Data Base Systems VU 184.686, WS 2020 Concurrency Control

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Acknowledgements

The slides are based on the slides (in German) of Sebastian Skritek.

The content is based on Chapter 11 of (Kemper, Eickler: Datenbanksysteme – Eine Einführung).

For related literature in English see Chapter 17 of (Ramakrishnan, Gehrke: Database Management Systems).





Concurrency Control

- 1. Concurrency and Possible Errors
- 2. Classifications of Schedules
- 3. Concurrency Control
- 4. Transaction Management in SQL





Overview

- 1. Concurrency and Possible Errors
- 1.1 Advantages of Concurrency
- 1.2 Possible Errors
- 2 Classifications of Schedules

Resettable Schedules Schedules without Cascading Resets Strict Schedules

- 3. Concurrency Control
- 4. Transaction Management in SQL



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Concurrency

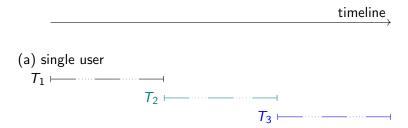
execution of three transaction T_1 , T_2 and T_3 :

timeline



Concurrency

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timeline

Concurrency

execution of three transaction T_1 , T_2 and T_3 :

(a) single user $T_1 \longmapsto T_2 \longmapsto T_3 \longmapsto T_3 \longmapsto T_4 \longmapsto T_5 \mapsto T_5 \mapsto$



Parallel Execution

idea:

- CPU- and I/O-activities may be executed in parallel
- interleaved execution of several transactions leads to better resources utilization





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- CPU- and I/O-activities may be executed in parallel
- interleaved execution of several transactions leads to better resources utilization

advantages:

- DBMS performance/throughput can be increased (average number of completed transactions per time unit)
- this might reduce unpredictable delays in response times





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Possible Errors with uncontrolled Concurrency

- lost update
- dirty read
- unrepeatable read
- phantom problem



Lost Update

Example

 T_1 : transaction from A to B

 T_2 : interest credit for A



Lost Update

Example

 T_1 : transaction from A to B

 T_2 : interest credit for A

step	T_1	T_2
1.	$read(A, a_1)$	
2.		$read(A, a_2)$
3.		write($A, a_2 * 1.03$)
4.	write $(A, a_1 - 300)$	
5.	$read(B,b_1)$	
6.	write($B, b_1 + 300$)	



Lost Update

Example

 T_1 : transaction from A to B

 T_2 : interest credit for A

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5.	$read(B,b_1)$	
6.	write($B, b_1 + 300$)	

problem: T_1 overwrites the modification performed by T_2 \Rightarrow the modifications of T_2 get lost



Dirty Read

reading of modifications that were not committed

Example

step	$ T_1$	T_2
1.	$read(A,a_1)$	
2.	write($A, a_1 - 300$)	
3.		$read(A,a_2)$
4.		write($A, a_2 * 1.03$)
5.	$read(B,b_1)$,
6.		
7.	abort	



Dirty Read

reading of modifications that were not committed

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5.	$read(B,b_1)$,
6.		
7.	abort	

problem:

- \blacksquare changes in T_2 are based on an inconsistent database instance
- even for commit instead of abort

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Unrepeatable Read

Example

step	T_1	T_2
1.	$read(A,a_1)$	
2.		
3.		$read(A,a_2)$
4.		write($A, a_2 * 1.03$)
5.		commit
6.	$read(A,a_1)$	
7.		



Unrepeatable Read

Example

Concurrency Control

step	T_1	T_2
1.	$read(A,a_1)$	
2.		
3.		$read(A,a_2)$
4.		write($A, a_2 * 1.03$)
5.		commit
6.	$read(A,a_1)$	
7.		

problem: repeated reading by T_1 leads to different results, although T_1 has not performed any modifications



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Phantom Problem

Example

step	T_1	T_2
1.		SELECT SUM(accountBalance)
		FROM Konten
2.	INSERT INTO Konten	
	VALUES (C,1000,)	
3.		<pre>SELECT SUM(accountBalance)</pre>
		FROM Konten



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Phantom Problem

Example

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		FROM Konten
2.	INSERT INTO Konten	
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problem: T_2 computes different values, as "phantom" with values $(C, 1000, \ldots)$ was inserted



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Phantom Problem

Evample

Lxample				
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at access to sets of objects with specific feature



Conflicts Between Transactions

conflict:

- two transactions want to access the same object
- at least one of the accesses is a writing access
- possible conflicts: W-W, W-R, R-W



Conflicts Between Transactions

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errors caused by conflicts:

- lost update: W-W
- dirty read: W-R
- unrepeatable read: R-W
- phantom problem: R-W



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Overview

- 1. Concurrency and Possible Errors
- 2. Classifications of Schedules
- 2.1 Schedule of Transactions
- 2.2 Serializability
- 2.3 More Features of abort.

Resettable Schedules
Schedules without Cascading Resets
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transaction: consists of a set of operations as well as a (partial) order on these operations





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```

elementary operations of a transaction T_i :

 $r_i(A)$: reads data object A

 $w_i(A)$: writes data object A

a_i: abort of transaction

ci: commit of transaction

(we do not consider insert or delete)



C :- 17

transactions: consists of a set of operations as well as a (partial) order on these operations





transactions: consists of a set of operations as well as a (partial) order on these operations

minimum requirement for the **order** $<_i$ on operations:

- in case the transaction contains abort:
 o_i(A) <_i a_i for all operations o_i(A) (abort last action)
- in case the transaction contains commit: $o_i(A) <_i c_i$ for all operations $o_i(A)$ (commit last action)
- has to be defined on all pairs of operations on the same data object

in general: total order



schedule: temporal order of elementary operations of a set of transactions





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features of a schedule S with order $<_{S}$:

- S contains exactly the elementary operations of all involved transactions
- $\blacksquare <_S$ is compatible with all $<_i$
- for conflict operations p, q it holds that either $p <_S q$ or $q <_S p$





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conflict operations: pairs of operations that access the same data object and at least one of them is a writing operation:



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conflict operations: pairs of operations that access the same data object and at least one of them is a writing operation:

 $(r_i(A), w_j(A)), (w_i(A), r_j(A)), (w_i(A), w_j(A))$



Schedule for Three Transactions

Example

$$r_2(A) \longrightarrow w_2(B) \longrightarrow w_2(C) \longrightarrow c_2$$

$$\uparrow \qquad \uparrow \qquad \uparrow$$

$$r_3(B) \longrightarrow w_3(A) \longrightarrow w_3(B) \longrightarrow w_3(C) \longrightarrow c_3$$

$$\uparrow \qquad \qquad \uparrow$$

$$r_1(A) \longrightarrow w_1(A) \longrightarrow c_1$$



Overview

Concurrency Control

- 2. Classifications of Schedules
- 2.2 Serializability
- More Features of abort





Serializability

serial schedule: each transaction is completely executed before the next one starts

notation: $T_1 \mid T_2 \mid T_3 \dots$ (for " T_1 before T_2 before $T_3 \dots$ ").





