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# Causal ML for Smarter Advertising Campaigns with Python

**Swiss Python Summit 2025**

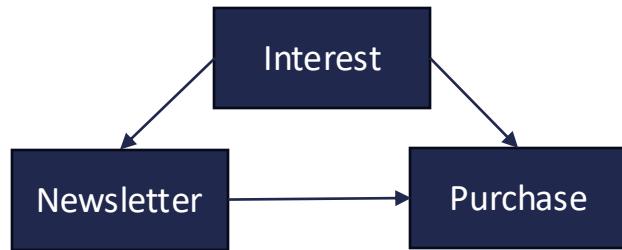
**Francesco Conti, Data Scientist @ Agile Lab**

# Agenda

- Why Does Causality Matter?
- Effect Estimation of Advertising Campaigns Using Causal Inference
- Targeting the Right Customers with Causal ML

# Why Does Causality Matter?

# Making Decisions



*Should I send my newsletter to more customers?*

You notice a positive correlation between newsletter readers and those who buy more.

## ⚠ Potential Pitfalls:

**Correlation does not imply causation:** What if both newsletter reading and buying are driven by a third factor?

**Intervention is missing:** We are just observing, we need to understand what will happen if we send the newsletter.

How would data change with our intervention?

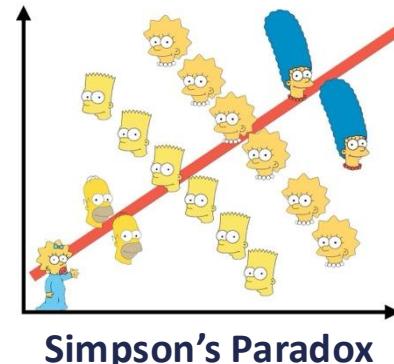
**Prescription:** Causality matters whenever decisions require intervention, not just observation.

# Making Decisions in Digital Marketing

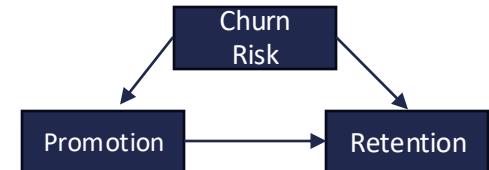
**Effect Estimation:** Did my anti-churn marketing promotion have a positive impact on my customers?

Segment	Total	Low Risk	High Risk
Contacted	26% (260/1000)	10% (20/200) 	30% (240/800) 
Not Contacted	24% (240/1000)	20% (160/800) 	40% (80/200) 

Churn rate = (# customers who churned) / (total customers)



**Confounding Bias**



> Causality helps measure the impact of decisions without bias

**Targeting:** Which customers should I offer an anti-churn promotion to?



Predictive Models  
Who's going to churn next?

Is prediction enough to make decisions?

> Causality helps in targeting the right customers based on potential effect

**What happens after our intervention?**

Consider customers with a high probability of churn.



Still Churn



Don't Churn

**How can we produce causal  
estimates?**

# Measuring the Treatment Effect on Outcome

$$T \in \begin{cases} 0 & \text{control} \\ 1 & \text{treated} \end{cases}$$

**Binary treatment:**  
Discount, promotion, ...

$$y^{(i)}$$

**Observed or potential outcome**  
Retention, purchases, ...

$$\tau^{(i)} = y^{(i)}(T = 1) - y^{(i)}(T = 0)$$

**Individual Treatment Effect**

**Takeaways:**

What would happen with the treatment versus without it.  
The catch? You'll never observe both.

$$ATT = E[Y_1 - Y_0 | T = 1]$$

**Average treatment effect on the treated**

**Takeaways:**

An average effect across treated units.  
Still, we can't measure it directly, but it can be estimated.

$$E[Y|T = 1] - E[Y|T = 0] = \underbrace{E[Y_1 - Y_0 | T = 1]}_{ATT} + \underbrace{\{E[Y_0 | T = 1] - E[Y_0 | T = 0]\}}_{BIAS}$$

**Takeaways:**  
The very essence of causal inference

# Measuring the Treatment Effect on Outcome

$$T \in \begin{cases} 0 & \text{control} \\ 1 & \text{treated} \end{cases}$$

$$\tau^{(i)} = y^{(i)}(T = 1) - y^{(i)}(T = 0)$$

$$E[Y_1 - Y_0|T = 1]$$

outcome

..

ment versus without it.  
h.

