#### **Table of Contents**

Things illustrated during class
% The purpose of this program is to illustrate examples of a wide swath of
% common Matlab use cases, most of which will be useful at some point in the
<pre>% semester. %</pre>
This script requires files containing the functions fun1D and fun2D.

### Things illustrated during class

```
% installing matlab
% arrays, vector operations, etc.
% complex number manipulation, abs, angle, real, imaginary
% random number generation: rand, randn, histograms
% publishing matlab content
```

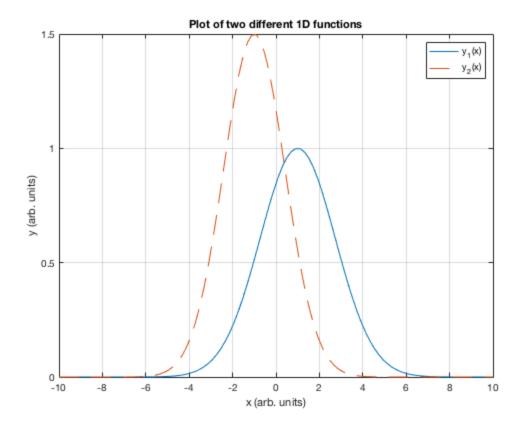
### Create some 1D and 2D data for plotting

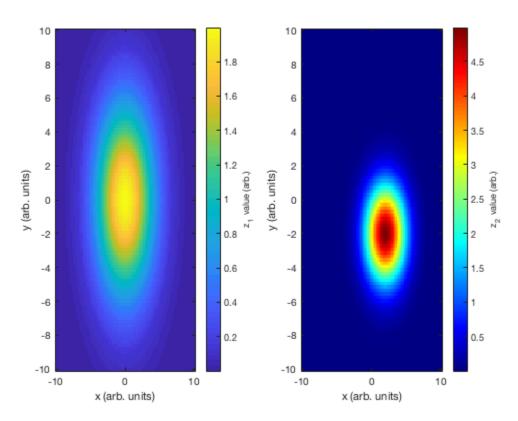
#### independent coordinates

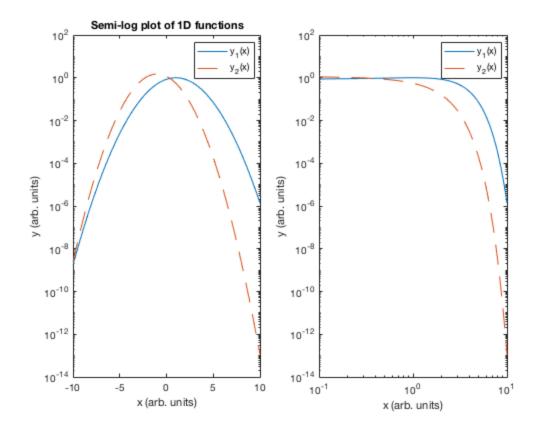
### Plot various data

1D data

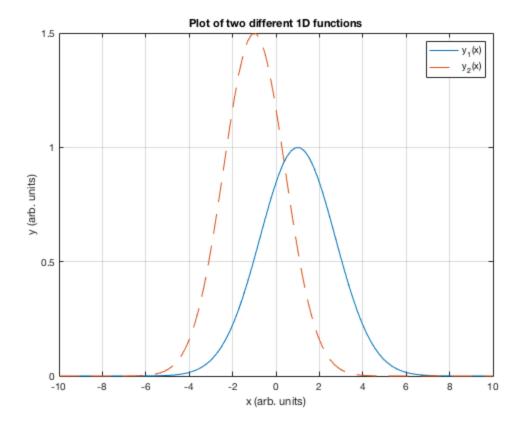
```
xlabel('x (arb. units)');
ylabel('y (arb. units)');
title('Plot of two different 1D functions')
legend('y_1(x)','y_2(x)')
% 2D data
figure(2);
clf;
ax1=subplot(1,2,1);
                                         %scaled image plots
imagesc(x,y,Z1);
(recommended for 2D plots)
                                         %rearrange plot with a non-
axis xy;
inverted x-y axis
xlabel('x (arb. units)');
ylabel('y (arb. units)');
c=colorbar;
                                         %save colorbar handle so you
can add labels to it
ylabel(c,'z 1 value (arb.)');
ax2=subplot(1,2,2);
imagesc(x,y,Z2);
axis xy;
xlabel('x (arb. units)');
ylabel('y (arb. units)');
c=colorbar;
colormap(ax2,jet(256));
                                         %switch colormap to jet and
use 256 different shades (default is usually 64) - only do this for
the second set of axes in the figure
ylabel(c,'z 2 value (arb.)');
% Logarithmic plotting example
figure(3);
clf;
% semilog plot
subplot(1,2,1);
semilogy(x,y1,'-',x,y2,'--');
xlabel('x (arb. units)');
ylabel('y (arb. units)');
title('Semi-log plot of 1D functions')
legend('y_1(x)','y_2(x)')
%log-log plot
subplot(1,2,2);
                                         %find indices where x>0
inds=find(x>0);
loglog(x(inds),y1(inds),'-',x(inds),y2(inds),'--');
xlabel('x (arb. units)');
ylabel('y (arb. units)');
legend('y_1(x)','y_2(x)')
```