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serializable schedule: a parallel schedule with same effect as a serial execution (informally)



Serializability

serial schedule: each transaction is completely executed before the next one starts

notation: $T_1 \mid T_2 \mid T_3 \dots$ (for " T_1 before T_2 before $T_3 \dots$ ").

serializable schedule: a parallel schedule with same effect as a serial execution (informally)

- on each database instance
- from the perspective of the DBMS; DBMS only sees the elementary operations (read, write, ...) but does not see the application logic





Serializable Schedule

step	T_1	T_2
1.	BOT	
2.	read(A)	
3.		BOT
4.		read(C)
5.	write(A)	, ,
6.	, ,	write(C)
7.	read(B)	
8.	write(B)	
9.	commit	
10.		read(A)
11.		write(A)
12.		commit



2. Classifications of Schedules

Equivalent Serial Execution: $T_1 \mid T_2$

step	T_1	T_2
1.	BOT	
2.	read(A)	
3.	write(A)	
4.	read(B)	
5.	write(B)	
6.	commit	
7.		вот
8.		read(C)
9.		write(C)
10.		read(A)
11.		write(A)
12.		commit





2. Classifications of Schedules

Not Serializable Schedule

step	T_1	T_2
1.	BOT	
2.	read(A)	
3.	write(A)	
4.		BOT
5.		read(A)
6.		write(A)
7.		read(B)
8.		write(B)
9.		commit
10.	read(B)	
11.	write(B)	
12.	commit	



Remark: Serializability Always from the Perspective of a DBMS

- the last schedule is not serializable from the perspective of the DBMS
- DBMS does not see any application logic
- based on the application logic it can be that ...





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- based on the application logic it can be that . . .
 - ... two transactions fitting the schedule would have the same effect at a serial execution (see the next example)





Remark: Serializability Always from the Perspective of a DBMS

- the last schedule is not serializable from the perspective of the DBMS
- DBMS does not see any application logic
- based on the application logic it can be that ...
 - ... two transactions fitting the schedule would have the same effect at a serial execution (see the next example)
 - ... for two transactions fitting the schedule there is no serial execution with the same effect (see next but one example)



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Serializable: Two Bank Transactions

Example

step	T_1	T_2
1.	вот	
2.	$read(A,a_1)$	
3.	$a_1 := a_1 - 50$	
4.	$write(A, a_1)$	
5.		вот
6.		$read(A,a_2)$
7.		$a_2 := a_2 - 100$
8.		write(A , a_2)
9.		$read(B,b_2)$
10.		$b_2 := b_2 + 100$
11.		$write(B,b_2)$
12.		commit
13.	$read(B,b_1)$	
14.	$b_1 := b_1 + 50$	
15.	$write(B,b_1)$	
16.	commit	

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6.3...

Serializable: Two Bank Transactions

Example

step	T_1	T_2
1.	вот	
2.	$read(A,a_1)$	
3.	$a_1 := a_1 - 50$	
4.	$write(A, a_1)$	
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6.		$read(A,a_2)$
7.		$a_2 := a_2 - 100$
8.		write (A, a_2)
9.		$read(B,b_2)$
10.		$b_2 := b_2 + 100$
11.		$write(B,b_2)$
12.		commit
13.	$read(B,b_1)$	
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A Transaction and an Interest Credit

Example

step	T_1	T_2
1.	вот	
2.	$read(A,a_1)$	
3.	$a_1 := a_1 - 50$	
4.	$write(A, a_1)$	
5.		вот
6.		$read(A,a_2)$
7.		$a_2 := a_2 * 1.03$
8.		write(A , a_2)
9.		$read(B,b_2)$
10.		$b_2 := b_2 * 1.03$
11.		$write(B,b_2)$
12.		commit
13.	$read(B,b_1)$	
14.	$b_1 := b_1 + 50$	
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A Transaction and an Interest Credit

Example

step	T_1	T_2
1.	вот	
2.	$read(A,a_1)$	
3.	$a_1 := a_1 - 50$	
4.	$write(A, a_1)$	
5.		BOT
6.		$read(A,a_2)$
7.		$a_2 := a_2 * 1.03$
8.		$write(A, a_2)$
9.		$read(B,b_2)$
10.		$b_2 := b_2 * 1.03$
11.		$write(B,b_2)$
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13.	$read(B,b_1)$	
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Serializable Schedules

Definition (serializable (no aborted transactions))

A schedule over a set of successfully completed transactions is serializable if its effect to any consistent data base instance is identical to the effect of a serial schedule of the same transaction.



Serializable Schedules

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A schedule over a set of successfully completed transactions is serializable if its effect to any consistent data base instance is identical to the effect of a serial schedule of the same transaction.

Definition (serializable (with aborted transactions))

A schedule over a set of transactions is *serializable* if its effect to any consistent data base instance is identical to a serial schedule of successful (committed) transactions.





find: possibility to decide:

- Is a schedule serializable?
- Which serial execution has the same result?





find: possibility to decide:

- Is a schedule serializable?
- Which serial execution has the same result?

⇒ conflict serializable schedules





Definition (conflict equivalent)

Two schedules (over the same set of transactions) are *conflict* equivalent if they execute all conflict operations of not aborted transactions in the same order.



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Example (conflict equivalent schedules)

$$r_1(A) \rightarrow r_2(C) \rightarrow w_1(A) \rightarrow w_2(C) \rightarrow r_1(B) \rightarrow w_1(B) \rightarrow c_1 \rightarrow r_2(A) \rightarrow w_2(A) \rightarrow c_2$$

 $r_1(A) \rightarrow w_1(A) \rightarrow r_2(C) \rightarrow w_2(C) \rightarrow r_1(B) \rightarrow w_1(B) \rightarrow c_1 \rightarrow r_2(A) \rightarrow w_2(A) \rightarrow c_2$
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10/10/10/10/10/10/10

Definition (conflict serializable)

A schedule is *conflict serializable* if it is conflict equivalent to a serial schedule.



