

# PyBOP: Python Battery Model Optimisation and Parameterisation

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How does parameter X affect variable Y?

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## Operational Improvements

What is the current state of the cell?  
How fast can I charge the cell?

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## Design Optimisation

How energy dense can the cell be?  
What is the best configuration for this operation?

# Well then, why isn't everyone modelling?

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## Parameter values

Geometric & non-geometric

Requires cell disassembly

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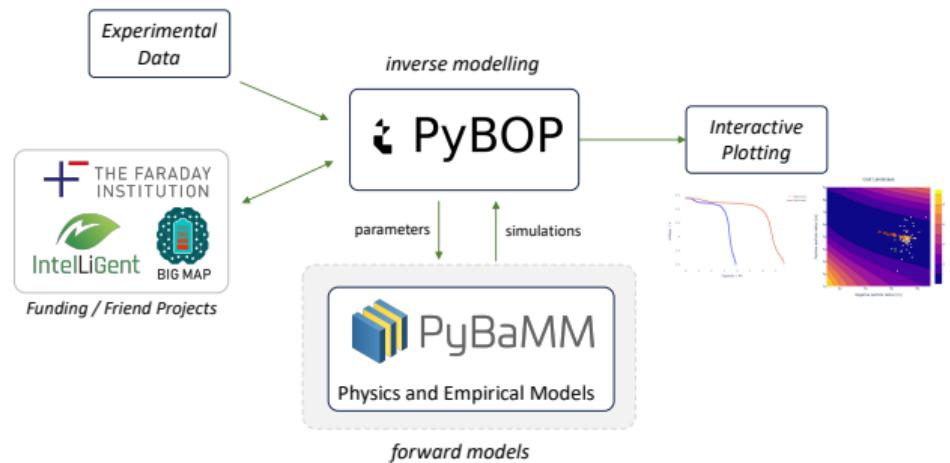
## Domain expertise

- Is a more complex model needed?
- Where should the complexity be added?

PyBOP is a platform to solve these challenges

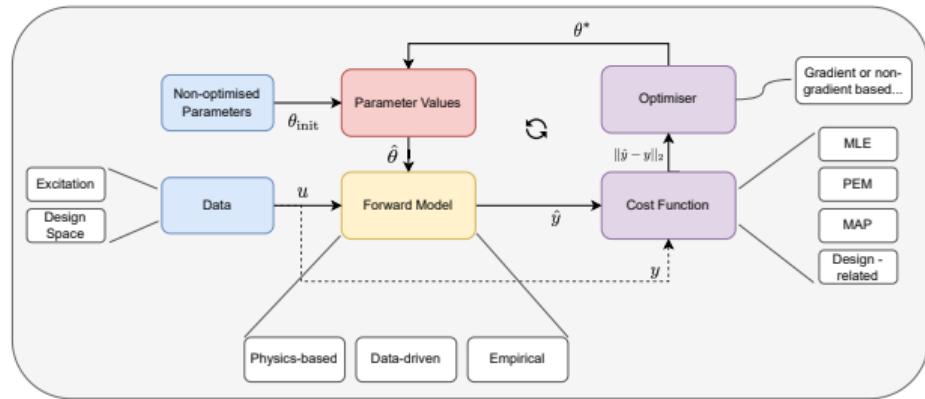
Provides workflows for parameter identification and exploitation:

- ▶ Physics-based parameter identification
  - ▶ Frequentistic and Bayesian methods
  - ▶ Fast empirical model fitting
  - ▶ Optimised cell designs



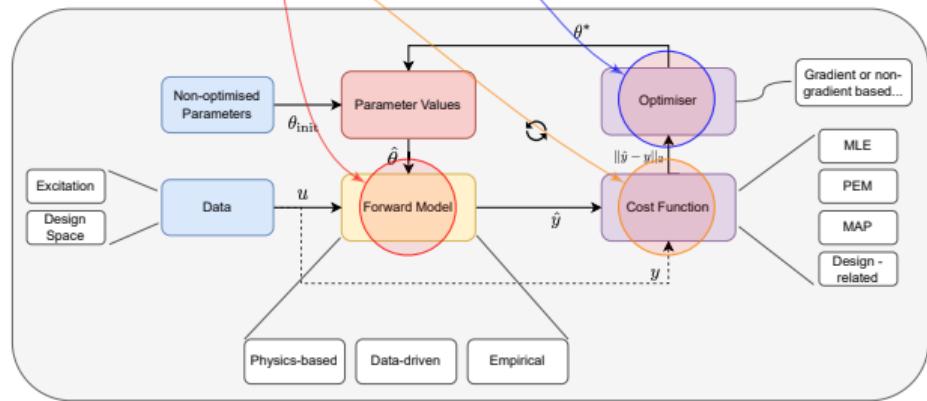
# This is achieved through concise, intuitive design