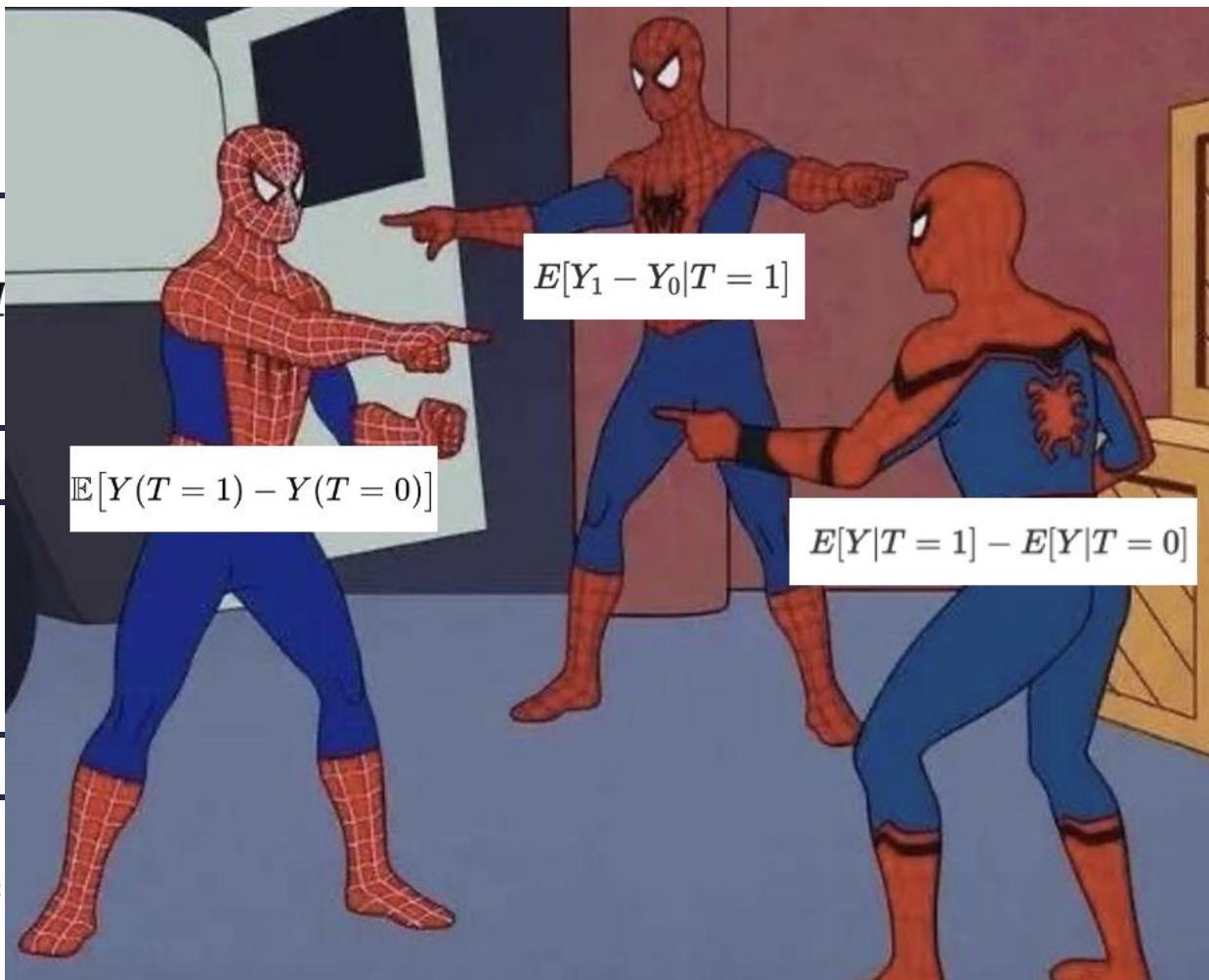
$$ATT = E[Y_1 - Y_0|T = 1]$$

$$E[Y|T = 1] - E[Y|T = 0]$$

ts.  
it can be estimated.

$$E[Y|T = 1] - E[Y|T = 0] =$$

ence of causal inference



# From Association to Causation: Accounting for Bias

$$E[Y|T = 1] - E[Y|T = 0] = \underbrace{E[Y_1 - Y_0|T = 1]}_{ATT} + \underbrace{\{E[Y_0|T = 1] - E[Y_0|T = 0]\}}_{BIAS}$$

Observed Association = Causal Effect +

What we actually measure in the data

Average treatment effect on the treated

Bias

The intrinsic difference btw treated and control, supposing no treatment.