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Example (conflict serializable schedule)



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Definition (serializability graph)

serializability graph SG(S) of a schedule S:

- nodes: successful transactions $T_1, T_2,...$ of S
- directed edge $T_i \rightarrow T_j$ if for (at least) one pair (p_i, q_j) of conflict operations it holds that: $p_i <_S q_j$





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Example

$$r_1(A) \longrightarrow w_1(A) \longrightarrow w_1(B) \longrightarrow c_1$$
 $\uparrow \qquad \uparrow \qquad \qquad \qquad T_1$
 $r_2(A) \longrightarrow w_2(B) \longrightarrow c_2$
 $r_3(A) \longrightarrow w_3(A) \longrightarrow c_3$
 $T_2 \qquad T_3$



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Example

 T_1

 T_3

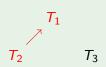


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Example



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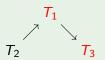




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- directed edge $T_i \rightarrow T_j$ if for (at least) one pair (p_i, q_j) of conflict operations it holds that: $p_i <_S q_j$



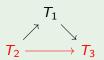


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Example





Concurrency Control

Definition (serializability graph)

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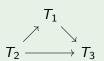




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Serializability Theorem

Theorem

A schedule S is conflict serializable if and only if the corresponding serializability graph SG(S) is acyclic.





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Example

$$S = w_1(A) \rightarrow w_1(B) \rightarrow c_1 \rightarrow r_2(A) \rightarrow r_3(B) \rightarrow w_2(A) \rightarrow c_2 \rightarrow w_3(B) \rightarrow c_3$$



Seite 34

Theorem

Concurrency Control

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$$T_2$$

$$SG(S) = T_1$$

 T_3

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A schedule S is conflict serializable if and only if the corresponding serializability graph SG(S) is acyclic.

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Example

$$S = w_1(A) \rightarrow w_1(B) \rightarrow c_1 \rightarrow r_2(A) \rightarrow r_3(B) \rightarrow w_2(A) \rightarrow c_2 \rightarrow w_3(B) \rightarrow c_3$$

$$SG(S) = T_1 \xrightarrow{T_2} T_3$$



C-11-2

Theorem

Concurrency Control

A schedule S is conflict serializable if and only if the corresponding serializability graph SG(S) is acyclic.

Theorem

Any topological sorting of SG(S) specifies a conflict equivalent serial schedule.

Example

$$S = w_1(A) \rightarrow w_1(B) \rightarrow c_1 \rightarrow r_2(A) \rightarrow r_3(B) \rightarrow w_2(A) \rightarrow c_2 \rightarrow w_3(B) \rightarrow c_3$$

$$SG(S) = T_1 \qquad S_s^1 = T_1 \mid T_2 \mid T_3$$

$$S_s^2 = T_1 \mid T_3 \mid T_2$$

$$S \equiv S_s^1 \equiv S_s^2$$

$$S \equiv S_s^2 \equiv S_s^2$$

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Computation of a Topological Sorting

 observation: in an acyclic directed graph there is at least one node with no incoming edge



Computation of a Topological Sorting

 observation: in an acyclic directed graph there is at least one node with no incoming edge

algorithm:

In: acyclic serilizability graph SG(S)

Out: a possible topological sorting

- 1: pick a node T_i without incoming edge in SG(S)
- 2: write T_i to the output
- 3: delete T_i and all outgoing edges from SG(S)
- 4: if there is still a node left then
- 5: **goto** 1
- 6: end if





Overview

1. Concurrency and Possible Errors

- 2. Classifications of Schedules
- 2.1 Schedule of Transactions
- 2.2 Serializability
- 2.3 More Features of abort

Resettable Schedules Schedules without Cascading Resets Strict Schedules

- 3. Concurrency Control
- 4. Transaction Management in SQL





in case no transaction aborts:

each conflict serializable schedule is serializable



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each conflict serializable schedule is serializable

attention: the opposite does not have to hold:



in case no transaction aborts:

each conflict serializable schedule is serializable

attention: the opposite does not have to hold:

Example

	T_1	T_2	T_3
1.	read(A)		
2.		write(A)	
3.		commit	
4.	write(A)		
5.	commit		
6.			write(A)
7.			commit





if transactions may abort:

• not every conflict serializable schedule is serializable



if transactions may abort:

not every conflict serializable schedule is serializable

Example

	T_1	T_2
1.	read(A)	
2.	write(A)	
3.		read(A)
4.		write(A)
5.		read(B)
6.		write(B)
7.		commit
8.	abort	





Schedules at aborted Transactions

conflict serializable in DBMS is usually the minimal requirement



Schedules at aborted Transactions

conflict serializable in DBMS is usually the minimal requirement

further features of/requirements to schedules:

- resettable schedules
- schedules without cascading reset
- strict schedules





resettable schedules

minimal requirement w.r.t. recovery:

 abortion of an active transaction possible without influencing successfully completed transactions



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 abortion of an active transaction possible without influencing successfully completed transactions

resettable schedules (informally): a transaction may only be terminated with a commit after all transactions from which it has read are completed as well



C-11- 40

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Seite 40

Definition $(T_i \text{ reads from } T_i)$

A transaction T_i reads from a transaction T_j in a schedule S if there is at least one data object A such that the following holds:





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1 $w_i(A) <_S r_i(A)$:

 T_i writes at least a data object A that is read by T_i later on



C-11- 41

Definition (T_i reads from T_i)

A transaction T_i reads from a transaction T_j in a schedule S if there is at least one data object A such that the following holds:

- 1 $w_j(A) <_S r_i(A)$: T_j writes at least a data object A that is read by T_i later on
- 2 $a_j \not<_S r_i(A)$: T_i is not reset before T_i has read data object A



Definition (T_i reads from T_i)

A transaction T_i reads from a transaction T_j in a schedule S if there is at least one data object A such that the following holds:

- 2 $a_j \not<_S r_i(A)$: T_i is not reset before T_i has read data object A
- If there exists a $w_k(A)$ with $w_j(A) <_S w_k(A) <_S r_i(A)$, then also $a_k <_S r_i(A)$:

all intermediate writing processes of other transactions to A are reset before the reading process of T_i .