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# Generate problem, cost function, and optimisation class
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cost = pybop.SumSquaredError(problem)
optim = pybop.Optimisation(cost, optimiser=pybop.GradientDescent)
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# Example: Fast parameter estimation for circuit models

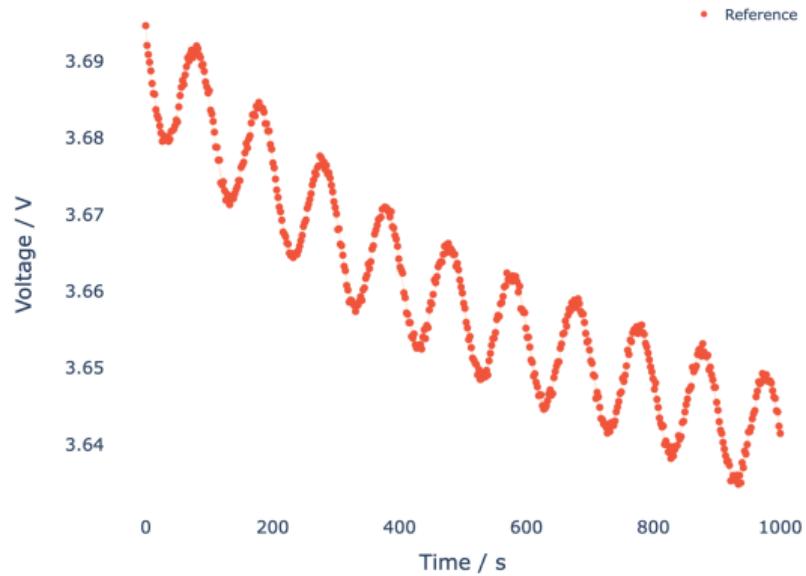
Benefiting from gradient and non-gradient optimisers

**Model:** 2-RC Thevenin model

**Data:** Synthetic data w/  
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**Conditions:** discharge biased  
sinusoid function