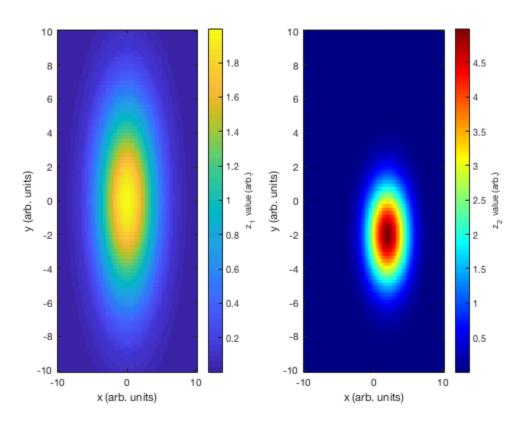


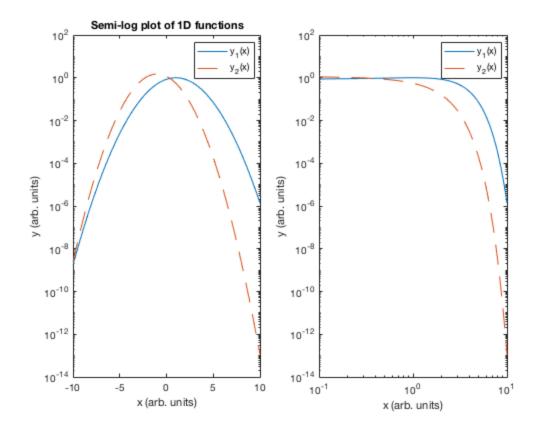




# Print the plots to files that can be embedded in word processors







## Set up, evaluation, and solution of linear systems of equations. Manipulation of matrices.

```
% this matrix and vector represent the system of equations:
      x + 2y +
                 4z = 18
      2x + 12y -
                  2z = 9
                 5z = 14
% 3) 5x + 26y +
       2, 4; ...
                    %notice that the ellipses in matlab allows you to
 continue a line
   2, 12,-2; ...
   5, 26, 5];
                    A(i,j) is the coefficient of the ith variable in
 the jth equation
                    %transpose of A
B=A';
b=[18; 9; 14];
                    %this is the column vector representing the RHS of
 the system
% Some basic commands to display variables
disp('A = ');
disp(A);
disp('b = ');
disp(b);
```

```
% Compute some matrix properties and print them
disp('det(A) = ');
disp(det(A));
disp('trace(A) = ');
disp(trace(A));
disp('condition # of A = ');
disp(cond(A));
disp('transpose(A) = ');
disp(B);
disp('Aii (diagonal elements of A) = ');
disp(diaq(A));
%matrix functions
disp('A*B (matrix multiplication) = ');
disp(A*B);
disp('Aij*Bij (scalar multiplication) = ');
disp(A.*B);
disp('5*A (multiplication) = ');
disp(5*A);
disp('Solution (x) of the system A*x=b: ');
disp('x = ');
xvec=A\b;
disp(xvec);
disp('I (3x3 identity matrix) = ');
disp(eye(3));
disp('A^{-1}) (inverse of A) = ')
disp(A\eye(3));
                                   %this is preferred over inv(A) (see
matlab documentation)
%slicing and concatenation of array/matrices
disp('2nd row of A = ');
disp(A(2,:));
disp('2nd column of A = ');
disp(A(:,2));
disp('flat list (column vector) of matrix elements of A: ')
disp(A(:));
disp('[A|A] (horizontal concatenation of A with itself): ')
disp(cat(2,A,A));
disp('Vertical concatenation of A with itself: ')
disp(cat(1,A,A));
```

```
disp('diagonal matrix: ');
a1=10:-1:1;
                                    %count backward
a1=a1(:);
                                    %convert to column vector
disp(diag(a1,0));
disp('LU decomposition of A (A=L*U): ')
[L,U]=lu(A);
disp('L = ');
disp(L);
disp('U = ');
disp(U);
disp('Eigenvalues of A = ');
[psi,lambda]=eig(A);
disp(lambda);
disp('Eigenvectors of A = ');
disp(psi(:,1));
disp(psi(:,2));
disp(psi(:,3));
A =
           2
     1
                 4
     2
          12
                -2
     5
          26
                 5
b =
    18
     9
    14
det(A) =
   40.0000
trace(A) =
    18
condition # of A =
  116.9115
transpose(A) =
     1
           2
                 5
     2
          12
                26
          -2
                 5
Aii (diagonal elements of A) =
     1
    12
     5
A*B (matrix multiplication) =
    21
         18
                77
    18
         152
               312
    77
       312
               726
```