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- **3** if there exists a $w_k(A)$ with $w_j(A) <_S w_k(A) <_S r_i(A)$, then also $a_k <_S r_i(A)$:

all intermediate writing processes of other transactions to A are reset before the reading process of T_i .

intuition: T_i reads exactly the value for A written by T_i



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Resettable Schedules

Definition (resettable schedules)

A schedule S is *resettable* if for all pairs T_i , T_j of transactions in S it holds that:

■ if T_i reads from T_j and T_i executes a commit, then this must have been preceded by the commit of T_j (T_i reads from T_j and $c_i \Rightarrow c_j <_S c_i$).



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A schedule S is *resettable* if for all pairs T_i , T_i of transactions in S it holds that:

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alternatively: a transaction is only allowed to execute its commit when all transactions it has read from are terminated



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Problem: Cascading Reset

Example (schedule with cascading reset)

step	T_1	T_2	T_3	T_4	T_5
0.					
1.	$w_1(A)$				
2.		$r_2(A)$			
3.		$r_2(A)$ $w_2(B)$			
4.			$r_3(B)$		
5.			$r_3(B)$ $w_3(C)$		
6.				r ₄ (C)	
7.				$r_4(C)$ $w_4(D)$	
8.				, ,	$r_5(D)$
9.	a ₁ (abort)				, ,



with ___

Schedules Without Cascading Reset

Definition (schedule without cascading reset)

A schedule S avoids cascading resets if

• $c_j <_S r_i(A)$ hold whenever T_i reads a data object A from T_j (T_i reads from T_j only after T_j was committed).



Schedules Without Cascading Reset

Definition (schedule without cascading reset)

A schedule S avoids cascading resets if

• $c_j <_S r_i(A)$ hold whenever T_i reads a data object A from T_j (T_i reads from T_i only after T_i was committed).

alternatively: modifications by a transactions are released for reading only after a commit



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Strict Schedules

Definition (strict schedule)

A schedule S is *strict* if for all pairs T_i , T_j of transactions in S it holds that:

- if $w_i(A) <_S o_i(A)$ (with $o_i \in \{r_i, w_i\}$), then either
 - $c_j <_S o_i(A)$ or
 - $a_i <_S o_i(A)$.



Called

Strict Schedules

Concurrency Control

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A schedule S is *strict* if for all pairs T_i , T_i of transactions in S it holds that:

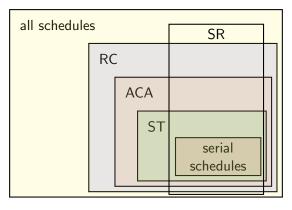
- if $w_i(A) <_S o_i(A)$ (with $o_i \in \{r_i, w_i\}$), then either
 - $c_i <_{\varsigma} o_i(A)$ or
 - $a_i <_{\varsigma} o_i(A)$.

alternatively: transactions get write or read access to a data object written by another transaction only after its completion (commit or abort)



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Relationship Between the Classes of Schedules



- SR (conflict-) serializable schedules (SeRializable)
- RC resettable schedules (ReCoverable)
- ACA schedules without cascading reset (avoid cascading abort)
 - ST strict schedules (*STrict*)



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Overview

1. Concurrency and Possible Errors

Classifications of Schedules

Resettable Schedules Schedules without Cascading Resets Strict Schedules

3. Concurrency Control

- 3.1 Lock Based Synchronisation
- 3.2 Deadlocks
- 3.3 Granularity of Locks
- 3.4 Insert/Delete Operations
- 3.5 Other Synchronisation Methods
- 4. Transaction Management in SQL





Database Scheduler

determines execution order of operations

- minimal requirement: resulting schedule should be conflict serializable
- usually only strict, conflict serializable schedules are constructed
- realization:
 - widespread: lock based synchronisation
 - other methods: timestamp based synch, optimistic sync, MVCC





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Lock Based Synchronisation Protocols

- two-phase lock protocol (2PL)
- strict two-phase lock protocol (strict 2PL)
- two-phase lock protocol with preclaiming (conservative 2PL)
- lock protocols with timestamp
- hierarchical lock granulates (MGL)





Lock Modes

two lock modes:

S Shared, read lock



Lock Modes

two lock modes:

- S Shared, read lock
- X eXclusive, write lock





Lock Modes

two lock modes:

- S Shared, read lock
- X eXclusive, write lock

compatibility matrix

lock		current		
		NL	S	X
requested	S	√	√	-
reque	Х	√	_	_

NI ... No Lock





each transaction considers the following rules:

each object used by a transaction has to be locked before the use correspondingly



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- 2 a transaction does not ask for a lock it already has





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- 2 a transaction does not ask for a lock it already has
- 3 locks are granted based on the compatibility matrix in case lock cannot be granted the transaction waits until the lock can be granted
- 4 after a transaction has released a lock it is not allowed to request a new one
- 5 at the end of the transaction (EOT) all locks have to be released





important to note:

4 after a transaction has released a lock it is not allowed to request new locks



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4 after a transaction has released a lock it is not allowed to request new locks

growth phase transaction may request but not release locks



important to note:

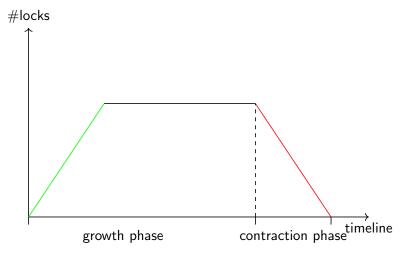
4 after a transaction has released a lock it is not allowed to request new locks

growth phase transaction may request but not release locks

contraction phase transaction may release but not request locks











Interleaving of two Transactions as per 2PL

Example (satisfying 2PL)

Schritt	$ T_1$	T_2	remark
1.	BOT		
2.	lockX(A)		
3.	read(A)		
4.	write(A)		
5.	` ´	вот	
6.		lockS(A)	T_2 has to wait
7.	lockX(B)		
8.	read(B)		
9.	unlockX(A)		T_2 wake up
10.	, ,	read(A)	
11.		lockS(B)	T_2 has to wait
12.	write(B)	, ,	
13.	unlockX(B)		T_2 wake up
14.	` ´	read(B)	
15.	commit	` ′	
16.		unlockS(A)	
17.		unlockS(B)	
18.		commit	





Two Phases Guarantee Conflict Serializability

Example (violation of 2PL)

Schritt	$ $ T_1	T_2
1.		
2.	read(A)	
3.	write(A)	
4.		
5.		
6.		
7.		read(A)
8.		write(A)
9.		read(B)
10.		write(B)
9.		` ′
6.		
10.		
11.	read(B)	
12.	write (B)	
13.		