**Parameters:**  $R_0, R_1, R_2, C_1, C_2$



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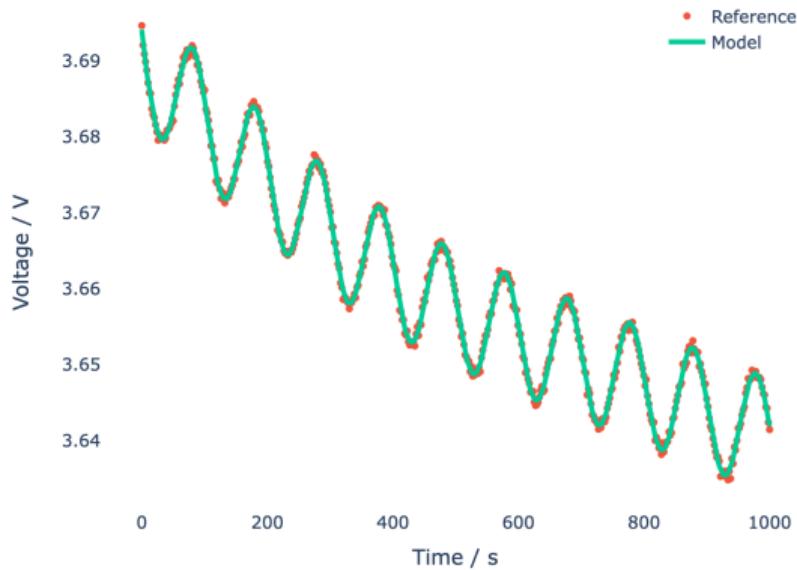
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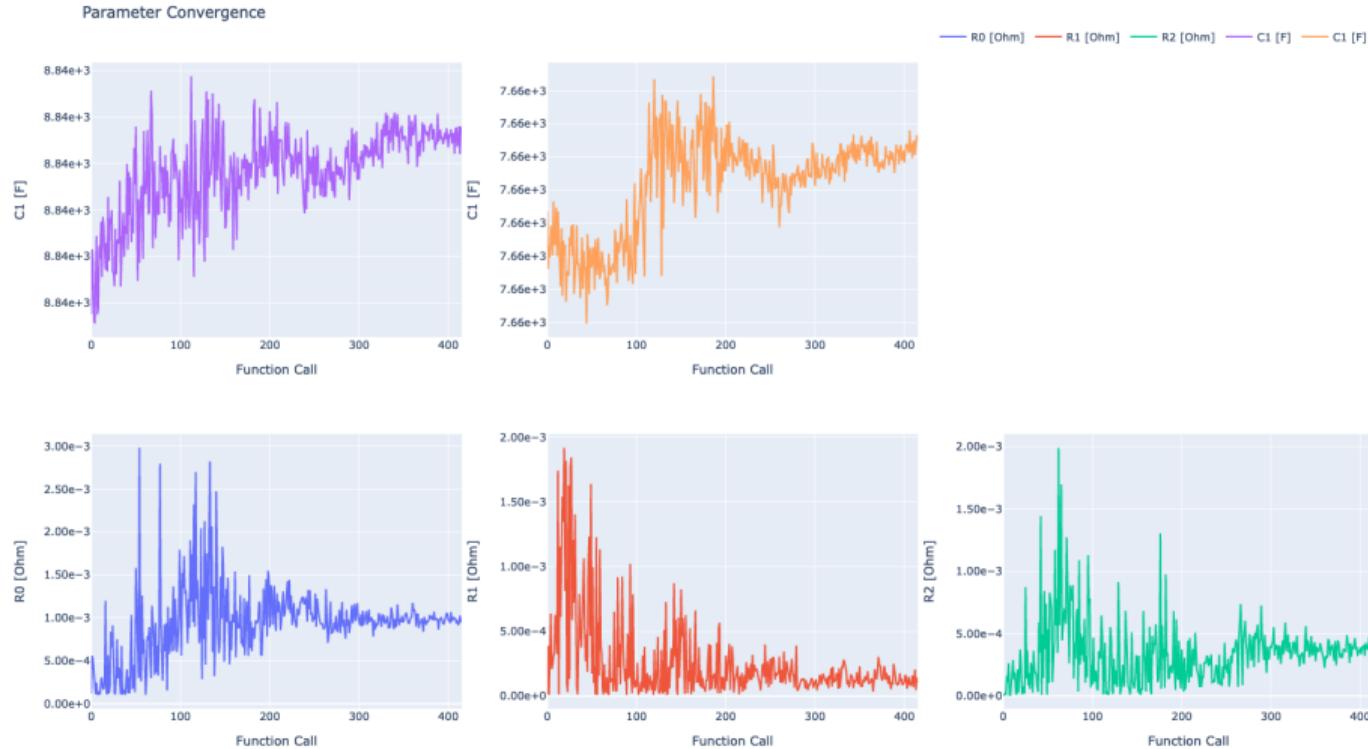
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# High dimensional parameter spaces still pose a challenge

Low identifiability on capacitance – excitation matters!



