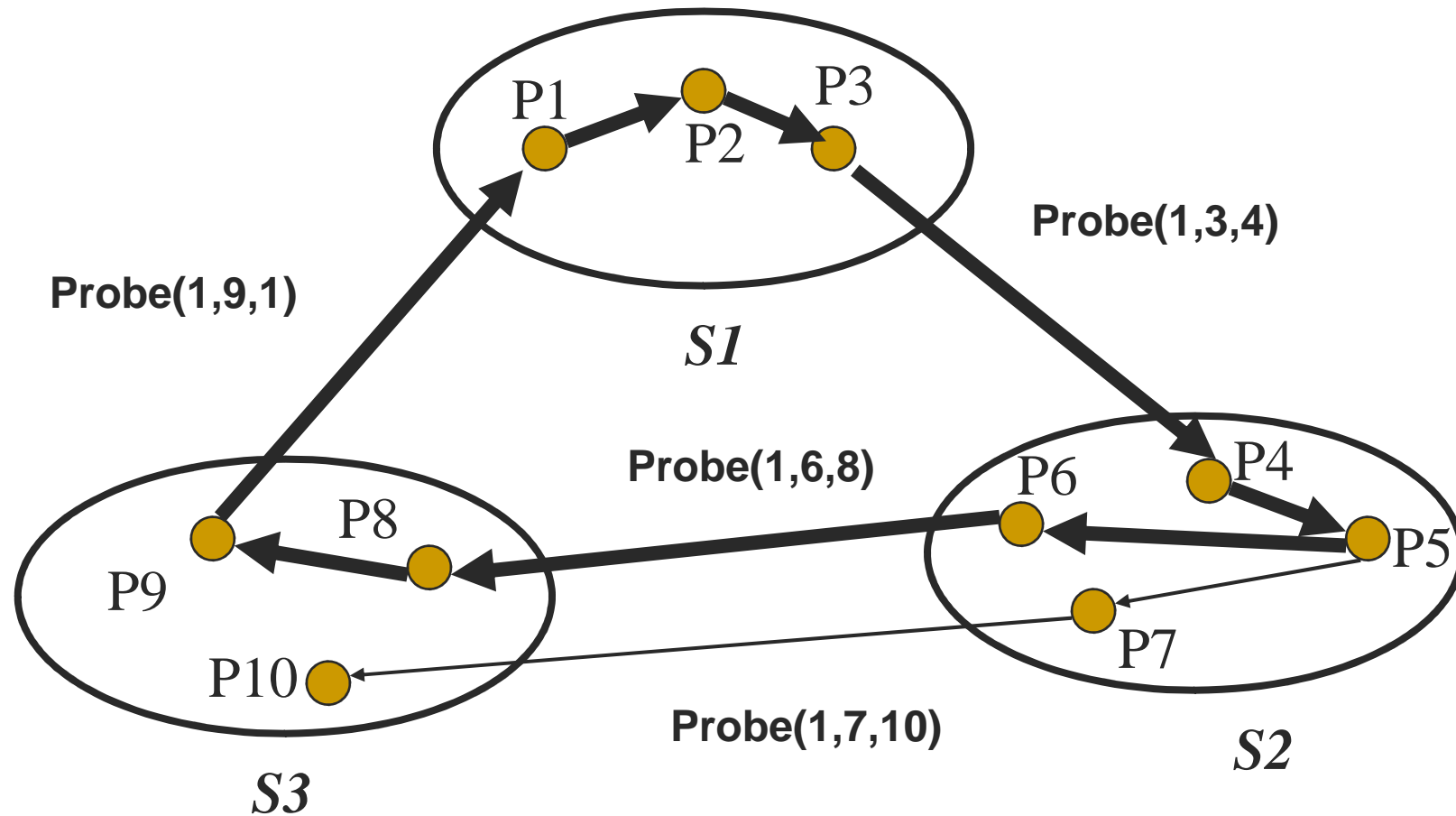
Controller receiving a probe

```
if
  (i)  $P_k$  is idle / blocked
  (ii)  $dependent_k(i) = \text{false}$ , and
  (iii)  $P_k$  has not replied to all requests of to  $P_j$ 
then begin
  "dependents" $_k(i) = \text{true}$ ;
  if  $k == i$ 
  then declare that  $P_i$  is deadlocked
  else for all  $P_a, P_b$  such that
    (i)  $P_k$  is locally dependent on  $P_a$ ,
    (ii)  $P_a$  is waiting for  $P_b$  and
    (iii)  $P_a, P_b$  are on different controllers.
    send probe( $i, a, b$ ). to home site of  $P_b$ 
  end
```