Two Phases Guarantee Conflict Serializability

Example (violation of 2PL)

Schritt	$ T_1$	T_2
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3.	write(A)	
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5.		lockX(A)
6.		lockX(B)
7.		read(A)
8.		write(A)
9.		read(B)
10.		write(B)
9.		unlockX(A)
6.		unlockX(B)
10.	lockX(B)	
11.	read(B)	
12.	write(B)	
13.	unlockX(B)	





2PL guarantees conflict serializability:





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 the order of transactions in a (conflict-) equivalent serial execution is based on the order of the lock requirements for conflicts



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- the order of transactions in a (conflict-) equivalent serial execution is based on the order of the lock requirements for conflicts
- inconsistent order of the lock requirements leads to a deadlock





2PL guarantees conflict serializability:

- the order of transactions in a (conflict-) equivalent serial execution is based on the order of the lock requirements for conflicts
- inconsistent order of the lock requirements leads to a deadlock

2PL does not guarantee resettability:

- release of locks before transaction end possible
 - ⇒ other transaction may access and commit





	step	\mathcal{T}_1	T_2	remark
_	1.			
	2.			
	3.			
	4.			
	5.			
	6.			
	7.			
	8.			
	9.			
	10.			
	11.			
	12.			
	13.			
	14.			
			'	

step	T_1	T_2	remark
1.	BOT		
2.	lockX(A)		
3.	read(A)		
4.	write(A)		
5.			
6.			
7.			
8.			
9.			
10.			
11.			
12.			
13.			
14.			

step	T_1	T_2	remark
1.	BOT		
2.	lockX(A)		
3.	read(A)		
4.	write(A)		
5.		вот	
6.		lockX(A)	T_2 has to wait
7.		, , ,	
8.			
9.			
10.			
11.			
12.			
13.			
14.			

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7.	lockX(B)		
8.	unlockX(A)		T_2 wake up
9.			
10.			
11.			
12.			
13.			
14.			



step	T_1	T_2	remark
1.	BOT		
2.	lockX(A)		
3.	read(A)		
4.	write(A)		
5.		BOT	
6.		lockX(A)	T_2 has to wait
7.	lockX(B)		
8.	unlockX(A)		T_2 wake up
9.	read(B)	read(A)	" T_2 reads from T_1 "
10.			
11.			
12.			
13.			
14.			





step	T_1	T_2	remark
1.	BOT		
2.	lockX(A)		
3.	read(A)		
4.	write(A)		
5.		вот	
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7.	lockX(B)		
8.	$unlock \hat{\mathbf{X}}(A)$		T_2 wake up
9.	read(B)	read(A)	", T_2 reads from T_1 "
10.	` '	write(A)	
11.		unlockX(A)	
12.		commit	
13.			
14.			T_2 not resettable!





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10.	, ,	write(A)	
11.		unlockX(A)	
12.	write(B)	commit	
13.	unlockX(B)		
14.	abort		T_2 not resettable!





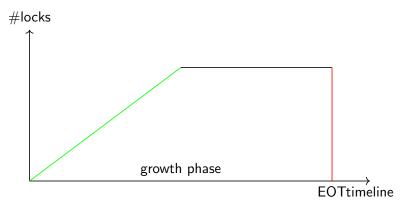
Strict Two-Phase Lock Protocol (Strict 2PL)

■ all locks are kept until transaction end



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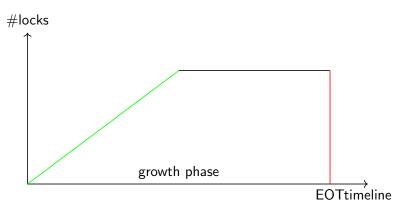






Strict Two-Phase Lock Protocol (Strict 2PL)

- all locks are kept until transaction end
- the strict 2PL-protocol allows only strict schedules







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Deadlocks

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3.		BOT	
4.		lockS(B)	
5.		read(B)	
6.	read(A)		
7.	write(A)		
8.	lockX(B)		T_1 has to wait for T_2
9.		lockS(A)	T_2 has to wait for T_1
10.			⇒ deadlock





simple method: time-out strategy

transaction is reset if it does not make any progress within a fixed time





simple method: time-out strategy

- transaction is reset if it does not make any progress within a fixed time
- problem: "good" choice of time-outs:
 - too small: unnecessary reset
 - too big: deadlocks are detected very late





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exact method: wait-for graph

- nodes: active transactions T_1, T_2, \dots
- edges: directed edge $T_i \rightarrow T_j$ if T_i waits for T_i





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exact method: wait-for graph

- nodes: active transactions T_1, T_2, \dots
- edges: directed edge $T_i \rightarrow T_j$ if T_i waits for T_j
- deadlock: if and only if wait-for graph is cyclic

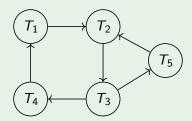


Wait-For Graph

Example (wait-for graph with two cycles)

$$T_1 \rightarrow T_2 \rightarrow T_3 \rightarrow T_4 \rightarrow T_1$$

2
$$T_2 \rightarrow T_3 \rightarrow T_5 \rightarrow T_2$$



both cycles can be eliminated by resetting T_3



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Deadlock Prevention

"preclaiming": transactions are started only if all necessary locks can be granted in the beginning





Deadlock Prevention

"preclaiming": transactions are started only if all necessary locks can be granted in the beginning

timestamp procedure: each transaction is assigned a timestamp which decides (based on the concrete strategy) whether a transaction has to wait for a lock or not





Conservative 2PL (Preclaiming)

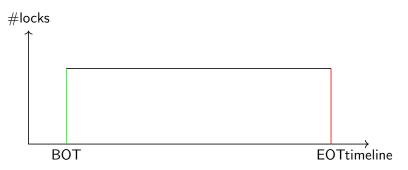
- variant of strict 2PI
- transaction claims all locks it needs in the beginning and keeps them until the end





Conservative 2PL (Preclaiming)