$T \in \begin{cases} 0 & \text{control} \\ 1 & \text{treated} \end{cases}$	Binary treatment: Discount, promotion, ...
$Y$	Outcome: Retention, purchases, ...

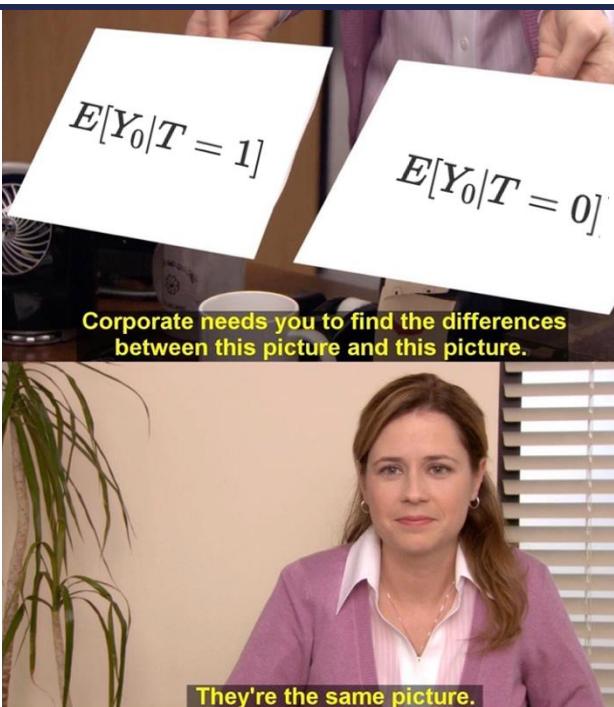
## Experimental Framework: Randomized Controlled Trials

Golden Standard

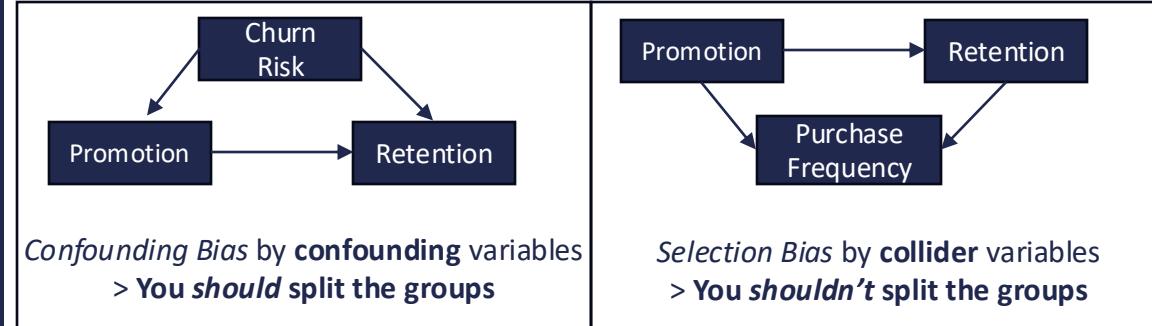
Naturally compensate for bias

Treatment and control groups are statistically identical except for the intervention.

Legal, ethical, or operational constraints could prevent random assignment.



## Observational Data: We must deal with bias



How to compensate bias?

- **Potential Outcomes:** Propensity Score (Rubin)
- **Graphical approach:** Do-calculus, back-door and front-door criteria (Pearl)



# Treatment Effect Estimation with dowhy



⚠️ No ground truth in causality  
→ we use synthetic data.

```
# -----
# 0. DATA GENERATION
# -----
# Retention model:
#   - base retention probability
#   - effect of treatment on retention
#   - negative effect of churn risk on retention
p_retention_base = 0.4
churn_risk_effect_on_retention = -0.25
treatment_effect_on_retention = 0.3
p_retention = (
    p_retention_base
    + treatment_effect_on_retention * treatment
    + churn_risk_effect_on_retention * churn_risk
)
retention = np.random.binomial(1, p_retention)
data = pd.DataFrame({
    "treatment": treatment,
    "churn_risk": churn_risk,
    "purchase_freq": purchase_freq,
    "retention": retention,
})
```

treatment	churn_risk	purchase_freq	retention
1	high	8.931581	1
1	high	10.692929	1
0	low	3.727857	0
0	low	4.761568	0
1	high	8.911554	1