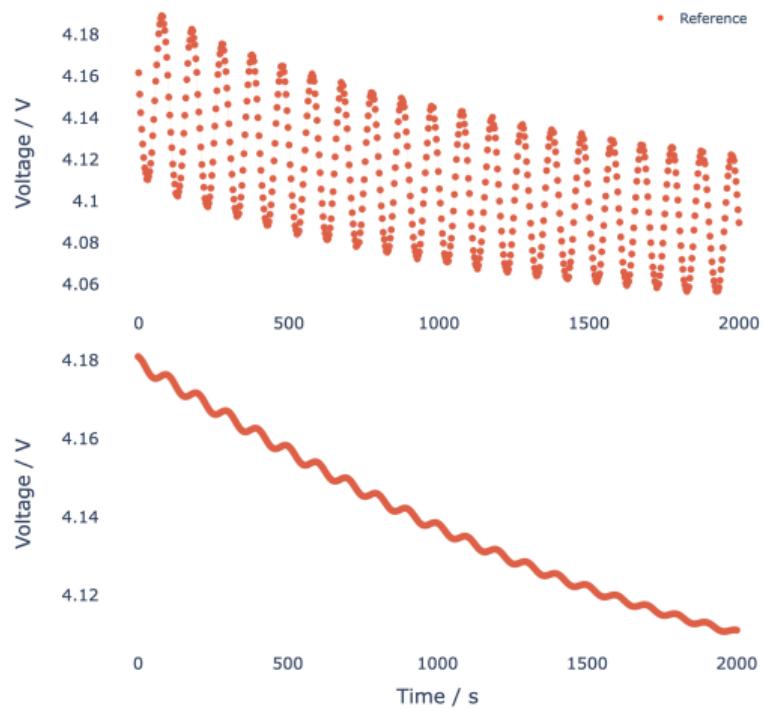
## Example: SPM parameter identification

Electrode thickness values for a single particle model<sup>a</sup> are identified from synthetic data.

- ▶ Fitting signals: Terminal voltage and predicted OCV
- ▶ Initial conditions  $\sim \mathcal{N}(\mu, \sigma^2)$
- ▶ Maximum iters: 150

Ground truth parameter values:

$$[L_n = 8.52\text{e-}05, L_p = 7.56\text{e-}05]$$



<sup>a</sup>All models are tested daily on the cloud!

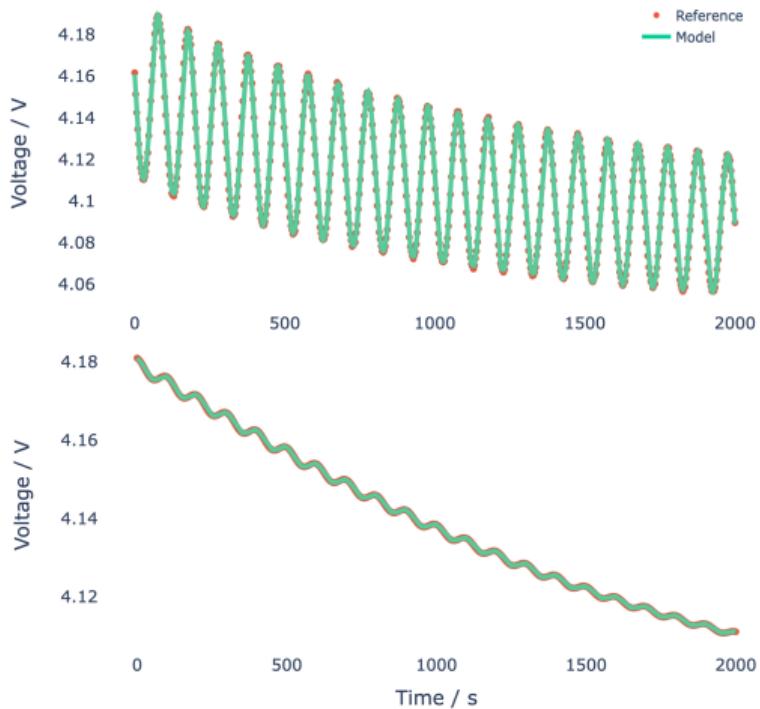
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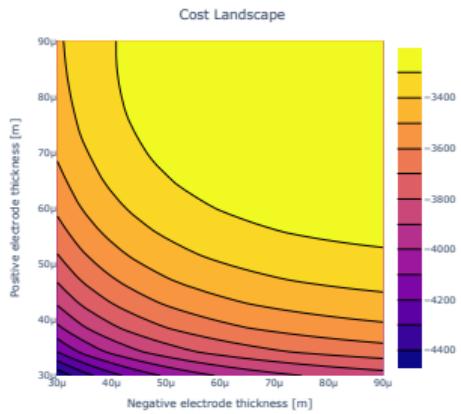
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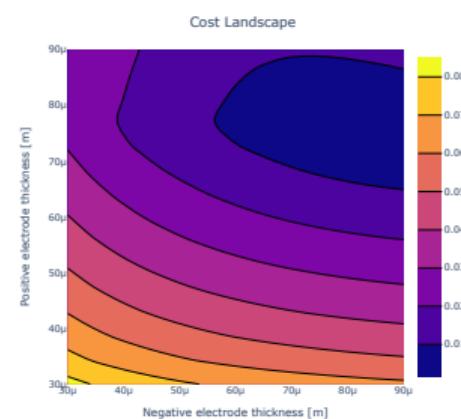
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# PyBOP provides multiple cost functions for parameter inference