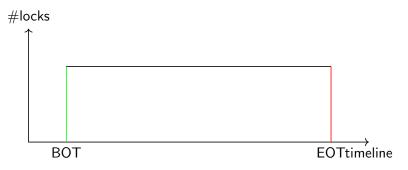
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Conservative 2PL (Preclaiming)

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- transaction claims all locks it needs in the beginning and keeps them until the end



■ problem: needed locks are in general not (exactly) known at the beginning of a transaction

WIEN FORMATIVE TO A SPENSATIVE TO A SPENSATIVE

- \blacksquare each transaction T_i obtains a unique timestamp $TS(T_i)$
- younger transactions obtain higher timestamp



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 T_1 wants to obtain a lock that is hold by T_2 :



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Seite 66

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Hierarchical Granularity Locking

multiple granularity locking (MGL):

- so far: uniform locking granulates
- more efficient: different locking granulates





Hierarchical Granularity Locking

multiple granularity locking (MGL):

- so far: uniform locking granulates
- more efficient: different locking granulates

needed:

- extended locking modes
- extended locking protocol





problem: uniform locking granulates (for example: per data set, per table, per page, ...) might be inefficien; in case granularity is



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- too big: might block more transactions than actually needed

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■ DBMS or user chooses appropriate granularity (data set, table, page, area, data base)





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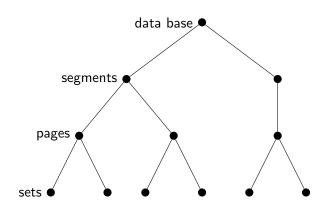
idea: more flexibility through different locking granulates

- DBMS or user chooses appropriate granularity (data set, table, page, area, data base)
- "lock escalation": start with small lock granularity, with increasing amount lock granularity is increased





Hierarchical Ordering of Possible Lock Granularities



segment:

several (logically cohesive) pages (particularly tables)



Extended Locking Modes for MGL

new problem: "overview" over locks with small granularity

without further measures: before granting locks, all underlying objects have to be checked for locks



Extended Locking Modes for MGL

new problem: "overview" over locks with small granularity

without further measures: before granting locks, all underlying objects have to be checked for locks

solution: additional locking modes (IS, IX) indicating that there are locks further down the hierarchy





Locking Modes for MGL

locking modes for MGL:

NL no lock

S shared lock

X exclusive lock



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 - S shared lock
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- IS somewhere lower in the hierarchy there is an intended shared lock (S) (intention shared lock)





Locking Modes for MGL

locking modes for MGL:

- NL no lock
 - S shared lock
 - X exclusive lock
 - IS somewhere lower in the hierarchy there is an intended shared lock (S) (intention shared lock)
- IX somewhere lower in the hierarchy there is an intended exclusive lock (X) (intention exclusive lock)





Compatibility Matrix for MGL

locks		current				
		NL	S	X	IS	IX
requested	S	√	√	1	\checkmark	_
	Х	√	_	-	-	_
	IS	√	√	_	√	√
	IX	√	_	_	√	√



requirement for locks: top-down





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release of locks: bottom-up



Concurrency Control

Locking Protocol for MGL

requirement for locks: top-down

- before a transaction can lock a node with S or IS it needs for all predecessors in the hierarchy an IS or IX lock
- before a transaction can lock a node with X or IX it needs for all predecessors an IX lock

release of locks: bottom-up

an IS or IX lock on a node may only be released when all locks on succeeding nodes have already been released





Database Hierarchy with Locks

Example (MGL protocol)

level:

data base, areas, pages, data sets

3 transactions:

 T_1 exclusive lock for pages p_1 below areas a_1

 T_2 shared lock for page p_2 below area a_1

 T_3 exclusive lock for area a_2





Data Base Hierarchy with Locks

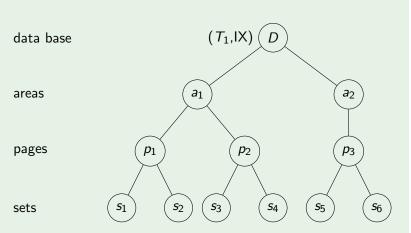
Example (application of the MGL protocol)

data base a_1 a_2 areas pages p_1 p_2 *p*₃ s_1 **S**3 sets



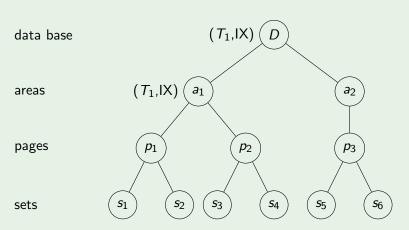
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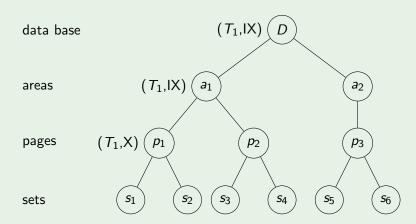
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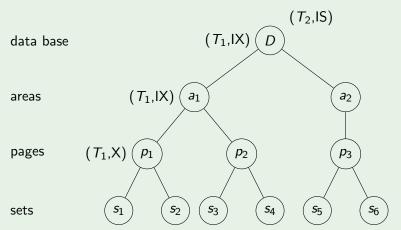
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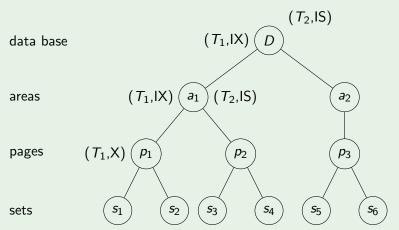


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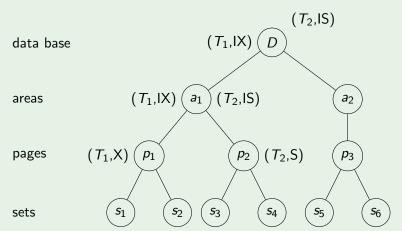




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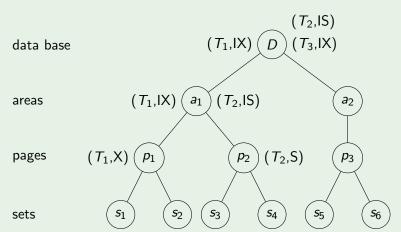




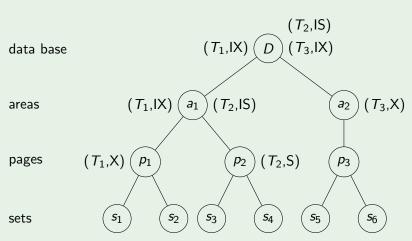














Example (blocking in MGL)