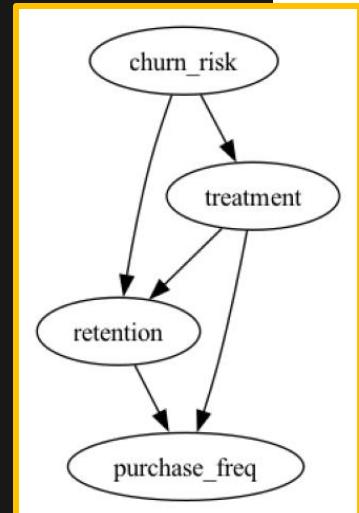
Causal inference is not just data: it's reasoning!  
Build your causal graph using **expert knowledge**,  
**experiments**, or **discovery algorithms**.

```
# -----
# 1. MODELING
# -----
from dowhy import CausalModel

causal_graph = """
digraph {
    churn_risk --> treatment;
    churn_risk --> retention;
    treatment --> retention;
    treatment --> purchase_freq;
    retention --> purchase_freq;
}
"""

model = CausalModel(
    data=data,
    treatment="treatment",
    outcome="retention",
    graph=causal_graph
)

model.view_model(layout="dot")
```



# Treatment Effect Estimation with dowhy

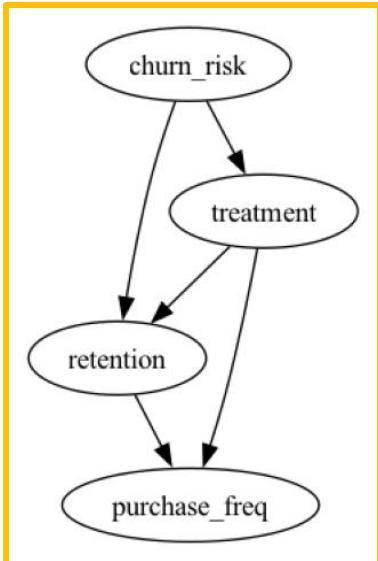


```
# -----
# 2. IDENTIFICATION
#
identified_estimand = model.identify_effect()
print("Identified estimand:")
print(identified_estimand)

✓ 0.0s

Identified estimand:
Estimand type: EstimandType.NONPARAMETRIC_ATE

### Estimand : 1
Estimand name: backdoor
Estimand expression:
    d
    _____(E[retention|churnrisk])
d[treatment]
```



```
# -----
# 3. ESTIMATION
#
estimate = model.estimate_effect(
    identified_estimand,
    method_name="backdoor.linear_regression"
)
print("(Treatment → Retention) Causal Estimate:", estimate.value)
print("(Treatment → Retention) Real Effect: \t", treatment_effect_on_retention)
✓ 0.0s

(Treatment → Retention) Causal Estimate: 0.3147198018503736
(Treatment → Retention) Real Effect:      0.3
```

Identification is the key causal problem.  
It gives us the **strategy to address bias**.

Here, the strategy is: group your data by churn-risk

We can use the identified strategy to perform estimation.

This would be the same:  
`smf.ols("retention~treatment+churnrisk")`

# Treatment Effect Estimation with dowhy



```
# -----
# 4. REFUTATION
# -----
refute_placebo = model.refute_estimate(
    identified_estimand, estimate, method_name="placebo_treatment_refuter"
)
print("\nRefutation - Placebo Treatment:\n", refute_placebo)

refute_random = model.refute_estimate(
    identified_estimand, estimate, method_name="random_common_cause"
)
print("\nRefutation - Random Common Cause:\n", refute_random)

✓ 0.8s
```

```
Refutation - Placebo Treatment:
Refute: Use a Placebo Treatment
Estimated effect:0.314719801850374
New effect:-0.0009652968983224841
p value:0.92
```

```
Refutation - Random Common Cause:
Refute: Add a random common cause
Estimated effect:0.314719801850374
New effect:0.3147139115379261
p value:0.84
```

