The Marini Spreading PyRoll Plugin

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This plugin provides a spreading modelling approach with Marini's formula for flat rolling, adapted on groove rolling by an equivalent rectangle approach.

1 Model approach

1.1 Marini's spread equation

Marini [1] proposed Equation 3 for estimation of spreading in flat rolling. Where h and b are height and width of the workpiece with the indices 0 and 1 denoting the incoming respectively the outgoing profile. A and B are parameters introduced by Marini. R is the roll radius and μ is the friction coefficient.

$$A = \frac{\sqrt{\Delta h}}{2\mu\sqrt{R}}\tag{1}$$

$$B = \sqrt{\frac{\Delta h}{R}} \tag{2}$$

$$b_1 = b_0 + \frac{2\Delta h b_0 \left(R - \frac{h_0}{2}\right) B}{h_1 b_0 + \left(\frac{b_0 (h_0 + h_1)}{2} \frac{1 + A}{1 - A}\right) \frac{0.91 (b_0 + 3h_0)}{4h_0} + 2h_1 RB}$$
(3)

To archive consistency with previous models, equation 3 is reformulated to calculated the spread β of the roll pass. Values denoted with ' are equivalent values, these are calculated using a suitable approach for calculation of a equivalent flat roll pass.

$$\Delta b' = \frac{2\Delta h b_0 \left(R - \frac{h_0}{2}\right) B}{h_1 b_0 + \left(\frac{b_0 (h_0 + h_1)}{2} \frac{1 + A}{1 - A}\right) \frac{0.91 (b_0 + 3h_0)}{4h_0} + 2h_1 R B}$$
(4a)

$$\beta = 1 + \frac{\Delta b'}{b_0'} \tag{4b}$$

Table 1: Hooks specified by this plugin. Symbols as in Equation 3.

Hook name	Meaning
•	Parameter A of Marini's spreading equation Parameter B of Marini's spreading equation

2 Usage instructions

The plugin can be loaded under the name pyroll_marini_spreading.

An implementation of the width hook on RollPass is provided, calculating the spread using the equivalent rectangle approach and Marini's model.

Several additional hooks on RollPass are defined, which are used in spread calculation, as listed in Table 1. Base implementations of them are provided, so it should work out of the box. For marini_parameter_a and marini_parameter_b the equations 1 and 2 are implemented. Friction coefficient can be adjusted individually. Provide your own hook implementations or set attributes on the RollPass instances to alter the spreading behavior.

References

[1] N Marini. "Nuova teoria sulla laminazione". In: La Metallurgia Italiana (1941), pp. 292–309.