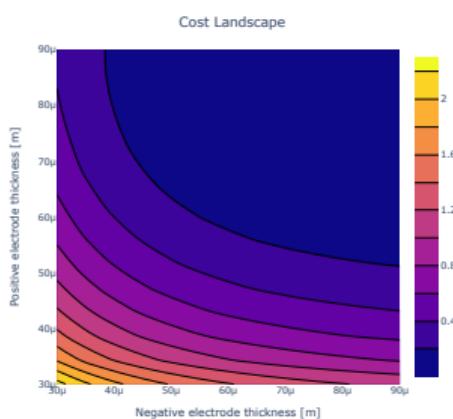
Maximum Likelihood



Root Mean Squared Error

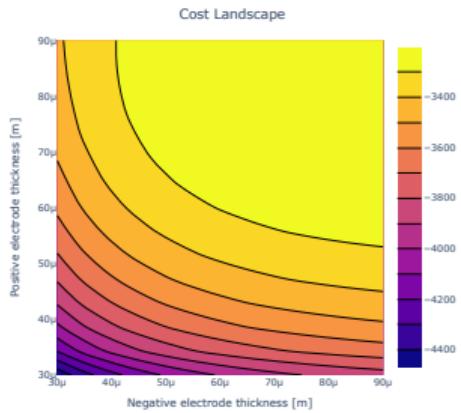


Sum of Squared Error

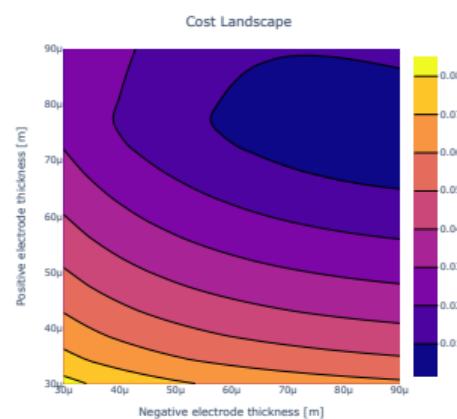


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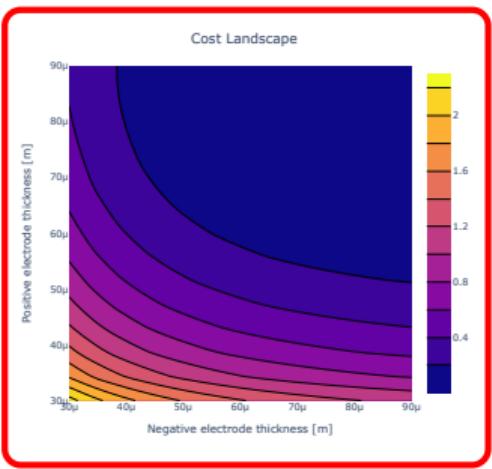
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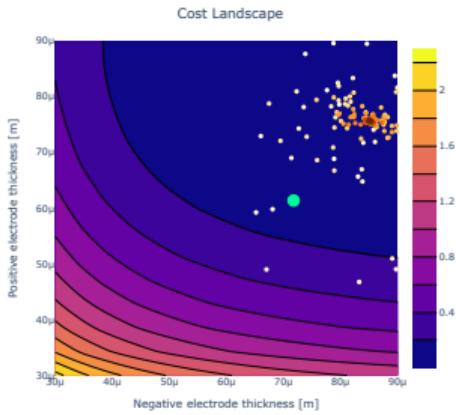


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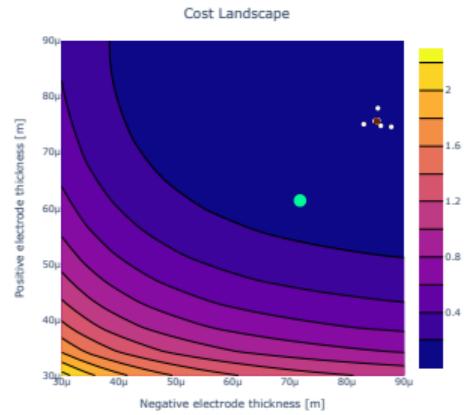


