

# The Marini Spreading PyRoll Plugin

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This plugin provides a spreading modelling approach with Marini's formula for flat rolling, adapted on groove rolling by an equivalent rectangle approach.

## 1 Model approach

### 1.1 Marini's spread equation

Marini [1] proposed Equation 3 for estimation of spreading in flat rolling. Where  $h$  and  $b$  are height and width of the workpiece with the indices 0 and 1 denoting the incoming respectively the outgoing profile.  $A$  and  $B$  are parameters introduced by Marini.  $R$  is the roll radius and  $\mu$  is the friction coefficient.

$$A = \frac{\sqrt{\Delta h}}{2\mu\sqrt{R}} \quad (1)$$

$$B = \sqrt{\frac{\Delta h}{R}} \quad (2)$$

$$b_1 = b_0 + \frac{2\Delta h b_0 \left(R - \frac{h_0}{2}\right) B}{h_1 b_0 + \left(\frac{b_0(h_0+h_1)}{2} \frac{1+A}{1-A}\right) \frac{0.91(b_0+3h_0)}{4h_0} + 2h_1 R B} \quad (3)$$

To archive consistency with previous models, equation 3 is reformulated to calculate the spread  $\beta$  of the roll pass. Values denoted with ' are equivalent values, these are calculated using a suitable approach for calculation of a equivalent flat roll pass.

$$\Delta b' = \frac{2\Delta h b_0 \left(R - \frac{h_0}{2}\right) B}{h_1 b_0 + \left(\frac{b_0(h_0+h_1)}{2} \frac{1+A}{1-A}\right) \frac{0.91(b_0+3h_0)}{4h_0} + 2h_1 R B} \quad (4a)$$

$$\beta = 1 + \frac{\Delta b'}{b'_0} \quad (4b)$$

Table 1: Hooks specified by this plugin. Symbols as in Equation 3.

| Hook name                         | Meaning                                      |
|-----------------------------------|----------------------------------------------|
| <code>marini_parameter_a</code>   | Parameter $A$ of Marini's spreading equation |
| <code>marini_parameter_b</code>   | Parameter $B$ of Marini's spreading equation |
| <code>friction_coefficient</code> | Friction coefficient $\mu$                   |

## 2 Usage instructions

The plugin can be loaded under the name `pyroll_marini_spreading`.

An implementation of the `width` hook on `RollPass` is provided, calculating the spread using the equivalent rectangle approach and Marini's model.

Several additional hooks on `RollPass` are defined, which are used in spread calculation, as listed in Table 1. Base implementations of them are provided, so it should work out of the box. For `marini_parameter_a` and `marini_parameter_b` the equations 1 and 2 are implemented. Friction coefficient can be adjusted individually. Provide your own hook implementations or set attributes on the `RollPass` instances to alter the spreading behavior.

## References

- [1] N Marini. "Nuova teoria sulla laminazione". In: *La Metallurgia Italiana* (1941), pp. 292–309.