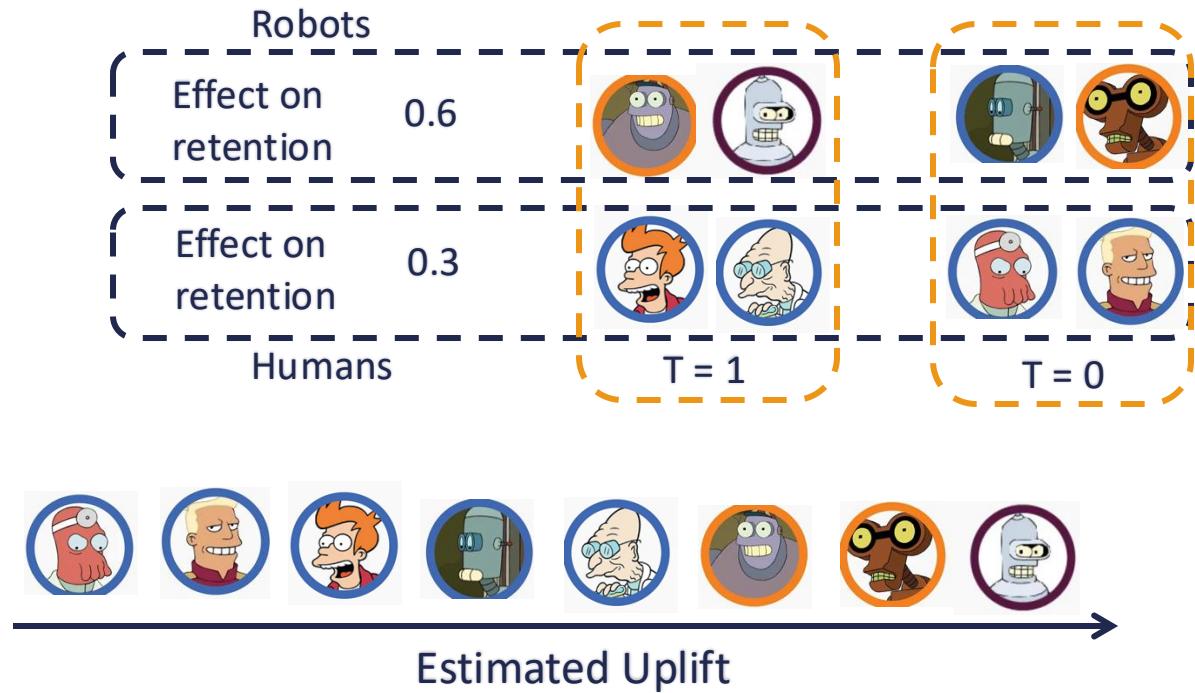
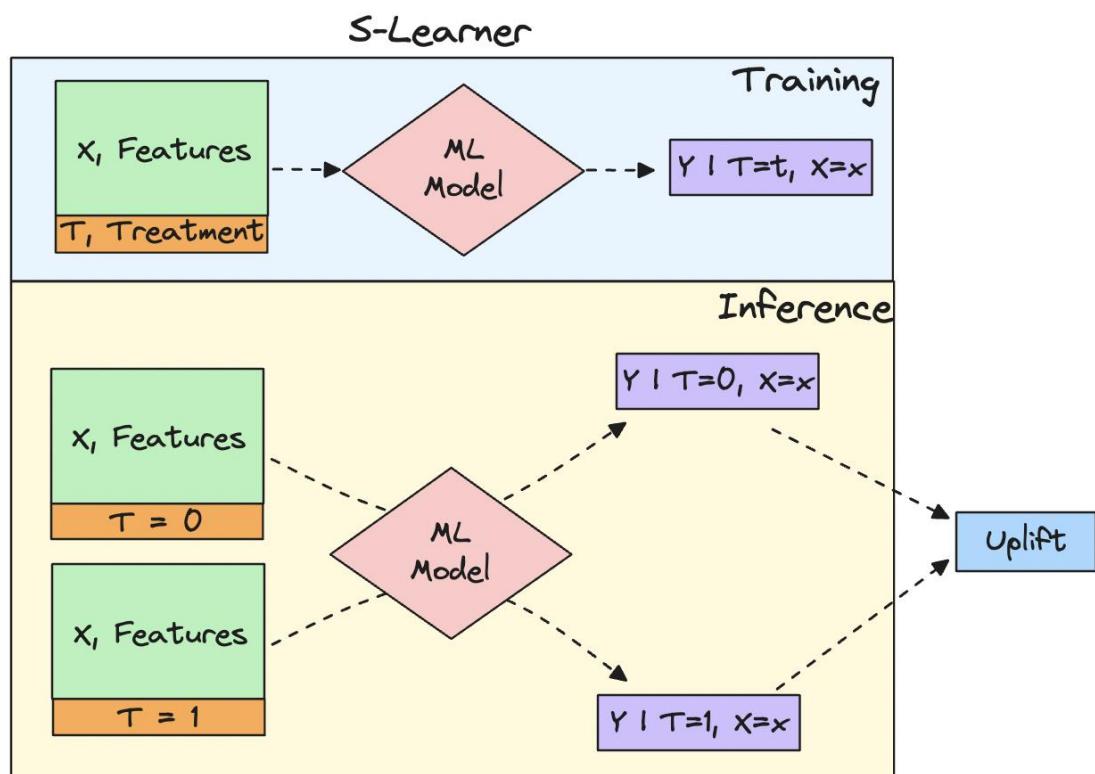
Automated validation of assumptions:  
Graph + Estimate refutation  
Validate your causal and check for robustness.