# Verfiying optimality with convergence plots

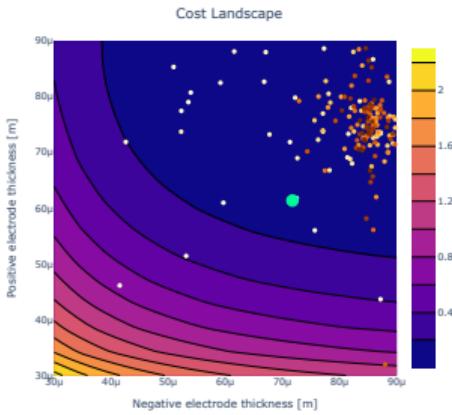
CMA-ES



Differential Evolution

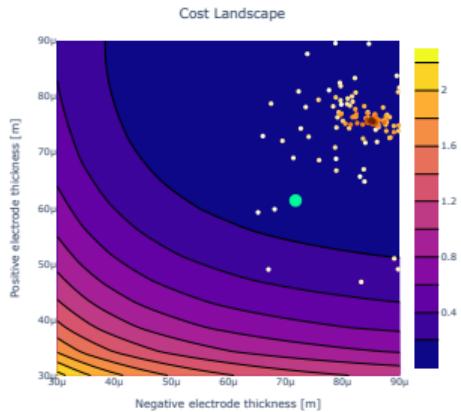


Particle Swarm

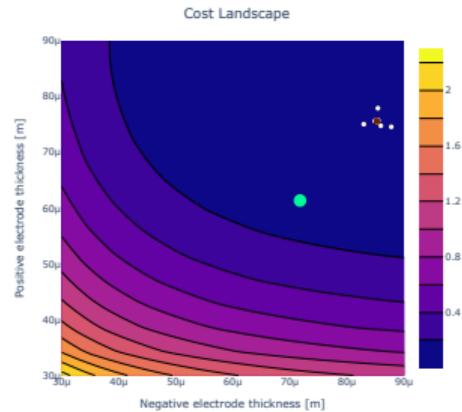


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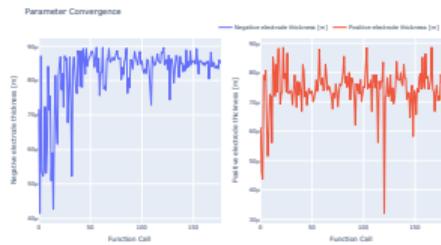
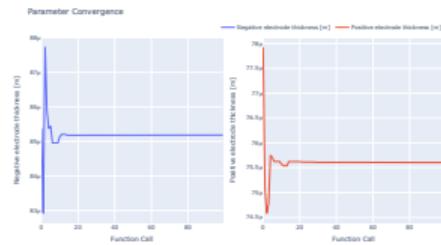
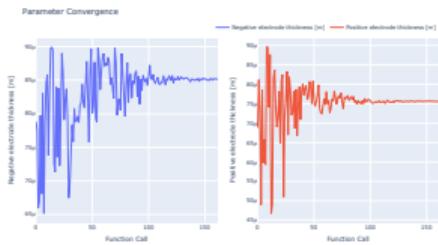
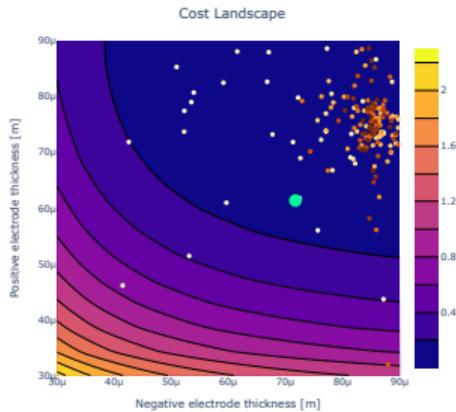
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Differential Evolution