Deadlock in the AND model; there is a cycle
but no knot

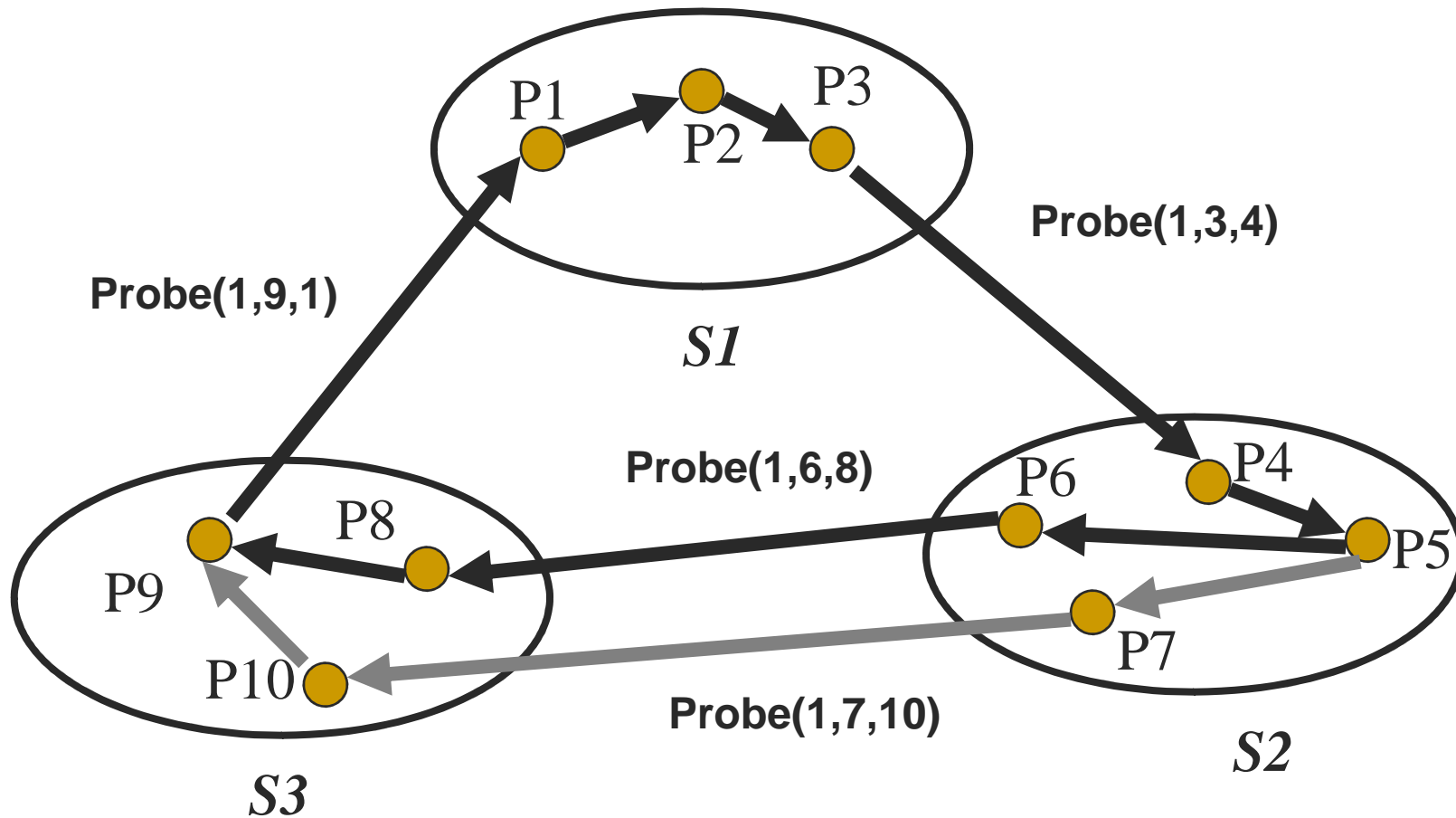
No Deadlock in the OR model

Edge-Chasing Algorithm



Deadlock in both the **AND** model and the **OR** model;
there are **cycles** and a **knot**

