

Computer Output

Wooldridge Computer Exercise C8.2

OLS Regression Results

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=====
Dep. Variable:      price  R-squared:      0.672
Model:              OLS   Adj. R-squared:    0.661
Method:             Least Squares  F-statistic:      19.54
Date:               Fri, 17 Nov 2023  Prob (F-statistic):  1.06e-09
Time:               13:42:42  Log-Likelihood:    -482.88
No. Observations:   88  AIC:      973.8
Df Residuals:       84  BIC:      983.7
Df Model:            3
Covariance Type:    HC3
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=====
              coef  std err      z  P>|z|  [0.025  0.975]
-----
const    -21.7703   41.033   -0.531   0.596  -102.193   58.652
lotsize     0.0021    0.007    0.289   0.772   -0.012    0.016
sqrft      0.1228    0.041    3.014   0.003    0.043    0.203
bdrms      13.8525   11.562    1.198   0.231   -8.808   36.513
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Omnibus:      20.398  Durbin-Watson:      2.110
Prob(Omnibus): 0.000  Jarque-Bera (JB):      32.278
Skew:         0.961  Prob(JB):      9.79e-08
Kurtosis:     5.261  Cond. No.      6.41e+04
=====
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Notes:

[1] Standard Errors are heteroscedasticity robust (HC3)

[2] The condition number is large, 6.41e+04. This might indicate that there are strong multicollinearity or other numerical problems.

(i) We assume that standard errors have characteristics of homoskedasticity, where the variance of the error term is constant.

But heteroskedasticity-robust standard errors sense the heteroskedasticity in data. Given data suggests that our heteroskedasticity-robust errors are larger than the usual standard errors, so this means there's heteroskedasticity in data, and these larger numbers give us better results and estimates for the coefficients.

OLS Regression Results

Dep. Variable: price R-squared: 0.639
 Model: OLS Adj. R-squared: 0.626
 Method: Least Squares F-statistic: 42.42
 Date: Fri, 17 Nov 2023 Prob (F-statistic): 8.67e-17
 Time: 13:42:42 Log-Likelihood: 25.417
 No. Observations: 88 AIC: -42.83
 Df Residuals: 84 BIC: -32.92
 Df Model: 3
 Covariance Type: HC3

	coef	std err	z	P> z	[0.025	0.975]
const	-1.4295	0.827	-1.728	0.084	-3.050	0.191
lotsize	0.1695	0.053	3.181	0.001	0.065	0.274
sqrft	0.7170	0.122	5.866	0.000	0.477	0.957
bdrms	0.0989	0.130	0.761	0.447	-0.156	0.354
Omnibus:	11.198	Durbin-Watson:	2.056			
Prob(Omnibus):	0.004	Jarque-Bera (JB):	30.826			
Skew:	-0.144	Prob(JB):	2.02e-07			
Kurtosis:	5.885	Cond. No.	386.			

Notes:

[1] Standard Errors are heteroscedasticity robust (HC3)

(ii) Since heteroskedasticity-robust error is larger than the usual standard error, we know there may be heteroskedasticity in the residuals.

(iii) Based on our observation, when heteroskedasticity-robust error is greater than the usual standard error, there's heteroskedasticity in the residuals.

Therefore, the significance of the coefficient estimates may be influenced by the heteroskedasticity, making the data unreliable.

Wooldridge Computer Exercise C8.4

	district	democA	voteA	expendA	expendB \
count	173.000000	173.000000	173.000000	173.000000	173.000000
mean	8.838150	0.554913	50.502890	310.611023	305.088531
std	8.768823	0.498418	16.784761	280.985382	306.278351
min	1.000000	0.000000	16.000000	0.302000	0.930000
25%	3.000000	0.000000	36.000000	81.634003	60.054001
50%	6.000000	1.000000	50.000000	242.781998	221.529999

75%	11.000000	1.000000	65.000000	457.410004	450.716003
max	42.000000	1.000000	84.000000	1470.673950	1548.192993

	prtystrA	lexpendA	lexpendB	shareA
count	173.000000	173.000000	173.000000	173.000000
mean	49.757225	5.025557	4.944369	51.076546
std	9.983650	1.601602	1.571143	33.483574
min	22.000000	-1.197328	-0.072571	0.094635
25%	44.000000	4.402246	4.095244	18.867996
50%	50.000000	5.492164	5.400558	50.849903
75%	56.000000	6.125580	6.110837	84.255096
max	71.000000	7.293476	7.344844	99.495003