# Targeting the Right Customers with Causal ML

# Heterogeneous Effects: Uplift Modeling

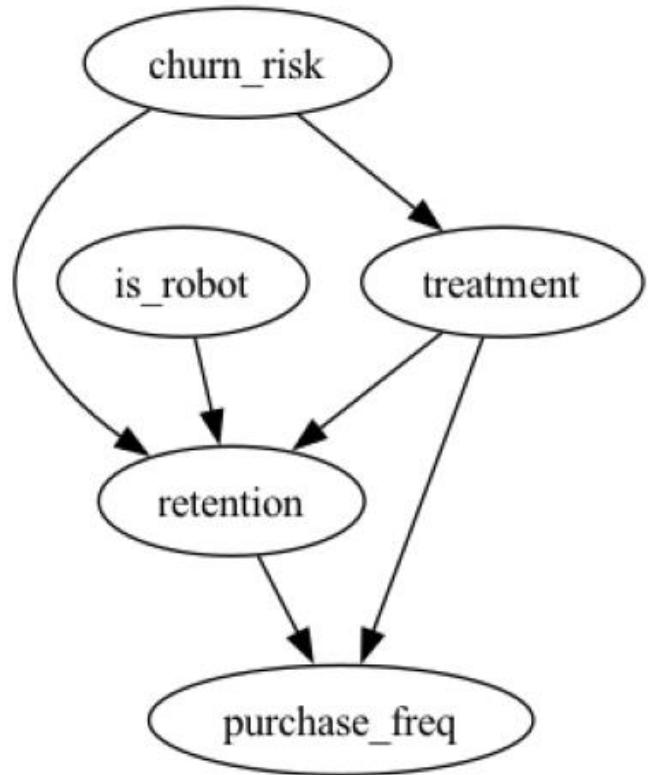
$$\text{CATE}(x) = \mathbb{E}[Y(T=1) - Y(T=0) \mid X=x]$$

Estimated Uplift = Estimated outcome with treatment - Estimated Outcome without treatment



- Pitfall: What features X should we include?**
- ✓ **Confounders**
  - ✓ **Predictors of Y only, Predictors of T only**
  - ✗ **Colliders, Mediators**

# Uplift modeling in Python



```
# -----
# 3. ESTIMATION CATE
# -----
from sklearn.ensemble import RandomForestRegressor
estimate = model.estimate_effect(
    identified_estimand,
    target_units = 1,
    method_name="backdoor.econml.metalearners.SLearner",
    method_params={"init_params":{
        "overall_model": RandomForestRegressor(),
        "fit_params":{}}}
)
data["estimated_uplift"] = estimate_cate_estimates
data[["is_robot", "estimated_uplift"]].groupby(["is_robot"]).agg(['mean'])

✓ 0.1s
```

estimated_uplift	
mean	
is_robot	
0	0.315082
1	0.597654

# Final Takeaways

- Today we just scratched the surface.
- There's huge room for growth, especially from the Python community.
- Causality it's a training ground for asking the right questions.

# Thank you!