3 transactions:

 T_1 exclusive lock for page p_1 below area a_1

 T_2 shared lock for page p_2 below area a_1

 T_3 exclusive lock for area a_2

continuation:

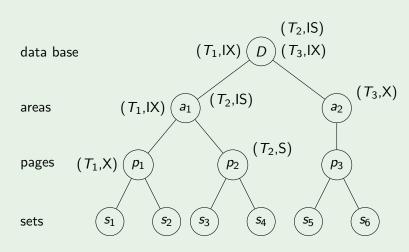
 T_4 exclusive lock for set s_3 below page p_2 : IX lock request for p_2 fails because of S lock of T_2

 T_5 shared lock for set s_5 below page p_3 below area a_2 : IS lock request for a_2 fails because of X lock of T_3



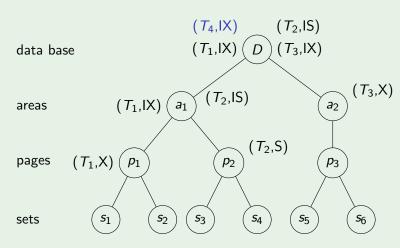


Example (MGL blocks transactions)





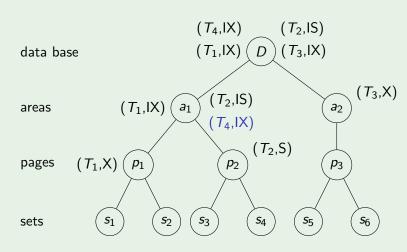
Example (MGL blocks transactions)







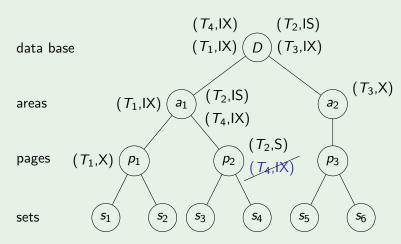
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7 D S 4 A S S 4 E S E

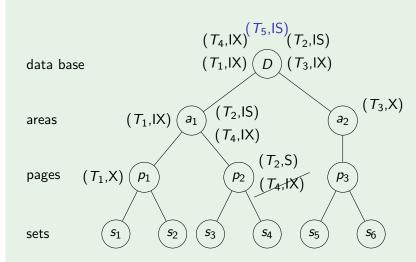
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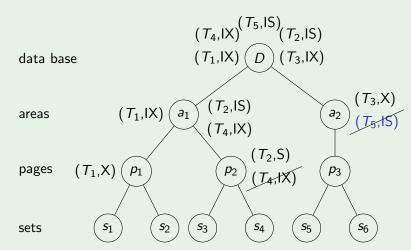
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Anela Lolić

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Insert/Delete - Operations

so far: assumption that no tuple is inserted or deleted



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special features of insert and delete operations:

- locking at insert and delete
 - phantom problem





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delete:

- requires an X lock on the object to be deleted
- other transaction that requires a lock for the object cannot obtain the lock after a commit



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delete:

- requires an X lock on the object to be deleted
- other transaction that requires a lock for the object cannot obtain the lock after a commit

insert:

- transaction obtains an X lock through insert
- avoiding the phantom problem requires additional measures





Example (occurrence of the phantom problems)

T_1	T ₂
SELECT COUNT(*)	
FROM examine	
WHERE grade BETWEEN 1 AND 2	
	INSERT INTO examine
	VALUES
	(29555,5001,2137,1)
SELECT COUNT(*)	
FROM examine	
WHERE grade BETWEEN 1 AND 2	

problem:



problem:

"if no transaction is aborted, every conflict serializable schedule is serializable" holds only in case no new entries are inserted



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- (strict) 2PL locks in this case too few data sets:
 - transaction locks only present data sets
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- table without index: creation of new pages and data sets has to be prevented (for example IS lock on table)
- table with index: additionally the affected index range has to be locked





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Other Synchronisation Methods



Other Synchronisation Methods



Other Synchronisation Methods

- timestamp based synchronisation
- optimistic synchronisation





- every transaction T is assigned a unique timestamp TS(T)
 - $TS(T_i) < TS(T_j)$ of T_i older than T_j





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idea:

- construct serial schedule ordered by the timestamp
 - before the access of T_i to A TS(T_i) is compared with readTS(A) resp. writeTS(A) and T_i is reset in case of conflict





Timestamp Based Synch: Read Access

read access $r_i(A)$ (T_i wants to read A):



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 - \blacksquare T_i may read A
 - \blacksquare readTS(A) = max(TS(T_i), readTS(A))



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 - \blacksquare T_i is reset

else:

- \blacksquare T_i may write to A
- \blacksquare writeTS(A) = $TS(T_i)$



$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

$$\mathsf{TS} \mid \mathsf{action} \qquad \qquad \mathsf{readTS}(A) \mid \mathsf{writeTS}(A)$$



$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

_	TS	action	readTS(A)	writeTS(A)
_	1	BOT ₁	0	0
Ī	2	BOT ₂	0	0
	3	BOT ₃	0	0





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
2	BOT ₂	0	0
3	BOT ₃	0	0
4			





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
2	BOT ₂	0	0
3	BOT ₃	0	0
4	$r_1(A)$		





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
2	BOT ₂	0	0
3	BOT ₃	0	0
4	$r_1(A)$	1	0





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
2	BOT ₂	0	0
3	BOT ₃	0	0
4	$r_1(A)$	1	0
5			





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
2	BOT ₂	0	0
3	BOT ₃	0	0
4	$r_1(A)$	1	0
5	$w_2(A)$		





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
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3	BOT ₃	0	0
4	$r_1(A)$	1	0
5	$w_2(A)$	1	2

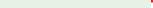




$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
2	BOT ₂	0	0
3	BOT ₃	0	0
4	$r_1(A)$	1	0
5	$w_2(A)$	1	2
6			





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

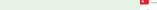
TS	action	readTS(A)	writeTS(A)
1	BOT ₁	0	0
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3	BOT ₃	0	0
4	$r_1(A)$	1	0
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6	$r_3(A)$	3	2



$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

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4	$r_1(A)$	1	0
5	$w_2(A)$	1	2
6	$r_3(A)$	3	2
7			