OLS Regression Results

Dep. Variable:	y	R-squared:	0.000
Model:	OLS	Adj. R-squared:	-0.024
Method:	Least Squares	F-statistic:	7.929e-15
Date:	Fri, 17 Nov 2023	Prob (F-statistic):	1.00
Time:	13:42:42	Log-Likelihood:	-593.20
No. Observations:	173	AIC:	1196.
Df Residuals:	168	BIC:	1212.
Df Model:	4		
Covariance Type:	nonrobust		

	coef	std err	t	P> t	[0.025	0.975]
const	-7.614e-14	4.736	-1.61e-14	1.000	-9.350	9.350
prtystrA	8.503e-16	0.071	1.19e-14	1.000	-0.141	0.141
democA	8.438e-15	1.407	6e-15	1.000	-2.777	2.777
lexpendA	-5.517e-15	0.392	-1.41e-14	1.000	-0.774	0.774
lexpendB	6.407e-15	0.397	1.61e-14	1.000	-0.785	0.785

Omnibus:	6.304	Durbin-Watson:	1.525
Prob(Omnibus):	0.043	Jarque-Bera (JB):	6.030
Skew:	0.448	Prob(JB):	0.0491
Kurtosis:	3.182	Cond. No.	429.

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

(i) Since our coefficients are close to 0 and the standard errors are greater than the coefficients, the independent variables

may not have an relationship/association with the dependent variable when we also consider statistical insignificance.

Maybe our adjusted R squared is over fitting while R squared is not fitting well.

(ii) LM Statistic: 9.093356486631897

LM p-value: 0.05880790411089757

F-statistic: 2.330112826740852

F p-value: 0.05805750110700962

Wooldridge Computer Exercise C9.4

	year	infmort	afdcprt	popul	pcinc \
count	102.000000	102.000000	102.000000	102.000000	102.000000
mean	1988.500000	9.708824	222.068627	4825.774510	16287.460784
std	1.507407	2.059756	315.724509	5298.512199	3163.157135
min	1987.000000	6.200000	11.000000	454.000000	10301.000000
25%	1987.000000	8.525000	44.750000	1190.000000	14052.750000
50%	1988.500000	9.500000	125.500000	3293.500000	15736.000000
75%	1990.000000	10.400000	236.750000	5778.000000	18277.000000
max	1990.000000	20.700001	2023.000000	29760.000000	25528.000000

	physic	afdcper	d90	lpcinc	lphysic	DC \
count	102.000000	102.000000	102.000000	102.000000	102.000000	102.000000
mean	201.500000	4.042603	0.500000	9.679919	5.260582	0.019608
std	74.374986	1.472844	0.502469	0.191395	0.279374	0.139333
min	120.000000	1.041667	0.000000	9.239996	4.787492	0.000000
25%	161.000000	2.975885	0.000000	9.550571	5.081404	0.000000
50%	185.500000	3.863402	0.500000	9.663701	5.223051	0.000000
75%	212.000000	4.708885	1.000000	9.813397	5.356586	0.000000
max	615.000000	8.896211	1.000000	10.147532	6.421622	1.000000

	lpopul
count	102.000000
mean	7.989398
std	1.023285
min	6.118097
25%	7.081692
50%	8.099706
75%	8.661535
max	10.300920

OLS Regression Results

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=====
Dep. Variable:      infmort  R-squared:      0.643
Model:              OLS      Adj. R-squared:  0.629
  
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Method: Least Squares F-statistic: 43.72
Date: Fri, 17 Nov 2023 Prob (F-statistic): 6.28e-21
Time: 13:42:42 Log-Likelihood: -165.37
No. Observations: 102 AIC: 340.7
Df Residuals: 97 BIC: 353.9
Df Model: 4
Covariance Type: nonrobust

	coef	std err	t	P> t	[0.025	0.975]
Intercept	36.2125	6.727	5.383	0.000	22.862	49.563
lpcinc	-2.3964	0.887	-2.703	0.008	-4.156	-0.637
lphysic	-1.5548	0.773	-2.010	0.047	-3.090	-0.020
lpopul	0.5755	0.137	4.215	0.000	0.305	0.846
DC	13.9632	1.247	11.201	0.000	11.489	16.437
Omnibus:	2.832	Durbin-Watson:	1.055			
Prob(Omnibus):	0.243	Jarque-Bera (JB):	2.838			
Skew:	0.387	Prob(JB):	0.242			
Kurtosis:	2.736	Cond. No.	745.			

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

(i) The coefficient is about 13.96, and it's the estimated difference in 'infomort' between DC and another location.

The size suggests that there's a huge increase in the expected value of 'infomort' in DC compared to another location.

p value is 0, so it's statistically significant, since $0 < 0.05$.

(ii) The dummy variable 'DC' in the first equation has additional coefficient of DC and standard errors of DC. The R squared and adjusted

R squared of the first equation are higher than the equation without 'DC', so the one with DC has a better fit and can better explain the variation in 'infmort'.

The one with dummy variable also has statistical significance with the associated p value.