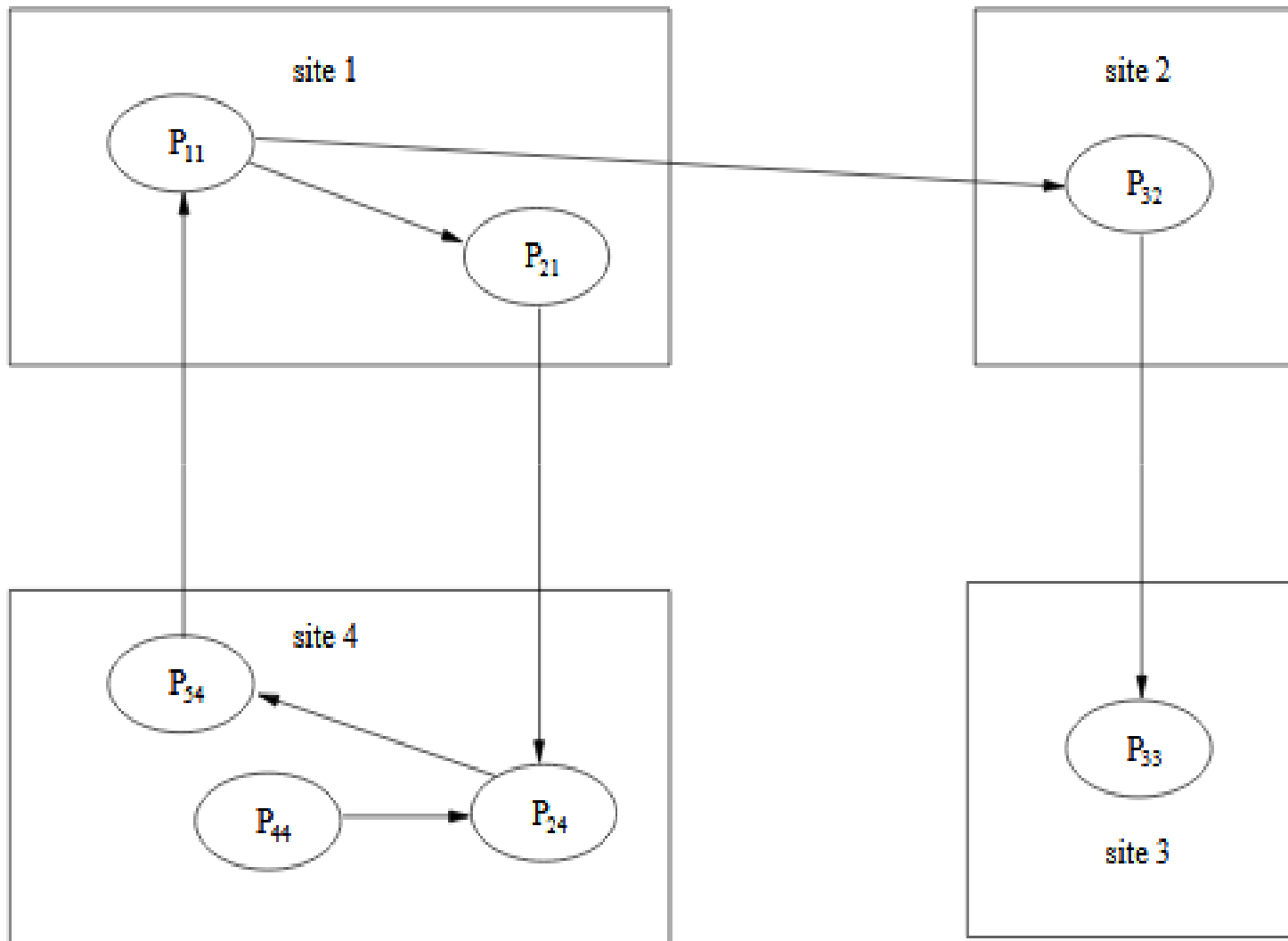
Edge-Chasing Algorithm



Edge-Chasing Algorithm

- The algorithm at most exchanges $m(n-1)/2$ messages to detect deadlock involving m processes and spans over n sites.
- Size of the message is fixed. Only 3 integer values.
- Delay in detecting deadlock is $O(n)$

Workout Example



[Other Deadlock detection Algorithms]

- Diffusion Computation Algorithm
- Global State Detection based Algorithm

[

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Thank You