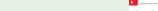




$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A)	writeTS(A)
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4	$r_1(A)$	1	0
5	$w_2(A)$	1	2
6	$r_3(A)$	3	2
7	$reset_1[r_1(A)]$	3	2





Example

$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

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6	$r_3(A)$	3	2
7	$reset_1[r_1(A)]$	3	2
8	$w_3(A)$	3	3



• facility of history

Example

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3	BOT ₃	0	0
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6	$r_3(A)$	3	2
7	$reset_1[r_1(A)]$	3	2
8	$w_3(A)$	3	3
9	$reset_2[w_2(A)]$	3	3



Facility of Momenta

- deadlocks do not occur
- yields conflict serializable schedules
- order in serial schedule corresponds to timestamps





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Strict Schedules Through Timestamps

procedure:

- "dirty bit": mark data sets modified by a still active transaction
- in case dirty bit is set all other transactions that want to access the data will be delayed
 - only reading access: avoids cascading reset
 - write and read access: guarantees strict schedules





Strict Schedule Through Timestamp and Dirty Bit

$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS | action | readTS(A): | writeTS(A) | d(A)





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	TS	action	readTS(A):	writeTS(A)	d(A)
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3	BOT ₃	0	0	
4	$r_1(A)$	1	0	





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	readTS(A):	writeTS(A)	<i>d</i> (<i>A</i>)
1	BOT ₁	0	0	
2	BOT ₂	0	0	
3	BOT ₃	0	0	
4	$r_1(A)$	1	0	
5	$w_2(A)$	1	2	Х





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

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4	$r_1(A)$	1	0	
5	$w_2(A)$	1	2	X
6				



$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

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4	$r_1(A)$	1	0	
5	$w_2(A)$	1	2	Х
6	$r_3(A)$			·



$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

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4	$r_1(A)$	1	0	
5	$w_2(A)$	1	2	Х
6	$block_3[r_3(A)]$	1	2	Х



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7				





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5	$w_2(A)$	1	2	Х
6	$block_3[r_3(A)]$	1	2	Х
7	$reset_1[r_1(A)]$	1	2	Х





$$\mathtt{BOT}_1 o \mathtt{BOT}_2 o \mathtt{BOT}_3 o r_1(A) o w_2(A) o r_3(A) o r_1(A) o w_3(A) o w_2(A) o c_2$$

TS	action	\mid readTS(A): \mid writeTS(A)		<i>d</i> (<i>A</i>)
1	BOT ₁	0	0	
2	BOT ₂	0	0	
3	BOT ₃	0	0	
4	$r_1(A)$	1	0	
5	$w_2(A)$	1	2	X
6	$block_3[r_3(A)]$	1	2	Х
7	$reset_1[r_1(A)]$	1	2	Х
8	$w_2(A)$	1	2	Х



$$\begin{array}{l} {\tt BOT}_1 \to {\tt BOT}_2 \to {\tt BOT}_3 \to r_1(A) \to w_2(A) \to r_3(A) \to r_1(A) \to w_3(A) \to w_2(A) \to {\tt c_2} \end{array}$$

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•

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5	$w_2(A)$	1	2	X
6	$block_3[r_3(A)]$	1	2	Х
7	$reset_1[r_1(A)]$	1	2	Х
8	$w_2(A)$	1	2	X
9	<i>c</i> ₂	1	2	
10	$r_3(A)$	3	2	
11	$w_3(A)$	3	3	Х



Strict Schedules Through Timestamp

commit of T_i :

update dirty bits



Strict Schedules Through Timestamp

commit of T_i :

update dirty bits

roll-back of T_i :

- for every data set A written by the transaction: reset writeTS(A) to the value before the write access of T_i
- update dirty bits
- remark: the last transaction written before T_i was completed successfully



Optimistic Synchronisation

general idea:

- execute transactions
- check actions and decide whether conflicts have occurred or not
- in case of a problem: reset transaction





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- check actions and decide whether conflicts have occurred or not
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in the following: a concrete method





Optimistic Synchronisation

transaction split in 3 stages:

- reading stage
 - all operations of the transaction are executed
 - but: writing operations only on local copies
- validation stage
 - check whether the transaction may be commuted
 - conflicts are recognized through timestamps (obtained ordered by entrance into the validation stage)
- 3 writing stage
 - after successful validation modifications are applied to the data base





validation of T_i :

for all transactions T_a with $TS(T_a) < TS(T_i)$ (attention: TS is assigned after entering the validation stage!) one of the two conditions has to be satisfied:

- 1 T_a was completed already when T_i started
- **2** WriteSet(T_a) \cap ReadSet(T_i) = \emptyset



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 - WriteSet(T_a) all data objects written by T_a
 - $ReadSet(T_i)$ all data objects read by T_i

important for soundness:

validation and writing stage have to be atomic (only one transaction is allowed per stage 2 and 3)





Overview

- 1. Concurrency and Possible Errors
- 2. Classifications of Schedules

Resettable Schedules Schedules without Cascading Resets Strict Schedules

- 3. Concurrency Control
- 4. Transaction Management in SQL





Transaction Management in SQL

```
SET TRANSACTION

[READ WRITE | READ ONLY]

[ISOLATION LEVEL { READ UNCOMMITED | READ COMMITED | REPEATABLE READ | SERIALIZABLE }]
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access mode:

- read only: only reading access (⇒ only reading locks)
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isolation level:

 offer a variety of isolation grades, allow to increase parallelizability





READ UNCOMMITED weakest stage; can read modifications that have not been set yet and therefore inconsistent data base stages; allowed only for READ ONLY transactions



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REPEATABLE READ all operations of the transaction only see datasets that were committed before the first action of the transaction

SERIALIZABLE highest stage





Isolation Levels and Possible Anomalies

isolation level	dirty read	unrepeatable read	phantom problem
READ UNCOMMITTED	possible	possible	possible
READ COMMITTED	_	possible	possible
REPEATABLE READ	_	-	possible
SERIALIZABLE	_	_	_





Summary

Protocols and Their Most Important Features

protocol	equivalent	further	deadlock
protocoi	serial schedule	features	possible
	order of the	in general	
2PL	locking requirements	not resettable	yes
	at conflicts		
strict 2PL	as 2PL	strikt	yes
			,
strict 2PL +			
deadlock	as 2PL	strict	no
avoidance			
timestamp		strict variant	
based	time of BOT	exists	no
	time of	_	
optimistic	validation	strict	no