HW9/HW9.py

```

1  import numpy as np
2  import pandas as pd
3  import matplotlib.pyplot as plt
4  import statsmodels.api as sm
5  import statsmodels.api as sm
6  from statsmodels.compat import lzip
7  from statsmodels.stats.diagnostic import het_breuschpagan
8
9
10 # Include similar code as HW1 for the basic steps
11 file_location = "/Users/amyliang/Eco441K/HW9/hprice1.dta"
12 f2 = "/Users/amyliang/Eco441K/HW9/VOTE1.DTA"
13 f3 = "/Users/amyliang/Eco441K/HW9/INFMRT.DTA"
14 df= pd.read_stata(file_location)
15 new_df = pd.read_stata(f2)
16 df2 = pd.read_stata(f3)
17
18 pd.set_option('display.max_columns', None)
19
20 # Wooldridge Computer Exercise C8.2
21 print("Wooldridge Computer Exercise C8.2")
22
23 # Build the model
24 model = sm.OLS(df['price'], sm.add_constant(df[['lotsize', 'sqrft', 'bdrms']]))
25 results = model.fit(cov_type='HC3') # 'HC3' is used for heteroskedasticity-robust
standard errors
26
27 # Print the summary
28 print(results.summary())
29 ans1 = """
30 (i)We assume that standard errors have characteristics of homoskedasticity, where
the variance of the error term is constant.
31 But heteroskedasticity-robust standard errors sense the heteroskedasticity in
data. Given data suggests that our
32 heteroskedasticity-robust errors are larger than the usual standard errors, so
this means there's heteroskedasticity in data,
33 and these larger numbers give us better results and estimates for the
coefficients.
34 """
35 print(ans1)
36 print()
37
38 # Build the model in logs
39 model_in_log = sm.OLS(np.log(df['price']), sm.add_constant(np.log(df[['lotsize', '
sqrft', 'bdrms']]])))
40
41 # Fit the model in logs
42 results_in_log = model_in_log.fit(cov_type='HC3')

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```
43
44 # Print the summary
45 print(results_in_log.summary())
46
47 ans2 = ""
48 (ii)Since heteroskedasticity-robust error is larger than the usual standard error,
49 we know there may be heteroskedsticity in the residuals.
50 ""
51 print(ans2)
52 print()
53
54 ans3 = ""
55 (iii)Based on our observation, when heteroskedasticity-robust error is greater
56 than the usual standard error, there's heteroskedasticity in the residuals.
57 Therefore, the significance of the coefficient estimates may be influenced by the
58 heteroskedasticity, making the data unreliable.
59 ""
60 print(ans3)
61
62 # Wooldridge Computer Exercise C8.4
63 print("Wooldridge Computer Exercise C8.4")
64
65 print(new_df.describe())
66
67 # Find the initial model
68 model = sm.OLS(new_df['voteA'], sm.add_constant(new_df[['prtystrA', 'democA', 'lexpendA', 'lexpendB']]))
69 results = model.fit()
70
71 # Obtain OLS residuals
72 resid = results.resid
73
74 # Regress residuals on independent variables
75 residuals_model = sm.OLS(resid, sm.add_constant(new_df[['prtystrA', 'democA', 'lexpendA', 'lexpendB']]))
76 residuals_results = residuals_model.fit()
77
78 # Print results
79 print(residuals_results.summary())
80
81 ans4 = ""
82 (i)Since our coefficients are close to 0 and the standard errors are greater than
83 the coefficients, the independent variables
84 may not have an relationship/association with the dependent variable when we also
85 consider statistical insignificance.
86 Maybe our adjusted R squared is over fitting while R squared is not fitting well.
87 ""
88 print(ans4)
89 print()
90 # Use result from previous OLS regression
91 residuals = results.resid
```

```
88
89 # Perform the Breusch-Pagan test
90 lm, lm_p_value, fvalue, f_p_value = het_breuschpagan(residuals,
91 results.model.exog)
92
93 # Print the results
94 print("(ii)", f'LM Statistic: {lm}\nLM p-value: {lm_p_value}\nF-statistic: {fvalue}\nF p-value: {f_p_value}')
95 print()
96
97 # Wooldridge Computer Exercise C9.4
98 print("Wooldridge Computer Exercise C9.4")
99
100 # Get the model with the dummy variable
101 model_with_dummy = 'infmort ~ lpcinc + lphysic + lpopul + DC'
102
103 # Fit the model
104 results_with_dummy = sm.OLS.from_formula(model_with_dummy, df2).fit()
105
106 # Print results
107 print(results_with_dummy.summary())
108
109 ans5 = """
110 (i)The coefficient is about 13.96, and it's the estimated difference in 'infomort'
111 between DC and another location.
112 The size suggests that there's a huge increase in the expected value of 'infomort'
113 in DC compared to another location.
114 p value is 0, so it's statistically significant, since  $0 < 0.05$ .
115 """
116 print(ans5)
117
118 ans6 = """
119 (ii) The dummy variable 'DC' in the first equation has additional coefficient of
120 DC and standard errors of DC. The R squared and adjusted
121 R squared of the first equation are higher than the equation without 'DC', so the
122 one with DC has a better fit and can better explain the variation in 'infmort'.
123 The one with dummy variable also has statistical significance with the associated
124 p value.
125 """
126 print(ans6)
```