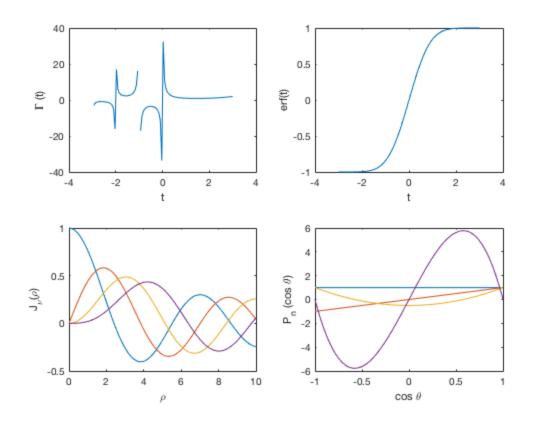
```
Aij*Bij (scalar multiplication) =
    1
       4
              20
    4
        144
             -52
      -52
   20
              25
5*A (multiplication) =
    5 10
              20
   10
        60
             -10
   25
      130
             25
Solution (x) of the system A*x=b:
x =
  53.3500
  -8.8750
  -4.4000
I (3x3 identity matrix) =
    1
          0 0
    0
          1
               0
    0
          0
               1
A^{-1} (inverse of A) =
   2.8000
           2.3500
                   -1.3000
  -0.5000
          -0.3750
                     0.2500
  -0.2000 -0.4000
                    0.2000
2nd row of A =
    2 12 -2
2nd column of A =
    2
   12
   26
flat list (column vector) of matrix elements of A:
    2
    5
    2
   12
   26
    4
   -2
    5
[A/A] (horizontal concatenation of A with itself):
                    1
                         2
    1
          2
              4
    2
         12
              -2
                    2
                         12
                               -2
    5
              5
                    5
         26
                         26
                               5
Vertical concatenation of A with itself:
    1
         2
    2
         12
              -2
    5
         26
              5
```

```
1
          2
                 4
     2
          12
                -2
          26
diagonal matrix:
                              0
    10
     0
           9
                                    0
                 0
                       0
     0
     0
           0
                                    0
                                                0
                                                       0
                 0
                              0
                                          0
     0
                 0
                       0
                              6
                                    0
                                                0
                                                       0
     0
                                    5
     0
           0
                                    0
                 0
                       0
                                                0
     0
           0
                 0
                       0
                              0
                                    0
                                          0
                                                 3
                                                      0
                                                      2
     0
           0
                 0
                       0
                              0
                                    0
                                          0
                                                 0
                                    0
LU decomposition of A (A=L*U):
L =
    0.2000
             1.0000
    0.4000
             -0.5000
                         1.0000
    1.0000
U =
    5.0000
             26.0000
                        5.0000
            -3.2000
         0
                        3.0000
                       -2.5000
Eigenvalues of A =
   0.4090 + 0.0000i
                     0.0000 + 0.0000i
                                          0.0000 + 0.0000i
   0.0000 + 0.0000i
                     8.7955 + 4.5216i  0.0000 + 0.0000i
                     0.0000 + 0.0000i 8.7955 - 4.5216i
   0.0000 + 0.0000i
Eigenvectors of A =
   -0.9823
    0.1791
    0.0556
   0.3740 - 0.1688i
   0.0581 + 0.1874i
   0.8906 + 0.0000i
   0.3740 + 0.1688i
   0.0581 - 0.1874i
   0.8906 + 0.0000i
```

## Special functions, illustration of using greek letters in strings

```
figure(4);
subplot(2,2,1);
plot(t,gamma(t));
                               %gamma function
xlabel('t');
ylabel('\Gamma (t)');
subplot(2,2,2);
                              %error function
plot(t,erf(t));
xlabel('t');
ylabel('erf(t)');
subplot(2,2,3);
plot(rho,besselj(0,rho),rho,besselj(1,rho),rho,besselj(2,rho),rho,besselj(3,rho))
   %first arg to bessel function is order, second is indep variable
xlabel('\rho');
ylabel('J_\nu(\rho)');
%associated legendre function
P0=legendre(0,costh);
Pldata=legendre(1,costh);
P1=P1data(1,:);
                               %pick the m=0 associated legendre
 function which is an ordinatry legendre polynomial
P2data=legendre(2,costh);
P2=P2data(1,:);
P3data=legendre(3,costh);
P3=P3data(3,:);
subplot(2,2,4);
plot(costh,P0,costh,P1,costh,P2,costh,P3);
xlabel('cos \theta');
ylabel('P_n (cos \theta)');
```

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## Demonstration of precision issues in matlab and formatted print statements (avoid subtracting number of vastly different magnitudes...)

```
epssingle=eps(single(1.0));
                             %single precision smallest interval
from number 1.0
disp('1 (single precision): ')
fprintf('*32.31f \n', single(1.0));
disp('1+eps (single precision): ');
fprintf('%32.31f \n', single(1.0) + epssingle);
disp('1+eps/2 (single precision): ');
fprintf('%32.31f \n\n', single(1.0) + epssingle/2);
disp('1 (double precision): ')
fprintf('*32.31f \n',double(1.0));
disp('1+double(eps) (single precision eps): ');
fprintf('%32.31f \n',double(1.0)+double(epssingle));
disp('1+double(eps)/2.0 (single precision eps): ');
1 (single precision):
1+eps (single precision):
```

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