Particle Swarm



# Example: Physics-based design optimisation

**Chemistry:** LNMO-Graphite/SiO<sub>x</sub>

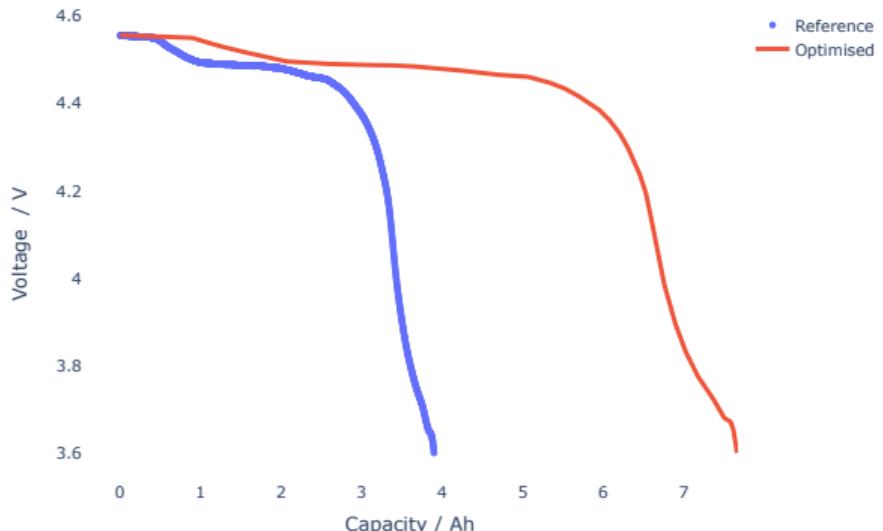
**Target:** Maximize cell-level specific energy density

**Parameters:** Electrode coating thickness

**Conditions:** 1C cycling

**Optimal:**

$$[L_n = 97e-06, L_p = 126e-06]$$



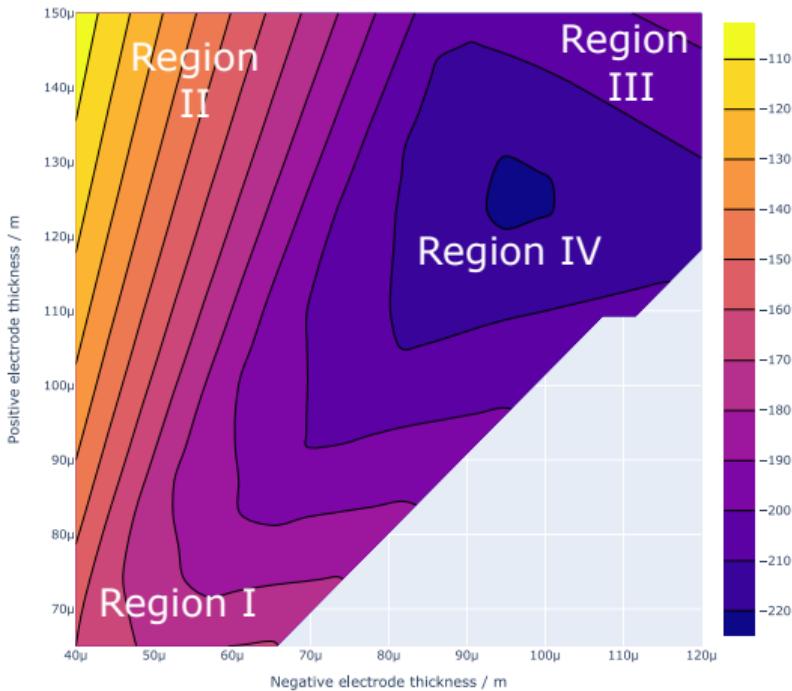
# PyBOP enables physical insights into design optimisation

**Region I:** Electrodes too thin compared to inactive material

**Region II:** Poor N:P balancing

**Region III:** Electrodes too thick and cause transport limitations

**Region IV:** Ideal N:P balance and optimised wrt active material and transport



# Get involved and become a developer and/or user!

## GitHub Repository:

[pybop-team/pybop](#)

## Installation:

pip install pybop

Examples



Docs



Benchmarks



## Future Projects:

- ▶ Expansion of Bayesian methods
- ▶ New optimisation algorithms
- ▶ Improved workflows for battery relevant model optimisation
- ▶ Just released v24.3!